

Optimization of CW Polarized Positron Source for JLab

Sami Habet

IJCLab & JLab

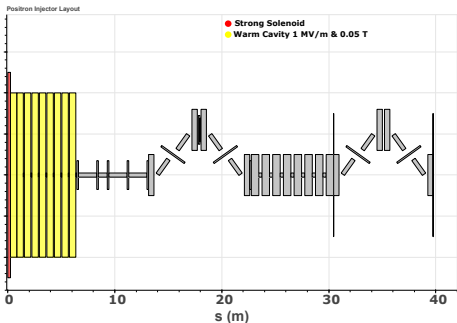
May 16, 2023

This research work is part of a project that has received funding from the European Union's Horizon 2020 research and innovation program under agreement **STRONG - 2020 - No 824093**



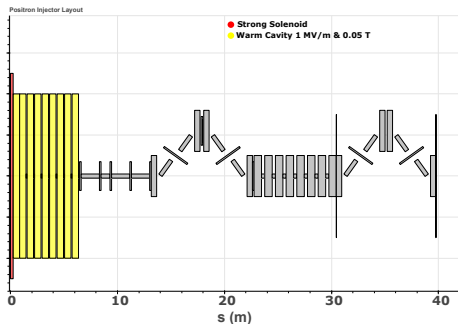
Plan

- 1 Target optimization
- 2 Collection system
- 3 Momentum collimation
- 4 Longitudinal optimization
- 5 Conclusion



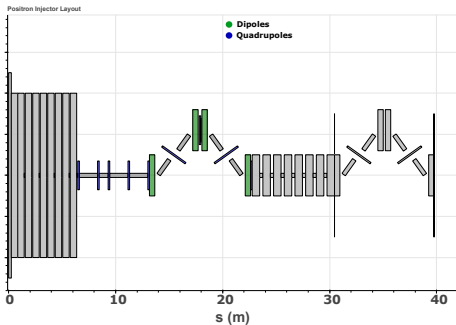
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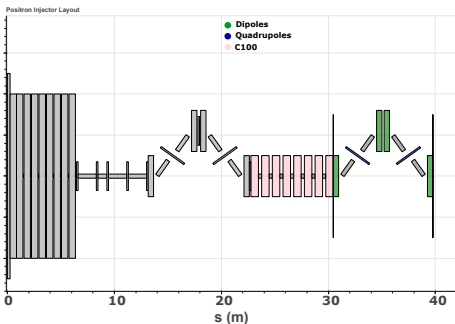
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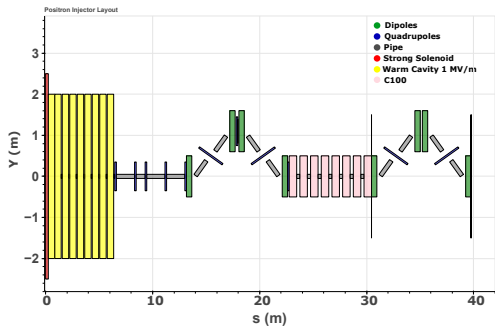
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Outline

① Target optimization

② Collection system

③ Momentum collimation

④ Longitudinal optimization

⑤ Conclusion

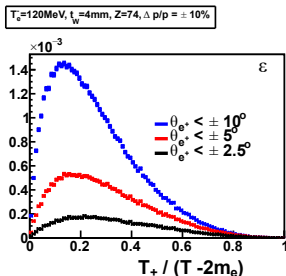
Target optimization

Unpolarized mode

- Efficiency : $\epsilon = \frac{N_{e^+}}{N_{e^-}}$

Polarized mode

- Figure-of-Merit $\text{FoM} = \epsilon P_{e^+}^2$



Target optimization

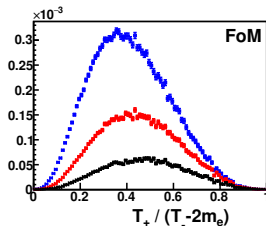
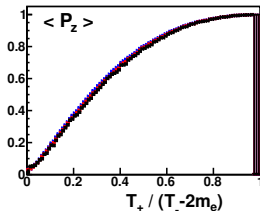
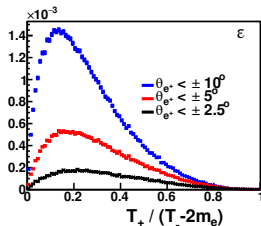
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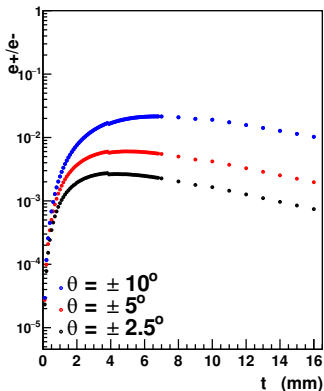
- Figure-of-Merit $\text{FoM} = \epsilon P_{e^+}^2$

$T_+ = 120 \text{ MeV}$, $t_W = 4 \text{ mm}$, $Z = 74$, $\Delta p/p = \pm 10\%$

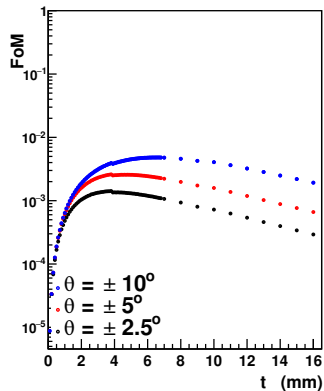


Target optimization

Unpolarized mode

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Polarized mode



Outline

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Quarter Wave Transformer

- Reduce the transverse angular divergence

$$x_p = \frac{p_x}{p} \text{ and } y_p = \frac{p_y}{p}.$$

- Rotate the transverse phase space (x, x_p) and (y, y_p) at the exit of the QWT.

- Use a QWT as an energy filter.

- QWT acceptance :

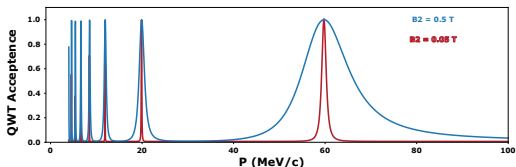
- Radial acceptance

$$r_0^{QWT} = \frac{B_2}{B_1} R$$

- Transverse acceptance

$$p_t^{QWT} = \frac{eB_1 R}{2}$$

- L_1 : Short solenoid length
- B_1 : Magnetig field in L_1
- R : Accelerator aperture



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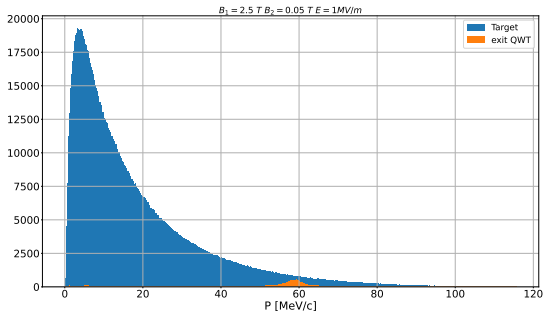
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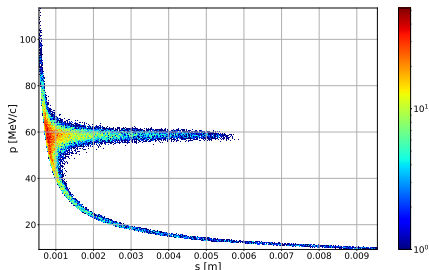
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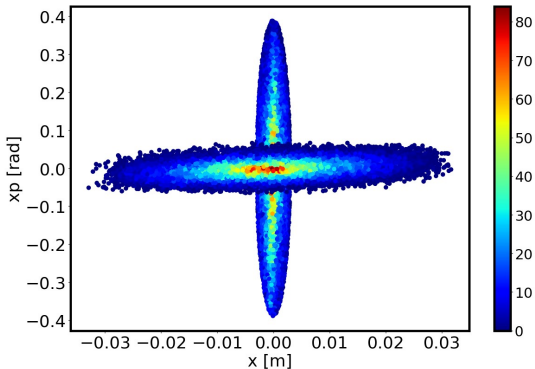
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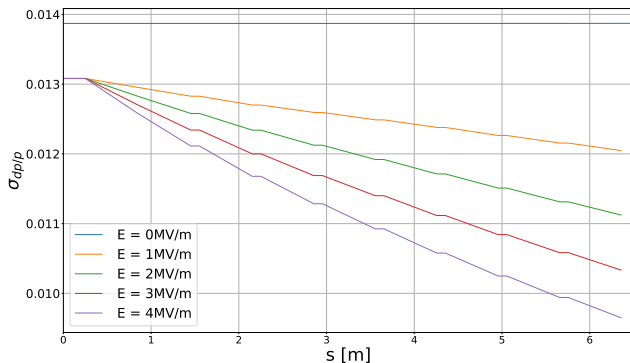
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Accelerating warm section

Goal

- Reduce the longitudinal energy spread of the accepted e^+ at $p = 60 \text{ MeV}/c$
- $f = 1497 \text{ Mhz}$
- $E = 1 \text{ MV}/m$
- $L_{\text{cell}} = 0.2 \text{ cm}$
- $r_{\text{cell}} = 3 \text{ cm}$



Outline

① Target optimization

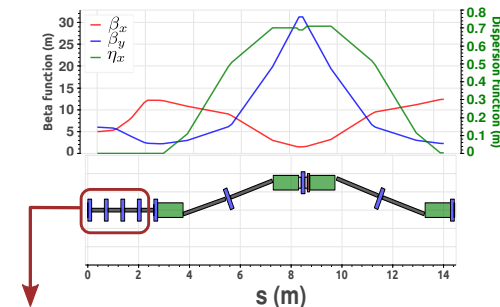
② Collection system

③ Momentum collimation

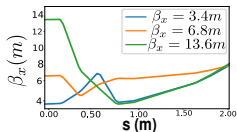
④ Longitudinal optimization

⑤ Conclusion

Beam size optimization



Matching section

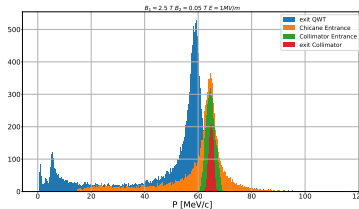
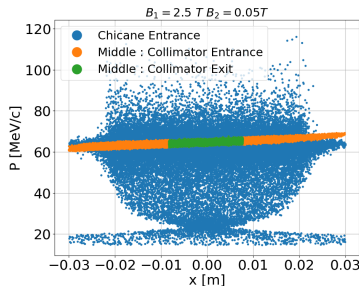


● Periodic Twiss in FODO:

$$\beta_{x,y_{in}} = \beta_{x,y_{out}}$$

● Minimum beam size condition:

$$\beta_x = \beta_{x_{MIN}} \rightarrow \alpha_x = 0$$



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Longitudinal optimization: Energy spread and bunch length

- **Compression factor =**

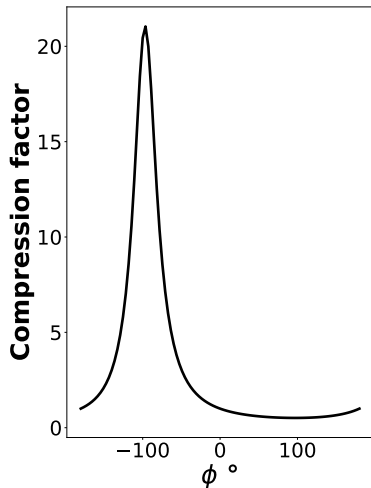
$$\frac{\text{Bunch length}_{\text{Entrance}}}{\text{Bunch length}_{\text{Exit}}}$$

- $C = \frac{1}{1 + [R_{56} \times \kappa]}$

- $\kappa = \frac{d\delta_p}{dz} = \frac{-keV_0}{E_0 + eV_0 \cos \phi} \sin \phi$

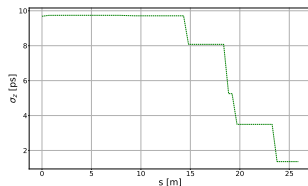
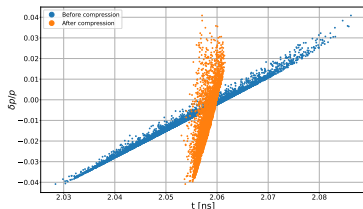
- Where:

- R_{56} : Longitudinal chicane element.
- $k = 2\pi \frac{f}{c}$ [m^{-1}]
- f is the cavity frequency
- eV_0 Cavity acceleration [MeV]
- E_0 Central energy [MeV]
- ϕ Cavity phase advance.

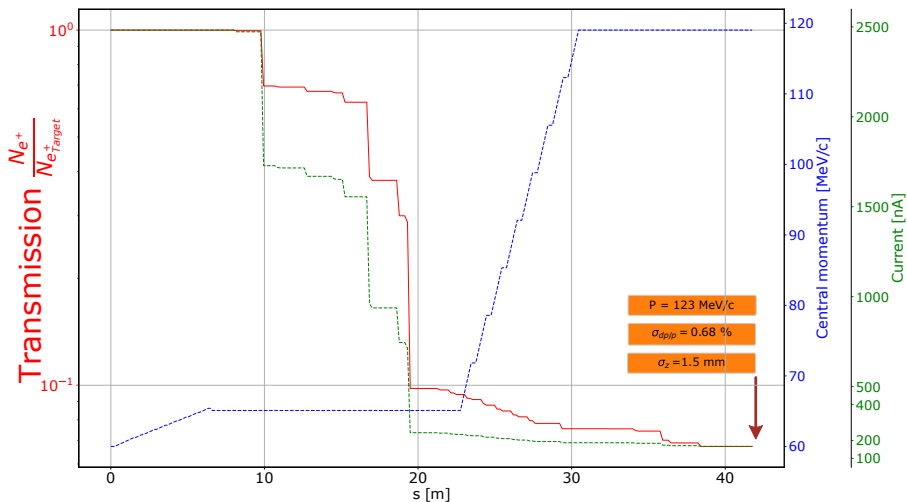


Longitudinal optimization: Energy spread and bunch length

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Transmission and Current

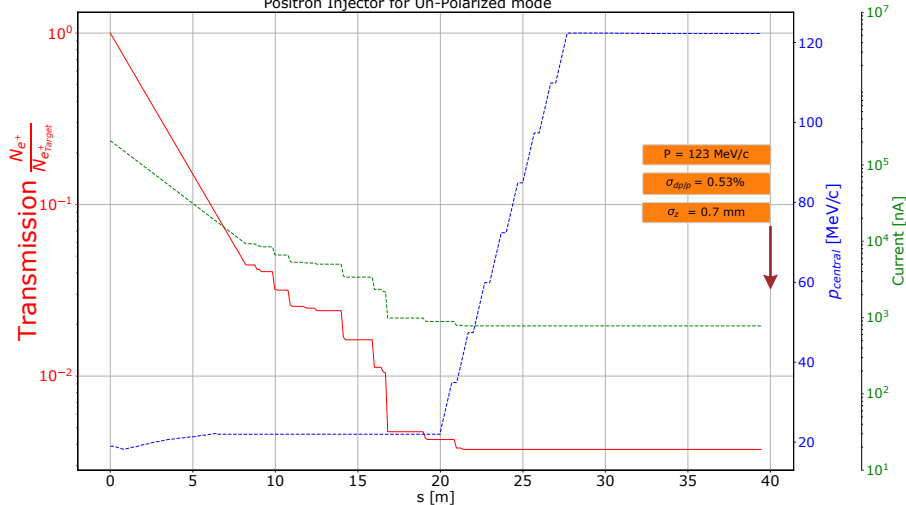


summary: Polarized mode

| Ce+BAF Parameter | e^+ model | Target value |
|--------------------------|-------------|--------------|
| $\sigma_{dp/p}$ [%] | 0.68 | $\pm 1\%$ |
| σ_z [ps] | 4 | ≤ 4 |
| $N \epsilon_n$ [mm mrad] | 140 | ≤ 40 |
| Mean Momentum [MeV/c] | 123 | 123 |
| e^+ ($P > 60\%$) | 170 nA | 50 nA |

Unpolarized mode: Transmission current

Positron Injector for Un-Polarized mode



summary: Unpolarized mode

| Ce+BAF Parameter | e^+ model | Target value |
|--------------------------|-------------|--------------|
| $\sigma_{dp/p}$ [%] | 0.5 | $\pm 1\%$ |
| σ_z [ps] | 2 | ≤ 4 |
| $N \epsilon_n$ [mm mrad] | 123 | ≤ 40 |
| Mean Momentum [MeV/c] | 123 | 123 |
| e^+ ($P > 20\%$) | 700 nA | 1 μA |

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Conclusion

- The performance of the positron system is heavily dependent on the central momentum. The central momentum should be set to 15 MeV/c to obtain a high yield of positrons, while a high polarization requires a central momentum of 60 MeV/c.
- The QWT plays a crucial role in selecting the desired momentum and reducing the spread of transverse angles.
- Including the electron beam after the target could be an interesting way to test our layout.
- Our positron injector is unique because it operates using a CW mode, which is challenging compared to other positron sources.

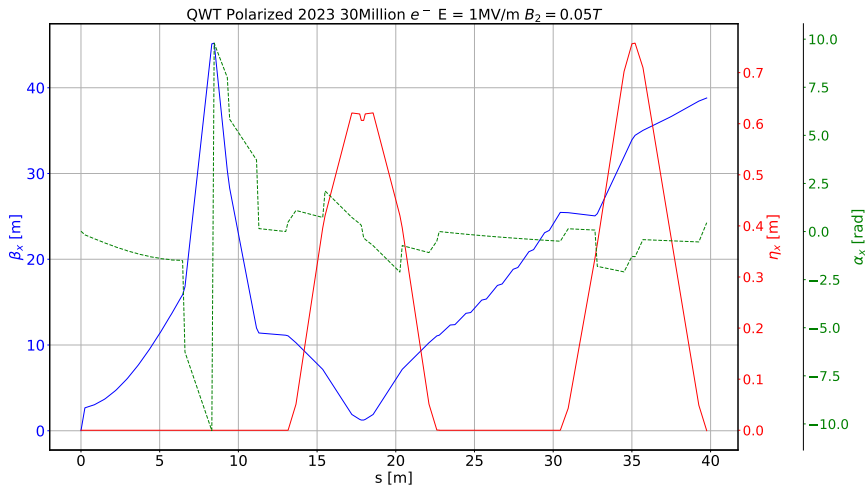
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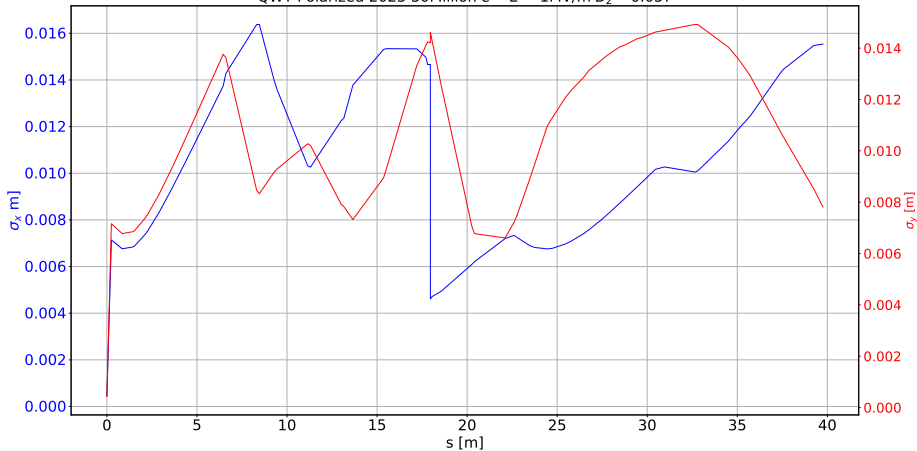


THANK YOU FOR YOUR ATTENTION!

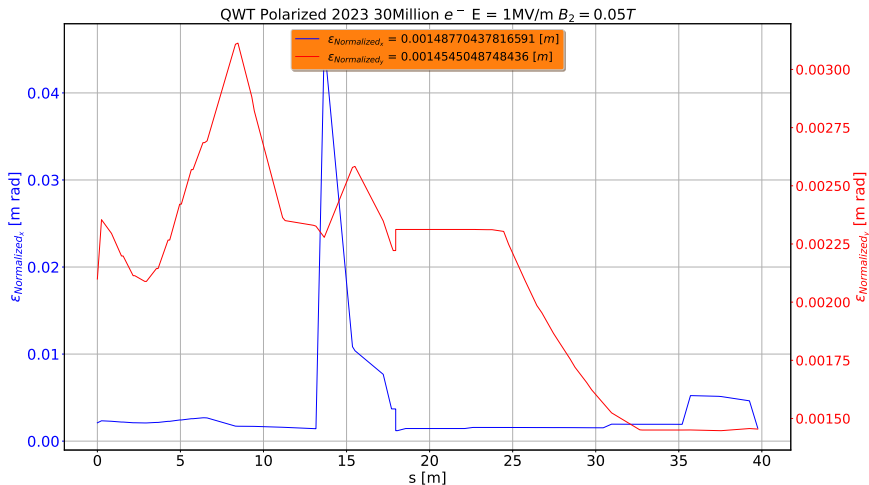
Twiss functions



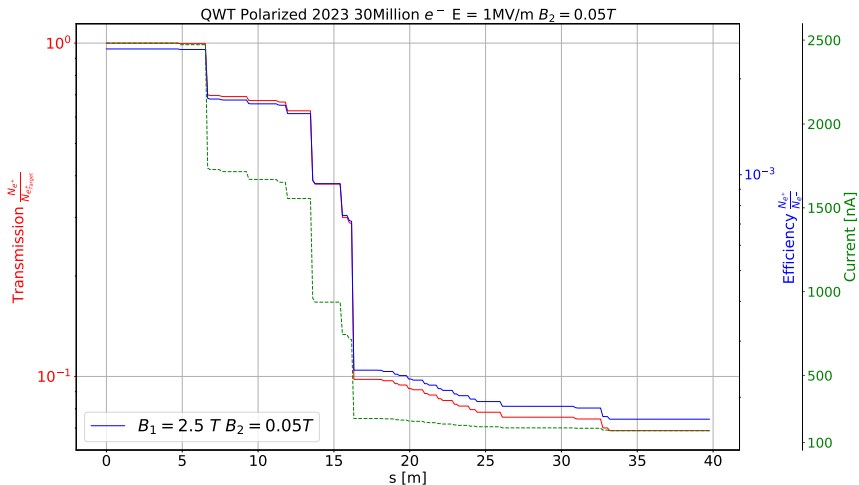
Beam size

QWT Polarized 2023 30Million e^- $E = 1\text{MV/m}$ $B_2 = 0.05\text{T}$ 

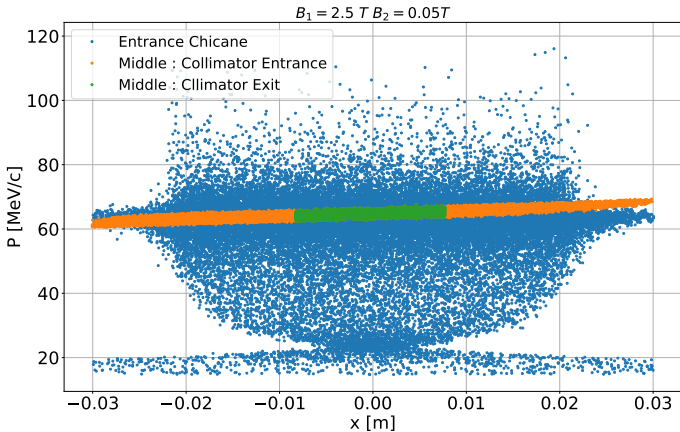
Normalized emittance



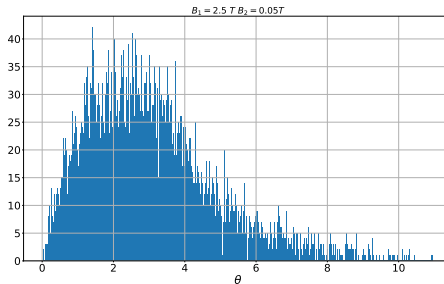
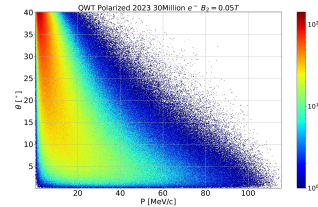
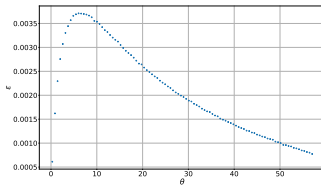
Transmission and current



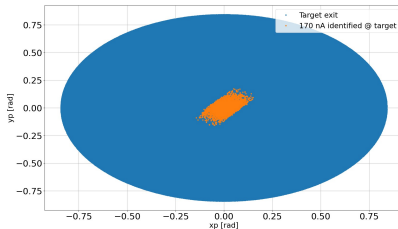
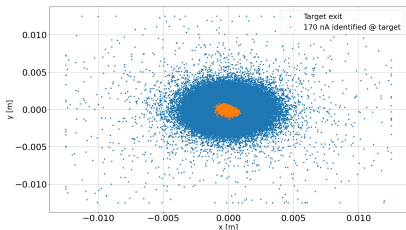
Momentum collimation



Angular distribution



Transverse space



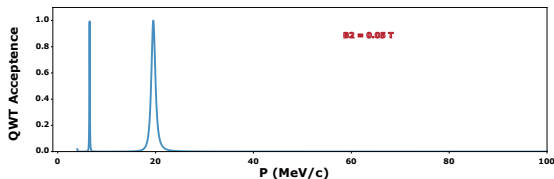
- The transmitted positrons are within the acceptance of the QWT
- $p_t^{QWT} = \frac{eB_1 R}{2} = 10.31^\circ$
- $r_0^{QWT} = \frac{B_2}{B_1} R = 0.6 \text{ mm}$

Un-Polarized mode: Positron Capture

- Reduce the magnetic field in the first solenoid.
- Rotate the transverse phase space (x, x_p) and (y, y_p) at the exit of the QWT.
- Use the same QWT as an energy filter.
- QWT acceptance :
 - Radial acceptance

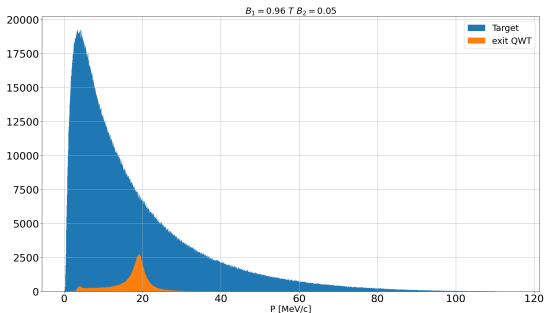
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$$p_t^{QWT} = \frac{eB_1 R}{2}$$
- $L_1 = 0.24 \text{ cm}$: Short solenoid length
- $B_1 = 0.96 \text{ T}$: Magnetig field over L_1
- $R = 3 \text{ cm}$: Accelerator aperture



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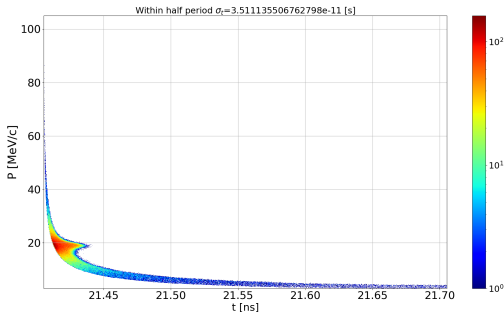


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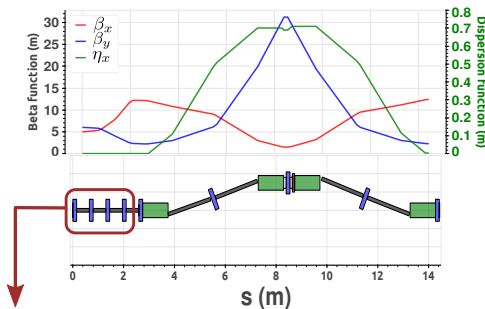
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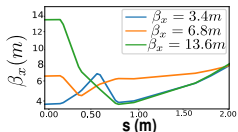
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Momentum collimation



Matching section

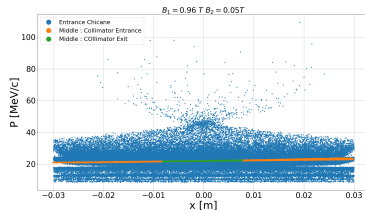


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- Minimum beam size condition:

$$\beta_x = \beta_{x_{MIN}} \rightarrow \alpha_x = 0$$



Longitudinal optimization

- The longitudinal energy spread dp/p is reduced by accelerating from 22 MeV/c to 123 MeV/c.
- The accelerating section is utilized to produce the required energy chirp.
- The same compression chicane is employed to effectively reduce bunch length.

