



# Recent Results from Daya Bay

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**On behalf of the Daya Bay collaboration**

SLAC FPD seminar, Feb 21, 2023

- Overview of the Daya Bay Experiment
- Oscillation analysis with full dataset
- Highlights of other results (as time allows)
  - Measurement of high-energy reactor antineutrinos
  - Search for a light sterile neutrino
  - Reactor flux, spectrum, and fuel evolution
  - Neutrinos correlated with gravitational waves
  - Seasonal variation of atmospheric muon flux

# Overview of Daya Bay

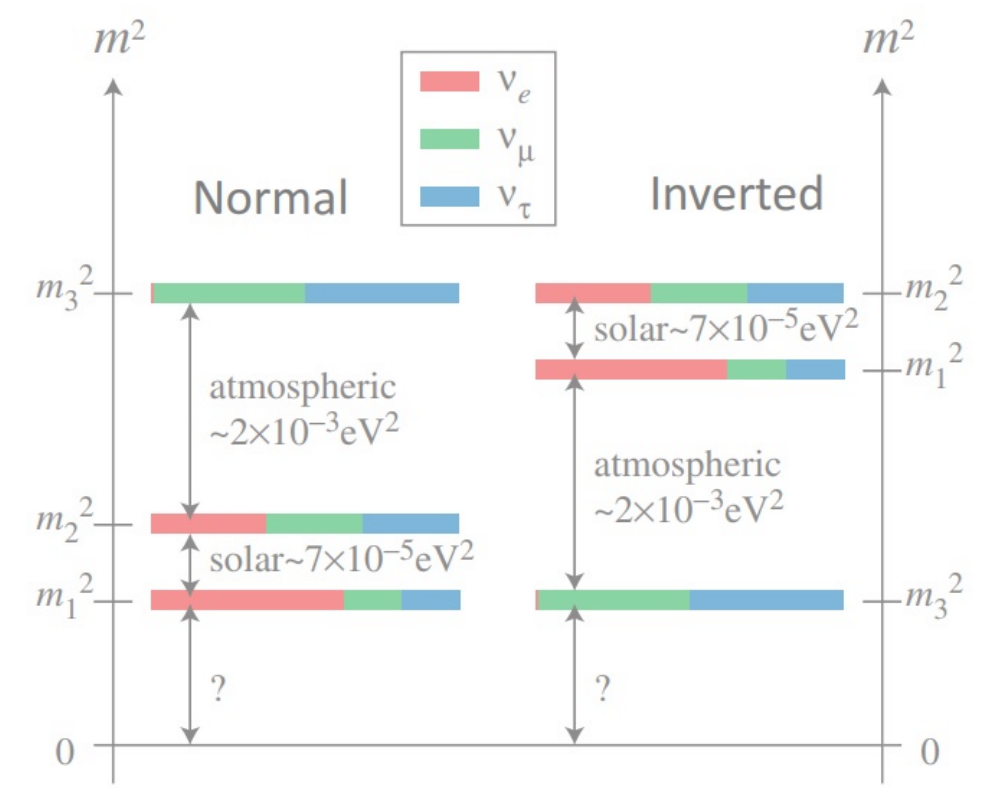
$\begin{pmatrix} \cos \theta_{12} & \sin \theta_{12} & 0 \\ -\sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix}$ <p>Solar / Long baseline reactor</p>	$\begin{pmatrix} \cos \theta_{13} & 0 & \sin \theta_{13} e^{i\delta} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{i\delta} & 0 & \cos \theta_{13} \end{pmatrix}$ <p>Short baseline reactor / Long baseline accelerator</p>	$\begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix}$ <p>Atmospheric / Long baseline accelerator</p>	$\begin{pmatrix} 1 & 0 & 0 \\ 0 & e^{-i\alpha_1/2} & 0 \\ 0 & 0 & e^{-i\alpha_2/2} \end{pmatrix}$ <p>Neutrinoless double beta decay</p>
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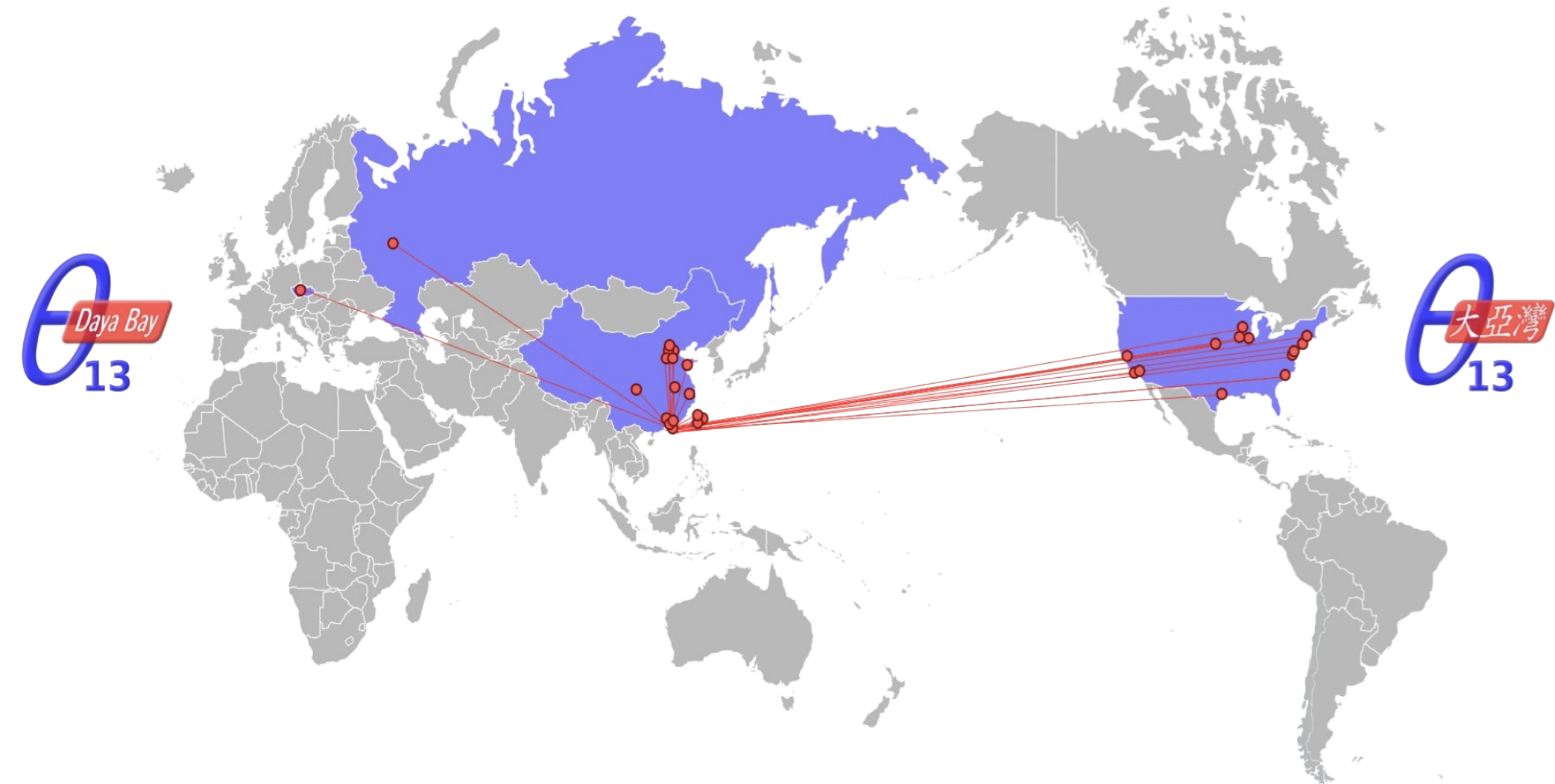
$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = U_{\text{PMNS}} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

$$\begin{aligned}
 P_{\text{sur}} &= 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21} \\
 &\quad - \sin^2 2\theta_{13} (\cos^2 \theta_{12} \sin^2 \Delta_{31} + \sin^2 \theta_{12} \sin^2 \Delta_{32}) \\
 &\equiv 1 - \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21} \\
 &\quad - \sin^2 2\theta_{13} \sin^2 \Delta_{ee} \quad \Delta_{ji} \equiv \Delta m_{ji}^2 L / 4E
 \end{aligned}$$

$$\Delta m_{ee}^2 \simeq \cos^2 \theta_{12} |\Delta m_{31}^2| + \sin^2 \theta_{12} |\Delta m_{32}^2|$$

$$\begin{aligned}
 |\Delta m_{31}^2| &\simeq \Delta m_{ee}^2 \pm 2.3 \times 10^{-5} \text{ eV}^2 \\
 |\Delta m_{32}^2| &\simeq \Delta m_{ee}^2 \mp 5.2 \times 10^{-5} \text{ eV}^2
 \end{aligned}$$





**3 continents, ~200 collaborators, ~40 institutions**

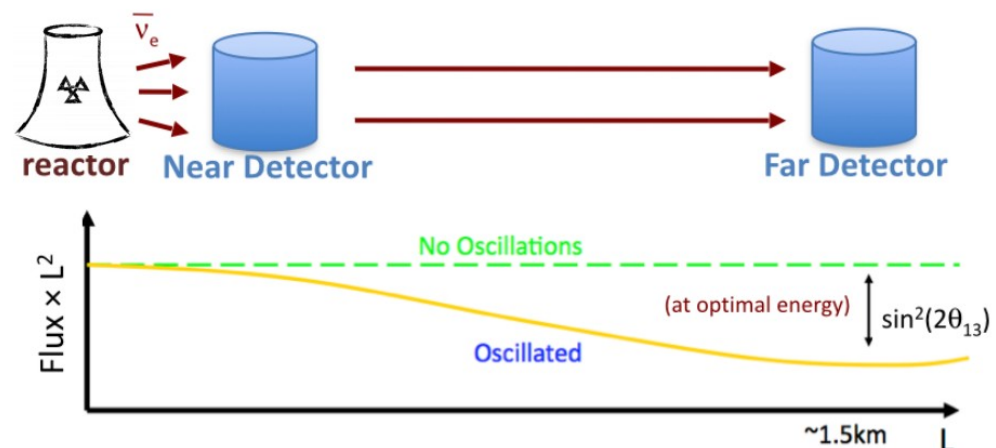
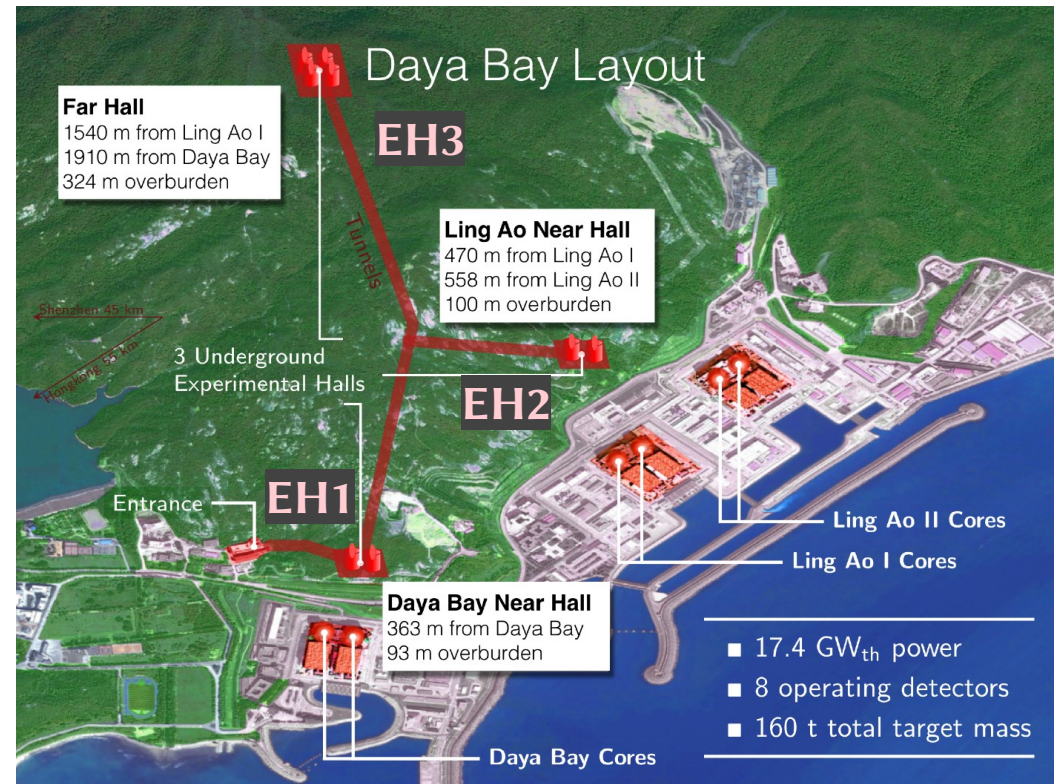
One of the world's most powerful nuclear power complexes and most intense antineutrino sources:

- Three plants (Daya Bay, Ling Ao I, Ling Ao II)
- Each plant: Two 2.9 GW<sub>th</sub> pressurized water reactors
- Total power of 17.4 GW<sub>th</sub>  $\Rightarrow$   $\sim 4 \times 10^{21} \bar{\nu}_e / \text{s}$
- Power company provides time series data on power, burnup, fission fractions, etc.

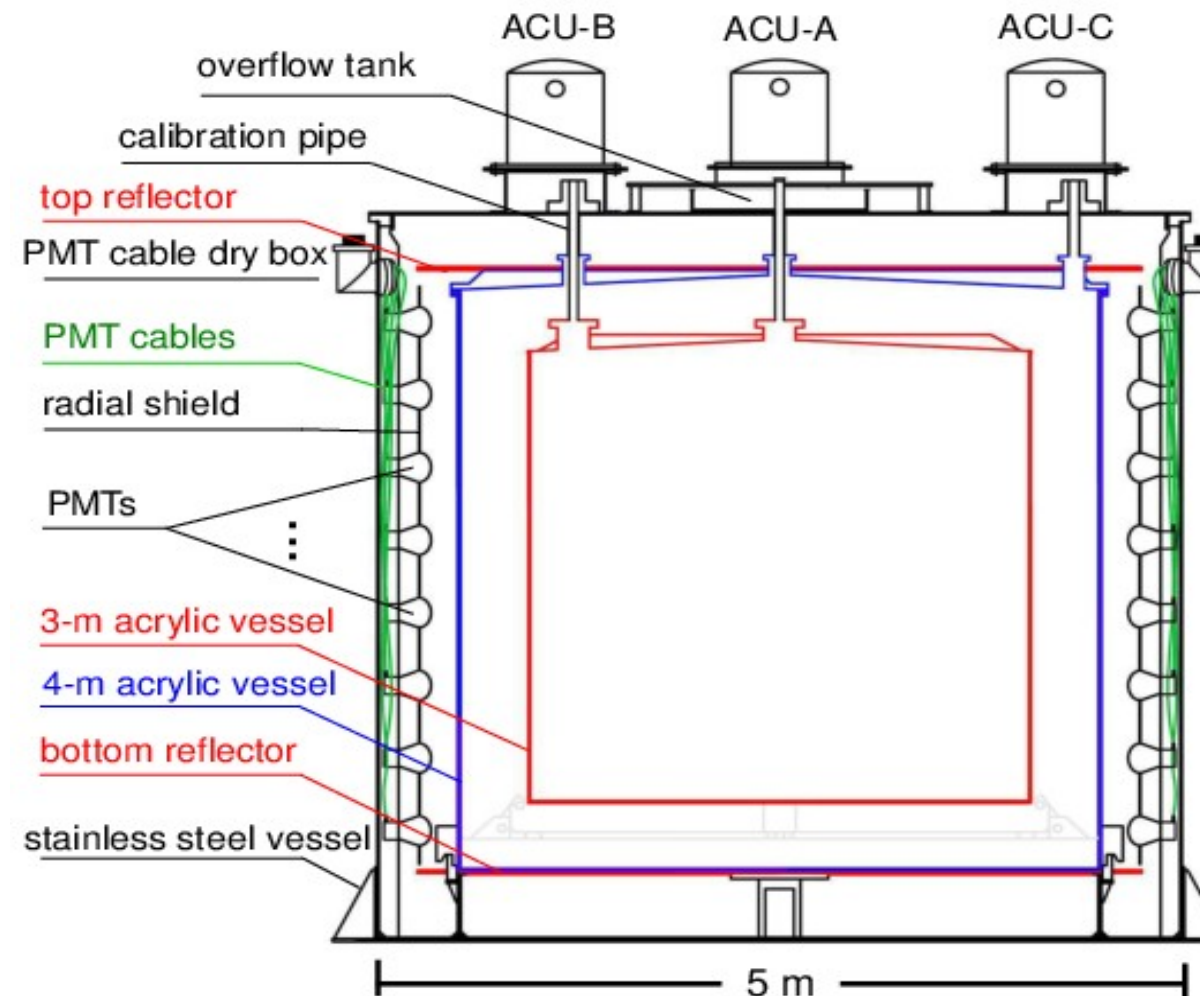


Primary goal: Measure  $\theta_{13}$  (and  $\Delta m^2_{ee}$ ) via the short-baseline disappearance of reactor antineutrinos

- **High statistics:** Powerful reactors, multiple large detectors
- **Low background:** Mountain overburden, radiopure materials, muon veto
- **Low systematics:** Near/far measurement essentially cancels (correlated) efficiency and reactor uncertainties
- **Optimal layout:** Far hall at disappearance maximum



# Antineutrino detectors (ADs)



**3 m inner acrylic vessel** contains target mass: ~20 metric tons of 0.1% Gd-doped liquid scintillator

**4 m outer acrylic vessel** contains ~21 tons of undoped liquid scintillator to reduce inefficiency resulting from energy leakage from target

**5 m stainless steel vessel** contains ~40 tons of mineral oil for shielding, **192 8" PMTs** on walls for light detection

Three **Automated Calibration Units (ACUs)** on top for deployment of calibration sources

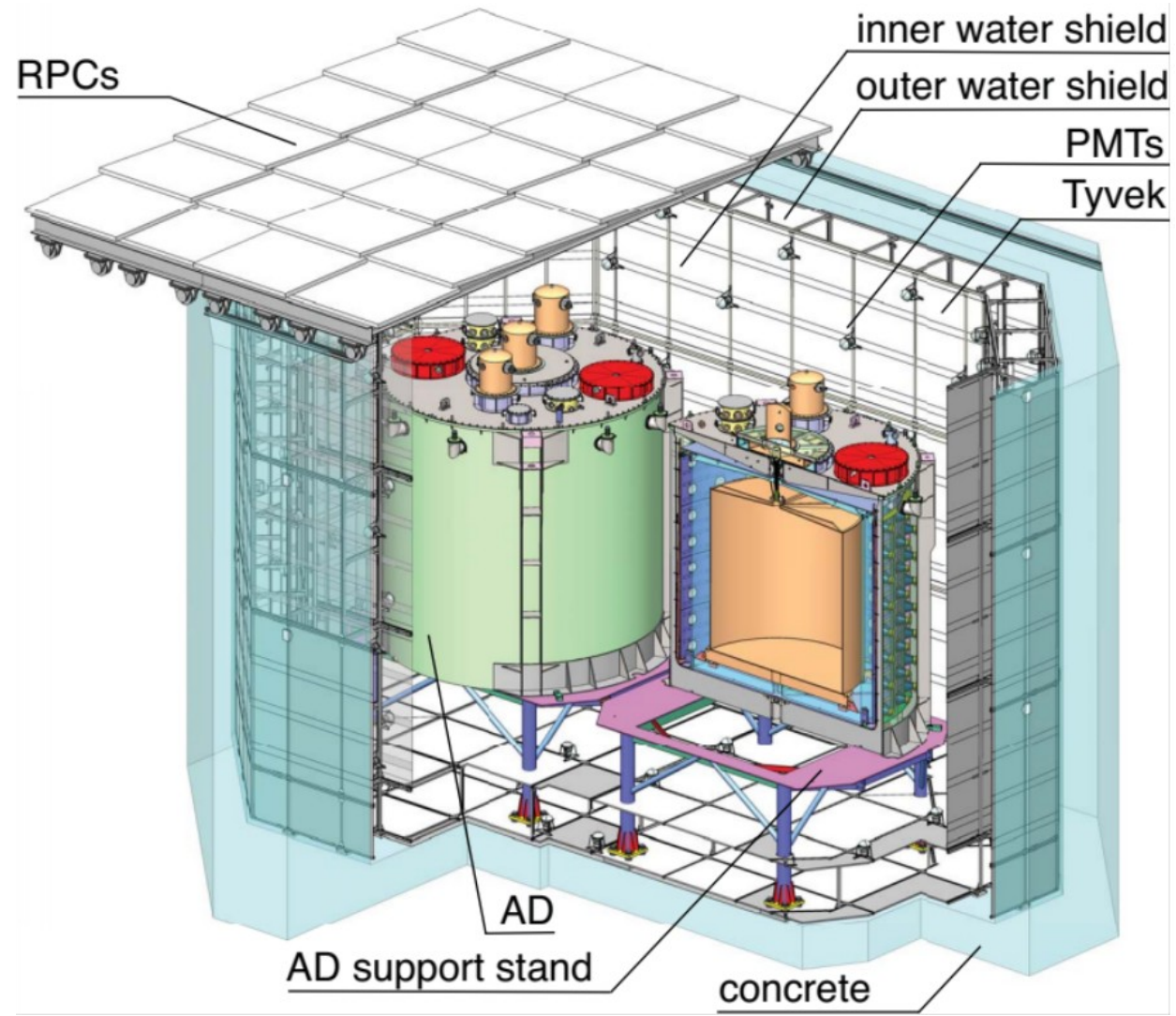


Water pools (WPs) provide shielding against cosmic-ray muons, secondary neutrons, etc.

WPs are instrumented with PMTs, providing a muon veto system via detection of Cherenkov light

WPs are divided into inner and outer pools, optically and electronically isolated

Resistive plate chambers (RPCs) above WPs enable auxiliary studies of muons and associated backgrounds



Antineutrinos are detected via **inverse  $\beta$  decay (IBD)**:

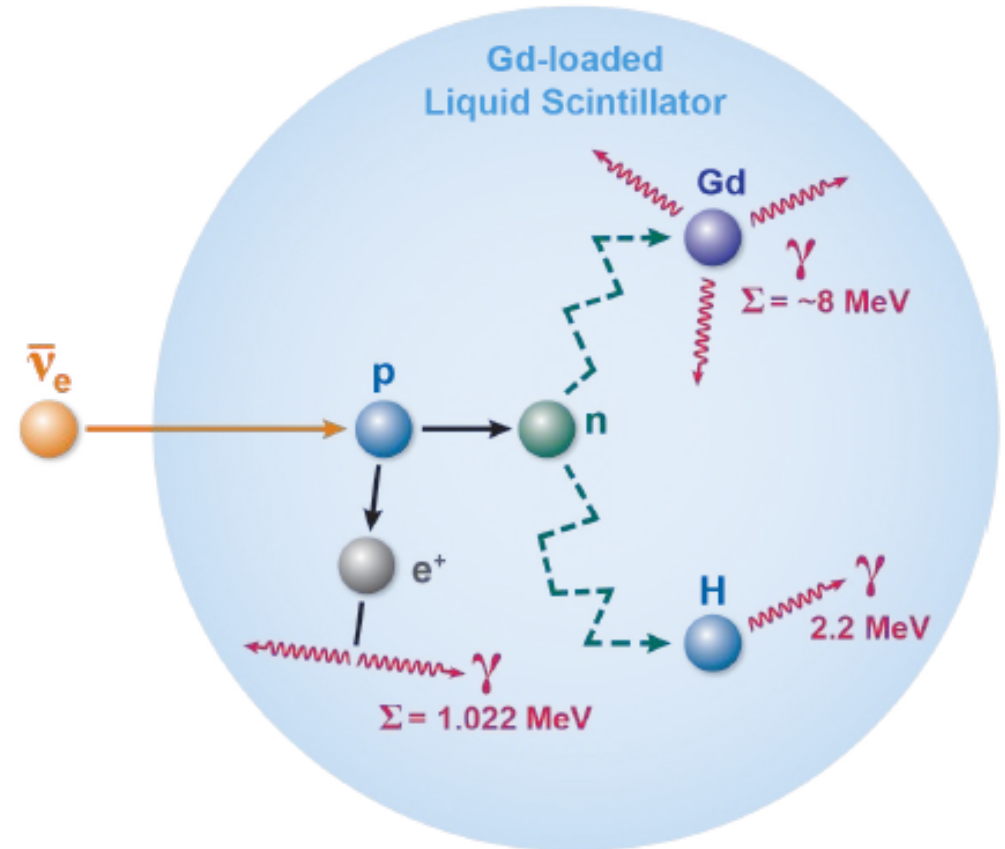
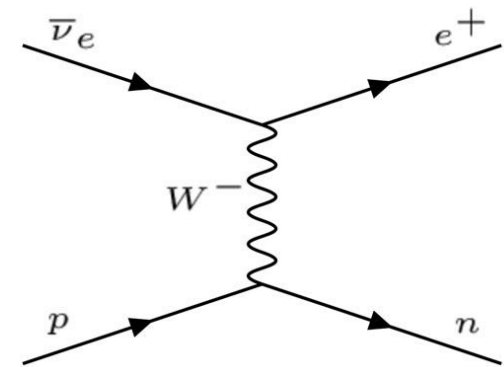


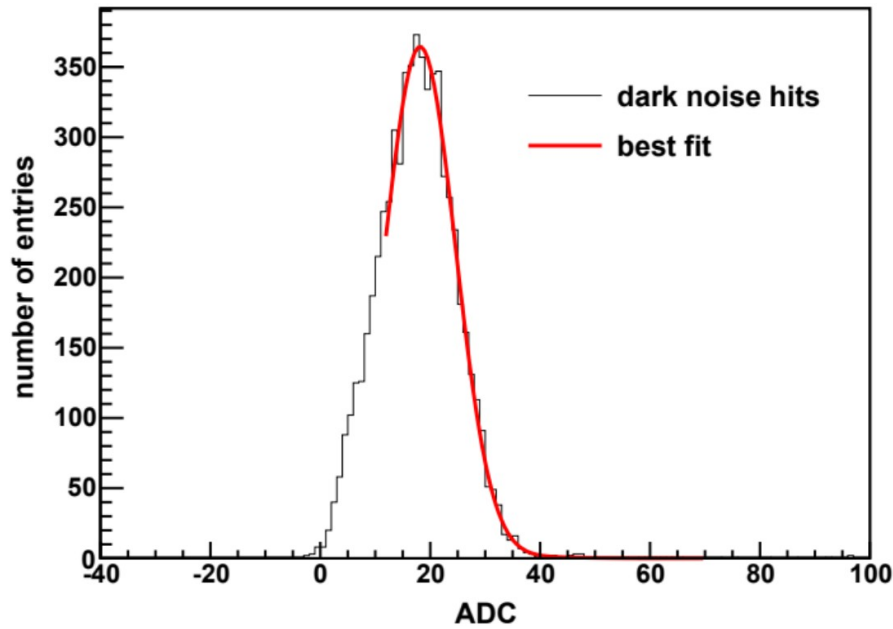
After an average of 28  $\mu$ s, the neutron is captured on Gd, resulting in  $\sim 8$  MeV of deexcitation gamma-rays. The coincident pulses provide a clean experimental signature, where

$$E_{\nu} \approx K_{e^+} + 1.8 \text{ MeV.}$$

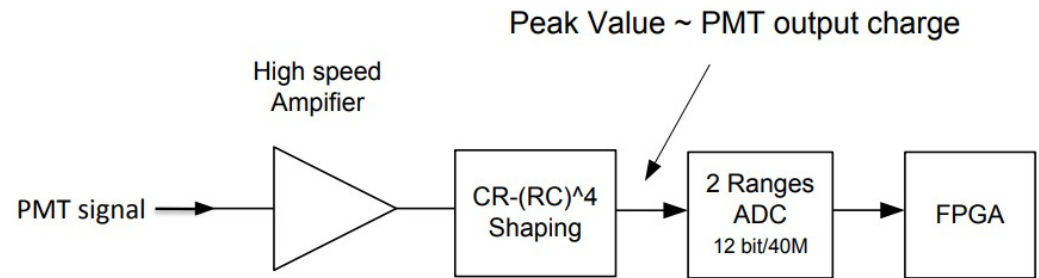
In terms of reconstructed (“prompt”) energy (including annihilation  $\gamma$ ’s),

$$E_{\nu} \approx E_{\text{prompt}} + \mathbf{0.8 \text{ MeV}}$$

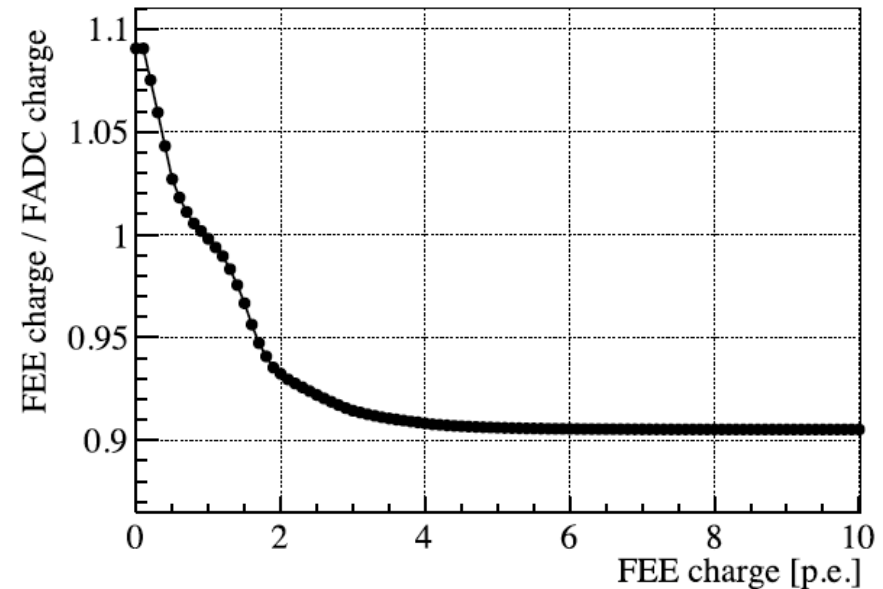
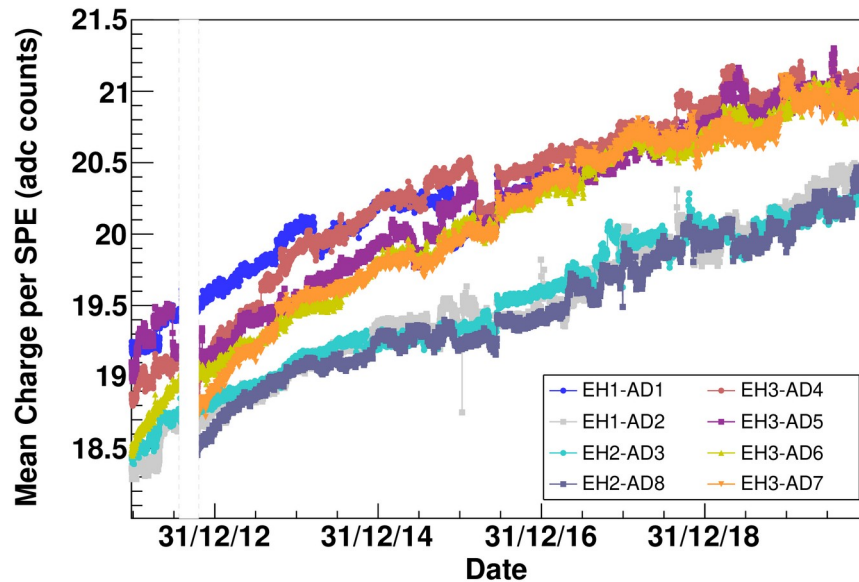




Gain (ADCs/photoelectron) measured by fitting single photoelectron peak from dark noise

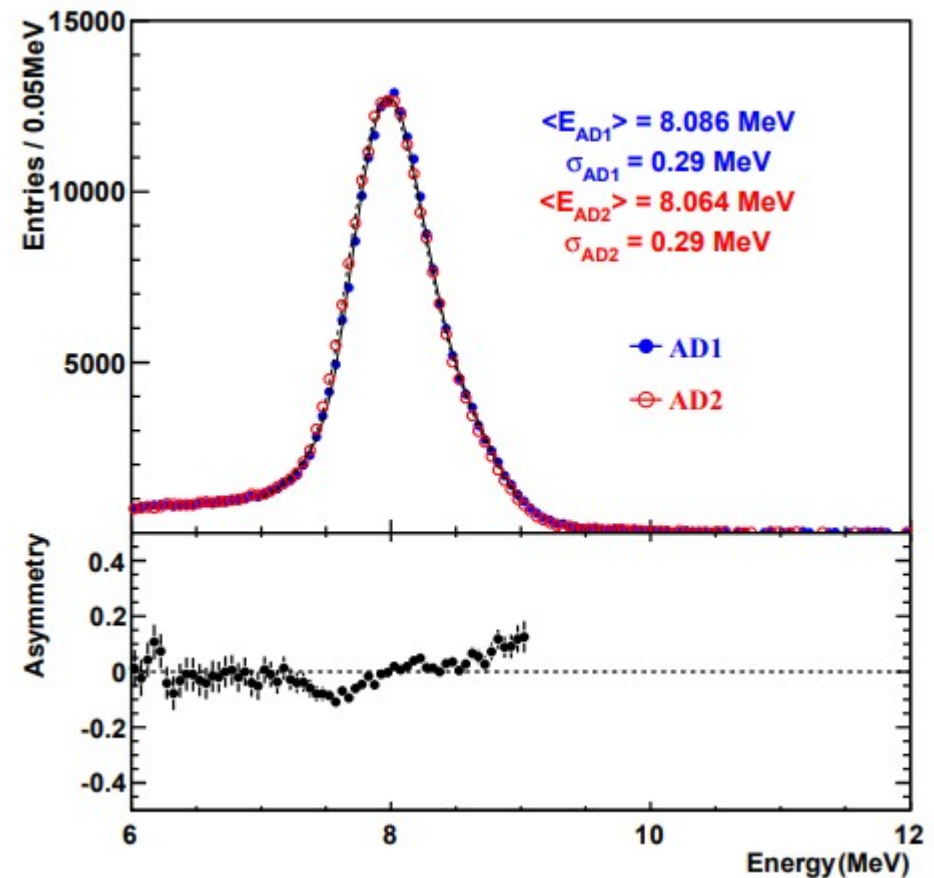
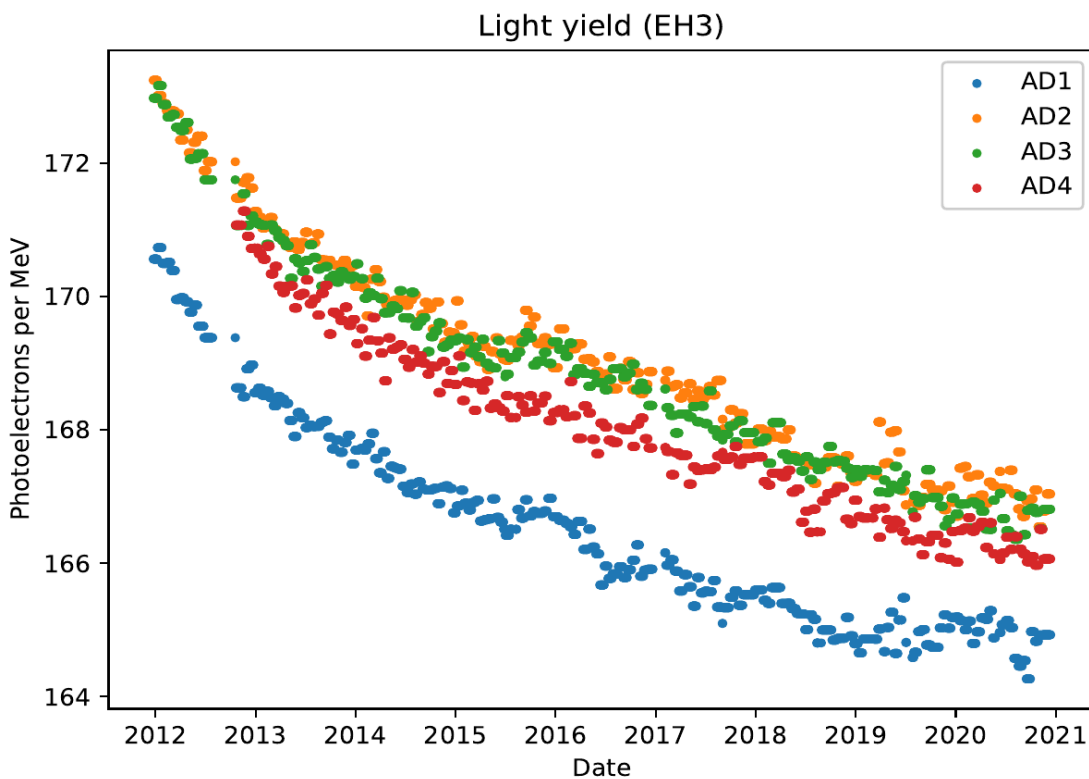


Nonlinearity of front-end electronics (FEE) corrected channel-by-channel (new in this analysis)

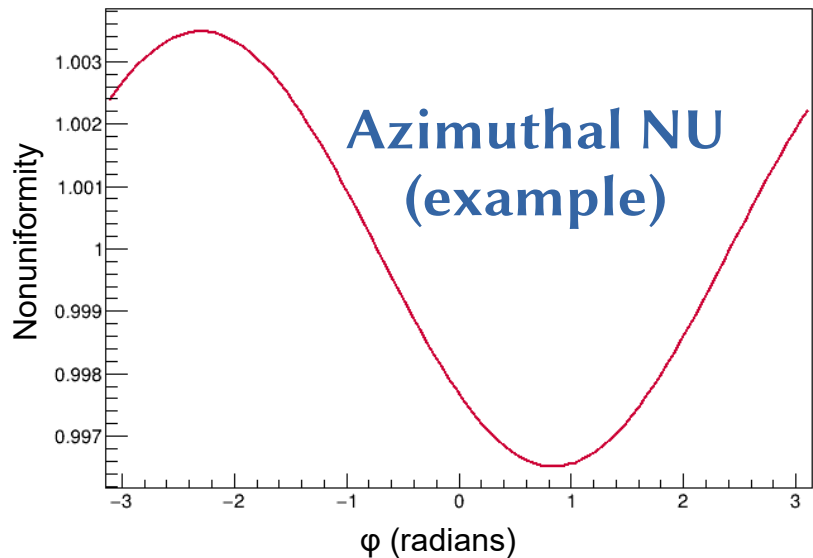
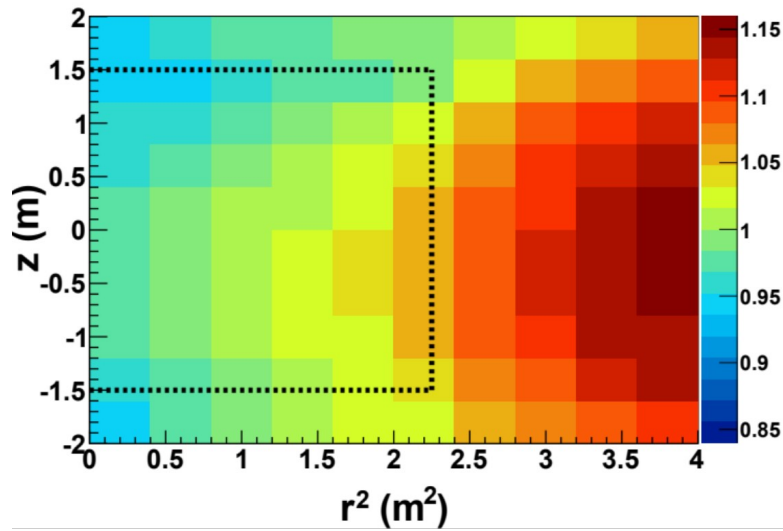


Energy scale (photoelectrons/MeV) determined from fit to energy spectrum of spallation neutron captures on Gd following energetic muons

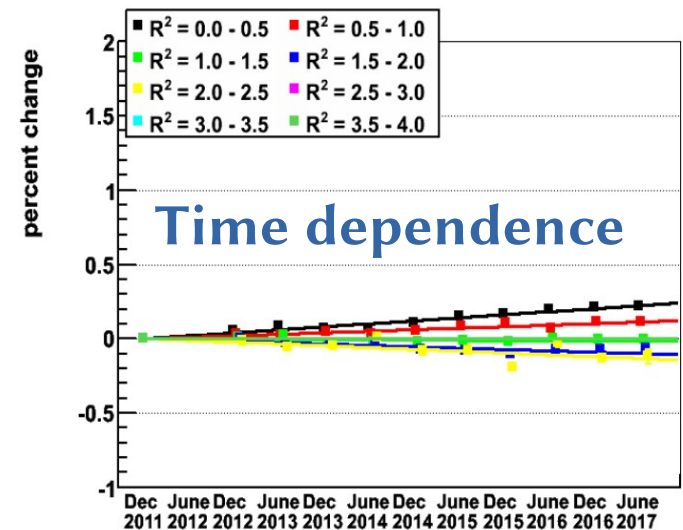
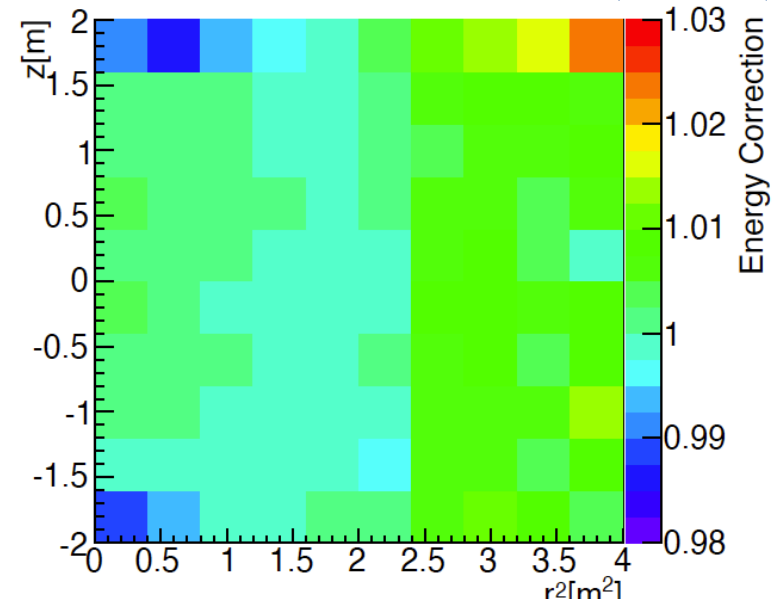
Downward trend consistent with scintillator degradation



## Nonuniformity from spallation neutrons

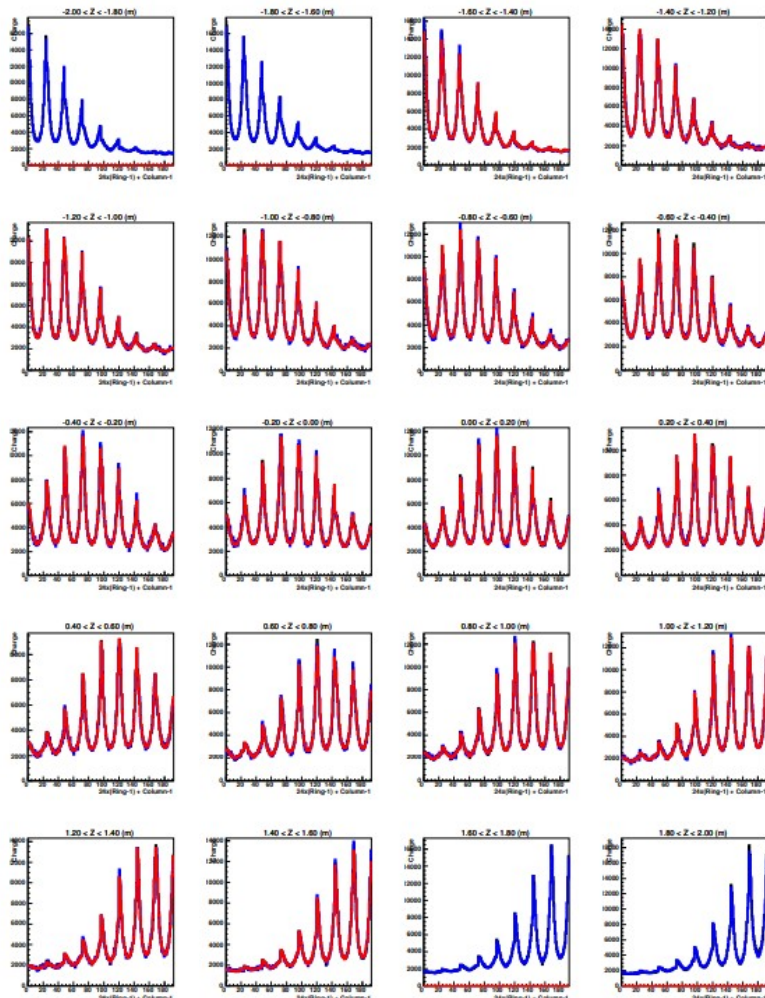


## Add'l correction from improved NU measurement w/ $\alpha$ 's (NEW)

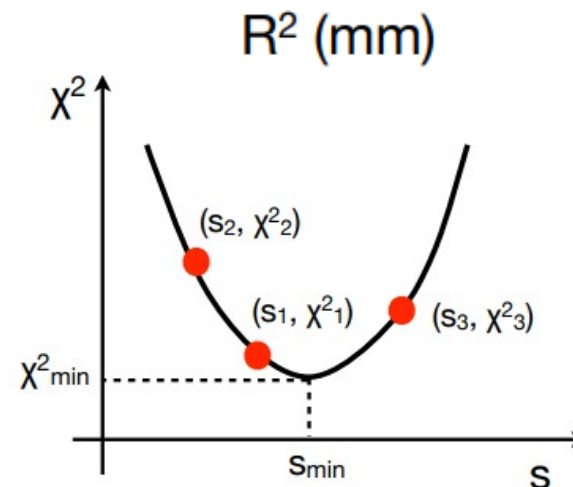
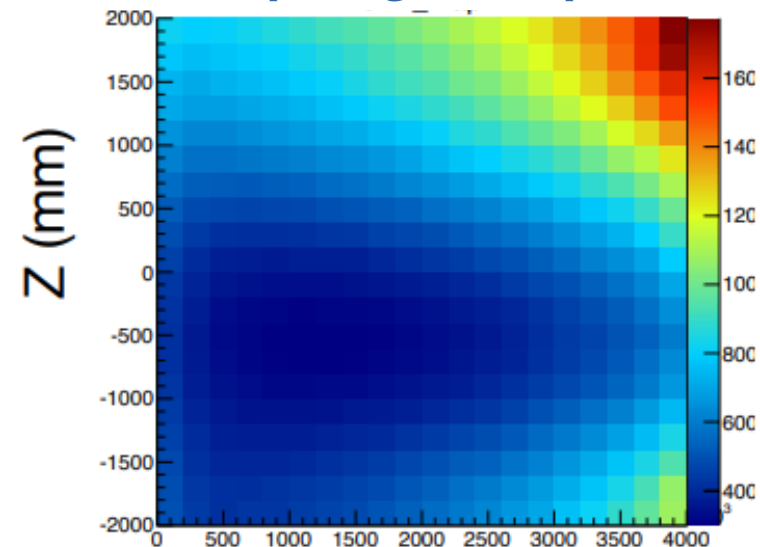


To correct for nonuniformity, need position of vertex. Use a **library of charge templates** from MC.

## Some example templates



## Example event: $\chi^2$ map from comparing to templates



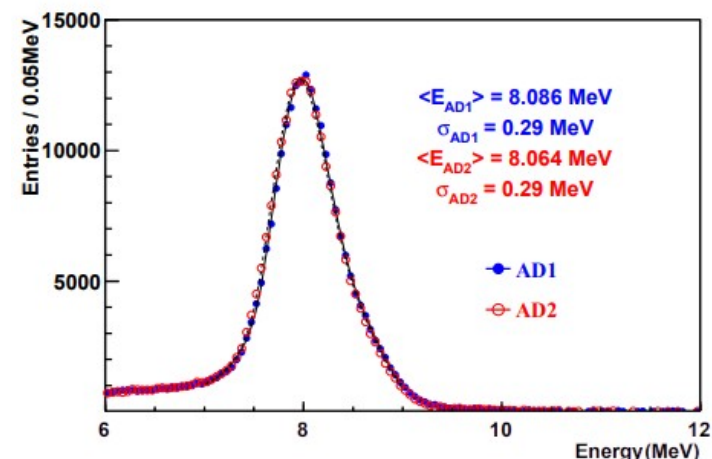
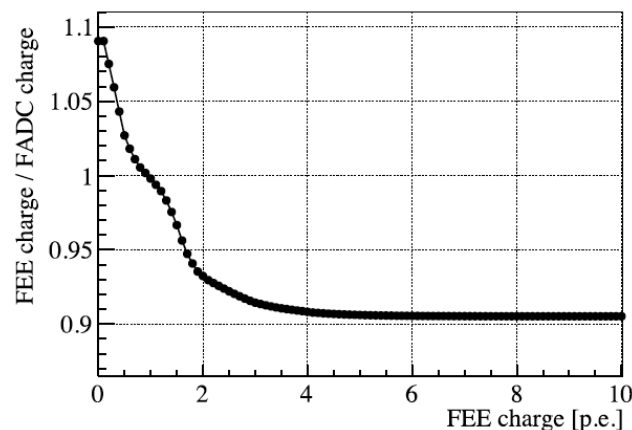
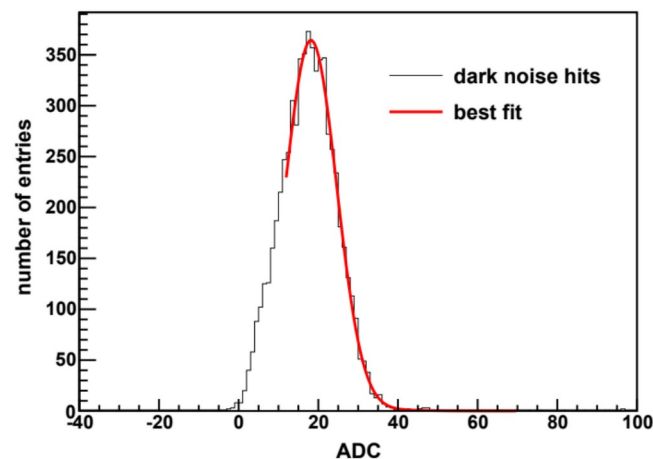
Finally,  
interpolate

# Reconstructed energy

Gain calibration (ADC counts per photoelectron) from dark noise

Channel-by-channel correction for electronics nonlinearity (NEW)

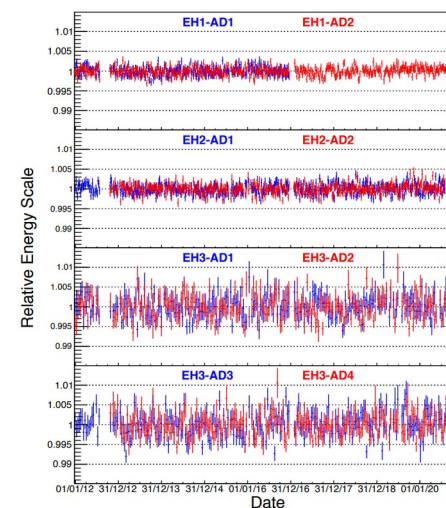
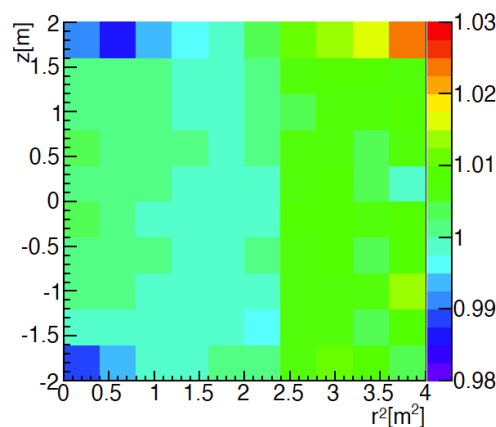
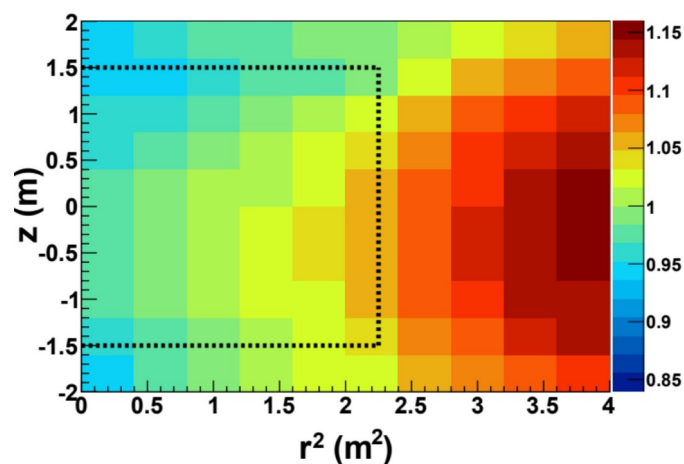
Energy scale calibration (photoelectrons per MeV) from spallation neutrons



Nonuniformity correction from spallation neutrons

Additional correction based on  $\alpha$ 's (NEW)

End result: Stable and consistent reconstructed energy



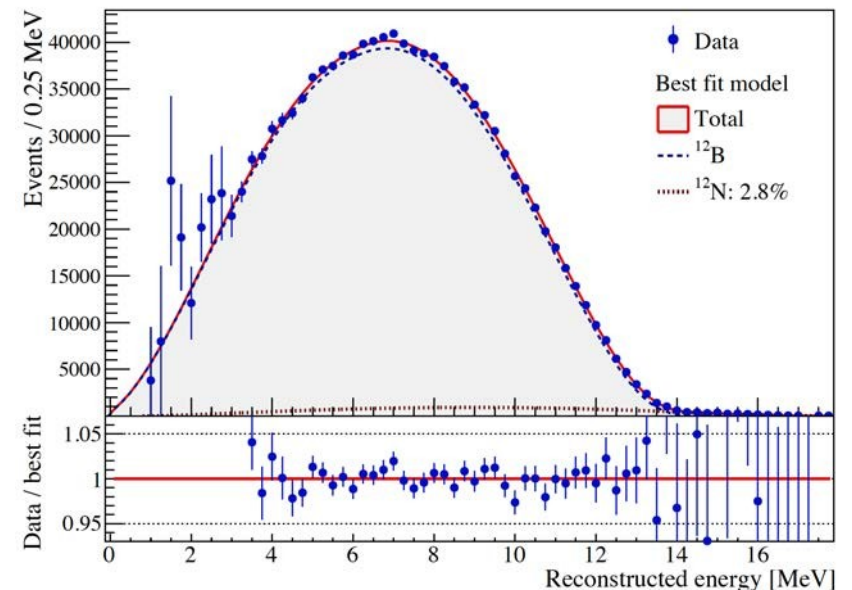
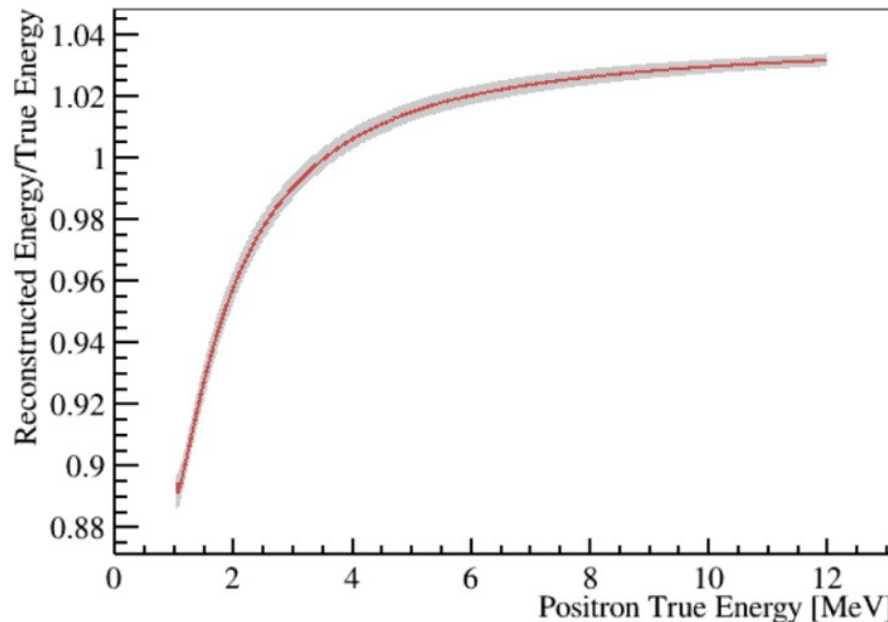
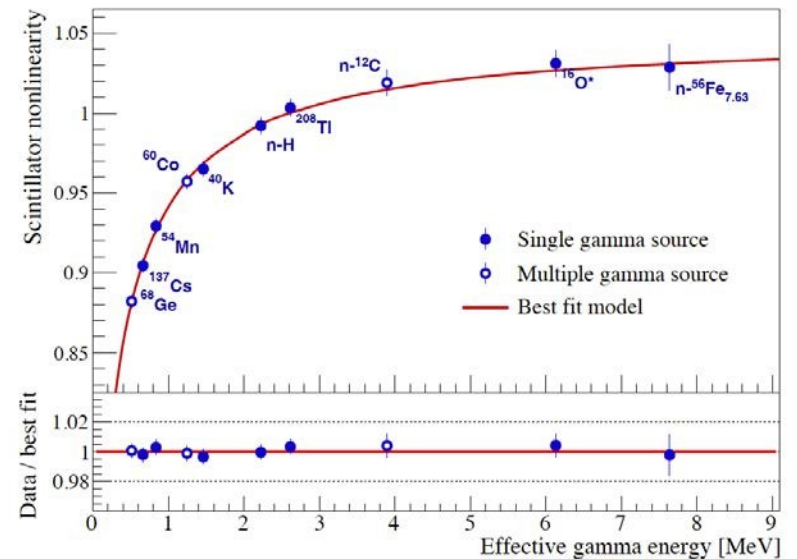
# Antineutrino energy

Take reconstructed energy, apply correction for scintillator nonlinearity (NL), get “true” deposited energy ( $e^+$  ionization + annihilation)

NL correction derived from calibration data, cross-checked with cosmogenic beta spectra

Antineutrino energy (for oscillation analysis) follows from kinematics:

$$E_\nu \approx E_{\text{true}} + 0.8 \text{ MeV}$$

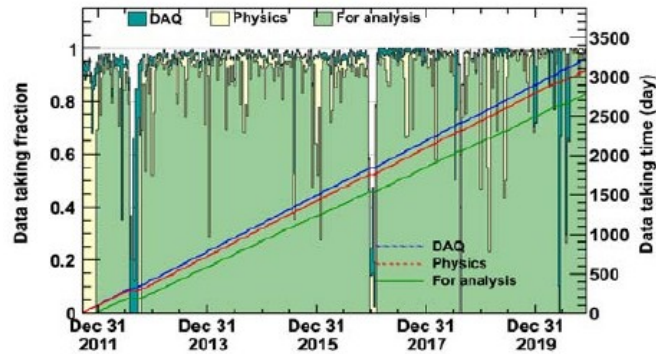




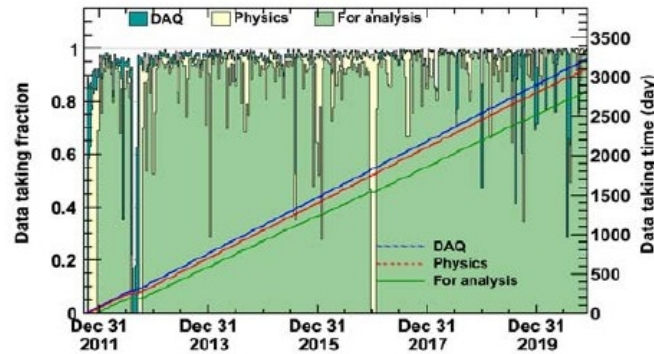
*Oscillation analysis  
with full dataset*

# Full dataset!

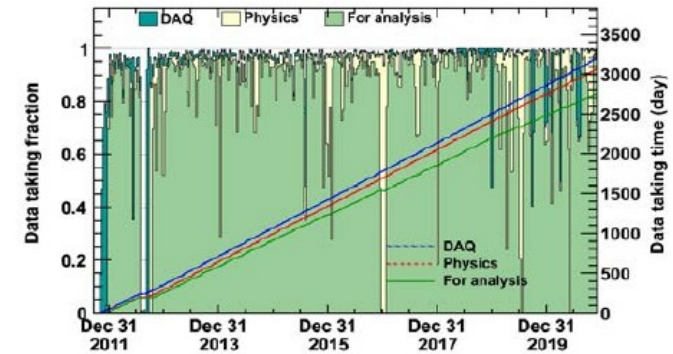
### EH1



### EH2



### EH3



Configuration	EH1	EH2	EH3	Start date – end date	Duration (days)
6-AD	2	1	3	24 Dec 2011 – 28 July 2012	217
8-AD	2	2	4	19 Oct 2012 – 21 Dec 2016	1524
7-AD	1	2	4	26 Jan 2017 – 12 Dec 2020	1417
<b>Total</b>					<b>3158</b>

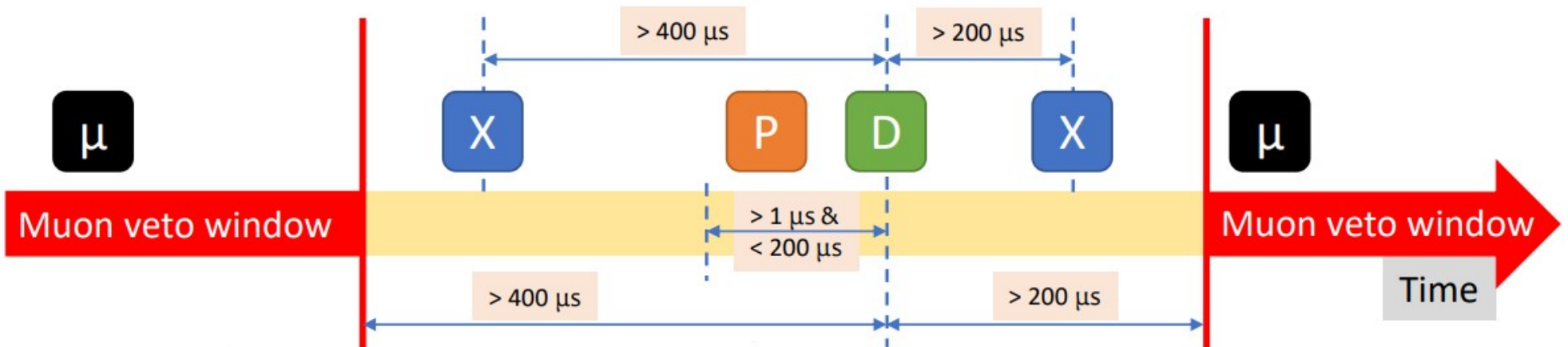
~2700 days of data in “good run list”; ~5.5 million antineutrinos

# IBD selection

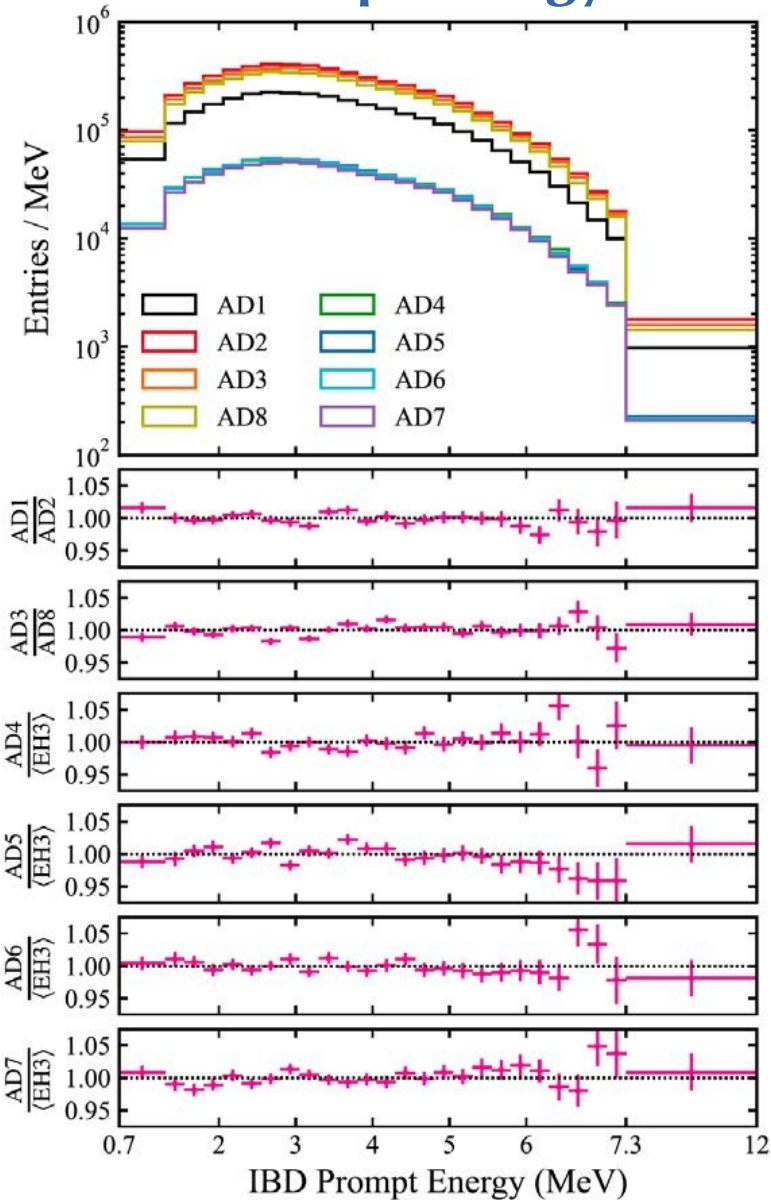
P = Prompt-like signal; D = Delayed-like signal; X = Non-muon signal

Muon veto	Water pool muon	Veto $[-2 \mu\text{s}, 200 \mu\text{s}]$ after $\text{NHIT} > 12$ in OWS or IWS		
	AD muon	Veto $[-2 \mu\text{s}, 1 \text{ms}]$ after $> 20 \text{MeV}$ signal in AD		
	AD shower	Veto $[-2 \mu\text{s}, 0.4 \text{s}]$ after $> 2 \text{GeV}$ signal in AD		
	IWS muon veto	Veto $[-2 \mu\text{s}, 10 \mu\text{s}]$ after $6 < \text{NHIT} \leq 12$ in IWS		
Flasher cut		Standard, DocDB-7424		Residual, DocDB-12462
Energy cut		$0.7 \leq P \leq 12 \text{ MeV}$	$6 \leq D \leq 12 \text{ MeV}$	$0.7 \leq X \leq 20 \text{ MeV}$
Decoupled Multiplicity Cut (DMC)	Full DMC for post-6AD period	Each D	One P within $(-200 \mu\text{s}, -1 \mu\text{s})$ && no X within $(-400 \mu\text{s}, 200 \mu\text{s})$	
			Time to last muon veto window $> 400 \mu\text{s}$	
			Time to next muon veto window $> 200 \mu\text{s}$	

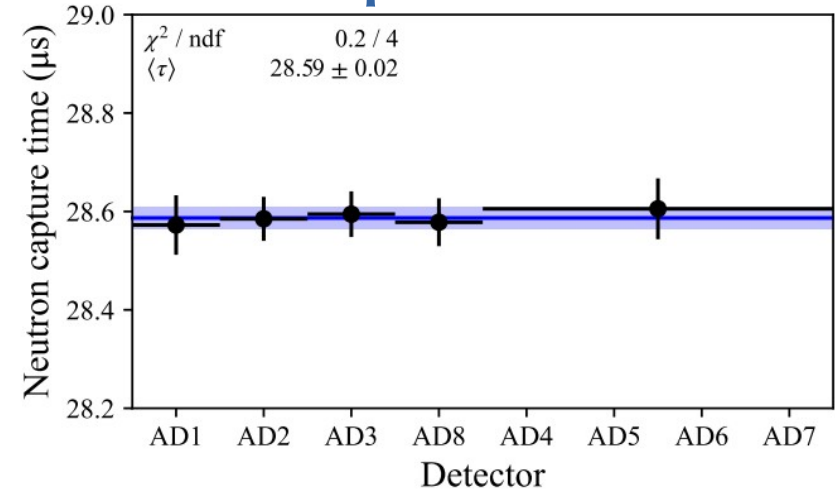
(NEW)



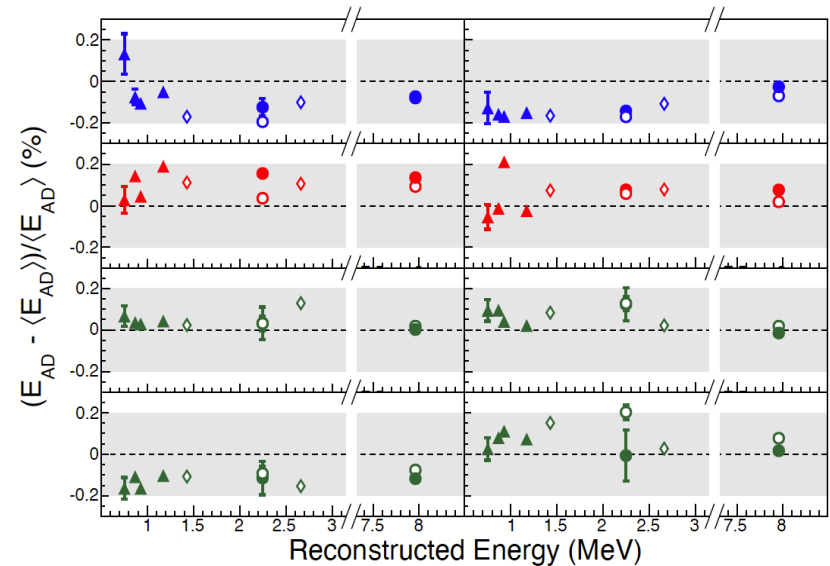
## Prompt energy



## Capture time



## Energy scale



## Muon veto efficiency

$$T_\mu = T_{un-vetoed} - N_{un-vetoed} \cdot 600\mu s$$

$$\epsilon_\mu = \frac{T_\mu}{T_{before}}$$

Total time outside veto windows

# of unvetoed periods > 600  $\mu s$

Total livetime ("before" vetoing)

## Decoupled multiplicity cut (DMC) efficiency

$$\begin{aligned} \epsilon_{DMC} &= P(0; R_x \cdot 400\mu s) \cdot P(0; R_x \cdot 200\mu s) \\ &= e^{-R_x \cdot 600\mu s} \end{aligned}$$

## Other efficiencies:

- Equal among ADs in Asimov case
- AD-uncorrelated uncertainties included in fit via pull terms.
- Correlated uncertainties do not affect the oscillation analysis

Description	Efficiency	Uncertainty	
		Correlated	Uncorrelated
Protons per AD		0.0092	0.0003
Gd capture ratio	0.8417	0.0095	0.001
Spill-in	0.0486	0.01	0.00019
Delayed energy cut	0.9271	0.0097	0.00072
Prompt energy cut	0.9981	0.001	0.0001
Capture time cut	0.987	0.0012	0.0002
Flasher cut	0.9998	0.0001	0.00013
Total	0.802484	0.01927	0.00132

*Backgrounds*

- **Flashers:** Light emission from PMTs
  - Single triggers, not pairs. Removed in order to avoid excessive rate of accidentals.
- **Accidentals** (uncorrelated pairs)
- **${}^9\text{Li}/{}^8\text{He}$ :** “Long-lived” ( $\sim 100$  ms) cosmogenic isotopes. Can emit free neutron after  $\beta$  decay.
- **Fast neutrons:** Ejected by muons from surroundings. Prompt signal from proton recoils.
- **“Muon-X”:** Prompt signal from low-energy muons. Various delayed signals:
  - **Michel electron** from muon decay
  - **Neutron capture** from spallation
  - **Retrigger** from electronic ringing
- **${}^{241}\text{Am}{}^{13}\text{C}$  calibration source:** Pairs of gammas from neutron inelastic scattering followed by capture in detector materials
- **${}^{13}\text{C}(\alpha, n){}^{16}\text{O}$ :**  $\alpha$  from natural radioactivity followed by capture of ejected neutron

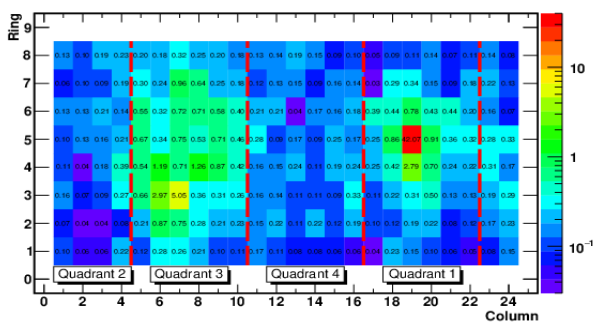
$$f_{\max} = \frac{Q_{\max}}{Q_{\text{tot}}} \quad f_{\text{quad}} = \frac{Q_{q3}}{Q_{q2} + Q_{q4}}$$

Flashers identified as events with  $f_{\text{ID}} > 0$ .

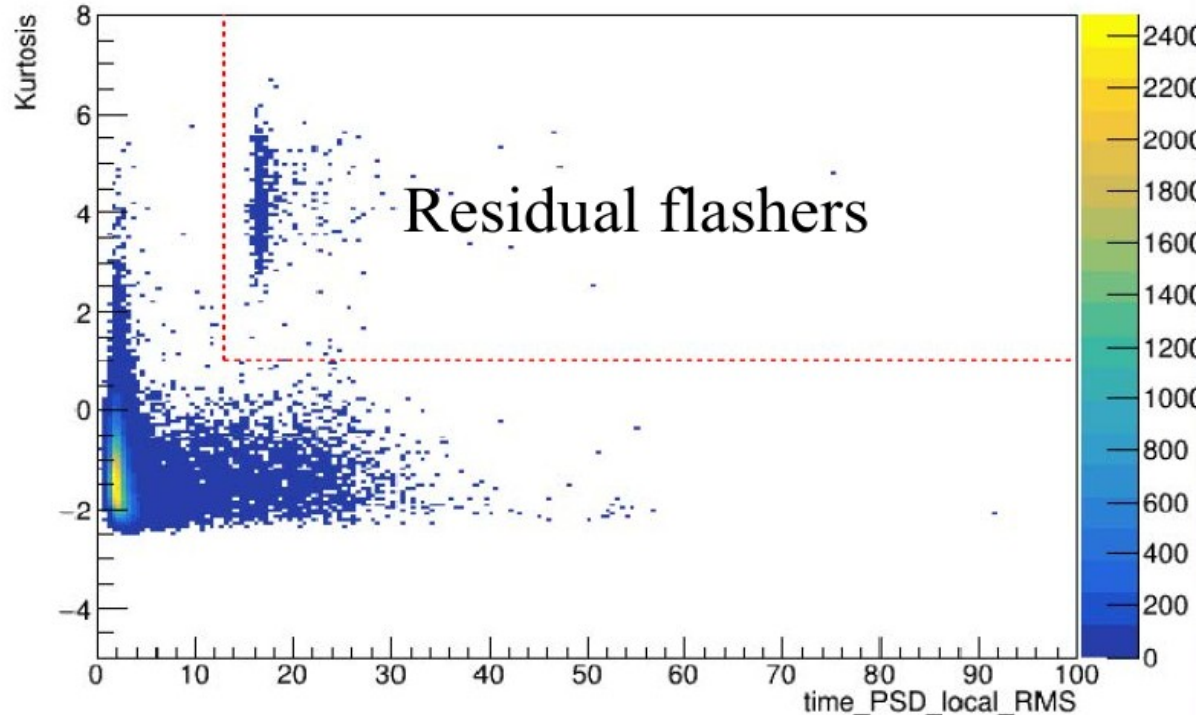
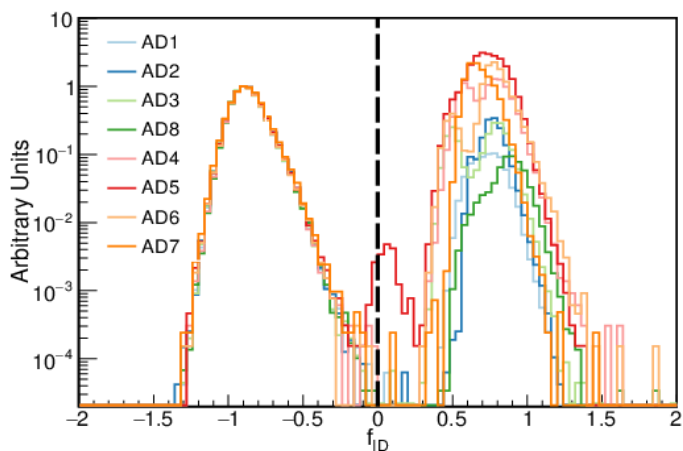
Additional flasher reduction using time distribution of PMT hits.

New “residual” flashers discovered in data added for this analysis, efficiently removed with new cut:

$$\text{time\_PSD\_local\_RMS} > 13 \ \&\& \ \text{Kurtosis} > 1$$



$$f_{\text{ID}} = \log_{10} \left[ f_{\text{quad}}^2 + \left( \frac{f_{\max}}{0.45} \right)^2 \right]$$





- Rate is calculated using rates of “prompt-like” and “delayed-like” isolated triggers (“singles”)
- Singles are selected analogously to IBDs, but requiring one trigger rather than two

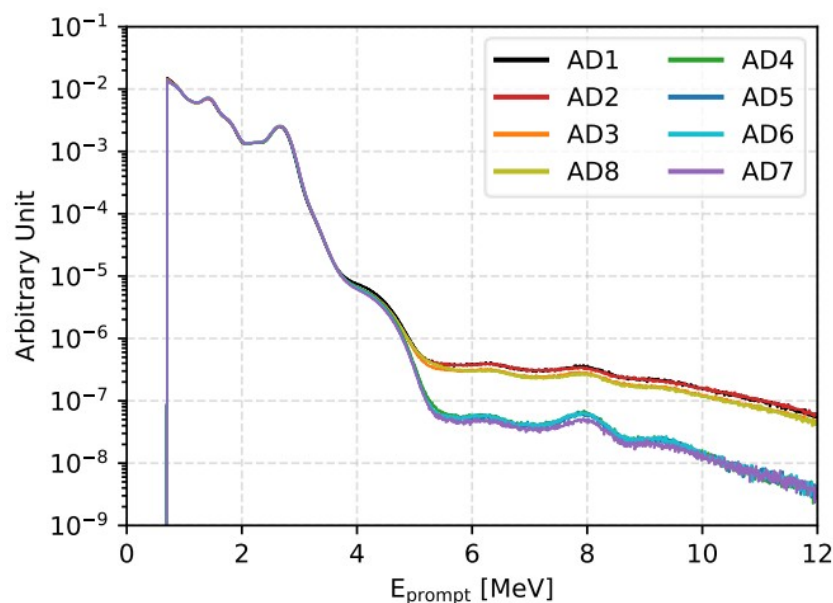
$$R_p = \frac{N_p}{T_\mu P(0, R_x \cdot 600\mu s)} = \frac{N_p}{T_\mu e^{-R_x \cdot 600\mu s}}$$

$$R_d = \frac{N_d}{T_\mu P(0, R_x \cdot 600\mu s)} = \frac{N_d}{T_\mu e^{-R_x \cdot 600\mu s}}$$

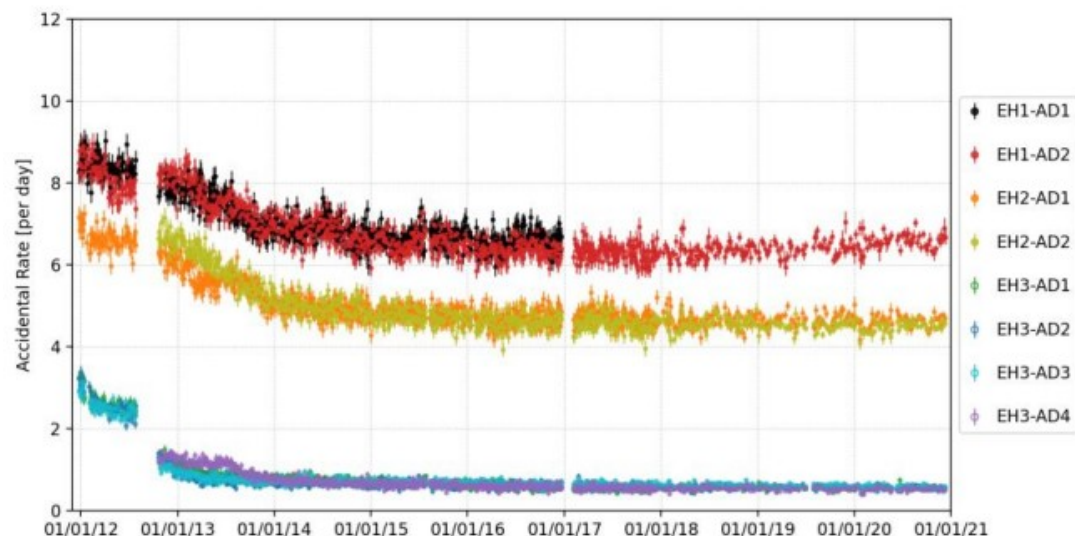
$$R_{acc} = P(0, 201\mu s \cdot R_x)P(0, 199\mu s \cdot (R_x - R_p))P(1, 199\mu s \cdot R_p)R_dP(0, 200\mu s \cdot R_x)$$

$$= 199\mu s \cdot R_p \cdot R_d \cdot e^{-600\mu s \cdot R_x},$$

Spectral shape (directly from singles selection)



Rate of accidentals over time



“Long-lived” ( $\tau_{1/2}^{\text{Li}} = 178.3 \text{ ms}$ ,  $\tau_{1/2}^{\text{He}} = 119.1 \text{ ms}$ ) isotopes produced by energetic muons. Daughters from  $\beta$  decay can break up, releasing a free neutron.

$\beta$  decay ( $Q_{\text{Li}} = 13.6 \text{ MeV}$ ,  $Q_{\text{He}} = 13.6 \text{ MeV}$ ) gives prompt signal, neutron capture gives delayed signal, mimicking an IBD.

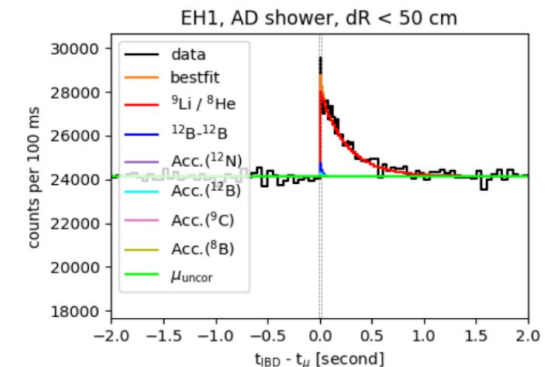
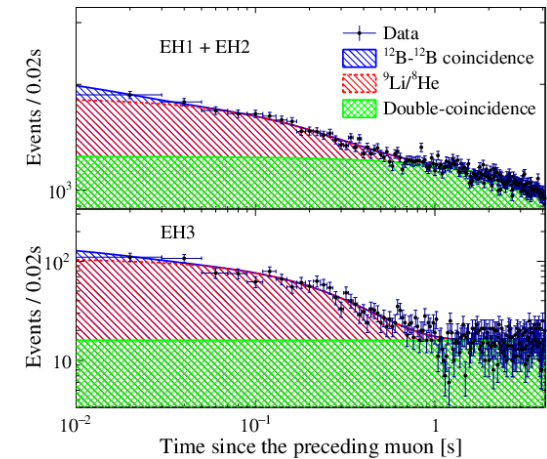
Can be statistically measured using time correlation to muons. Two methods:

- “Time-to-last-muon”: For each IBD candidates, fill a histogram with time to last muon (not necessarily parent muon), then fit:

$$f(t) = N_{\text{Li/He}}(r \cdot \lambda_{\text{Li}} \cdot e^{-\lambda_{\text{Li}}t} + (1-r) \cdot \lambda_{\text{He}} \cdot e^{-\lambda_{\text{He}}t}) + N_{\text{IBD}} \cdot R_{\mu} \cdot e^{-R_{\mu}t} + N_{\text{BB}} \cdot \lambda_{\text{BB}} \cdot e^{-R_{\text{BB}}t}$$

- “Time off-window method”: For each muon, fill a histogram with time difference to all nearby IBD candidates, then fit:

$$f(t) = N_{\text{Li/He}} \left( \frac{r}{\tau_{\text{Li}}} \cdot e^{-t/\tau_{\text{Li}}} + \frac{1-r}{\tau_{\text{He}}} \cdot e^{-t/\tau_{\text{He}}} \right) + N_{\text{BB}} \cdot \frac{2}{\tau_{\text{B}}} \cdot e^{-2t/\tau_{\text{B}}} + C$$



Problem: High muon rate at low muon energies  $\rightarrow$  can't get a good fit

Traditional solution is "neutron tagging": Only consider muons with a coincident neutron capture

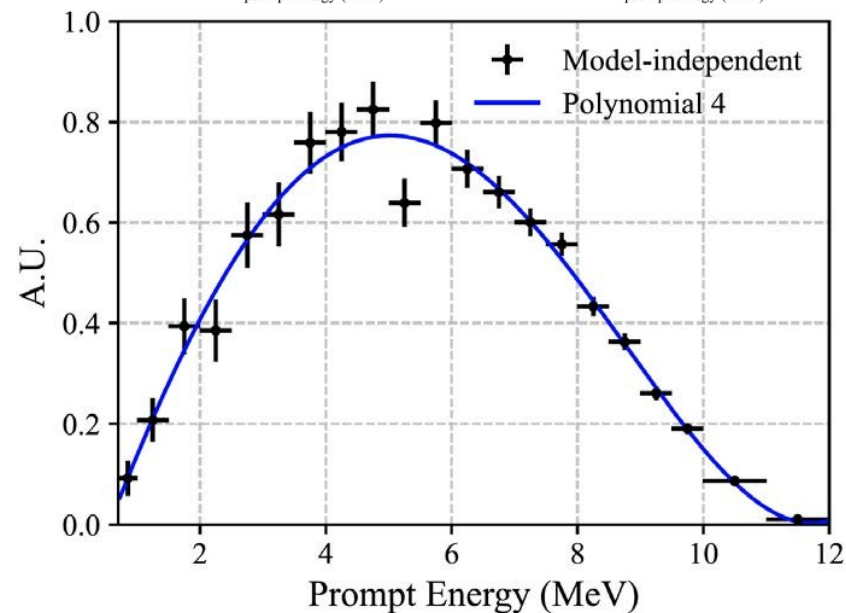
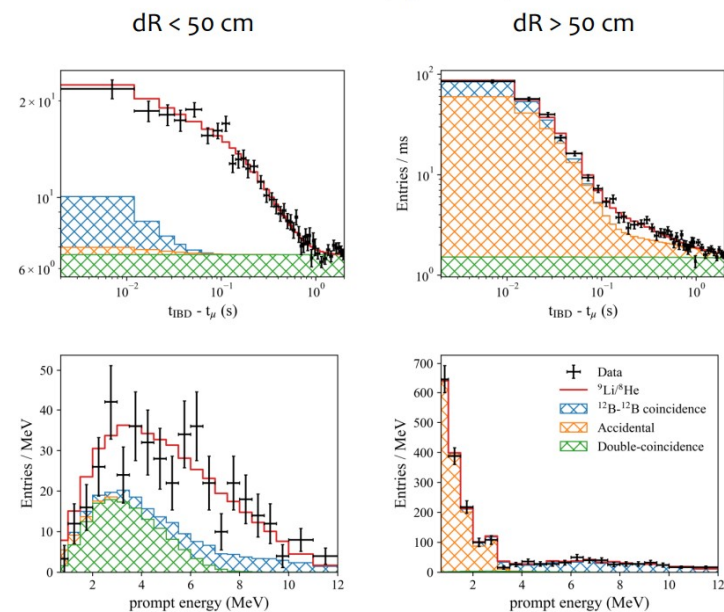
Neutron tagging efficiency leads to large uncertainty

New approach: Multi-dimensional fit (time off-window):

- Time since muon
- Prompt energy
- Prompt-delayed distance (dR)
- Muon energy ("AD" or "shower")

Uncertainty on rates reduced by factor of  $\sim 2$

Spectrum extracted simultaneously



Fast neutrons: Ejected by muons from surrounding rocks and other materials

- Prompt signal: Proton recoils
- Delayed signal: Neutron capture

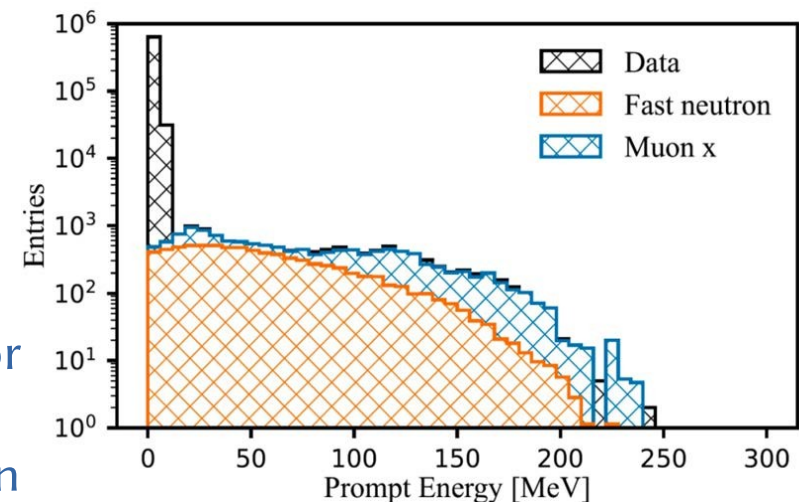
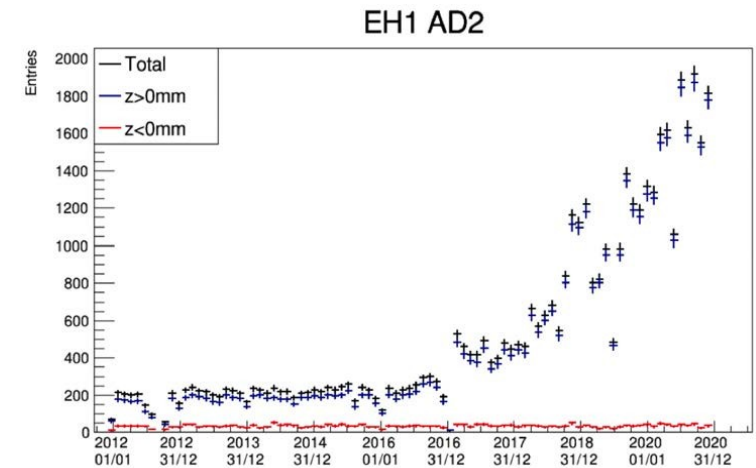
Muon-X: Prompt signal from low-energy muons (below veto threshold). Delayed signal from three classes:

- Muon decay: Michel electron
- Muon spallation: Neutron capture
- Muon retrigger: PMT ringing

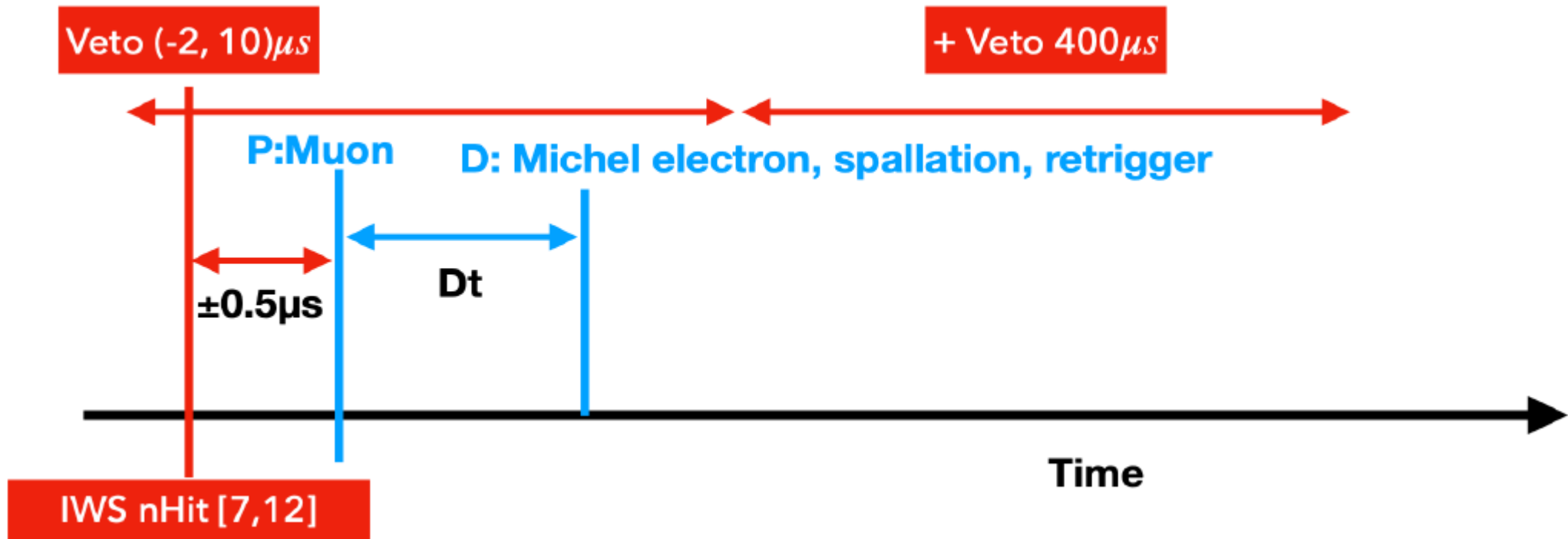
Muon-X is a new background, caused by degradation of veto efficiency due to PMT failures in the water pools

Study all of these together by using IBD sample with extended prompt energy cut (250 MeV)

Use OWS tagging to get sub-12 MeV prompt spectrum for fast neutrons, likewise IWS tagging for muon-X. Get tagging efficiency (i.e. scaling factor) from >12 MeV region



Remove 80% of muon-X background by adopting new IWS veto:



Minimal impact on muon veto efficiency

$^{241}\text{Am}^{13}\text{C}$  calibration source produces neutrons

When source is stowed, shielding keeps neutrons out of GdLS

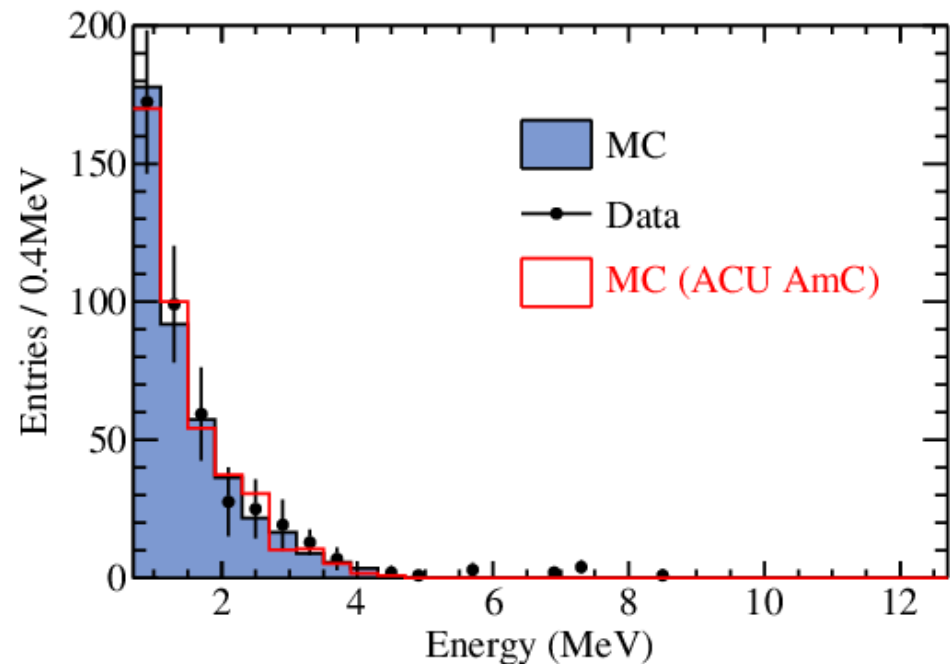
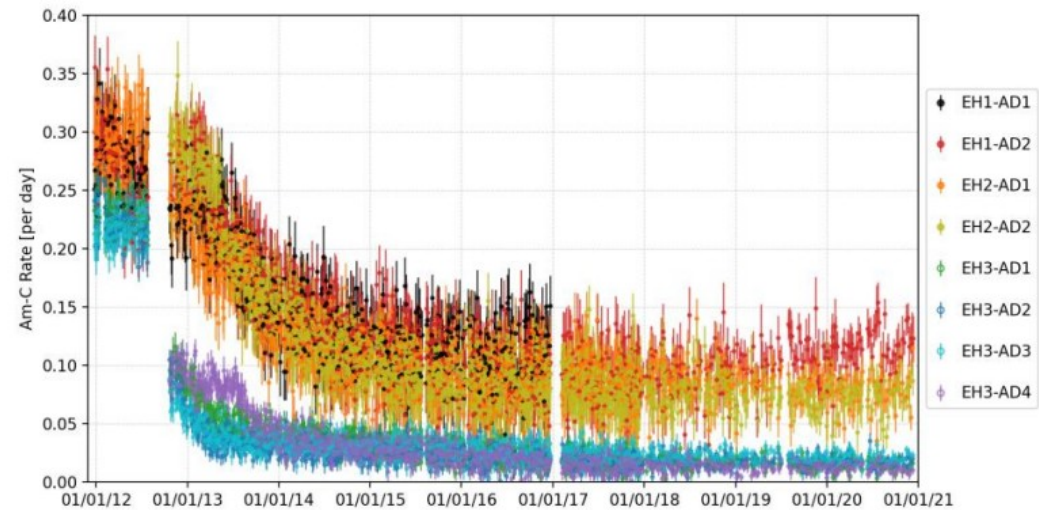
**But correlated gammas can be produced by neutron inelastic scattering followed by capture in stainless steel (or Gd overflow tank), mimicking IBD signature**

Rate is proportional to that of “neutron-like” singles in the top half of the AD:

$$R_{AmC} = R_{n-like} \cdot Y, \quad R_{n-like} = R_d^{up} - R_d^{low}$$

Factor  $Y$  determined using MC, benchmarked with data from a high-activity neutron source (HAS)

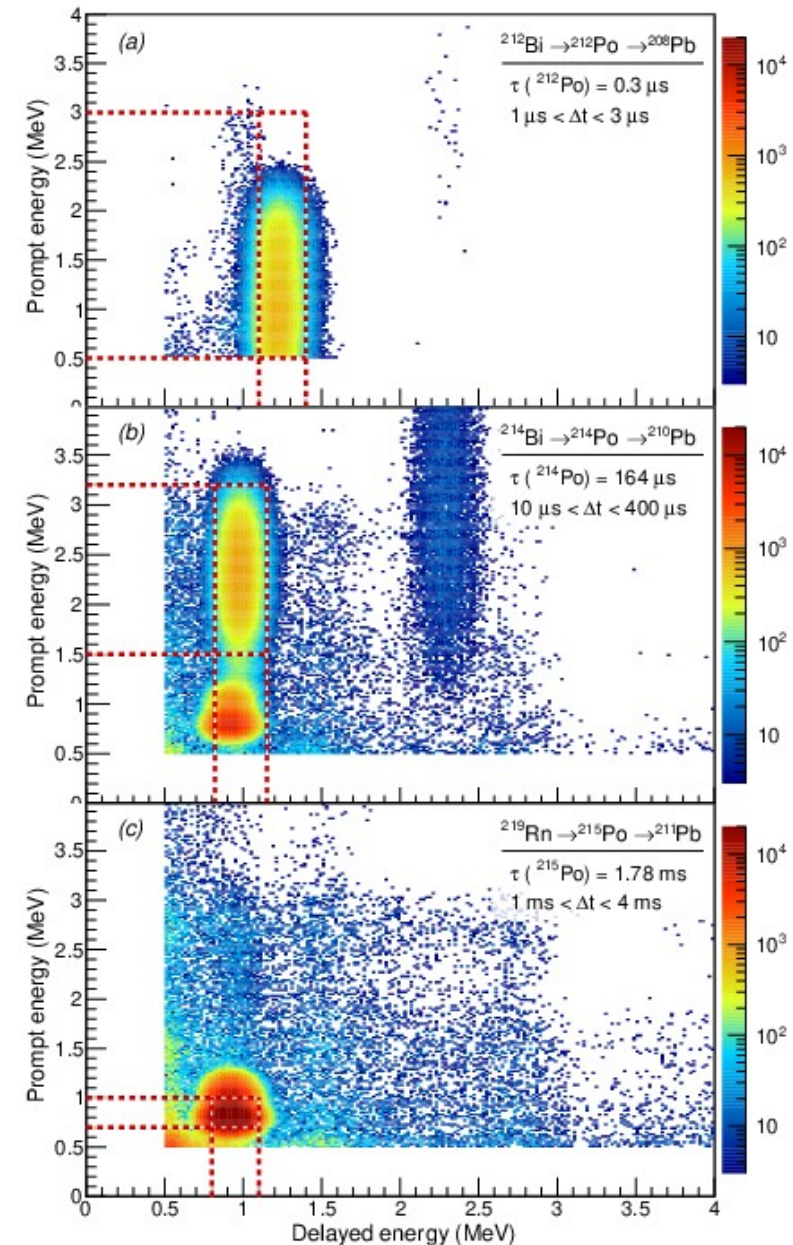
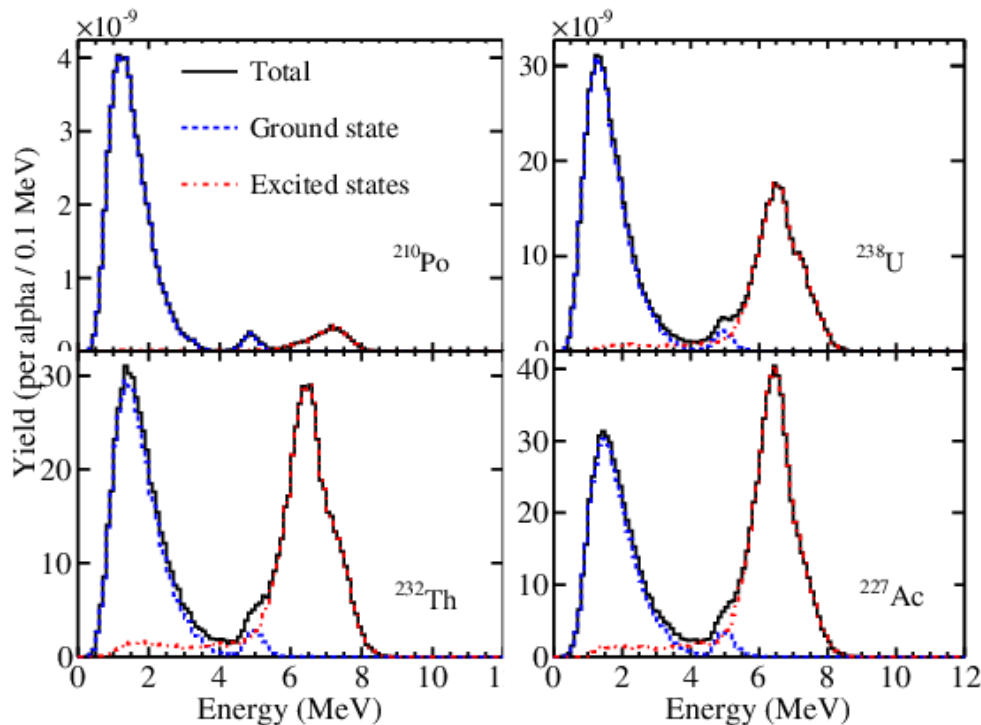
Prompt spectrum consistent between MC and HAS data



Correlated pairs initiated by  $\alpha$ 's from decay chains ( $^{238}\text{U}$ ,  $^{232}\text{Th}$ ,  $^{235}\text{U}$ ) and  $^{210}\text{Po}$ . Reaction with  $^{13}\text{C}$  releases a neutron.

Rates of the three chains determined by selecting Bi-Po, Rn-Po cascades. Rate of  $^{210}\text{Po}$  from (quenched) 0.5 MeV  $\alpha$  peak in singles spectrum.

MC used to determine rate and spectrum of the  $\alpha$ -n background as a function of the rates of the chains/ $^{210}\text{Po}$ .

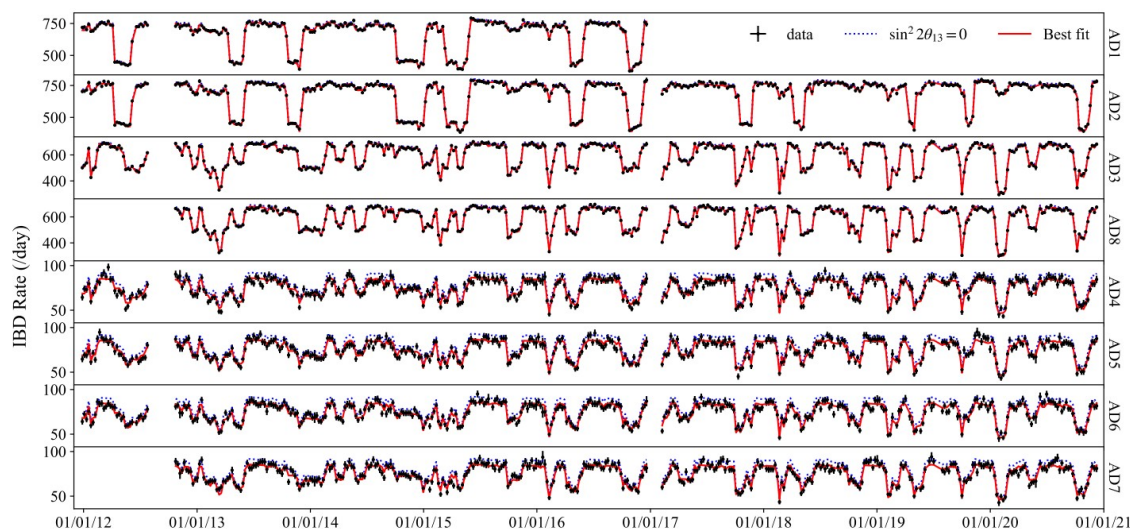
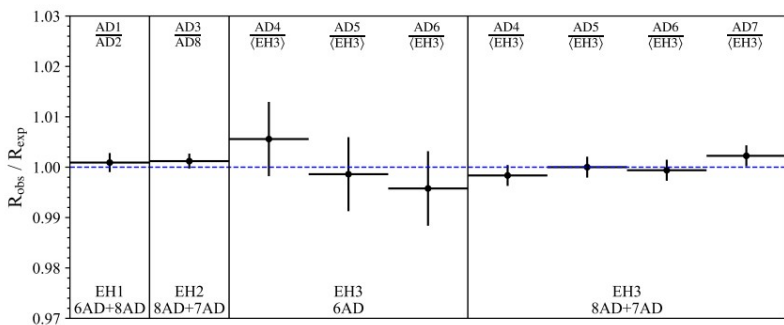
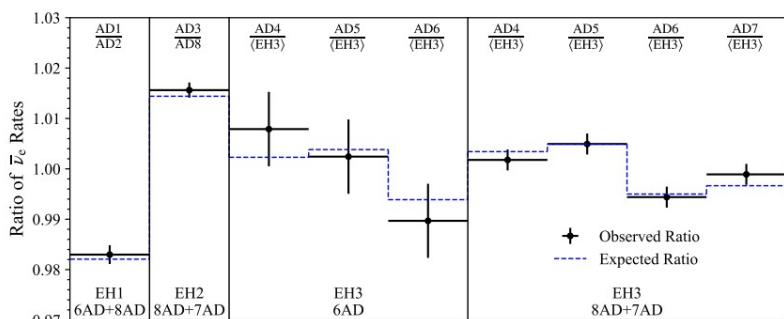


# Oscillation analysis



	EH1		EH2		EH3			
	AD1	AD2	AD3	AD8	AD4	AD5	AD6	AD7
$\bar{\nu}_e$ candidates	794335	1442475	1328301	1216593	194949	195369	193334	180762
DAQ live time [days]	1535.111	2686.110	2689.880	2502.816	2689.156	2689.156	2689.156	2501.531
$\epsilon_\mu \times \epsilon_m$	0.7743	0.7716	0.8127	0.8105	0.9513	0.9514	0.9512	0.9513
Accidentals [ $\text{day}^{-1}$ ]	$7.11 \pm 0.01$	$6.76 \pm 0.01$	$5.00 \pm 0.00$	$4.85 \pm 0.01$	$0.80 \pm 0.00$	$0.77 \pm 0.00$	$0.79 \pm 0.00$	$0.66 \pm 0.00$
Fast n + muon-x [ $\text{day}^{-1}$ ]	$0.83 \pm 0.17$	$0.96 \pm 0.19$	$0.56 \pm 0.11$	$0.56 \pm 0.11$	$0.05 \pm 0.01$	$0.05 \pm 0.01$	$0.05 \pm 0.01$	$0.05 \pm 0.01$
${}^9\text{Li}/{}^8\text{He}$ [ $\text{AD}^{-1} \text{day}^{-1}$ ]	$2.92 \pm 0.78$		$2.45 \pm 0.57$		$0.26 \pm 0.04$			
${}^{241}\text{Am}-{}^{13}\text{C}$ [ $\text{day}^{-1}$ ]	$0.16 \pm 0.07$	$0.13 \pm 0.06$	$0.12 \pm 0.05$	$0.11 \pm 0.05$	$0.04 \pm 0.02$	$0.04 \pm 0.02$	$0.04 \pm 0.02$	$0.03 \pm 0.01$
${}^{13}\text{C}(\alpha, n){}^{16}\text{O}$ [ $\text{day}^{-1}$ ]	$0.08 \pm 0.04$	$0.06 \pm 0.03$	$0.04 \pm 0.02$	$0.06 \pm 0.03$	$0.04 \pm 0.02$	$0.04 \pm 0.02$	$0.03 \pm 0.02$	$0.04 \pm 0.02$
$\bar{\nu}_e$ rate [ $\text{day}^{-1}$ ]	$657.2 \pm 1.1$	$685.1 \pm 1.0$	$599.5 \pm 0.8$	$591.7 \pm 0.8$	$75.0 \pm 0.2$	$75.2 \pm 0.2$	$74.4 \pm 0.2$	$74.9 \pm 0.2$

## Backgrounds at sub-2% level!



- Use Huber-Mueller isotope spectra
  - With non-equilibrium correction
  - Plus spent nuclear fuel contribution
  - Shape/normalization allowed to vary (pull terms)
- Fold with reactor power and fission fractions (from power company) to predict antineutrino flux
- Propagate to ADs ( $1/R^2$ , oscillation)
- Convert to positron energy (kinematics)
- Apply effects of energy leakage, nonlinearity, resolution (w/ pulls)
- Add predicted backgrounds (w/ pulls)

$$\begin{aligned}
 F_d^i = & T_d^i \left( 1 + \varepsilon_D + \varepsilon_d + \frac{0.072\varepsilon_d^E}{0.2} + b^i \varepsilon_d^E + \varepsilon_i + \sum_{l=1}^4 f_l^i \varepsilon_l + g^i \varepsilon_d^{IAV} \right. \\
 & + a^i \varepsilon_R + \left. \begin{cases} \sum_{r=1}^6 \omega_r^d (\varepsilon_r + \varepsilon_r^n S_n^i + \varepsilon_r^s S_s^i + \varepsilon_r^f S_f^i) & (6\text{AD period}) \\ \sum_{r=1}^6 \omega_r^d (\varepsilon_r' + \varepsilon_r^n S_n^i + \varepsilon_r^s S_s^i + \varepsilon_r^f S_f^i) & (8\text{AD period}) \\ \sum_{r=1}^6 \omega_r^d (\varepsilon_r'' + \varepsilon_r^n S_n^i + \varepsilon_r^s S_s^i + \varepsilon_r^f S_f^i) & (7\text{AD period}) \end{cases} \right) \\
 & + B_{di}^{Li9} (1 + \eta_k^{Li9}) (1 + \eta_i^{Li9Shape}) + B_{di}^{Fn} (1 + \eta_k^{Fn}) (1 + \eta_i^{FnShape}) \\
 & + B_{di}^{AmC} (1 + \eta^{AmC}) (1 + \eta_i^{AmCShape}) + B_{di}^{acc} (1 + \eta_d^{acc}) + B_{di}^{alphaN} (1 + \eta_d^{alphaN}) \\
 & + B_{di}^{Md} (1 + \eta_k^{Md}) \text{ (7AD period)}
 \end{aligned}$$

Indices:

$i$  = Energy bin

$d$  = Detector

$r$  = Reactor

$k$  = Experimental hall

$F_d^j$  = Best-fit prediction

$T_d^j$  = Nominal prediction w/ oscillation

$\varepsilon_D$  ( $\varepsilon_d$ ) = Correlated (uncorr.) det. eff. pulls

$\varepsilon_d^E$  = Relative energy scale pulls

$\varepsilon_i$  = Bin-uncorrelated shape pulls

$\varepsilon_l$  = Nonlinearity pulls

$\varepsilon_d^{IAV}$  = Energy leakage pulls

$\varepsilon_R$  = Correlated reactor flux pull

$\varepsilon_r$  ( $\varepsilon_r^n$ ,  $\varepsilon_r^s$ ,  $\varepsilon_r^f$ ) = Uncorr. reactor flux pulls

(non-equilibrium, spent fuel, fission frac.)

$\eta$  = Background rate/shape pulls

$$\begin{aligned}
 \chi^2 = \min_{\gamma} & \sum_{d=1}^6 \sum_{i=1}^{29} \frac{[M_d^i - F_d^i]^2}{F_d^i} + \sum_{d=1}^8 \sum_{i=1}^{29} \frac{[M_d^i - F_d^i]^2}{F_d^i} + \sum_{d=1}^7 \sum_{i=1}^{29} \frac{[M_d^i - F_d^i]^2}{F_d^i} \\
 & + \sum_{d=1}^8 \left[ \left( \frac{\epsilon_d}{\sigma_d} \right)^2 + \left( \frac{\eta_d^{acc}}{\sigma_d^{acc}} \right)^2 + \left( \frac{\eta_d^{alphaN}}{\sigma_d^{alphaN}} \right)^2 + \left( \frac{\epsilon_d^E}{\sigma_d^E} \right)^2 + \left( \frac{\epsilon_d^{IAV}}{\sigma_d^{IAV}} \right)^2 \right] \\
 & + \sum_{k=1}^3 \left[ \left( \frac{\eta_k^{Fn}}{\sigma_k^{Fn}} \right)^2 + \left( \frac{\eta_k^{Li9}}{\sigma_k^{Li9}} \right)^2 + \left( \frac{\eta_k^{Md}}{\sigma_k^{Md}} \right)^2 \right] + \left( \frac{\eta^{AmC}}{\sigma^{AmC}} \right)^2 \\
 & + \sum_{i=1}^{29} \left( \frac{\eta_i^{Li9Shape}}{\sigma_i^{Li9Shape}} \right)^2 + \sum_{i=1}^{29} \left( \frac{\eta_i^{FnShape}}{\sigma_i^{FnShape}} \right)^2 + \sum_{i=1}^{14} \left( \frac{\eta_i^{AmCShape}}{\sigma_i^{AmCShape}} \right)^2 + \sum_{l=1}^4 \left( \frac{\epsilon_l}{\sigma_l} \right)^2 \\
 & + \sum_{r=1}^6 \left[ \left( \frac{\epsilon_r}{\sigma_r} \right)^2 + \left( \frac{\epsilon_r^n}{\sigma_r^n} \right)^2 + \left( \frac{\epsilon_r^s}{\sigma_r^s} \right)^2 + \left( \frac{\epsilon_r^f}{\sigma_r^f} \right)^2 + \left( \frac{\epsilon_r^l}{\sigma_r^l} \right)^2 + \left( \frac{\epsilon_r''}{\sigma_r''} \right)^2 \right]
 \end{aligned}$$

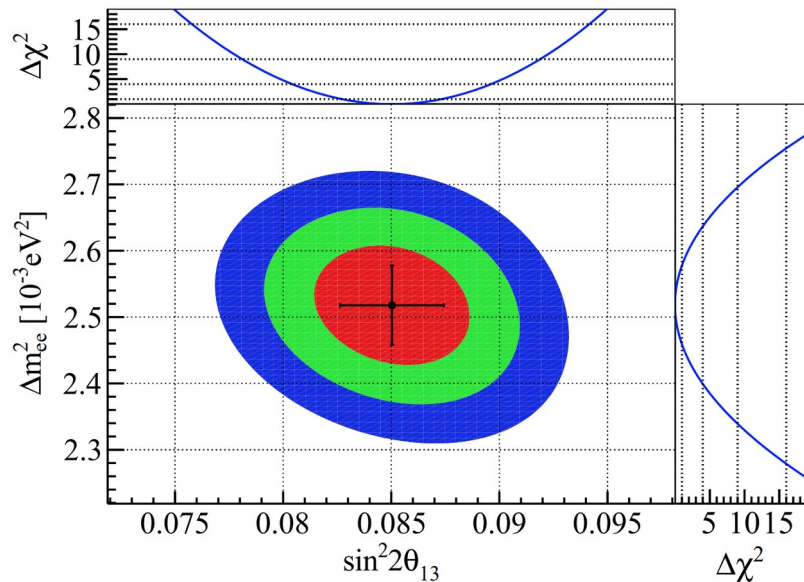
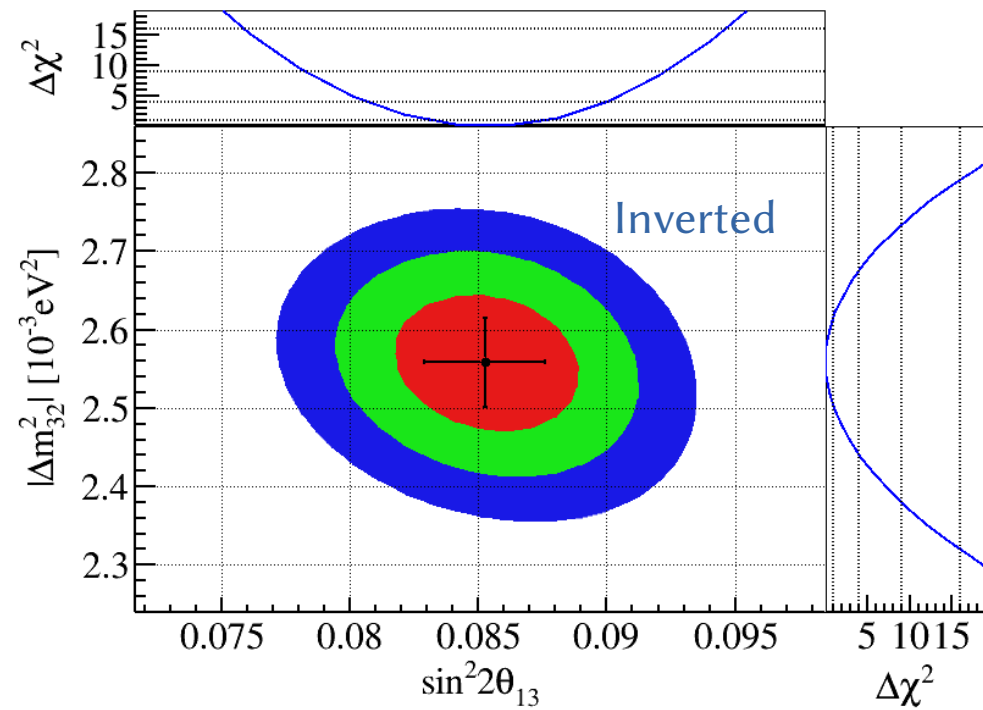
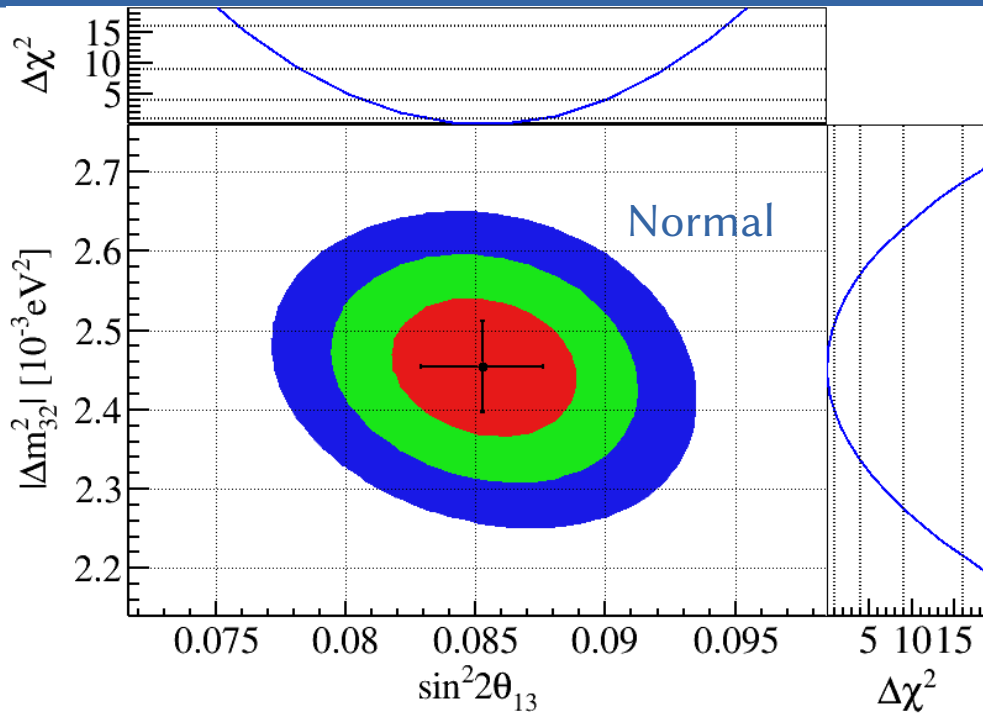
$M_d^i = \text{Measurement}$

Minimize this  $\chi^2$  with respect to oscillation parameters and all pulls

Result: Best-fit  $\sin^2 2\theta_{13}$  and  $\Delta m^2$ !

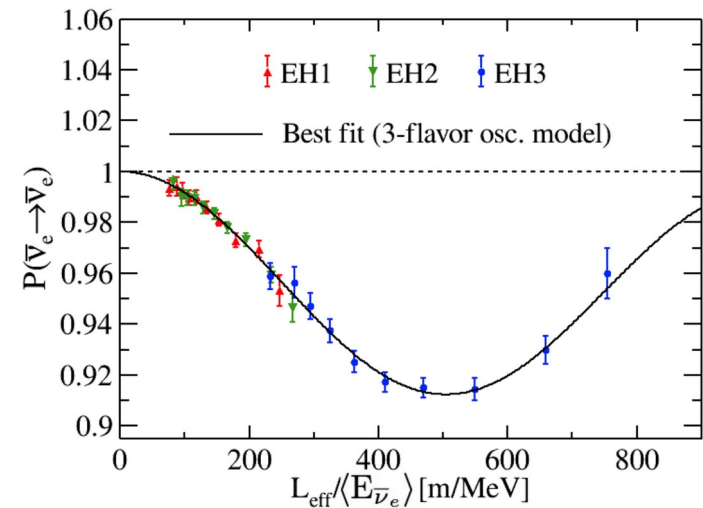
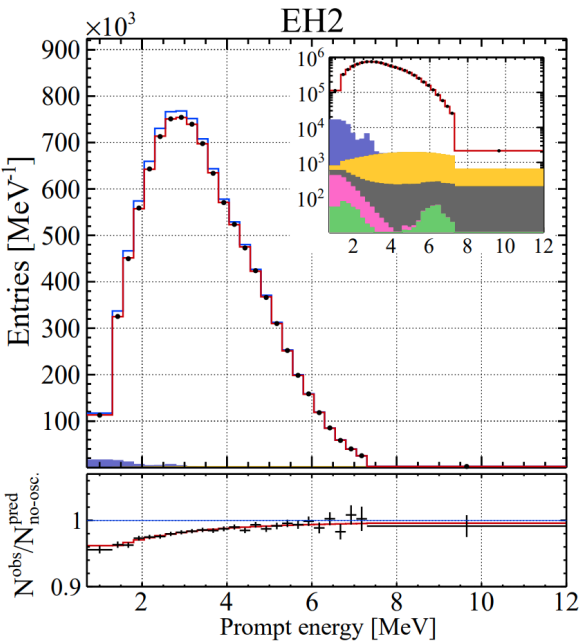
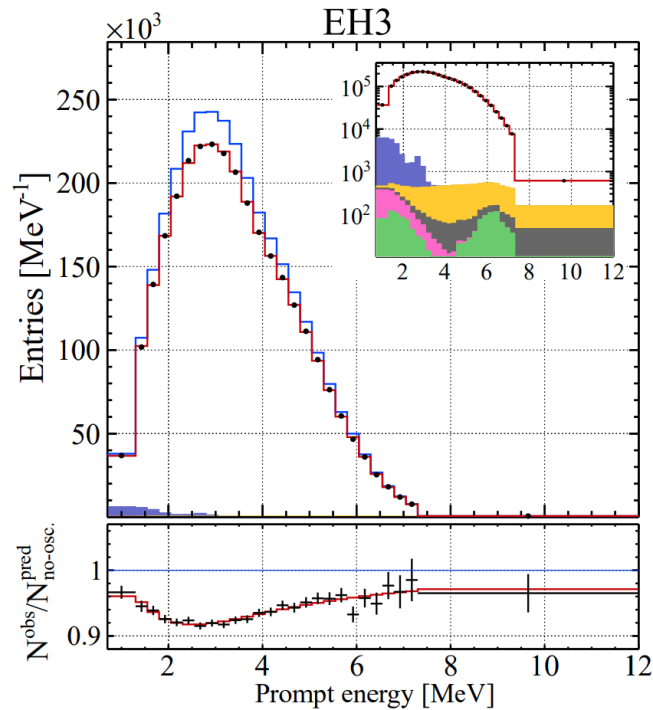
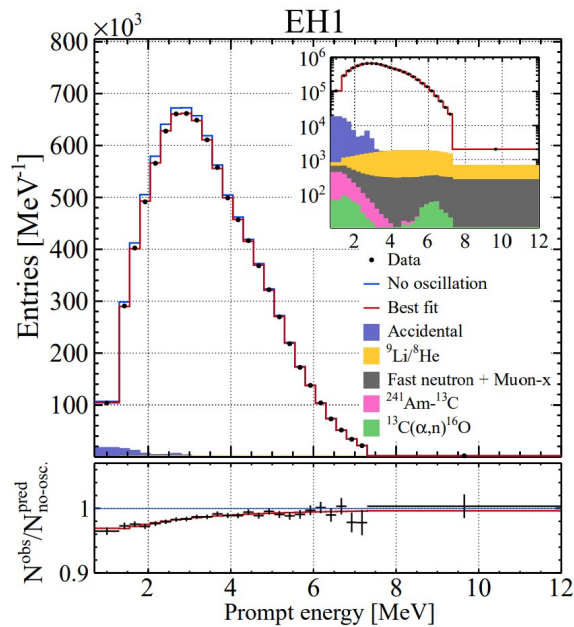
Individual  $1\sigma$  bounds where  $\Delta\chi^2$  crosses 1 (w/ other osc. par. fixed)

$1\sigma$  ( $2\sigma$ ,  $3\sigma$ ) 2D contours where  $\Delta\chi^2$  crosses 2.30 (6.18, 11.83)



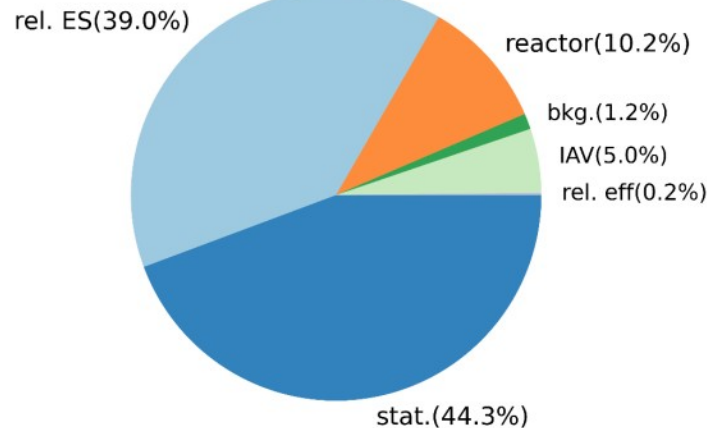
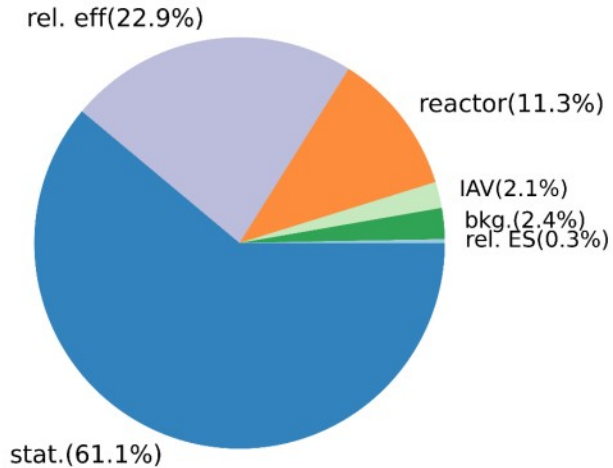
$\chi^2/\text{ndf}$ :  
559/517

Mass order	$\sin^2 2\theta_{13}$	$\Delta m^2$ ( $10^{-3} \text{ eV}^2$ )
Normal, $\Delta m^2_{32}$	$0.0851 \pm 0.0024$	$2.466 \pm 0.0060$
Inverted, $\Delta m^2_{32}$	$0.0851 \pm 0.0024$	$-2.571 \pm 0.0060$
$\Delta m^2_{ee}$	$0.0852 \pm 0.0024$	$2.519 \pm 0.0060$



$\sin^2 2\theta_{13}$

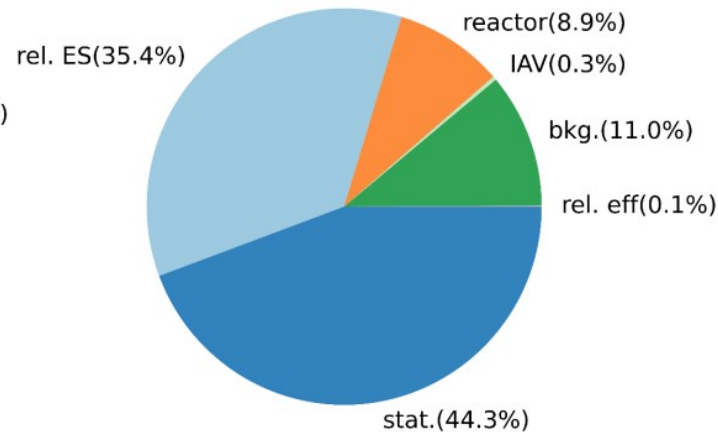
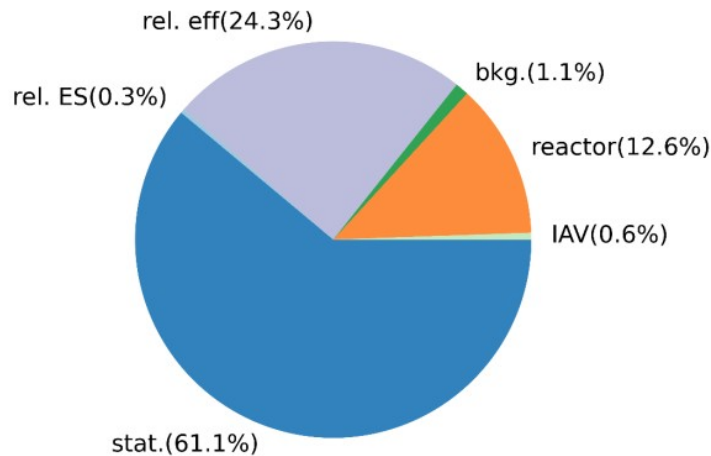
$\Delta m_{32}^2$



Adding each systematic to stat-only Asimov fit

$\sin^2 2\theta_{13}$

$\Delta m_{32}^2$



Removing each systematic from full-syst Asimov fit

Wrapping up



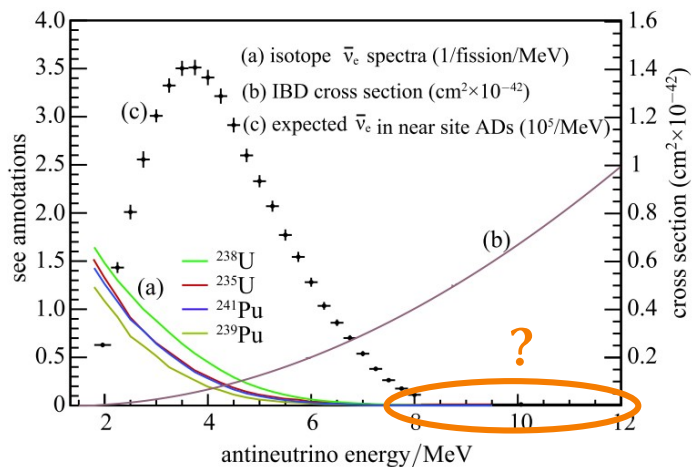
- Some highlights:
  - Measurement of high-energy reactor antineutrinos
  - Search for events associated with gravitational waves
  - Fuel evolution measurement
  - Unfolded antineutrino spectra
  - Joint measurement of antineutrino spectra w/ PROSPECT
  - Joint sterile neutrino search w/ MINOS/MINOS+
  - Measurement of seasonal variation of muon flux
  - Oscillation analysis using neutron capture on hydrogen
- See bonus slides!
- <http://dayabay.ihep.ac.cn/twiki/bin/view/Public/DybPublications>

- With full 3158-day dataset, Daya Bay has measured  $\sin^2 2\theta_{13}$  and  $\Delta m^2_{32}/\Delta m^2_{ee}$  to precisions of 2.8% and 2.3%, respectively
  - Likely to remain the most precise measurement of  $\sin^2 2\theta_{13}$  for the foreseeable future
- Many other significant recent results
- Some upcoming results
  - Spectral oscillation analysis with neutron capture on hydrogen
  - Updated sterile neutrino search
  - Updated fuel evolution measurement

Bonus:

Other recent results

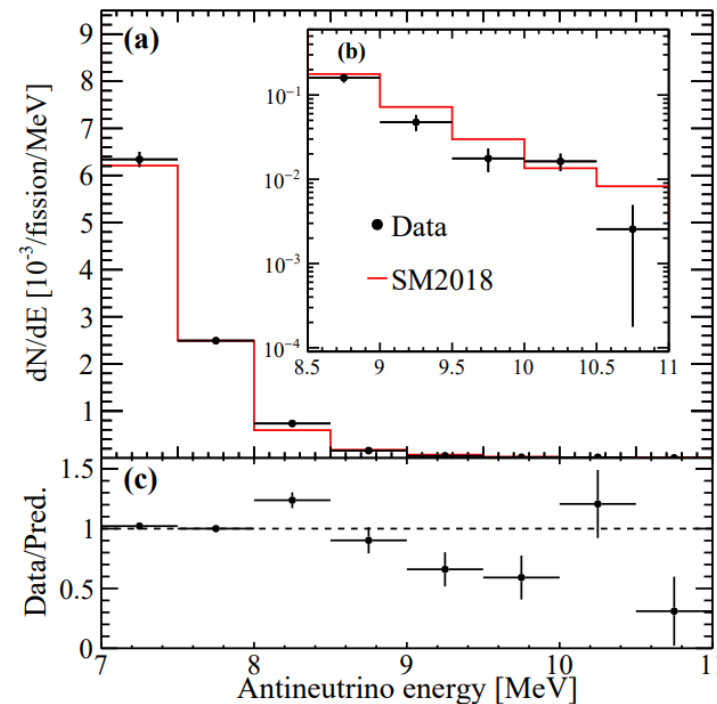
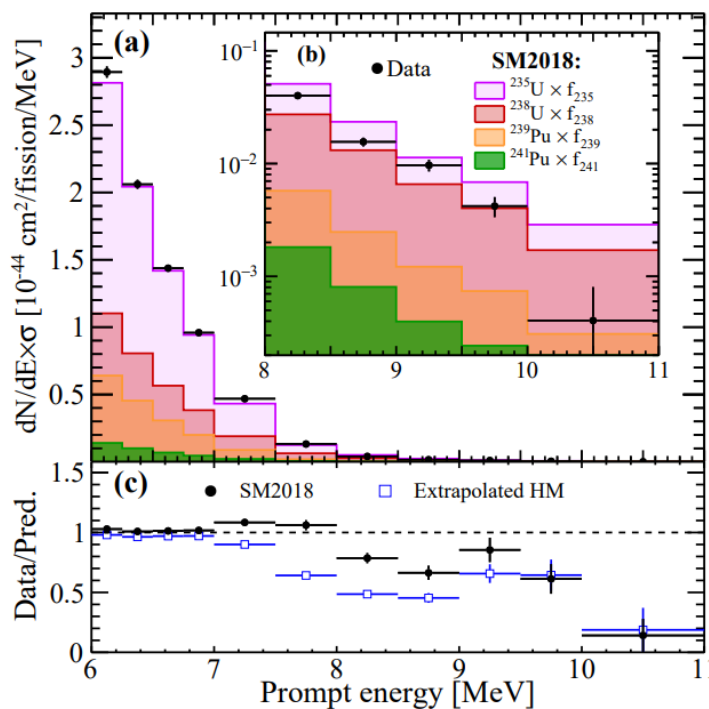
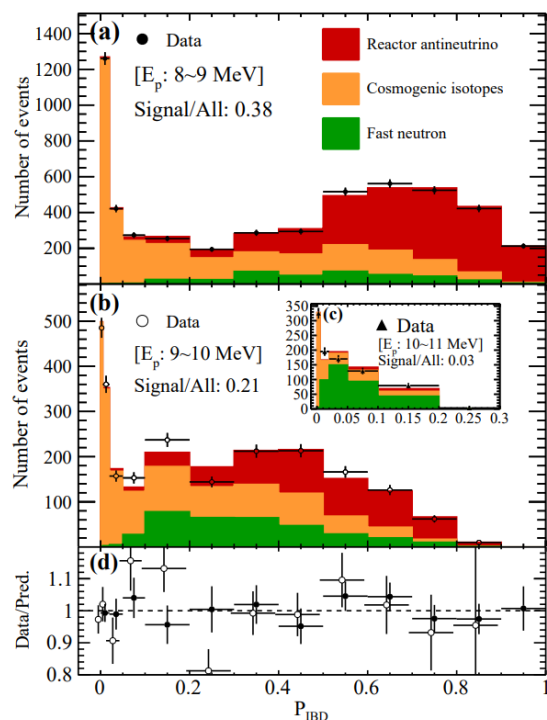
# High-energy reactor $\bar{\nu}$



High-energy reactor antineutrinos (HERA): **Tiny signal above 8 MeV**, but useful for benchmarking nuclear models and characterizing backgrounds for future measurements (diffuse  $\nu$ SNB, etc.)

Multivariate analysis to statistically discriminate HERA from  $\mu$ -induced bkg:

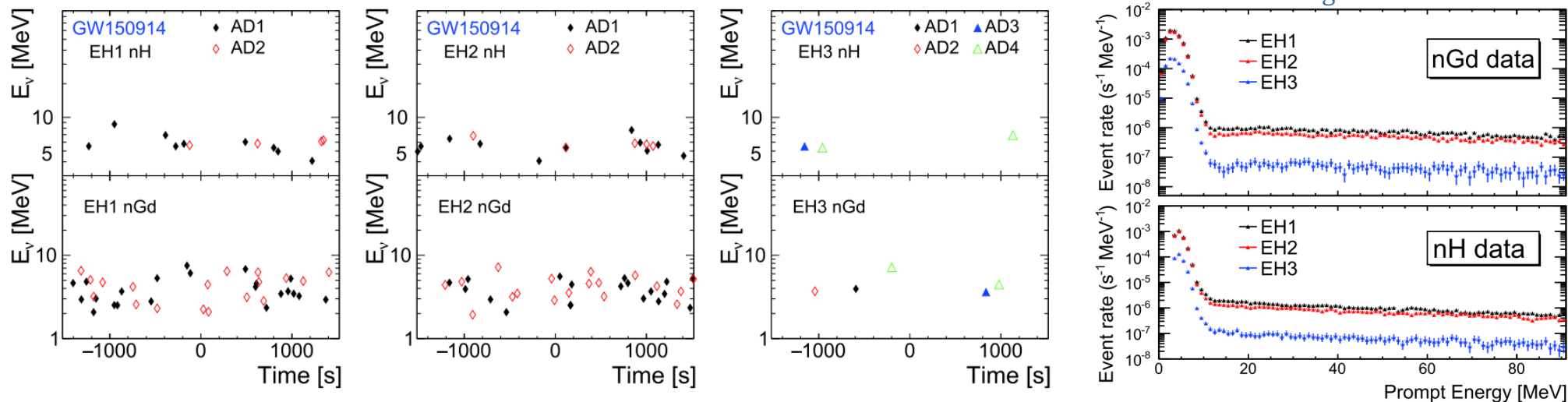
- $6.2\sigma$  observation of HERA above 10 MeV
- Statistical discriminator validated with Monte Carlo
- Comparisons to SM2018 and Huber-Mueller predictions
- Unfolded HERA antineutrino spectrum



Search for IBD candidates within fixed time windows around GW events

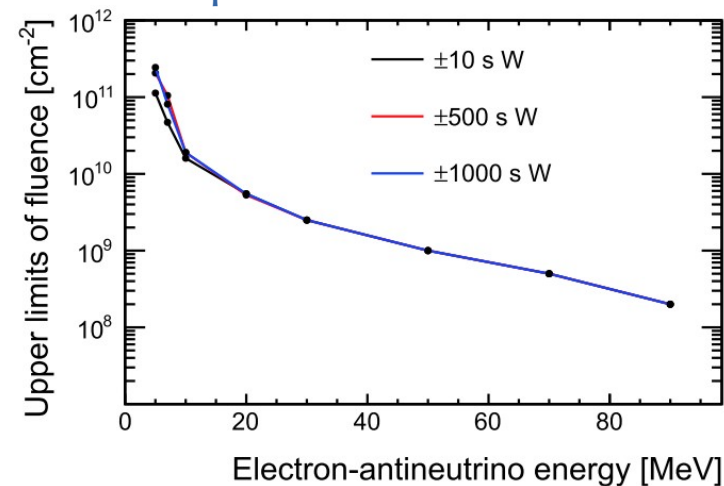
Compare to predicted background. No significant excess for any GW.

Background



Convert results into upper limits on antineutrino fluence, both overall and for individual GWs, assuming both monochromatic and Fermi-Dirac spectra

GW event	$\Phi_{\text{FD}} / (\times 10^{10} \text{ cm}^{-2})$	$L_{\text{GW}} / (\times 10^{60} \text{ erg})$
GW150914	0.30	1.23
GW151012	0.79	23.3
GW151226	0.82	3.86
GW170104	0.97	18.3
GW170608	0.42	1.18
GW170814	0.73	5.18
GW170817	0.85	0.03

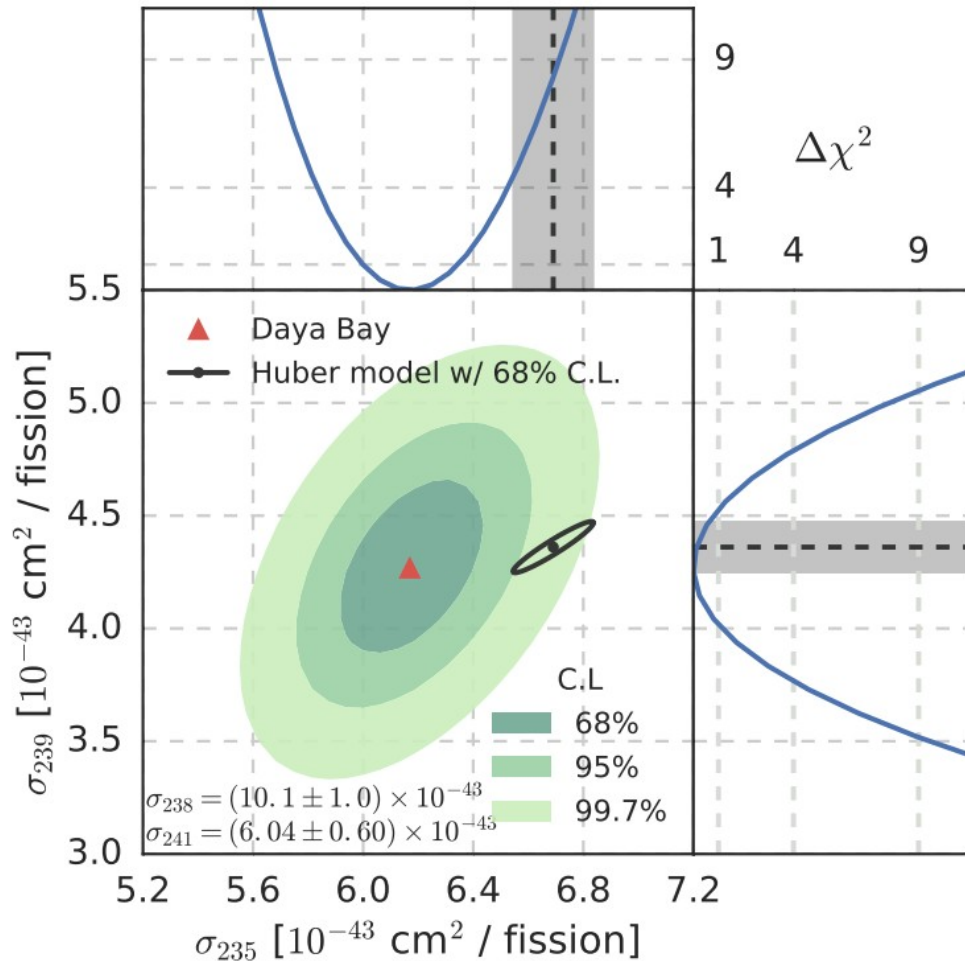


# Fuel evolution

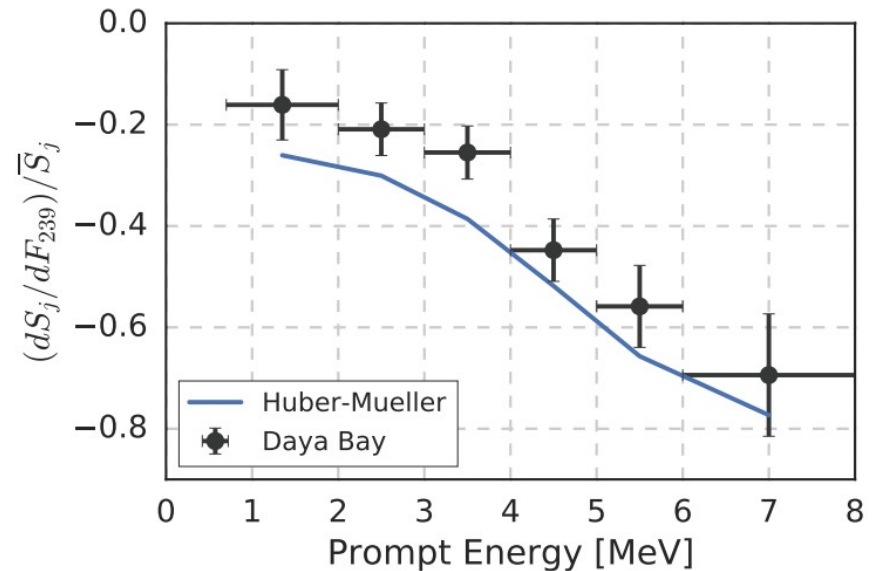
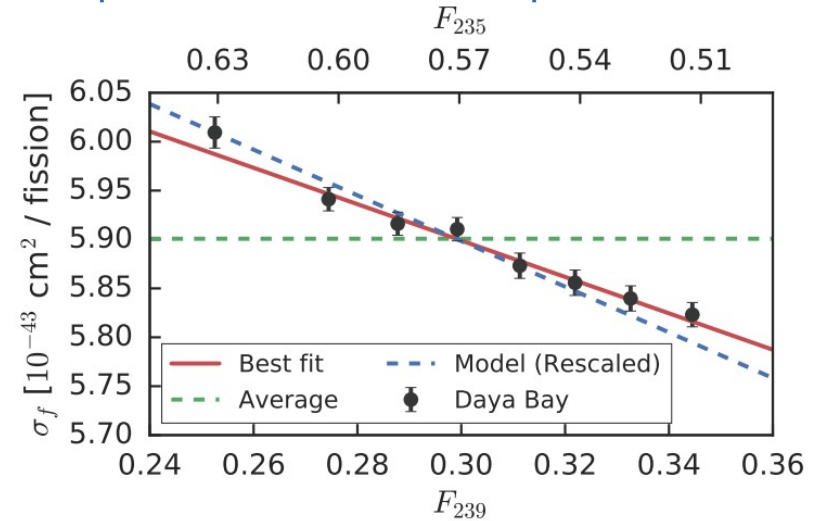
Use data at different fission fractions to:

- Study overall yield as a function of  $^{239}\text{Pu}$  fraction
- Extract individual  $^{235}\text{U}$  and  $^{239}\text{Pu}$  antineutrino yields
- Compare shape evolution to prediction

Results suggest model/data flux disagreement is largely due to  $^{235}\text{U}$



Slope inconsistent with H-M prediction at  $3\sigma$



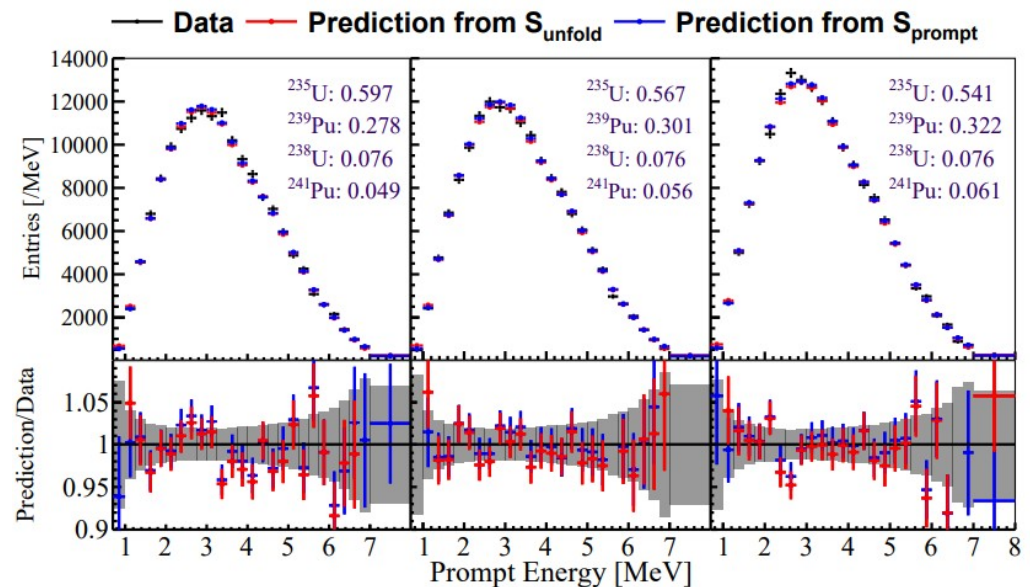
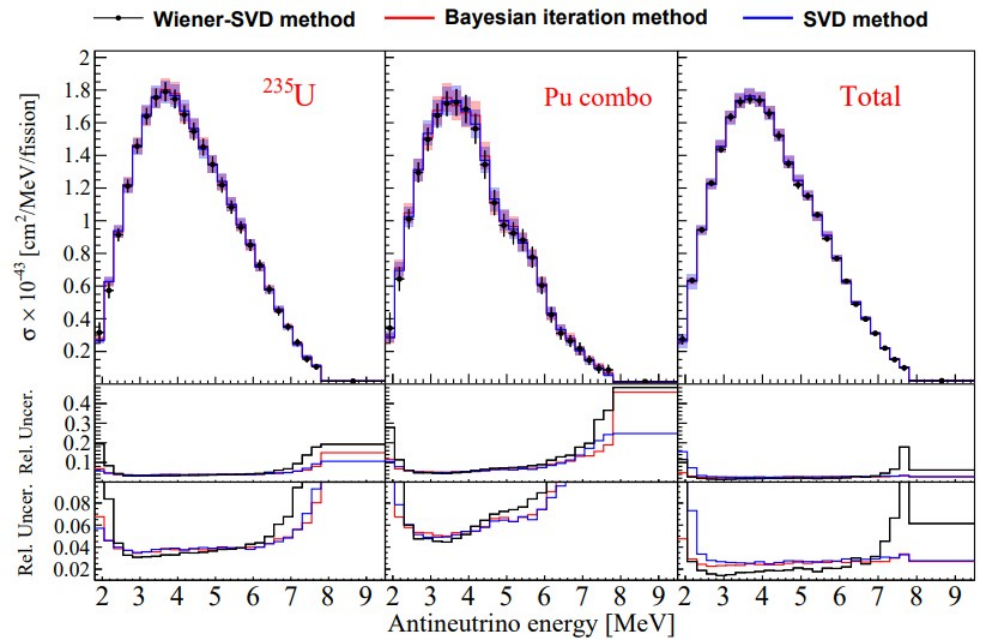
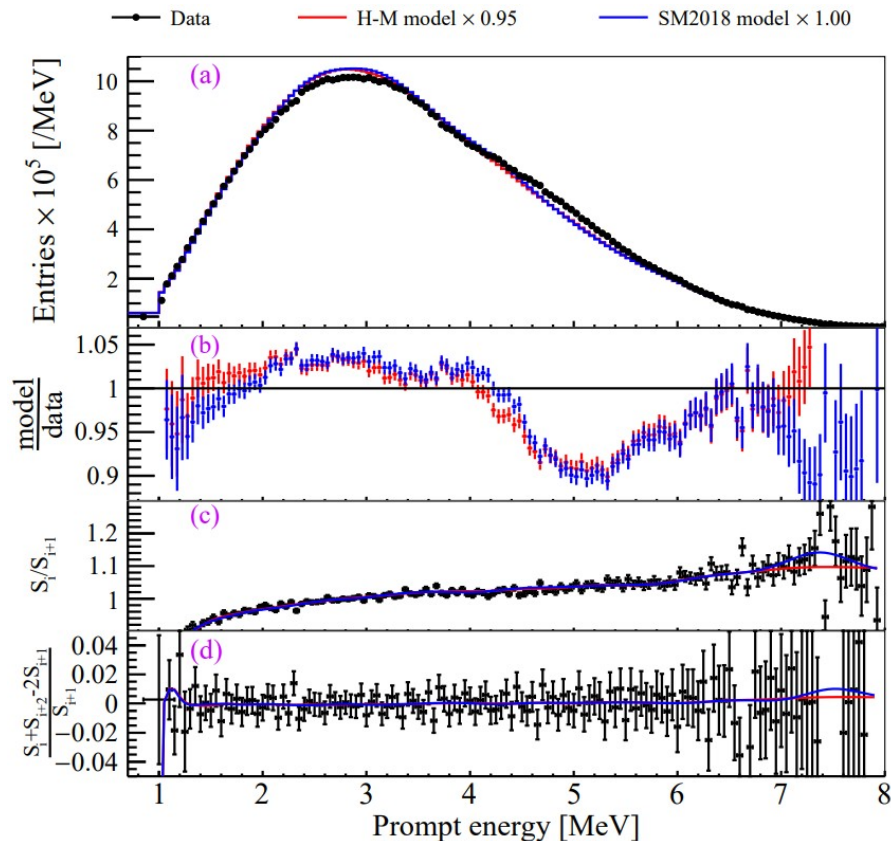
Shape evolution generally consistent with H-M

# Antineutrino spectra

Using data at different fission fractions, extract  $^{235}\text{U}$  and  $^{239}\text{Pu} + ^{241}\text{Pu}$  prompt spectra, unfold to  $\bar{\nu}$  spectra (right)

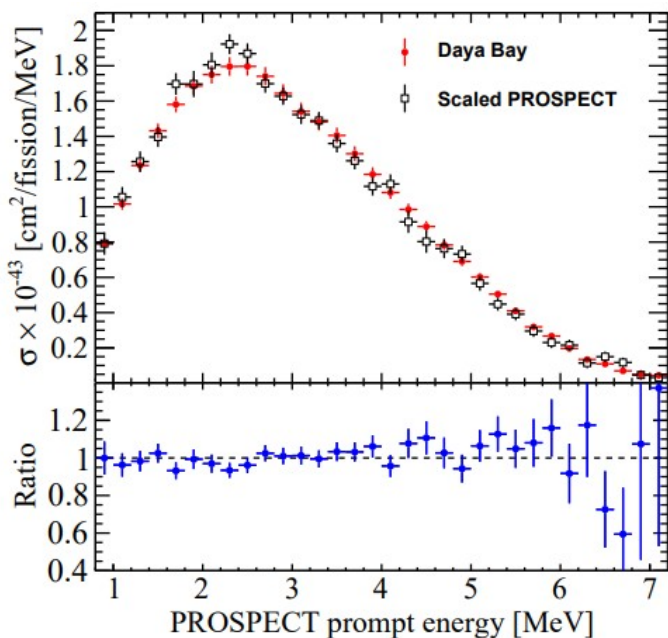
Isotope spectra, when combined, correctly predict total prompt spectra for various fission fractions (lower right)

Comparison of prompt spectrum to model predictions confirms unresolved shape discrepancies



# Joint spectra with PROSPECT

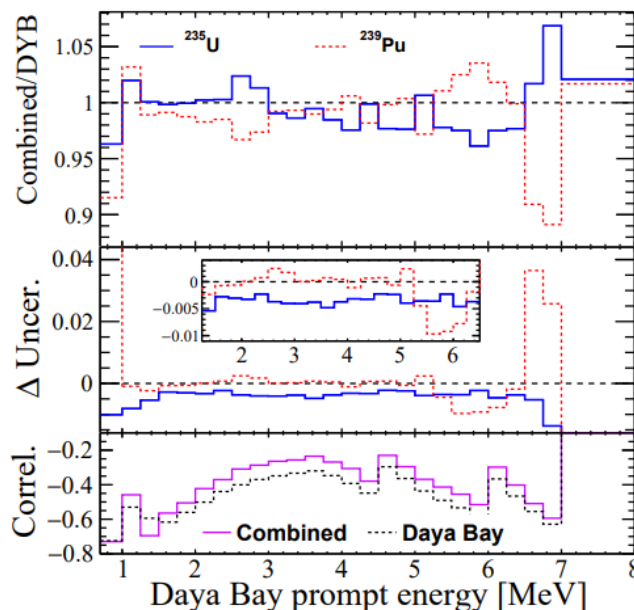
After energy response “translation”,  
Daya Bay and PROSPECT prompt  
spectra are in agreement



Both Daya Bay (LEU) and  
PROSPECT (HEU) can extract  $^{235}\text{U}$ ,  
 $^{239}\text{Pu}$  spectra from their data

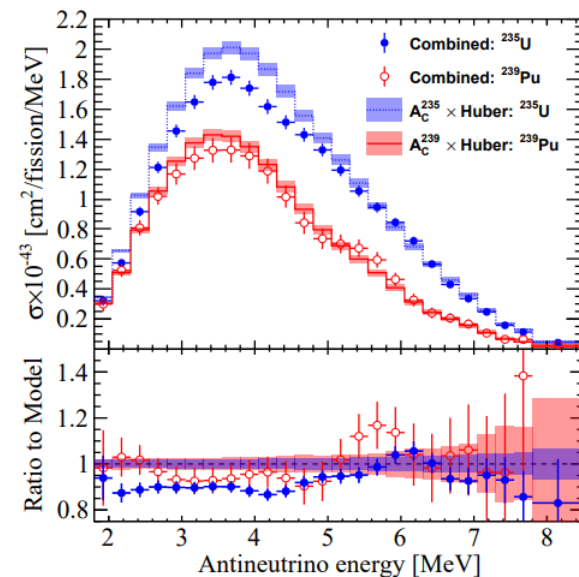
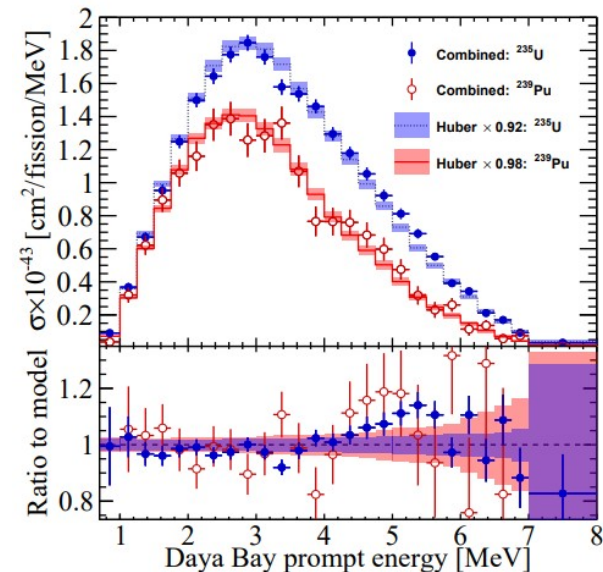
Combined spectra can be obtained  
by using PROSPECT’s spectra as  
constraint in Daya Bay’s fit

Combined  $^{235}\text{U}$  spectrum’s  
uncertainty is reduced from 3.5% to  
3% around 3 MeV; anticorrelation  
of  $^{235}\text{U}$  and  $^{239}\text{Pu}$  reduced



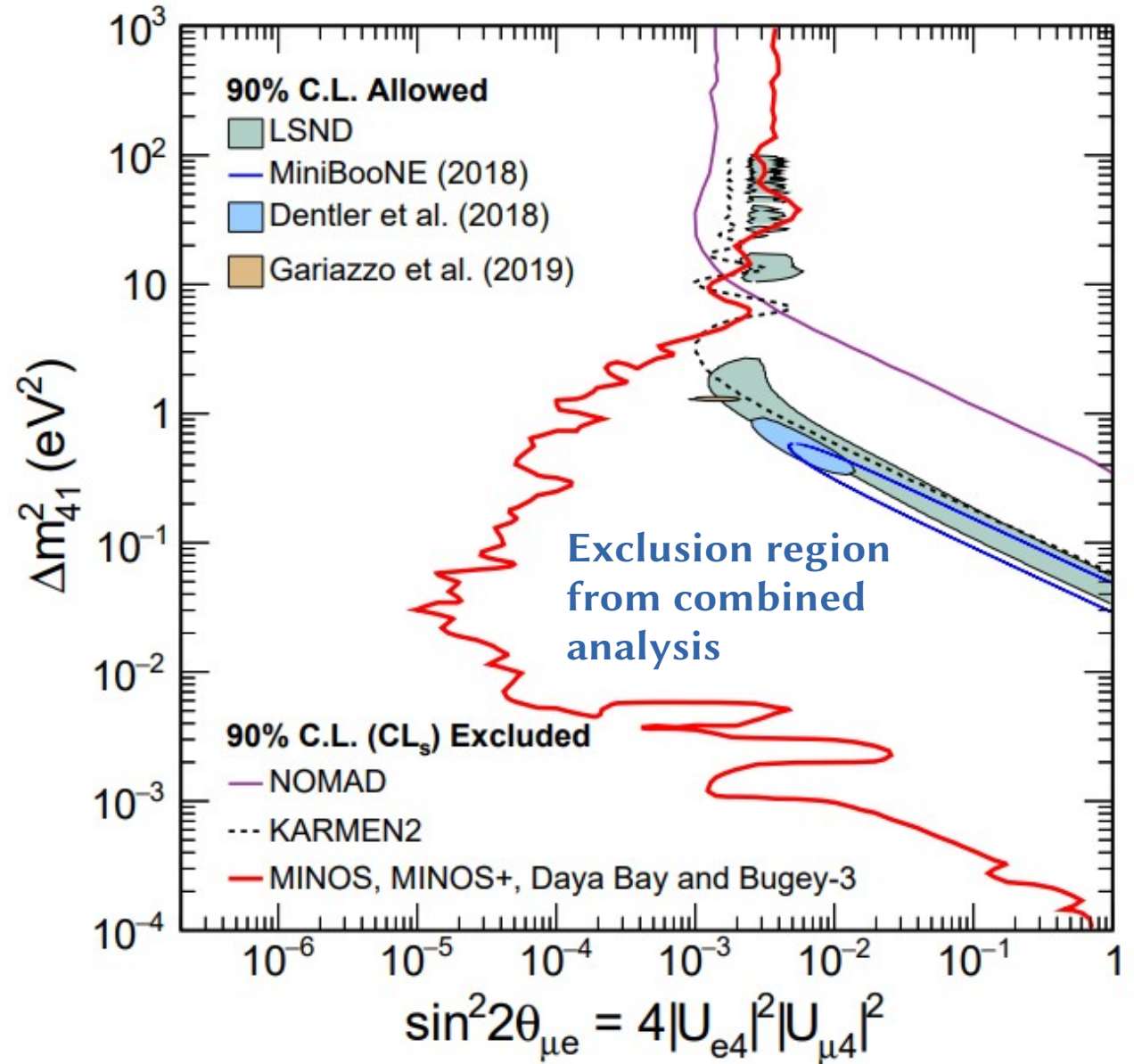
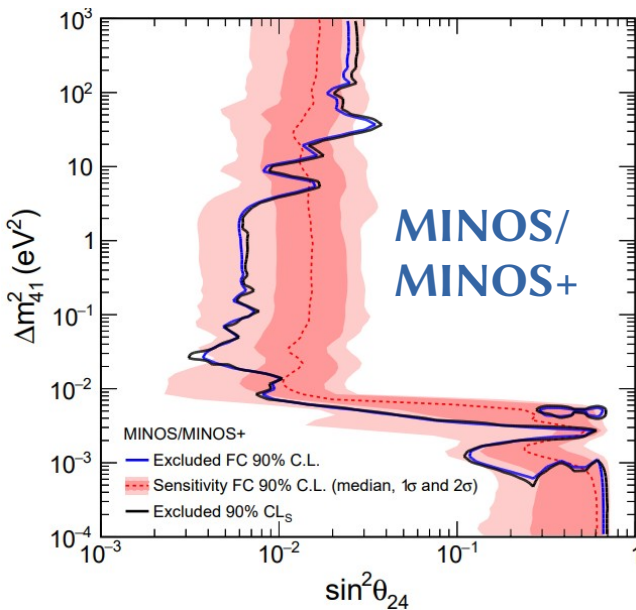
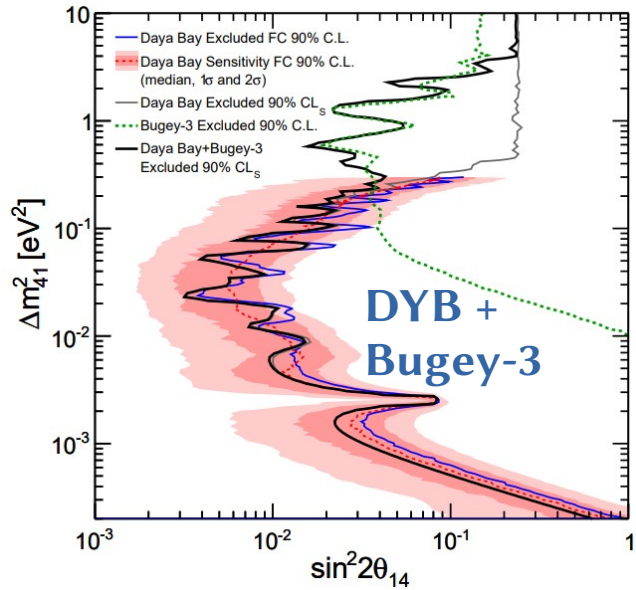
Antineutrino spectra are  
obtained by unfolding the  
prompt spectra of  $^{235}\text{U}$  and  
 $^{239}\text{Pu}$

Comparison to Huber-Mueller  
spectral shape

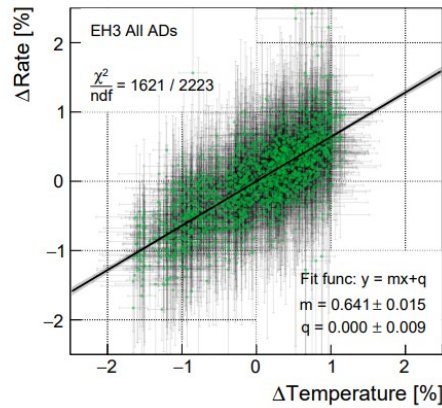
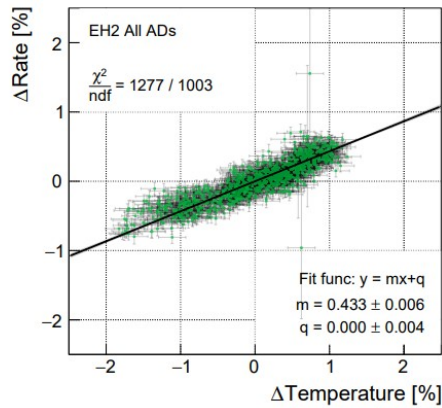




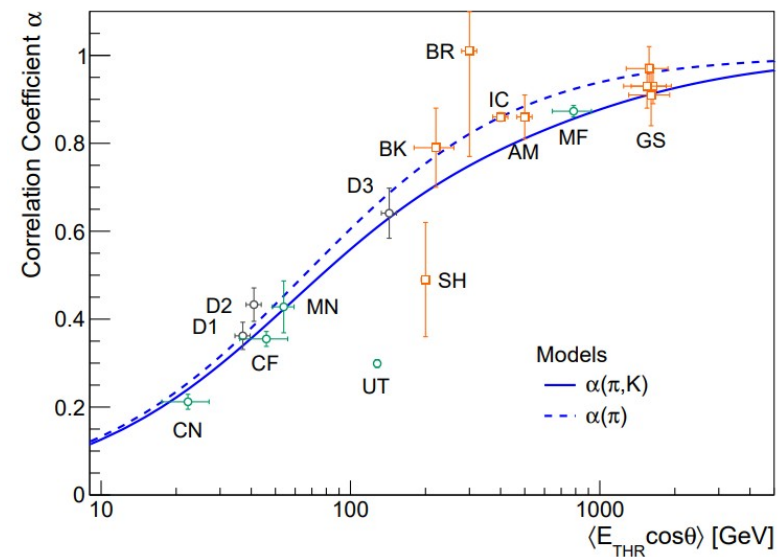
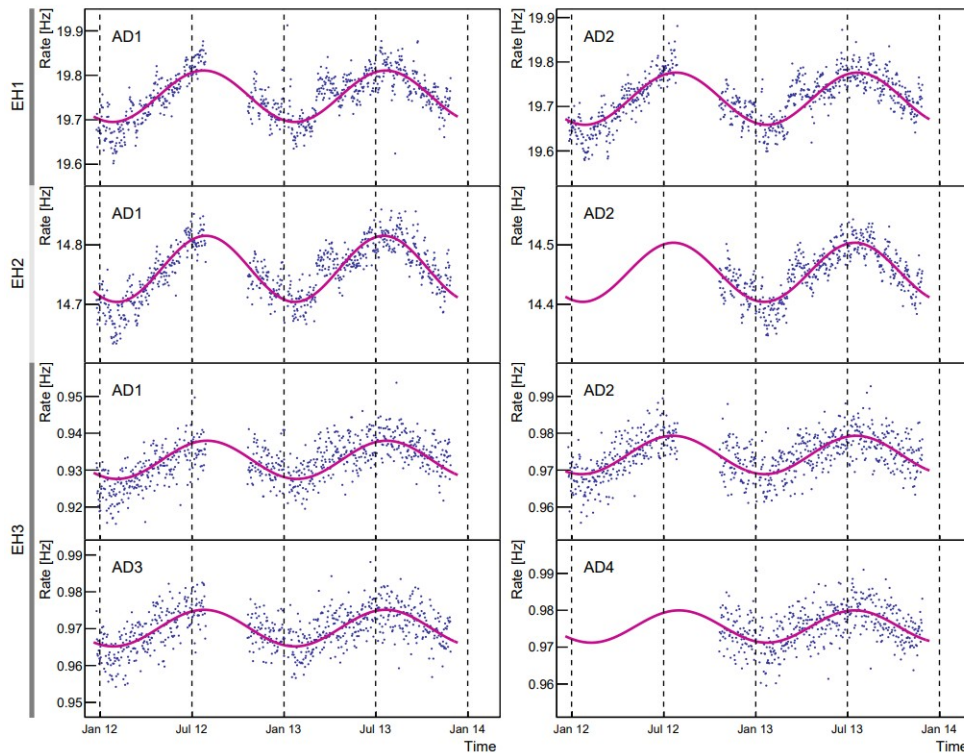
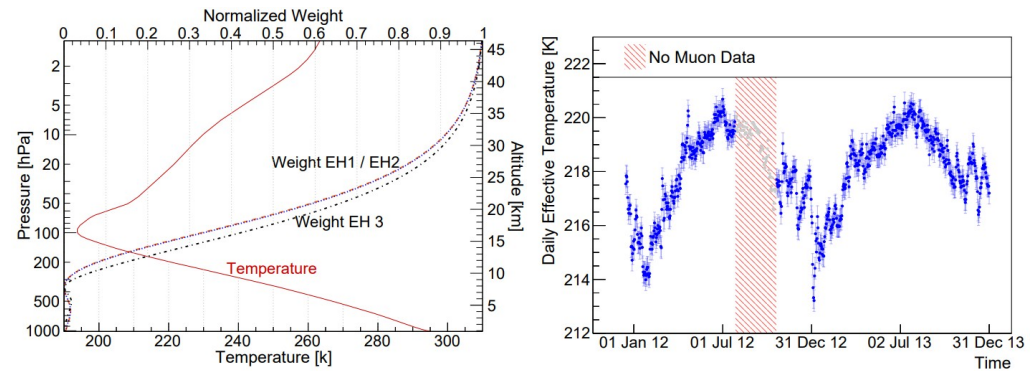
# Daya Bay $\theta_{13}$ Joint sterile search w/ MINOS(+)



# Muon modulation



Annual modulation of muon flux agrees with predicted correlation of flux to atmospheric temperature



# nH analysis

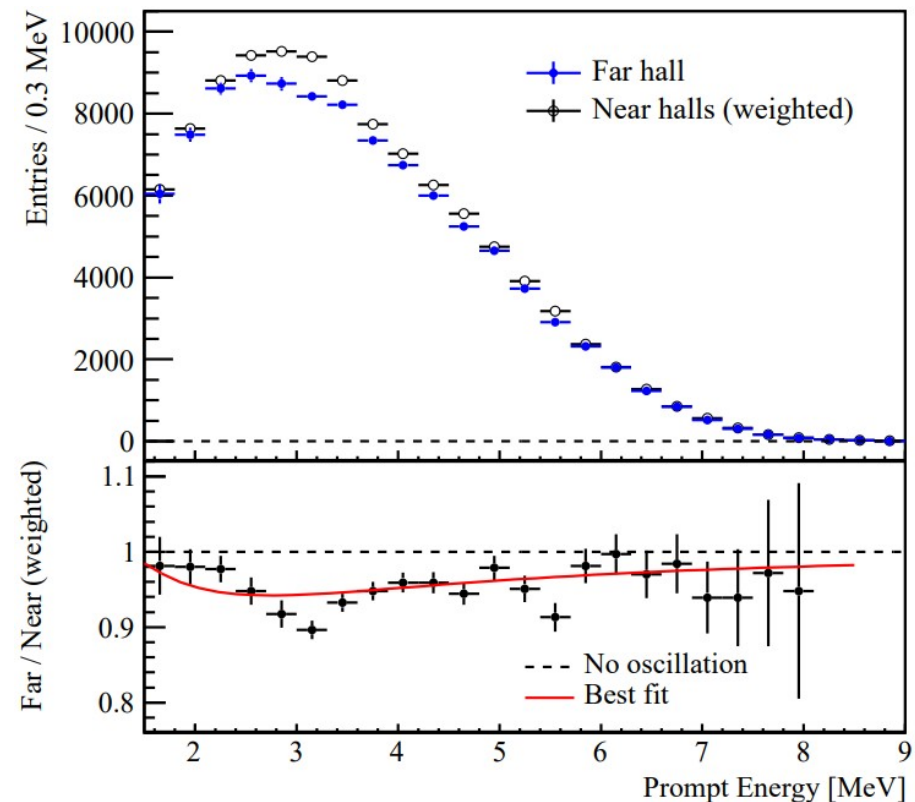
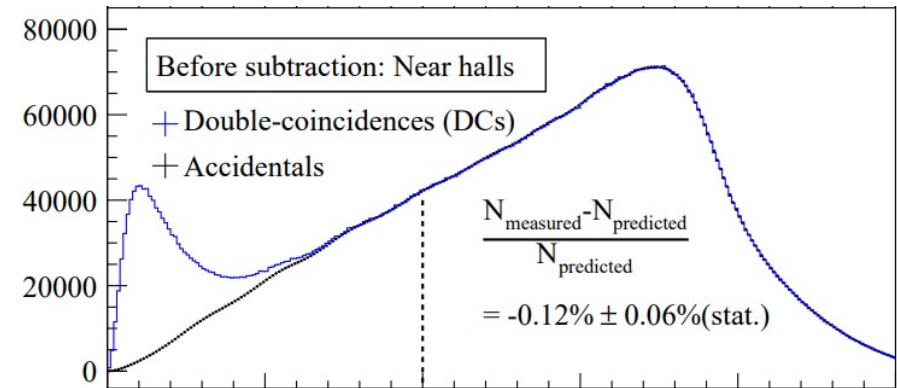
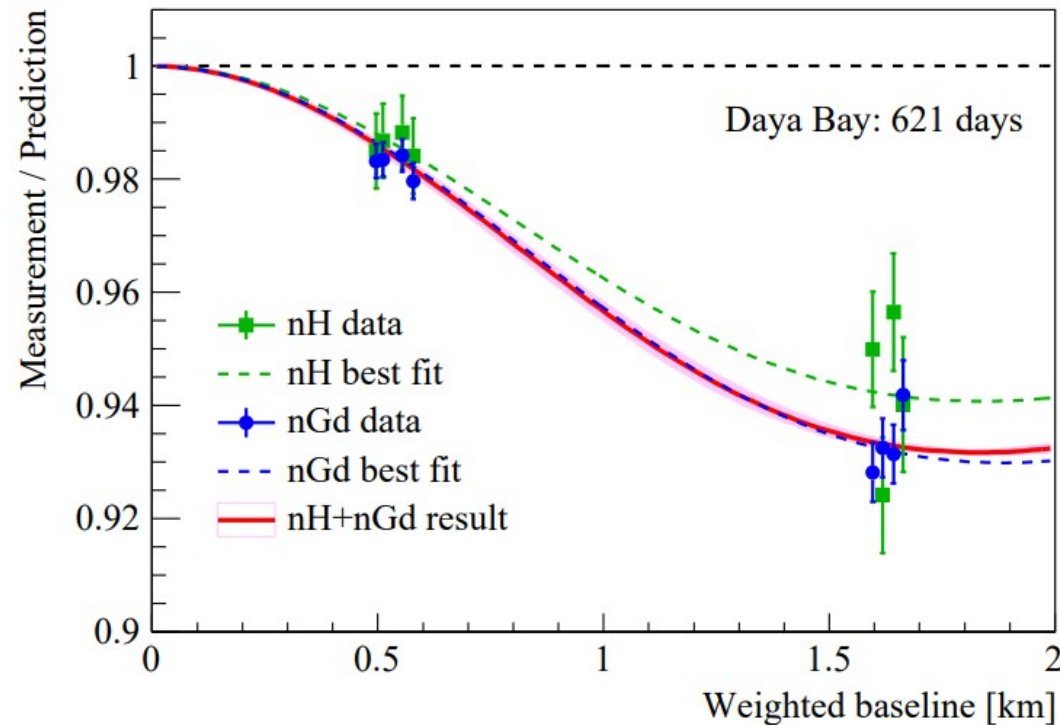
Independent rate-only analysis using nH capture (2.2 MeV)

Comparable statistics thanks to Gd-free LS region

Challenges:

- Large accidental background (low energy of nH capture)
- Efficiency uncertainties in LS region

$$\sin^2 2\theta_{13} = 0.071 \pm 0.011$$



Bonus: Details of  
high-energy  $\bar{\nu}$  analysis

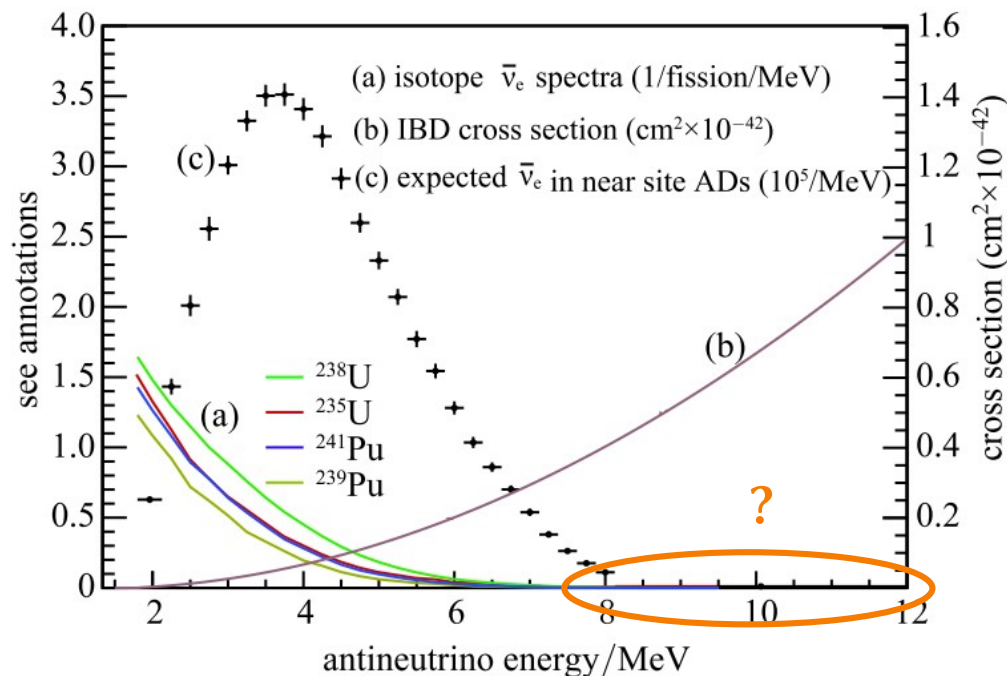
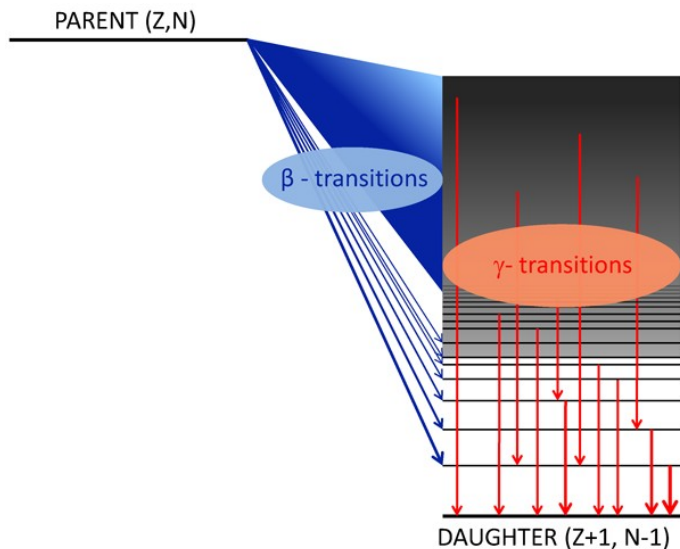
# High-energy reactor $\bar{\nu}$

Why study high-energy reactor antineutrinos (HERA) having **prompt energy > 8 MeV**?

- Shed light on discrepancies between data and nuclear models
- Characterize backgrounds for future experiments (diffuse  $\nu$ SNB, etc.)

Expected to arise from short-lived, high- $Q_\beta$  isotopes (e.g.  $^{88,90}\text{Br}$ ,  $^{94,96,98}\text{Rb}$ )

- Previous measurements biased by “pandemonium effect”:



**Challenge:** Low rate, large contamination of cosmogenic backgrounds (isotopes, fast neutrons)

**This study:**

- Multivariate analysis to extract HERA prompt spectrum
- HERA  $\bar{\nu}$  spectrum unfolded from prompt spectrum

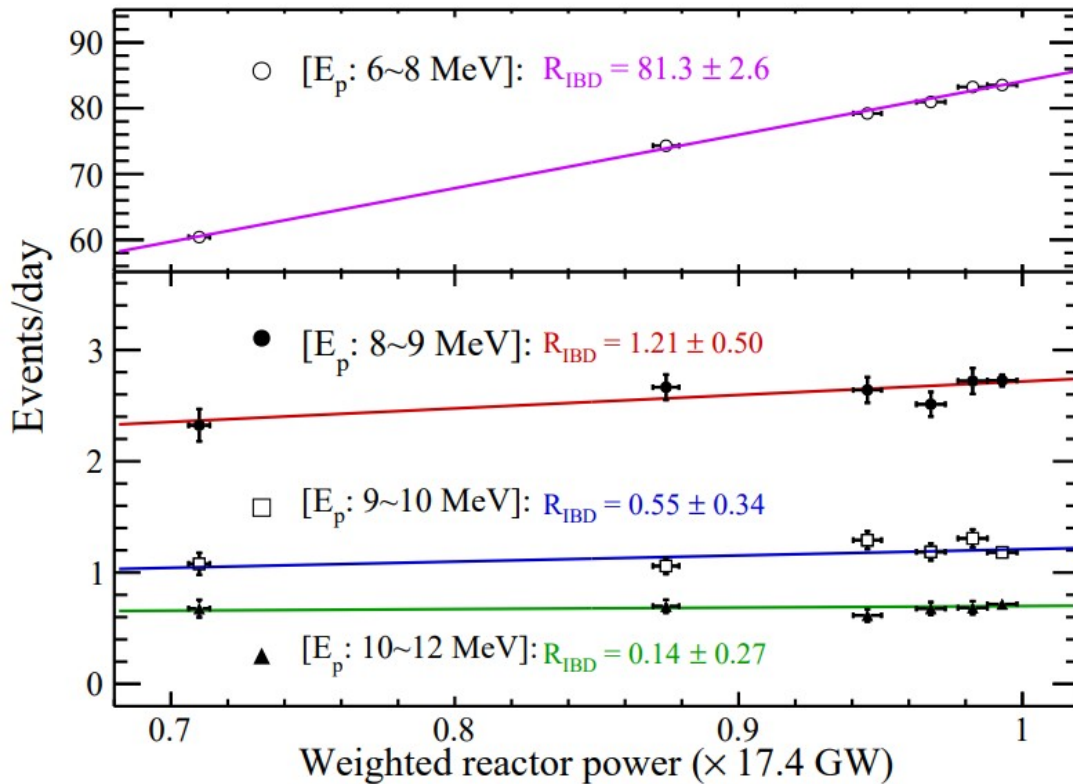
- Use 1958 days of data (Dec 24, 2011 – Aug 31, 2017)
- Standard (“A”) selection with shortened (1 ms) shower veto
  - More information for constraining cosmogenic isotope bkg.

Criterion	Selection A
Calibration	$^{60}\text{Co}$ and $^{241}\text{Am}$ - $^{13}\text{C}$ method
Reconstruction	Corrected center-of-charge
8-inch PMT light emission	Reject $f_{\text{ID}} \geq 0$
2-inch PMT light emission	Reject $Q_{\text{max}}(\text{2-inch PMTs}) > 100$ p.e.
Prompt energy	(0.7, 12.0) MeV
Delayed energy	(6, 12.0) MeV
Prompt-delayed $\Delta t$	(1, 200) $\mu\text{s}$
Multiplicity veto ( <i>pre</i> )	No signal $> 0.7$ MeV 200 $\mu\text{s}$ before prompt
Multiplicity veto ( <i>post</i> )	No signal $> 0.7$ MeV 200 $\mu\text{s}$ after delayed
Water Shield muon veto	Veto (-2, 600) $\mu\text{s}$ after NHIT $> 12$ in OWS or IWS
AD muon veto	Veto (0, 1) ms after $> 20$ MeV signal
AD shower veto	Veto <del>(0, 1) s</del> after $> 2.5$ GeV signal

(0, 1) ms

- 4M IBD candidates,  $\sim 9000$  in 8-12 MeV prompt energy region

$$R = R_{\text{IBD}} P_{\text{reactor}} + R_{\text{bkg}}$$



- Rate in 8-12 MeV 1/20th of rate in 6-8 MeV
- $R_{\text{IBD}} > 0$  at  $>30\sigma$  for 6-8 MeV;  $<2.5\sigma$  above 8 MeV
- Backgrounds: Cosmogenic isotopes ( ${}^9\text{Li}/{}^8\text{He}$  correlated;  ${}^{12}\text{B}+{}^{12}\text{B}$  accidental), fast neutrons

## Strategy:

- **Get the fractions of IBDs and backgrounds** in each energy bin with an unbinned fit over all events in the bin, exploiting:
  - Time to last muon
  - Vertical position
  - Reactor power
- **Get the IBD prompt spectrum** by scaling the total spectrum by the IBD fraction in each bin
- **Get the uncertainty** both from statistics and from systematics (pull term) in background model
- **Validate the model** by defining a discriminator  $P_{\text{IBD}}$ . Compare distribution to toy MC prediction.
- **Unfold the prompt spectrum** to get the antineutrino spectrum

In each energy bin, let  $r_p$  be the fraction of events of type  $p$ :

- Cosmogenic isotopes
- Fast neutrons
- IBDs

Then in each energy bin, we want the best fit of the vector  $\mathbf{r}$  (of  $r_p$  for all three  $p$ )

For each IBD candidate, determine:

- $\Delta\mathbf{t}$ , vector of time differences to most-recent muon in each of eight muon categories (four energy ranges  $\times$  with/without associated neutron)
- $z$ , vertical position of event
- $w$ , baseline-weighted reactor power

Then define event-by-event probability distribution function (PDF), parameterized by  $\mathbf{r}$ :

$$F(\mathbf{r}; \Delta\mathbf{t}, z, w) = \sum_p r_p f_p(\Delta\mathbf{t}) h_p(z) k_p(w)$$

where  $f_p$ ,  $h_p$ , and  $k_p$  are the 1D PDFs of  $\Delta\mathbf{t}$ ,  $z$ , and  $w$  for events of type  $p$ , respectively



## Time-to-last-muon $f(\Delta t)$ :

$$f(\Delta t) = \kappa \cdot e^{-\kappa \Delta t}$$

where  $\kappa = R_\mu$  for muon-uncorrelated events (IBDs and fast neutrons) and  $\kappa = R_\mu + \frac{n}{\tau}$  for cosmogenic isotopes ( $\tau$  = lifetime;  $n = 1$  for  ${}^9\text{Li}/{}^8\text{He}$ ,  $n = 2$  for  ${}^{12}\text{B}+{}^{12}\text{B}$ )

- Eight muon categories in  $\Delta t$ : (four energy ranges  $\times$  with/without water pool neutron)
- For lowest-energy muons *without WP neutrons* in EH1 and EH2, high muon rate leads to degenerate time constants
  - ▶ Use result for neutron-tagged muons, scaled by the neutron tagging efficiency from EH3 (validated with Geant4, constrained by pulls in fit)

## Vertical position $h(z)$ :

- Uniform for IBDs and cosmogenic isotopes
- Top-dominated for fast neutrons (measured from IBD candidates in 12-20 MeV)

## Weighted reactor power $k(w)$ :

- Proportional to  $w$  for IBDs
- Flat for cosmogenic isotopes and fast neutrons

$$F(\mathbf{r}; \Delta t, z, w) = \sum_p r_p f_p(\Delta t) h_p(z) k_p(w)$$

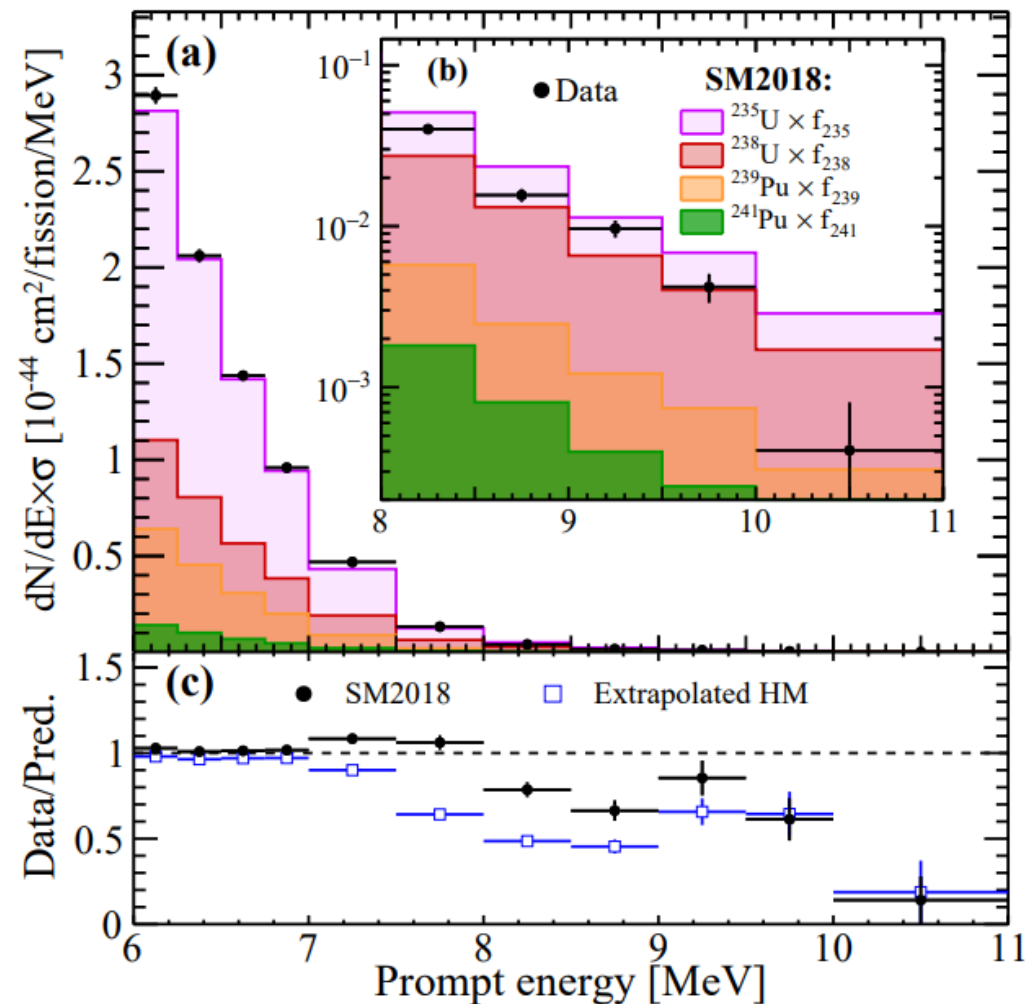
Fitting: Find  $\mathbf{r}$  (for each energy bin) that minimizes

$$\chi^2(\mathbf{r}) = -2 \sum [\log F(\mathbf{r}; \Delta\mathbf{t}, z, w)] + g(\boldsymbol{\epsilon})$$

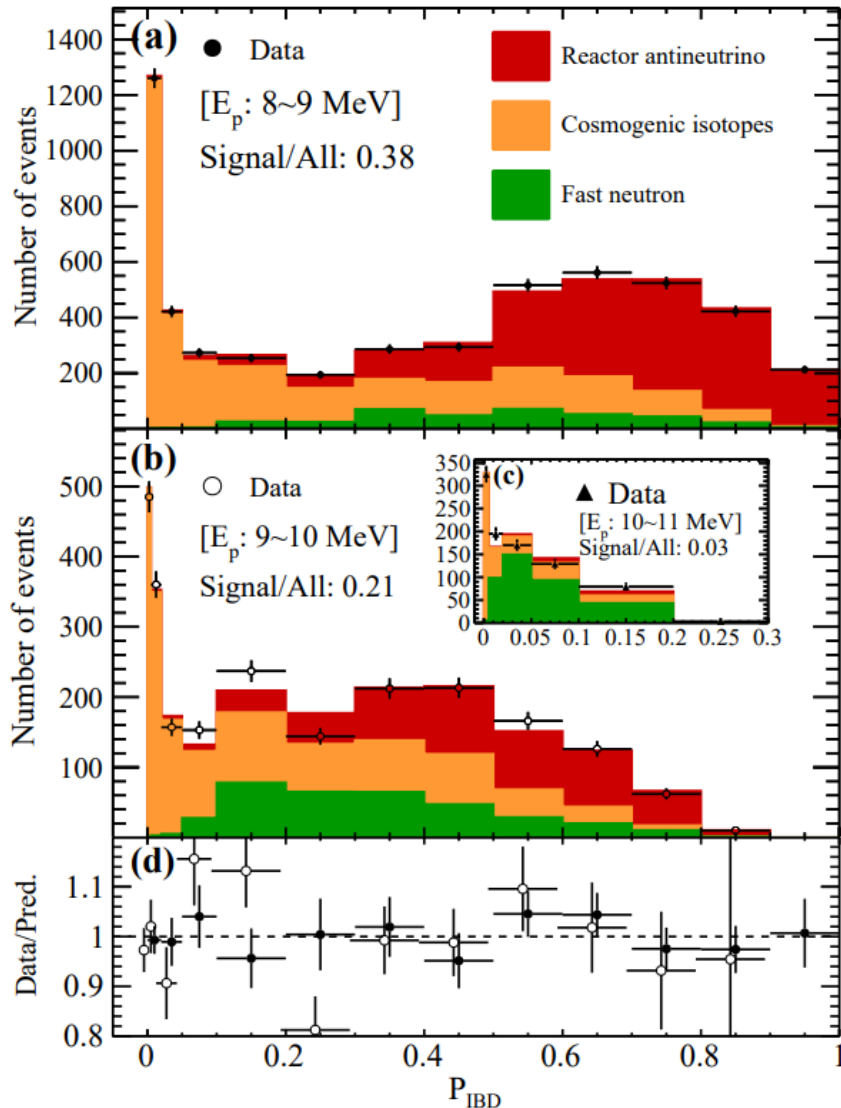
where the sum runs over all IBD candidates and  $g(\boldsymbol{\epsilon})$  is the penalty for the systematic pulls  $\boldsymbol{\epsilon}$  (which modify the 1D PDFs  $f_p$  etc.)

## Observations:

- Measured IBD yield 3% larger than SM2018 (recent summation prediction) in 6-8 prompt MeV, but 29% smaller for 8-11 prompt MeV
- Above 10 prompt MeV, expected  $5\sigma$  significance based on SM2018, but only observed  $1\sigma$
- Deficits vs SM2018 consistent with pandemonium effect
- Extrapolated Huber-Mueller model strongly disagrees with data  $\rightarrow$  not recommended



$$\text{Prompt spectrum } S_{\text{IBD}}(E) = r_{\text{IBD}}(E) S_{\text{all}}(E)$$



$P_{\text{IBD}}$  shows that reactor antineutrinos can be statistically separated from backgrounds (worse at higher energy).

Define, for each event, the discriminator  $P_{\text{IBD}}$  (probability of being an IBD):

$$P_{\text{IBD}} = \frac{r_{\text{IBD}} f_{\text{IBD}}(\Delta t) h_{\text{IBD}}(z) k_{\text{IBD}}(w)}{F(\mathbf{r}; \Delta t, z, w)}$$

Use toy MC to predict  $P_{\text{IBD}}$  distribution for each event class and energy bin

Compare measured distribution to sum (over event classes) of predictions. Good agreement.

Cross check: Obtain consistent results when ignoring (one of)  $\Delta t$ ,  $z$ ,  $w$ , or when only including a single hall

Background model contributes bulk of uncertainty:

- Below 9.5 MeV, ~60% of total uncertainty comes from isotopes
- Above 10 MeV, ~70% comes from fast neutrons
- Statistics only ~20% of total

Unfold the prompt spectrum using a fitting procedure. Minimize:

$$\chi^2 = (\mathbf{P} - \mathbf{M})\mathbf{Cov}^{-1}(\mathbf{P} - \mathbf{M})^T$$

$\mathbf{M}$  is the measured prompt spectrum,  $\mathbf{Cov}$  is its covariance, and

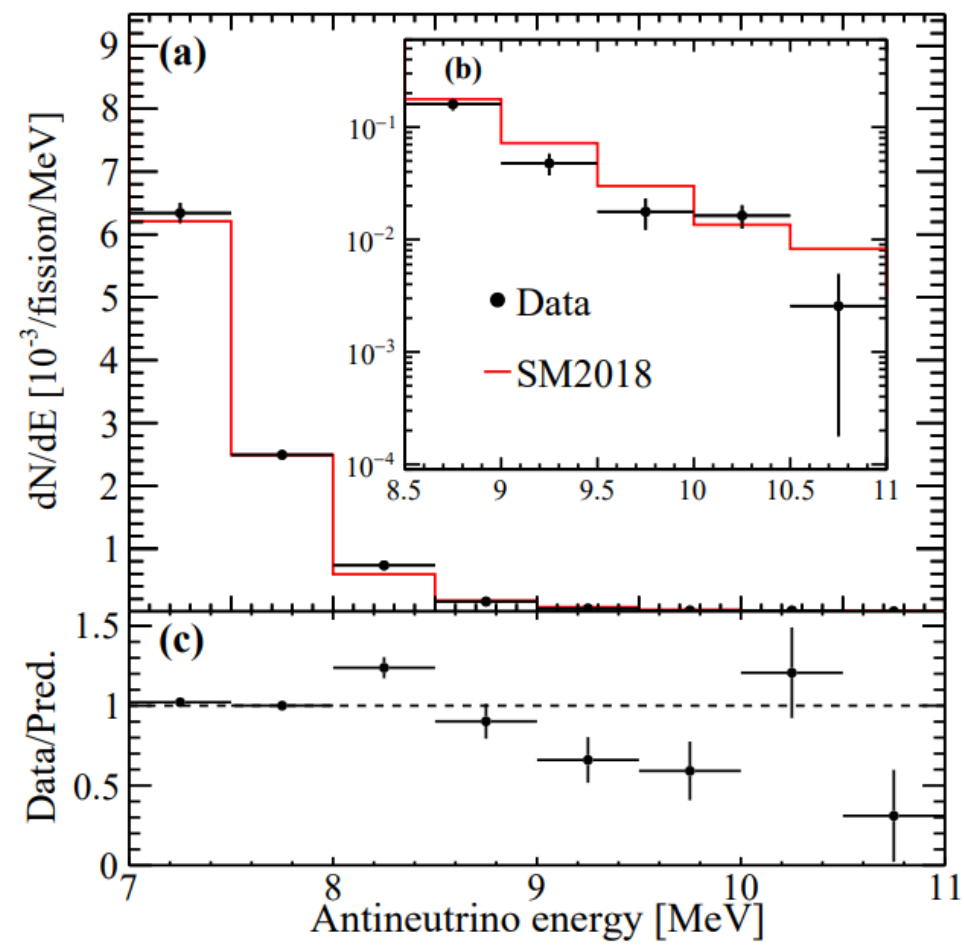
$$\mathbf{P} = \mathbf{R}\mathbf{S}^{\text{fit}}$$

is the predicted prompt spectrum, based on the detector response matrix  $\mathbf{R}$  and the predicted antineutrino spectrum  $\mathbf{S}^{\text{fit}}$  (varied in the minimization)

Unfolding procedure is equivalent to matrix inversion, but allows more statistical tests

Use wide bins to avoid large statistical fluctuations and bin-to-bin anticorrelations (common pitfall in unfolding)

Spectrum for immediate use by the community



- Assuming no HERA above (10, 10.5, 11) MeV, the  $\chi^2$  is found to be (38.3, 1.6, 0.03)
- **6.2 $\sigma$  rejection of no-HERA above 10 MeV**
- Above 10.5 MeV, no-HERA hypothesis not rejected

Backup

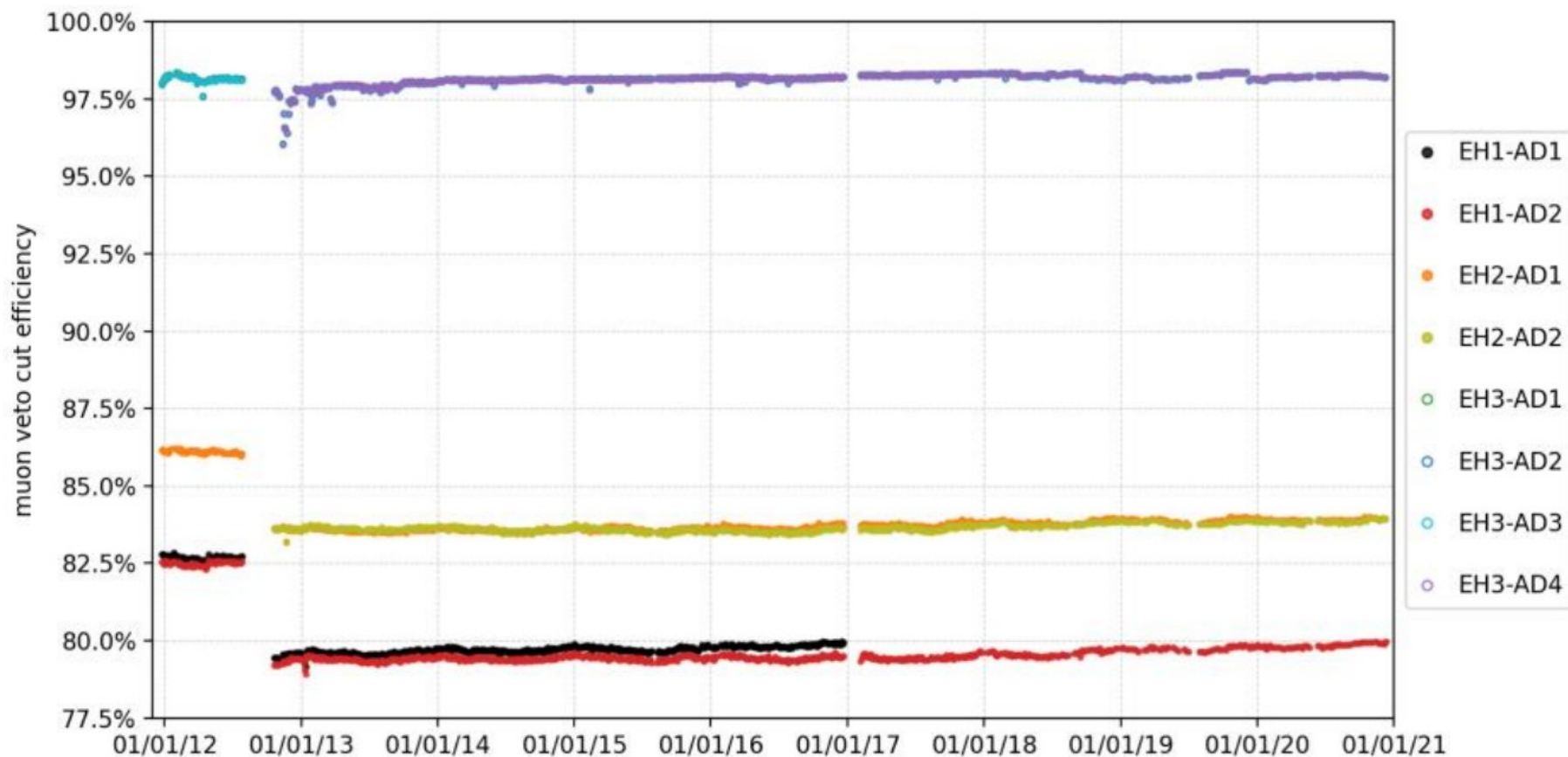
$$T_{\mu} = T_{un-vetoed} - N_{un-vetoed} \cdot 600\mu s$$

$$\epsilon_{\mu} = \frac{T_{\mu}}{T_{before}}$$

Total time outside veto windows

# of unvetoes periods > 600 μs

Total livetime ("before" vetoing)



$$\begin{aligned}\epsilon_{DMC} &= P(0; R_x \cdot 400\mu s) \cdot P(0; R_x \cdot 200\mu s) \\ &= e^{-R_x \cdot 600\mu s},\end{aligned}$$

