

# Probing physics beyond the Standard Model with supernovae

Meng-Ru Wu (Institute of Physics, Academia Sinica)

The 3rd New Physics Opportunities at Neutrino Facilities Workshops:  
Astrophysical Neutrinos, SLAC, USA, July 11-13, 2023



中央研究院物理研究所  
INSTITUTE OF PHYSICS, ACADEMIA SINICA



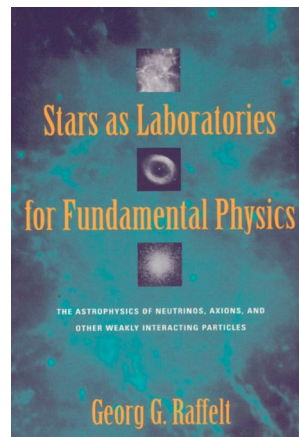
**NSTC** 國家科學及技術委員會  
National Science and Technology Council



# Core-collapse supernovae

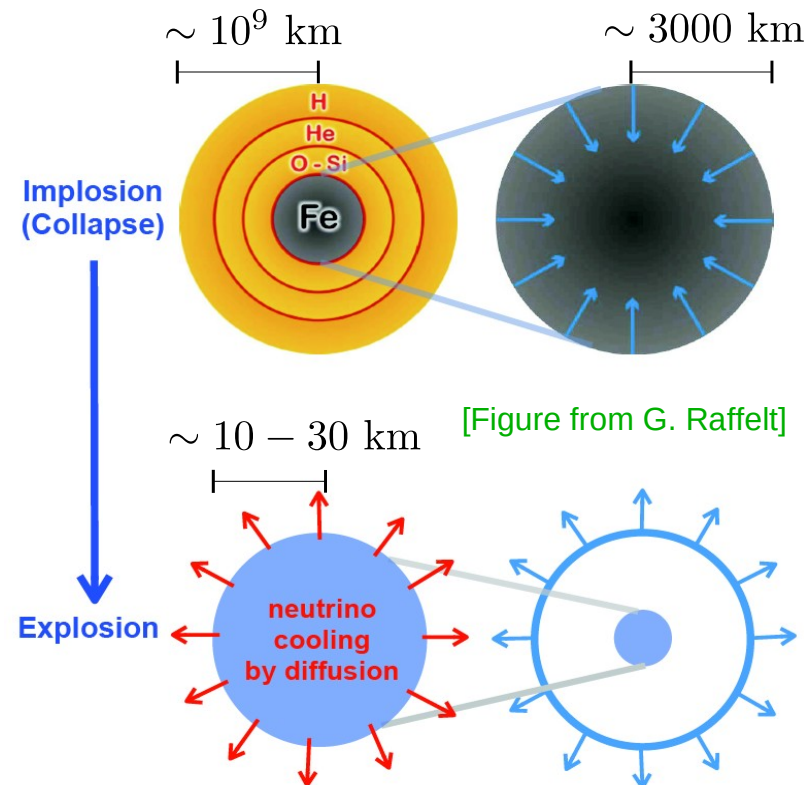
- the death of massive stars  $\gtrsim 8 M_{\odot}$
- luminosity  $\simeq 10^9 L_{\odot}$  for  $\sim \mathcal{O}(100)$  days  
( $E_{\gamma} \sim 10^{49}$  erg)
- explosion energy  $\sim 10^{51}$  erg  $\equiv 1$  B(ethe)
- strong MeV neutrino emission  $\sim 10^{53}$  erg within  $\sim 10$  s ( $\sim 10^{58}$  neutrinos)

The high density ( $\rho_c \gtrsim 10^{14} \text{ g cm}^{-3}$ ) and temperature  $T_c \gtrsim 30$  MeV of the proto-neutron stars make them interesting astrophysical “laboratory” complementary to terrestrial experiments



SN1987a

(From AAO website)



[Figure from G. Raffelt]

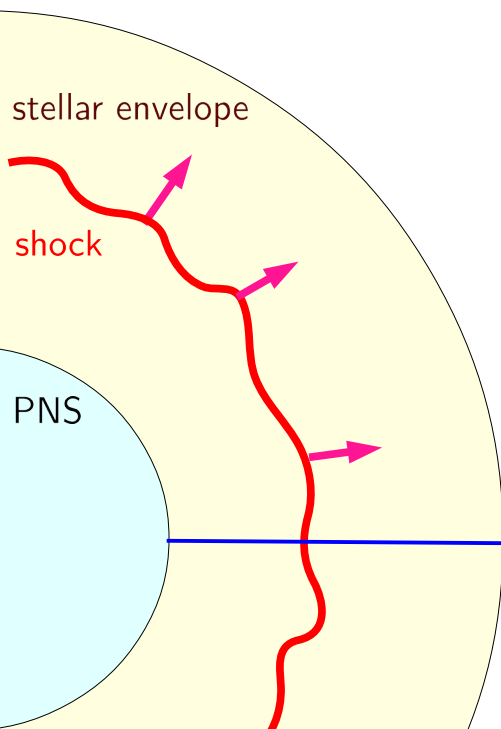
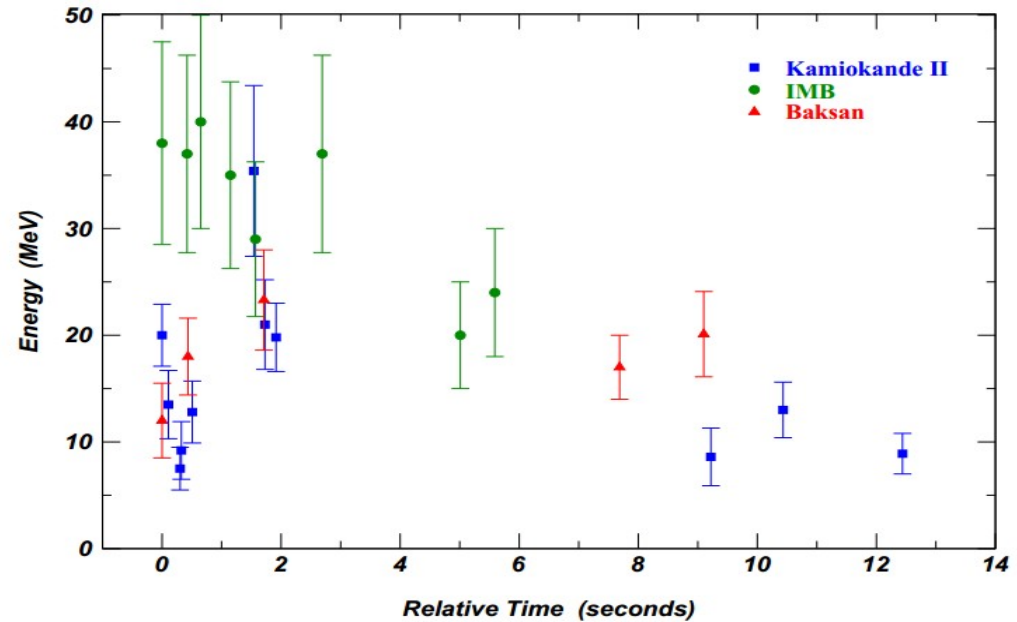
# SN neutrinos

Detected  $\sim 20 \bar{\nu}_e$  in  $\sim 10$  s  
from SN1987a

broadly consistent with SN  
theory, although “tensions”  
are claimed recently

[e.g., Olson & Qian 2021, 2022, Li+ 2023]

[J. Heise PhD Thesis (2002)]



will see  $\mathcal{O}(10^4 - 10^5)$  events from the next galactic SN!  
implication for bSM physics?

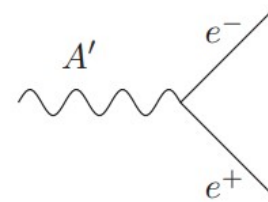
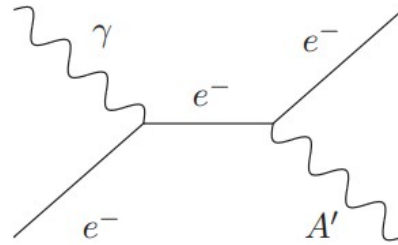
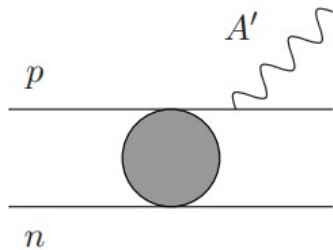
$\nu_{e,\mu,\tau}$



# Production of bSM particles in SNe

- collisional production (dark photons, axions, light dark fermions, sterile  $\nu$ ,...)

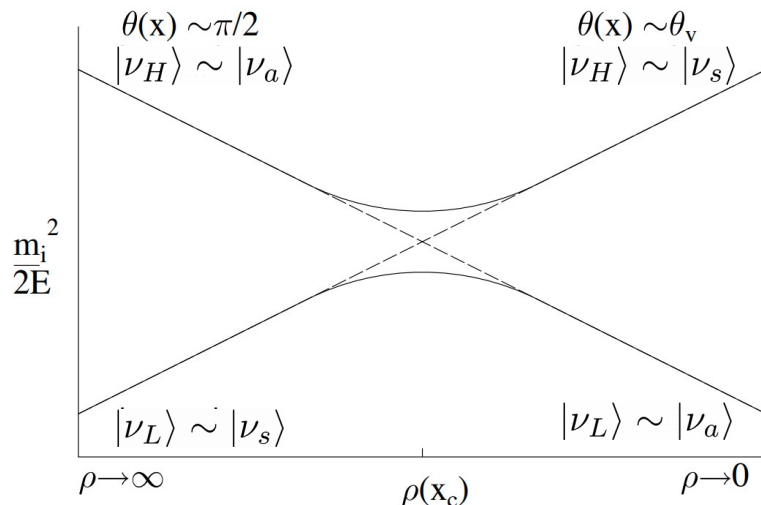
$$\mathcal{L} \supset -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - \frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu$$



[Adapted from J. Chang]

+ ...

- resonant conversion (eV – keV sterile neutrinos):



[Adapted from Haxton]

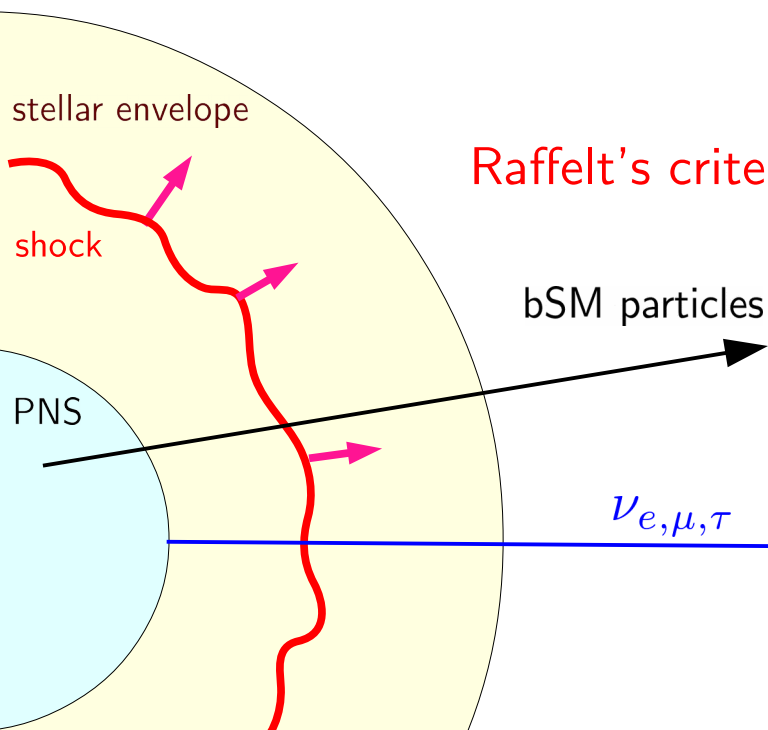
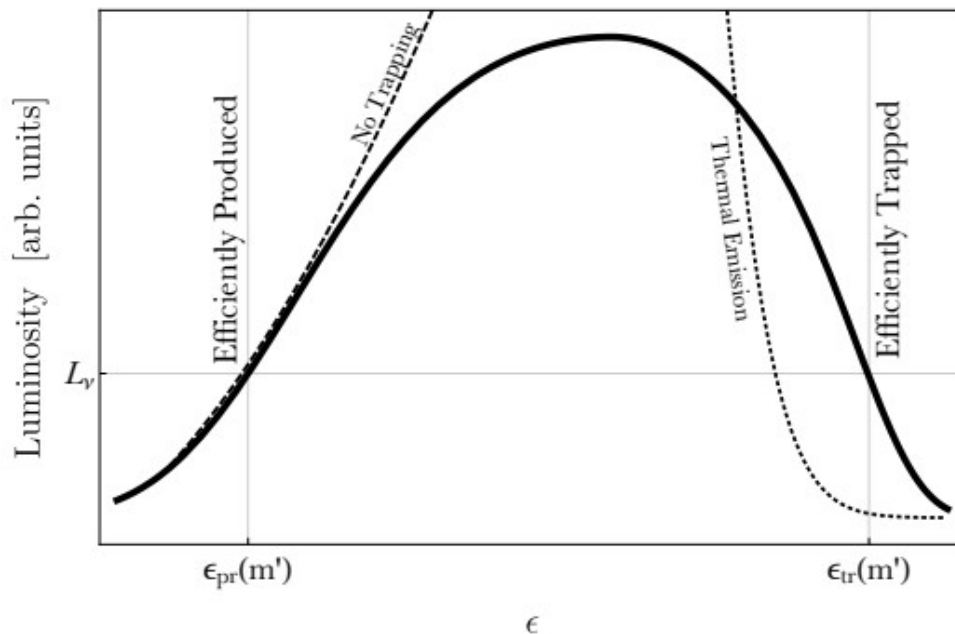
## bSM v.s. SN: (i) excessive cooling

[Chang+ 1611.03864]

light ( $\lesssim 100$  MeV) bSM particle that couple to  $n, p, e^\pm, \mu^\pm, \gamma$  may be produced in PNS and escape

→ reduce available thermal energy carried by  $\text{SN}\nu$

→ shorten  $\text{SN}\nu$  emission duration



Raffelt's criteria:  $L_{\text{new particle}} < L_\nu \sim 3 \times 10^{52} \text{ erg/s}$

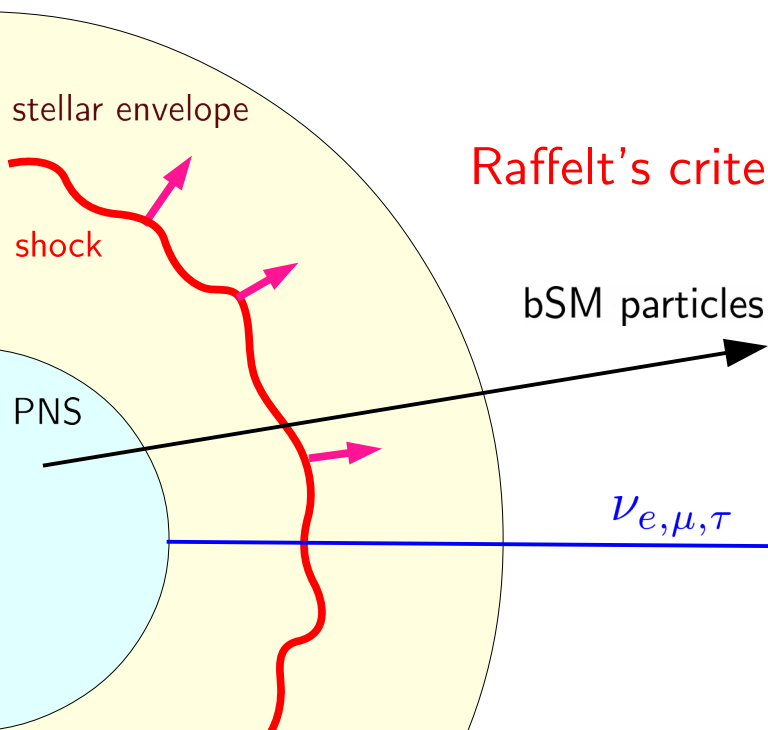


## bSM v.s. SN: (i) excessive cooling

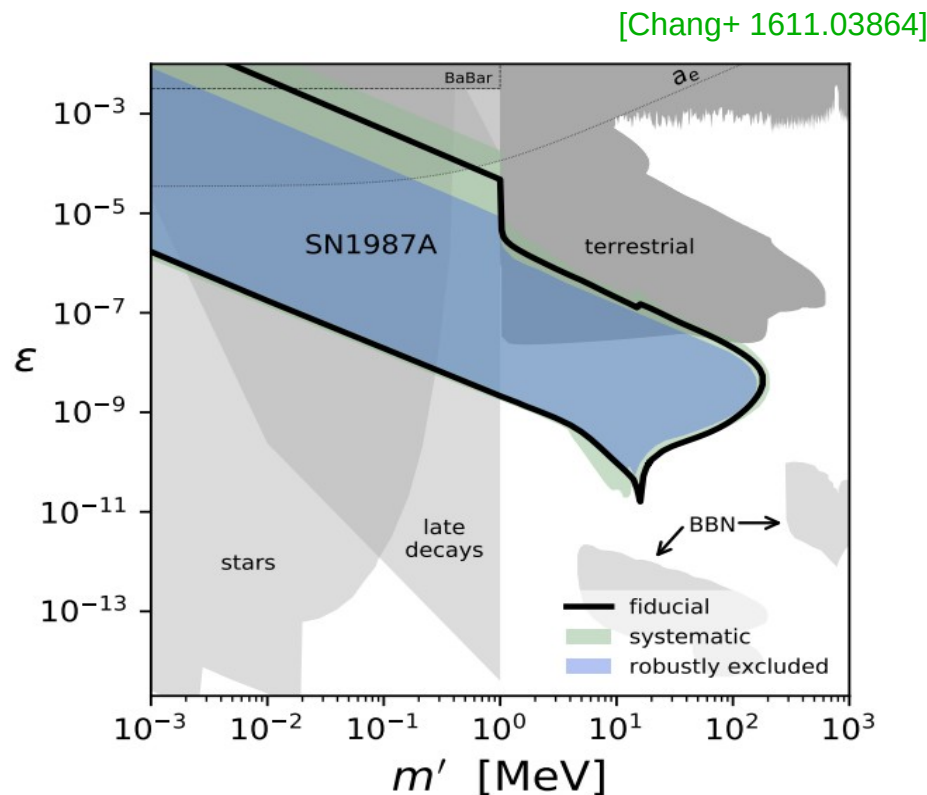
light ( $\lesssim 100$  MeV) bSM particle that couple to  $n, p, e^\pm, \mu^\pm, \gamma$  may be produced in PNS and escape

→ reduce available thermal energy carried by  $\text{SN}\nu$

→ shorten  $\text{SN}\nu$  emission duration



Raffelt's criteria:  $L_{\text{new particle}} < L_\nu \sim 3 \times 10^{52} \text{ erg/s}$



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

Caveats exist for:

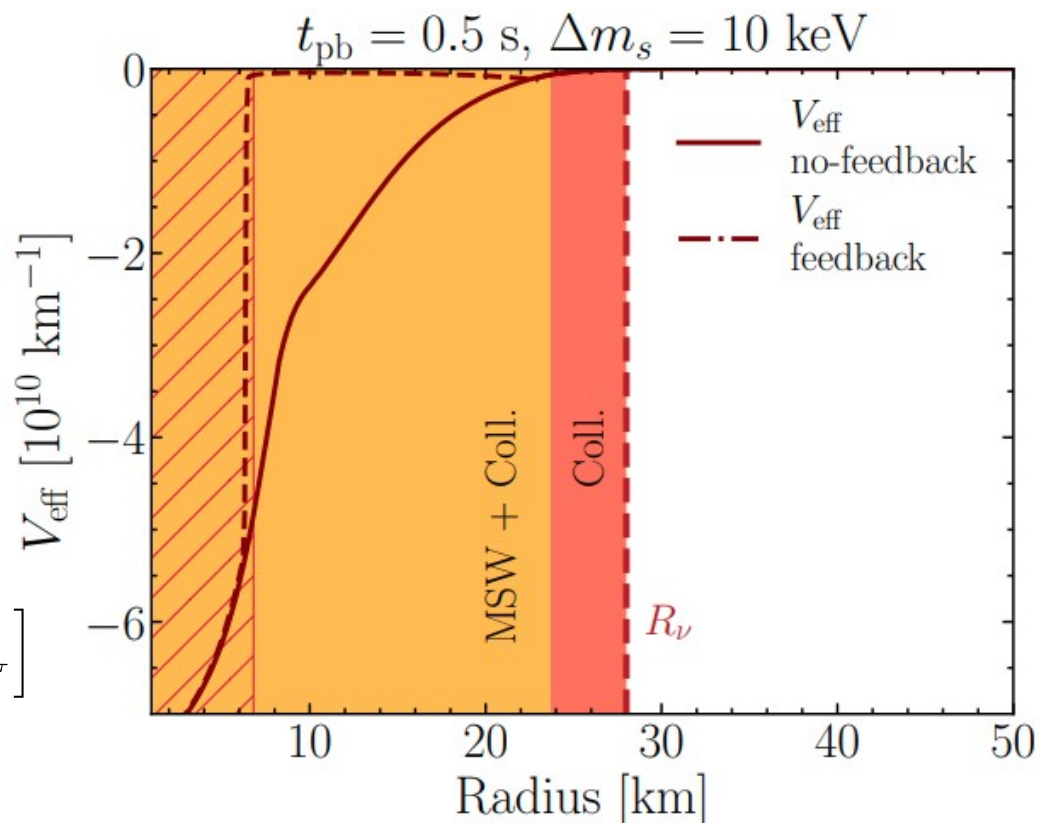
a. keV sterile neutrinos  
whose production depends  
on the adiabaticity of  $V_{\text{eff}}$

$$\frac{\delta m^2}{2E_\nu} \cos \theta_\nu = V_{\text{eff}}$$

for  $\nu_\tau - \nu_s$  mixing

$$V_{\text{eff}} = \pm \sqrt{2} G_F n_b \left[ -\frac{(1 - Y_e)}{2} + Y_{\nu_e} + Y_{\nu_\mu} + 2Y_{\nu_\tau} \right]$$

→ feedback effect is important!





## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

Caveats exist for:

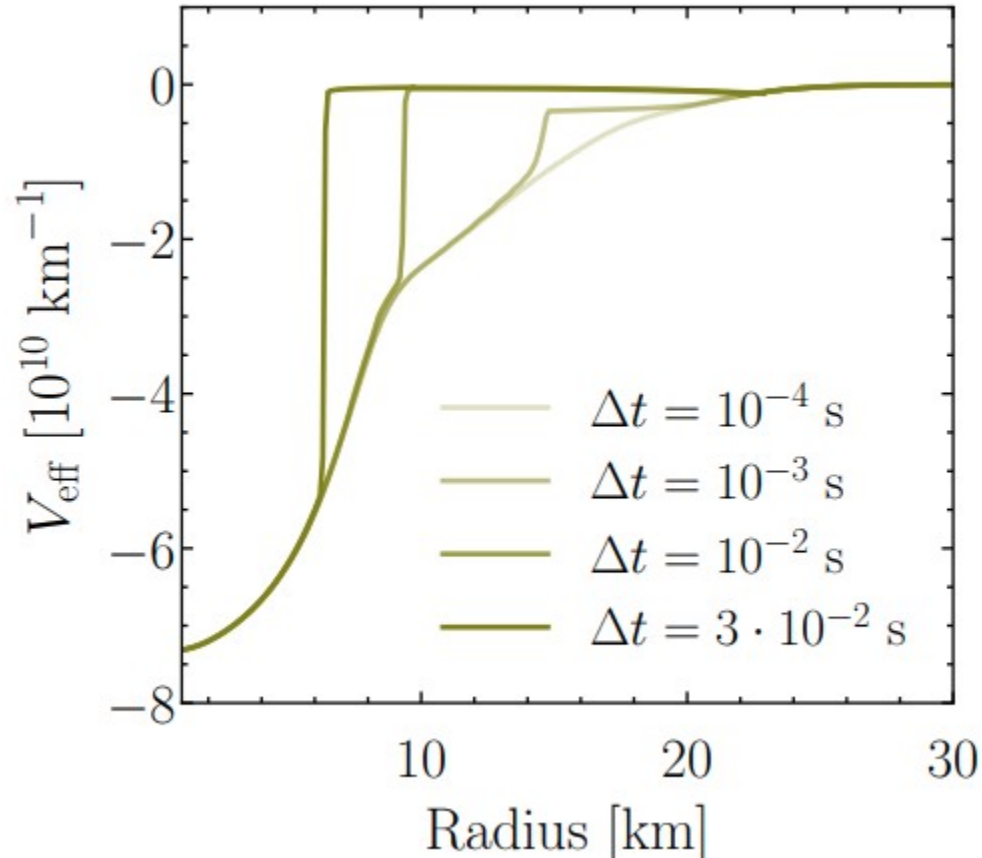
a. keV sterile neutrinos  
whose production depends  
on the adiabaticity of  $V_{\text{eff}}$

$$\frac{\delta m^2}{2E_\nu} \cos \theta_\nu = V_{\text{eff}}$$

for  $\nu_\tau - \nu_s$  mixing

$$V_{\text{eff}} = \pm \sqrt{2} G_F n_b \left[ -\frac{(1 - Y_e)}{2} + Y_{\nu_e} + Y_{\nu_\mu} + 2Y_{\nu_\tau} \right]$$

→ feedback effect is important!



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

Caveats exist for:

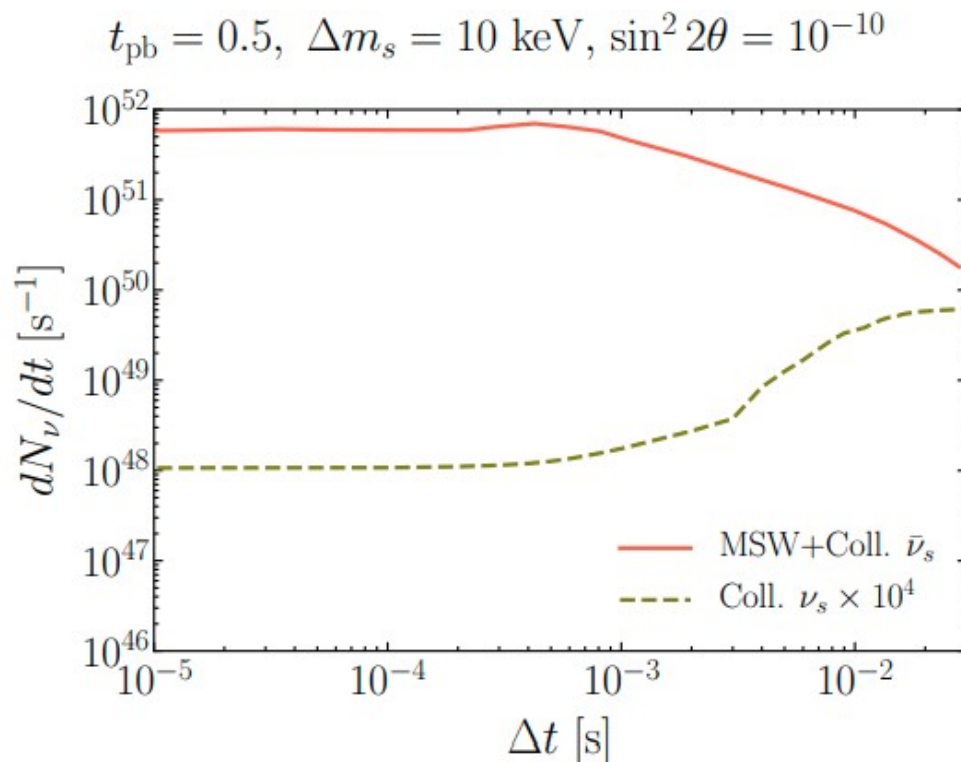
a. keV sterile neutrinos  
whose production depends  
on the adiabaticity of  $V_{\text{eff}}$

$$\frac{\delta m^2}{2E_\nu} \cos \theta_\nu = V_{\text{eff}}$$

for  $\nu_\tau - \nu_s$  mixing

$$V_{\text{eff}} = \pm \sqrt{2} G_F n_b \left[ -\frac{(1 - Y_e)}{2} + Y_{\nu_e} + Y_{\nu_\mu} + 2Y_{\nu_\tau} \right]$$

→ feedback effect is important!



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

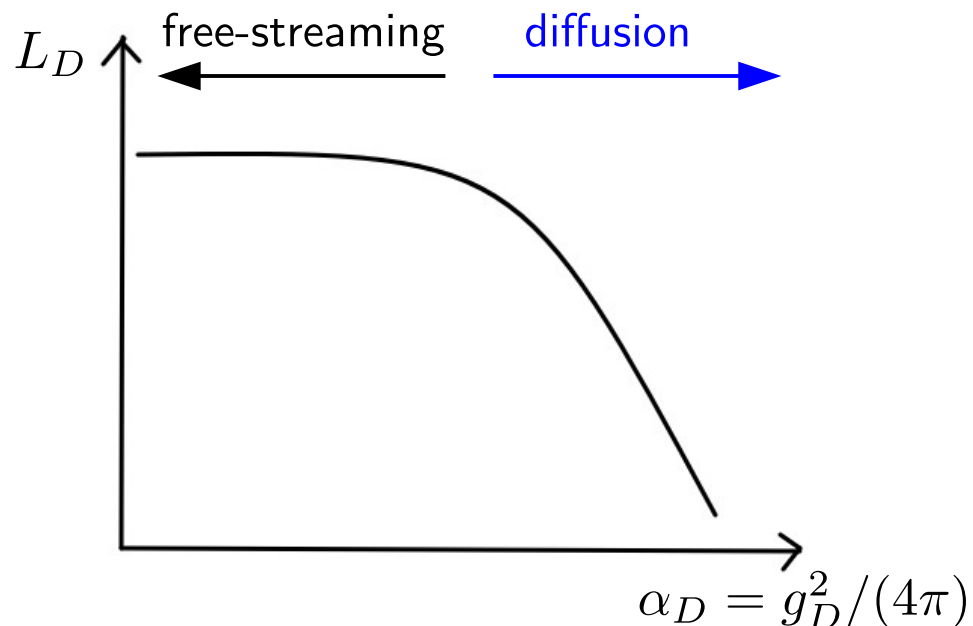
Caveats exist for:

b. self-interacting light  
dark sector

coupling among dark sector particles  
can be strong, which may lead to  
“self-trapping”

$$\mathcal{L} \supset -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - \frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu \\ + \bar{\chi} (i\gamma^\mu \partial_\mu - m_\chi) \chi + g_D \bar{\chi} \gamma^\mu A'_\mu \chi$$

dark photon + dark fermion



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

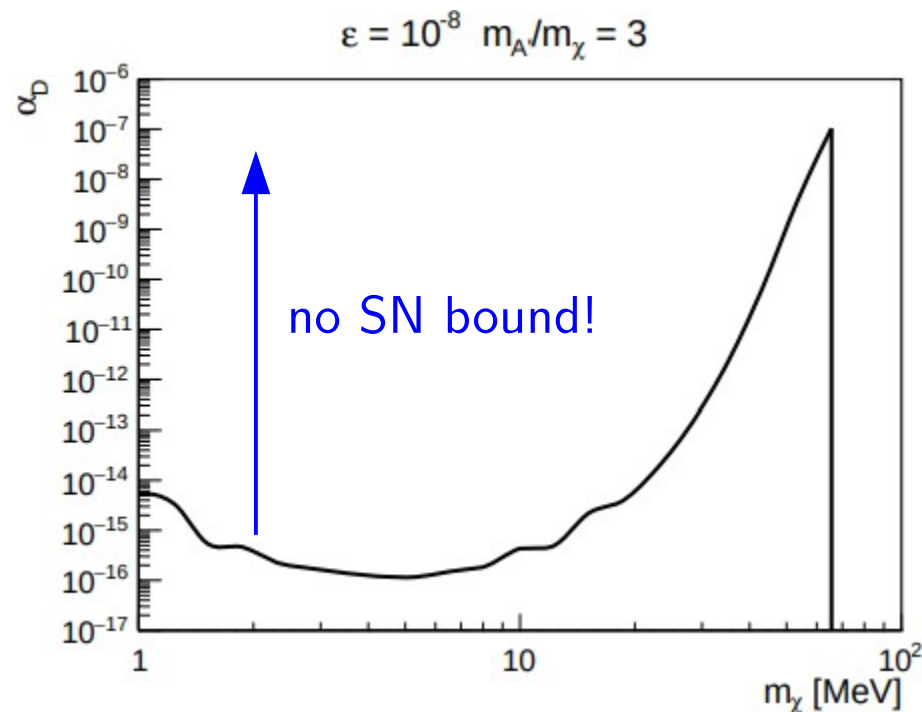
Caveats exist for:

b. self-interacting light  
dark sector

coupling among dark sector particles  
can be strong, which may lead to  
“self-trapping”

$$\mathcal{L} \supset -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - \frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu \\ + \bar{\chi}(i\gamma^\mu\partial_\mu - m_\chi)\chi + g_D\bar{\chi}\gamma^\mu A'_\mu\chi$$

dark photon + dark fermion



## bSM v.s. SN: (i) excessive cooling

- This is the most widely studied scenario that was applied to a wide class of bSM particles, including axions, dark mediators, keV sterile neutrinos, ... etc.
- Raffelt's criterion was formulated in fact based on simulations – valid for bSM particles that are created simply by collisional processes

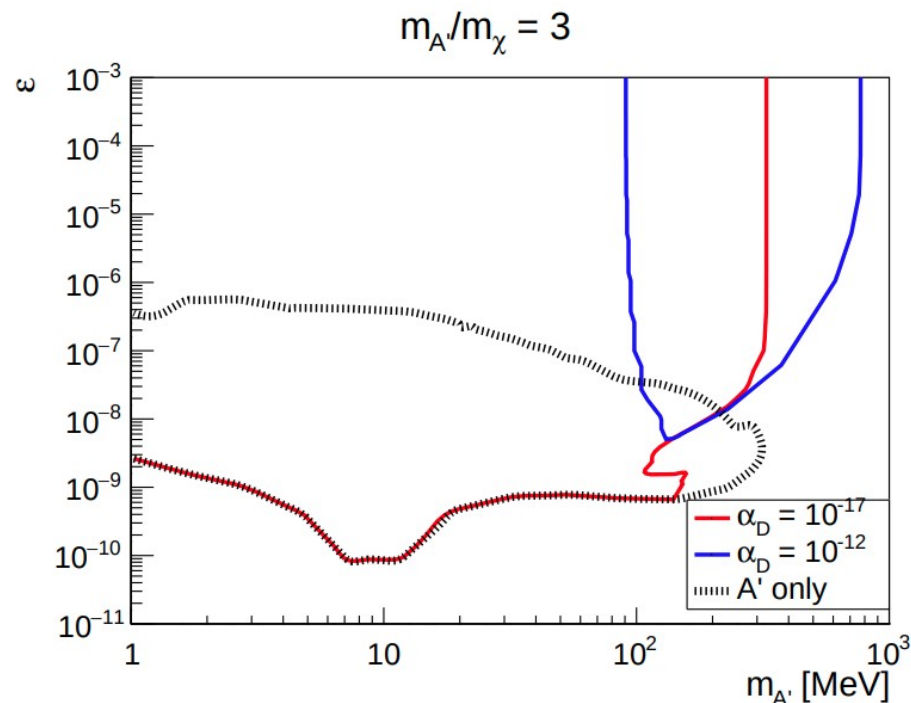
Caveats exist for:

b. self-interacting light  
dark sector

coupling among dark sector particles  
can be strong, which may lead to  
“self-trapping”

$$\mathcal{L} \supset -\frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} - \frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_\mu A'^\mu + \bar{\chi}(i\gamma^\mu\partial_\mu - m_\chi)\chi + g_D\bar{\chi}\gamma^\mu A'_\mu\chi$$

dark photon + dark fermion



if bSM particles can decay to or be converted back to SM particle...



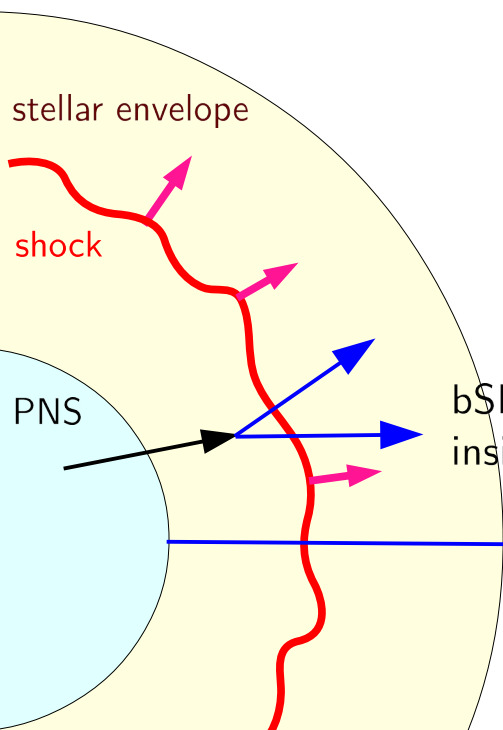
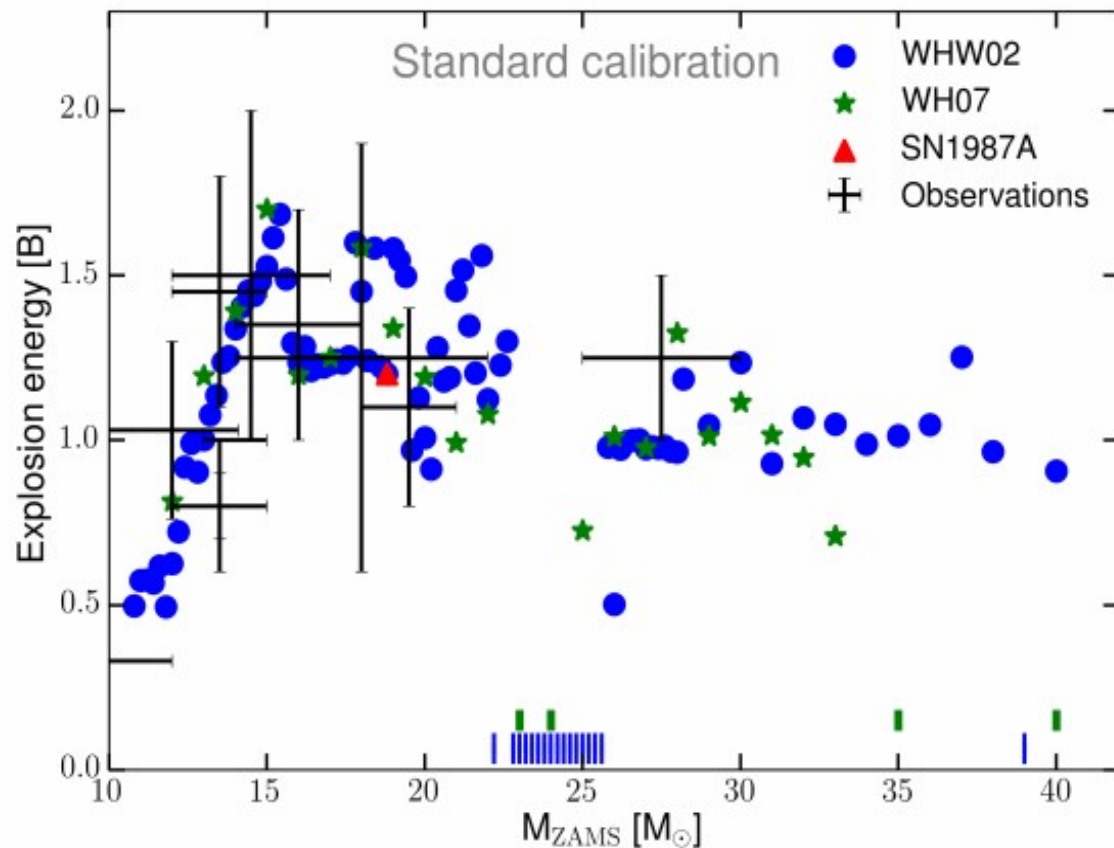
# bSM v.s. SN: (ii) explosion energy bound

[Ebinger+, 1804.03182]

$$E_{\text{expl}} \sim \text{K.E. of ejecta}$$

$$\sim \frac{1}{2} M_{\text{ej}} v_{\text{ej}}^2$$

$$\sim 10^{51} \text{ erg} \equiv 1 \text{ B(ethe)}$$



bSM particle decay to SM particles  
inside the stellar envelope

$\nu_{e,\mu,\tau}$

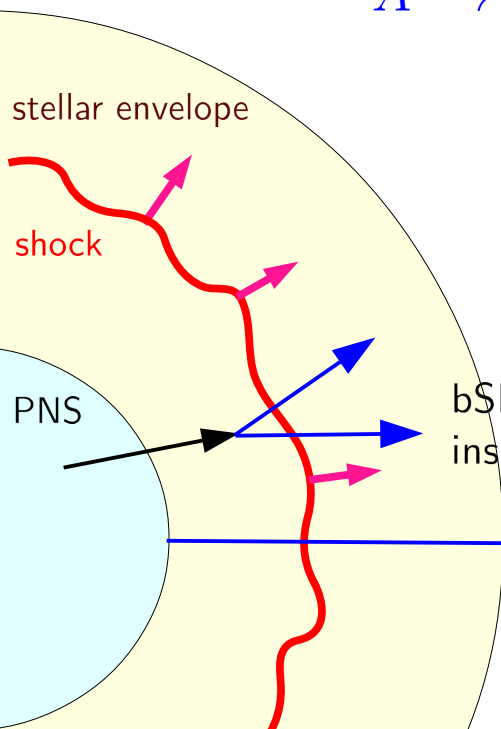


# bSM v.s. SN: (ii) explosion energy bound

For bSM particles that can escape PNS but decay to SN particles, they should NOT deposit too much energy into ejecta or envelope

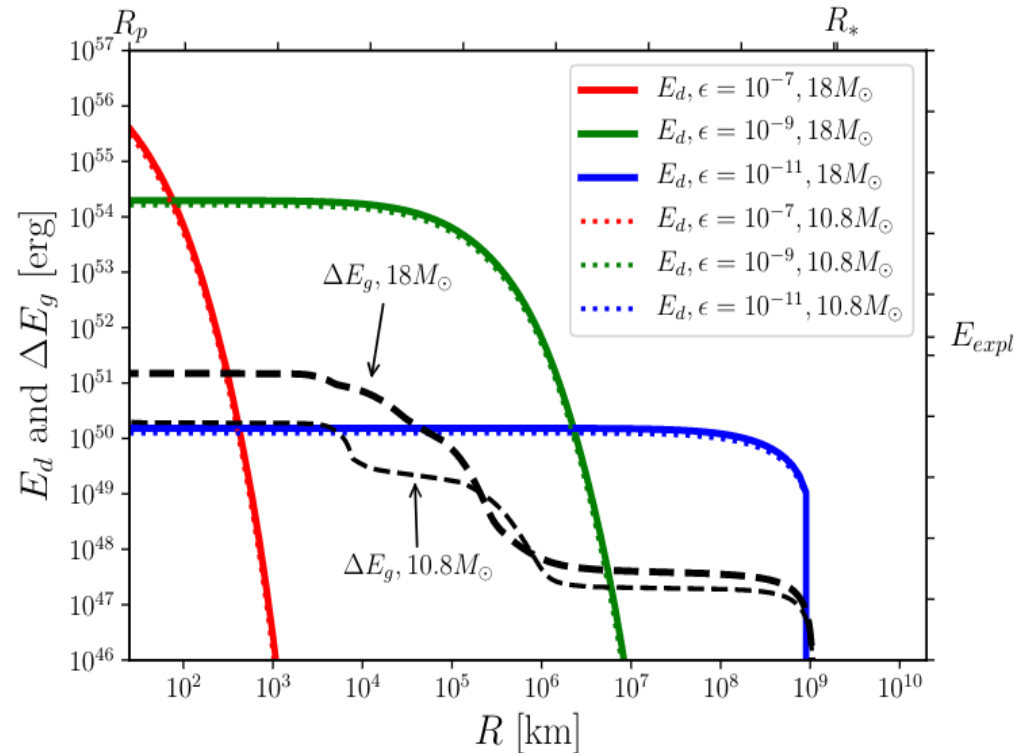
for dark photon

$$A' \rightarrow e^+ + e^-$$



bSM particle decay to SM particles inside the stellar envelope

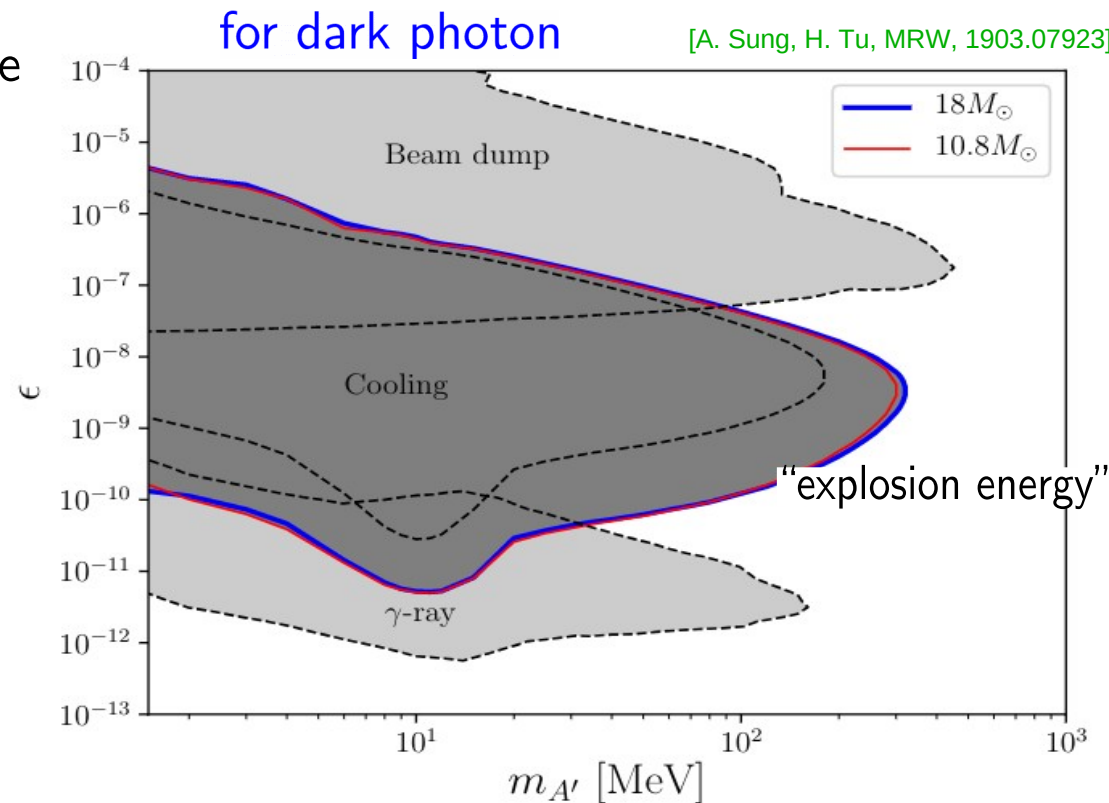
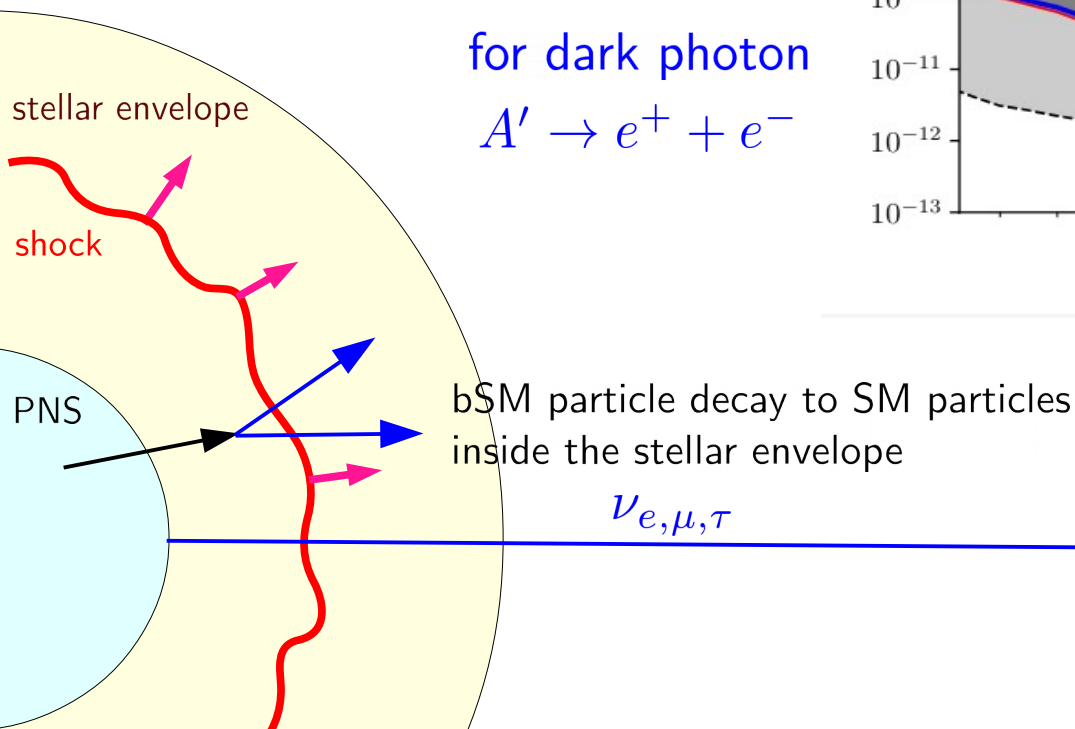
$$\nu_{e,\mu,\tau}$$



## bSM v.s. SN: (ii) explosion energy bound

For bSM particles that can escape PNS but decay to SN particles, they should NOT deposit too much energy into ejecta or envelope

[See also Caputo+ 2201.09890, which applies to extreme case of low-energy SNe (0.1B) for axion]



## bSM v.s. SN: (iii) additional SM signature

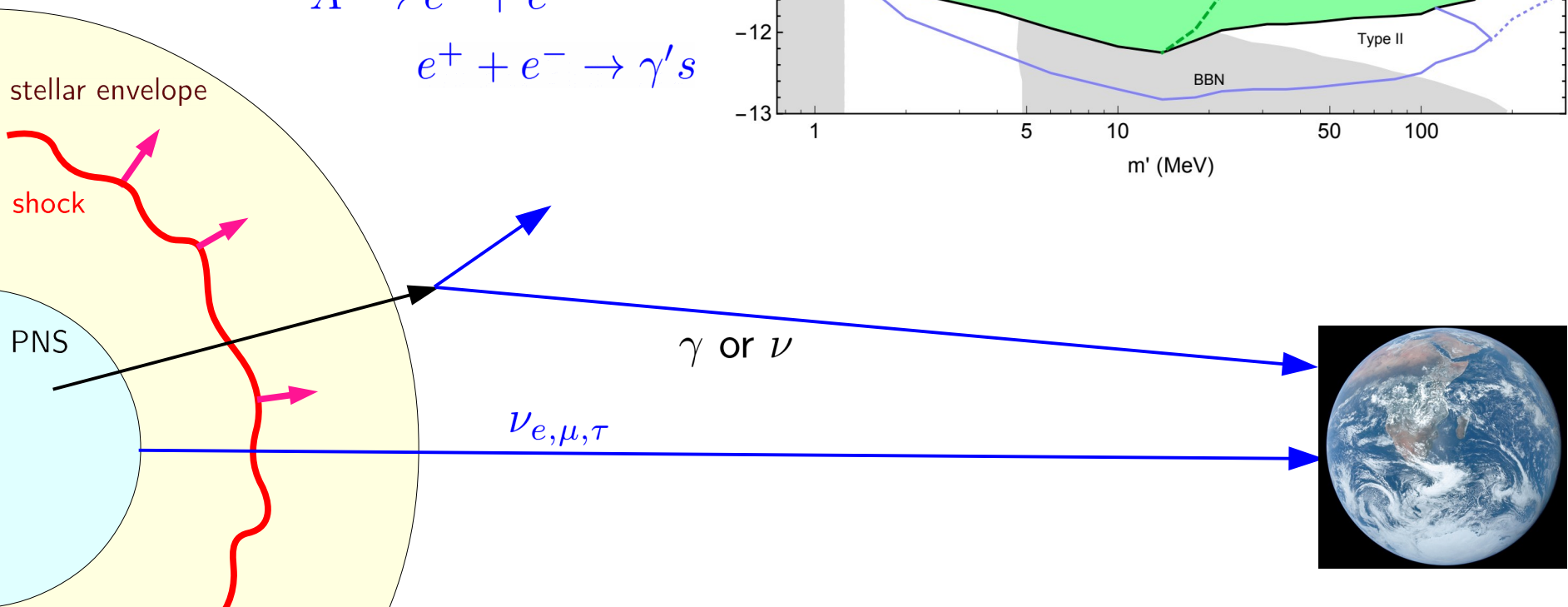
bSM particles can also decay to  
or produce SM photons or  
neutrinos that arrive Earth

→ additional signature

for dark photon

$$A' \rightarrow e^+ + e^-$$

$$e^+ + e^- \rightarrow \gamma's$$

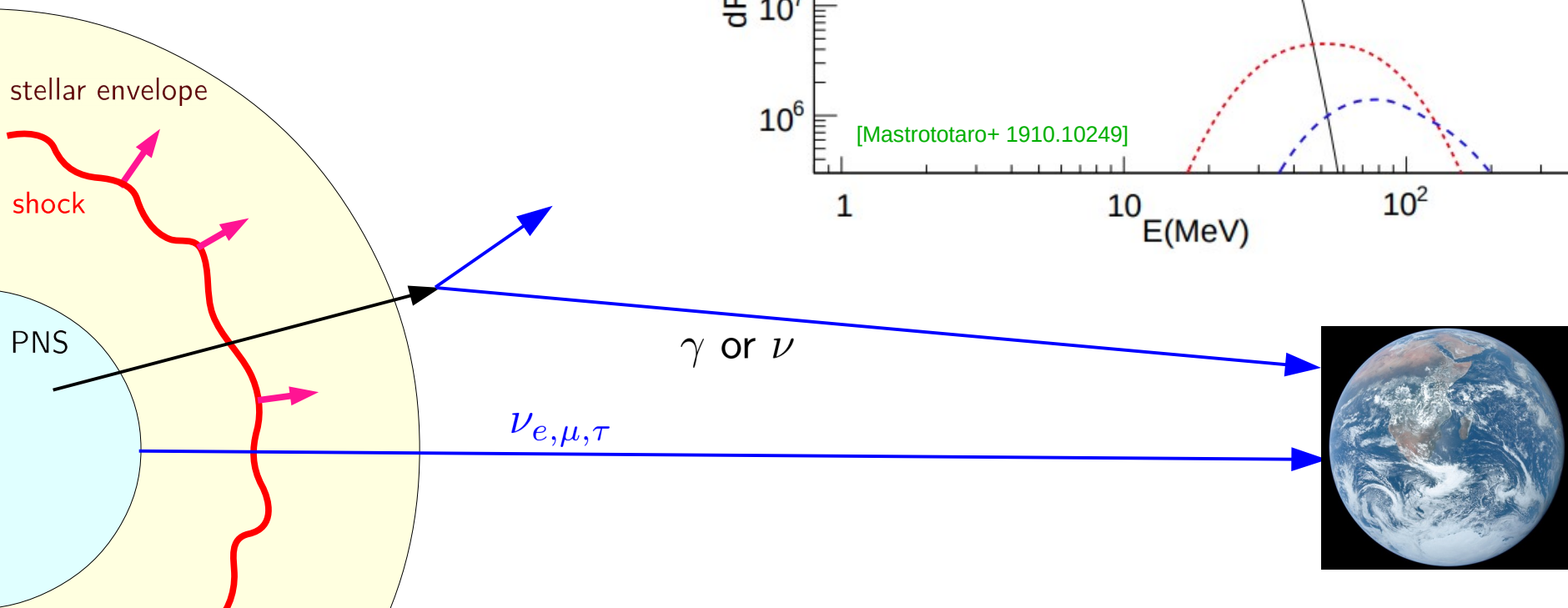


## bSM v.s. SN: (iii) additional SM signature

bSM particles can also decay to  
or produce SM photons or  
neutrinos that arrive Earth

→ additional signature

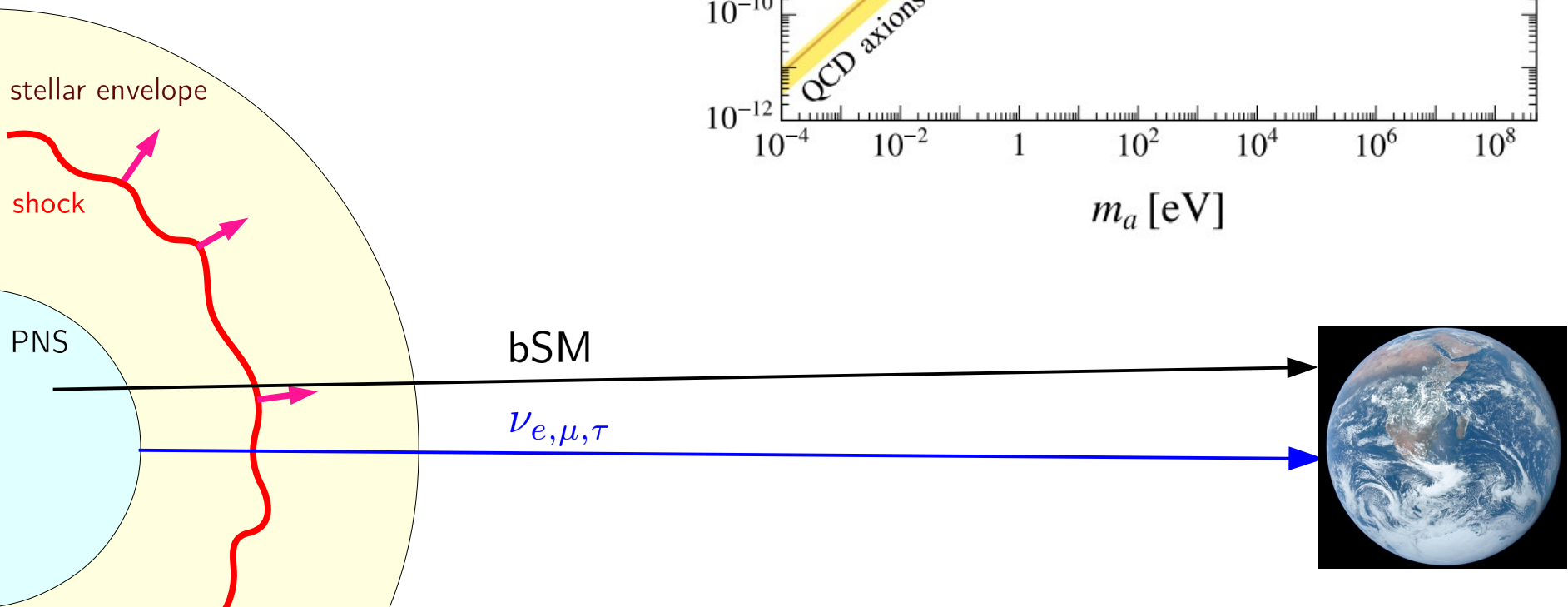
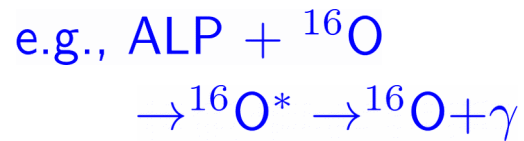
for  $\mathcal{O}(100)$  MeV sterile neutrinos



## bSM v.s. SN: (iv) direct bSM signature

bSM particles that arrive directly at Earth may also be interesting

for axion & axion-like particle





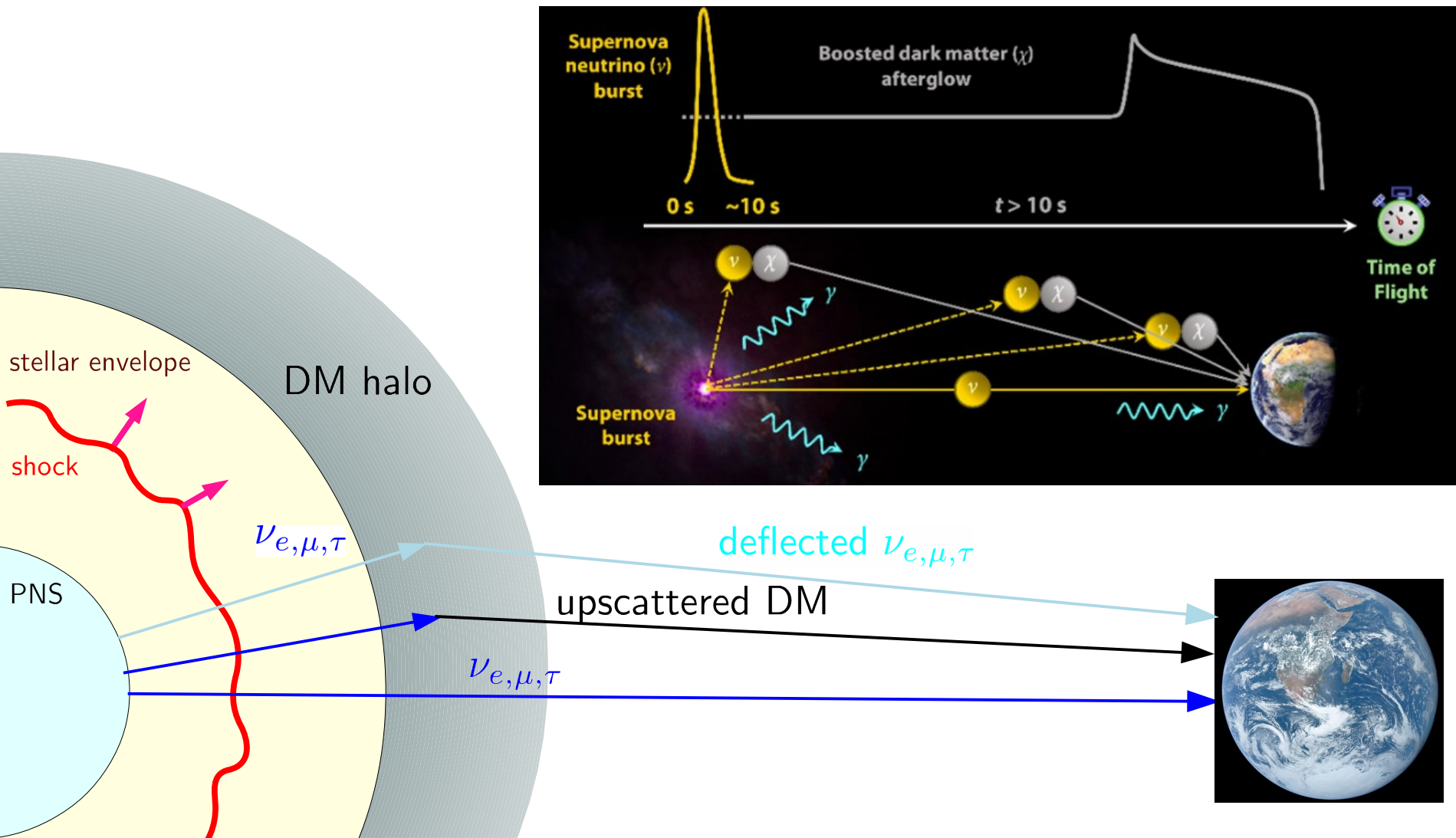
if neutrinos interact with dark matter...

# bSM v.s. SN: ( $\nu$ ) interaction with DM

If  $\text{SN}\nu$  interact with DM, they may:

a. upscatter the DM and produce “afterglow” events

[Lin, Wu, MRW, Wong, 2206.06864]



# Light dark matter boosted by supernova neutrinos

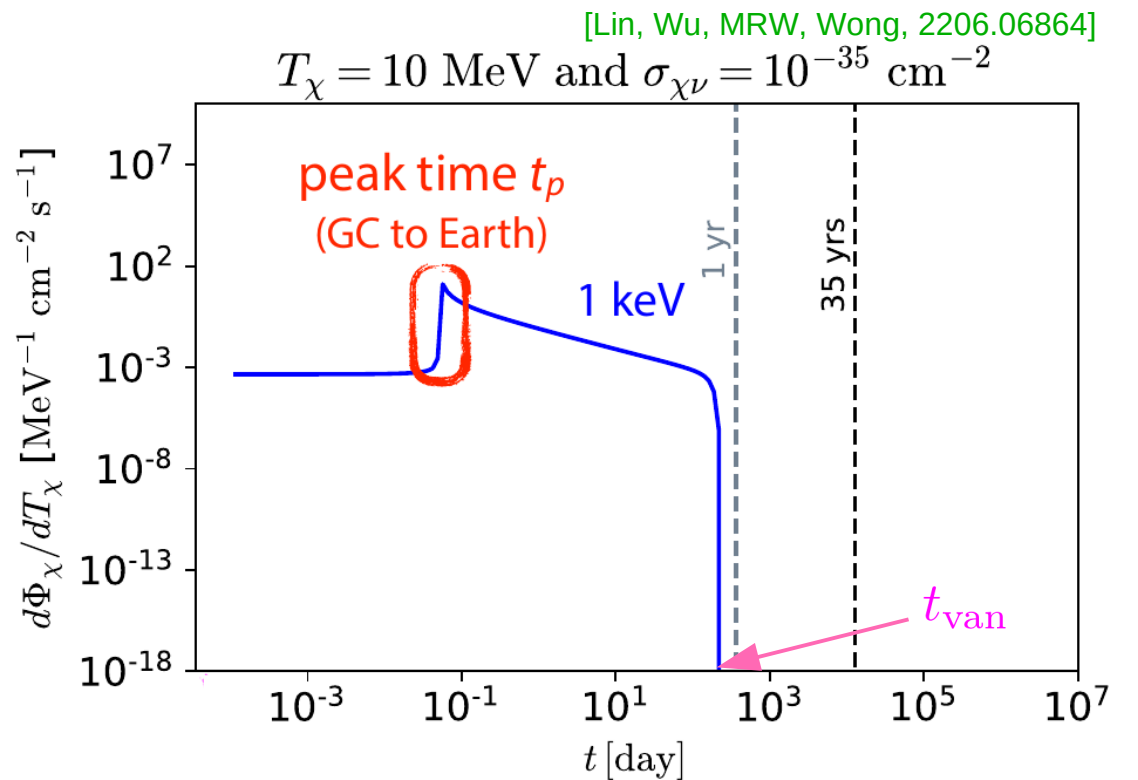
For SN at the galactic center of the Milky Way:

→ upscattered DM arrives the Earth at  
 $\sim 10 \text{ days} \times [d/(8 \text{ kpc})][m_\chi/(10 \text{ keV})]^2 [E_\chi/(10 \text{ MeV})]^{-2}$  after the arrival of  $\text{SN}\nu$

- Time-dependent feature:

$t_p$  and  $t_{\text{van}}$  determined  
by the distance and  $m_\chi$ ,  
independent of  $\sigma_{\chi\nu}$

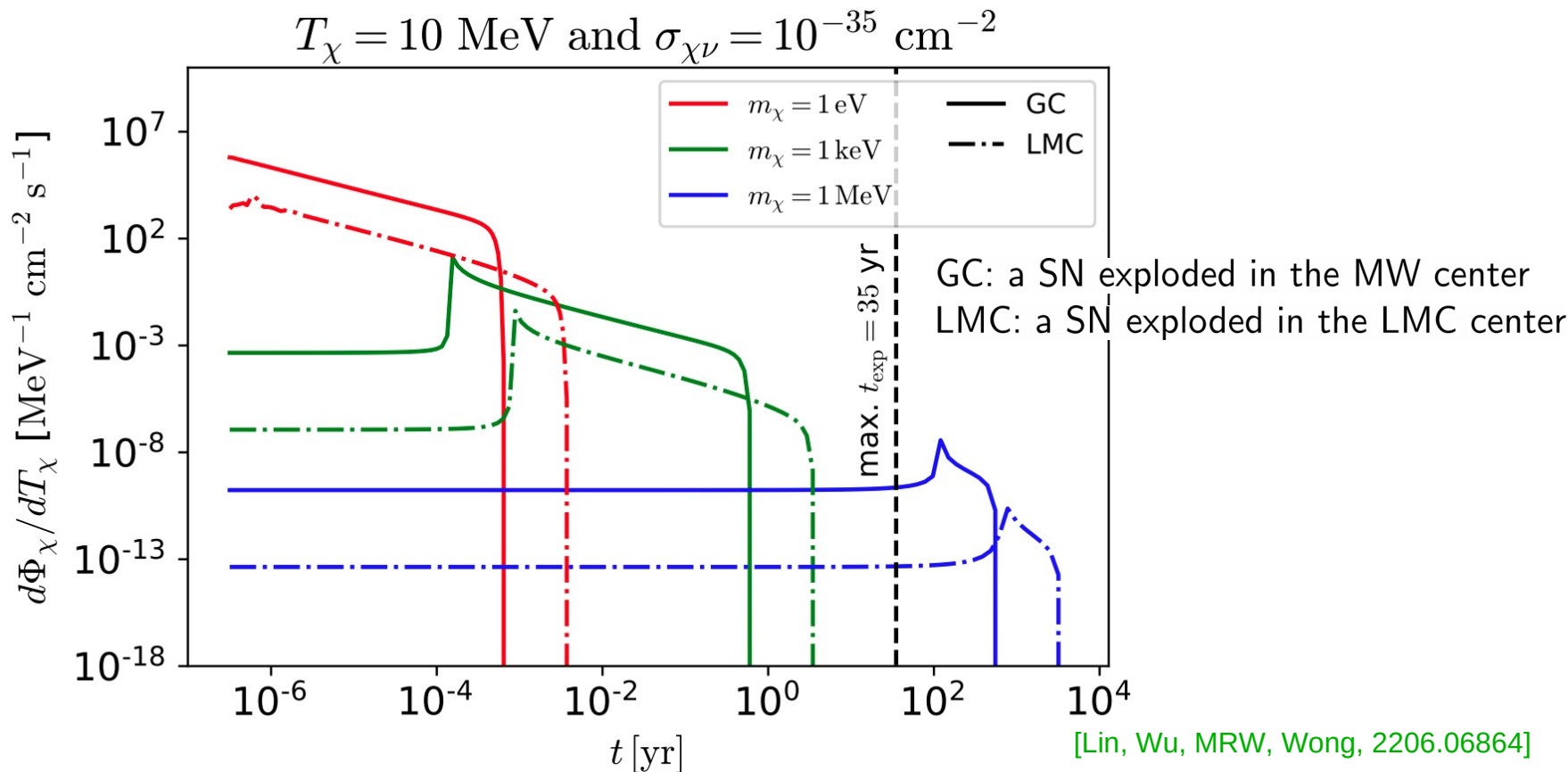
(knowing  $t_{\text{van}}$  is useful  
in reducing the exposure  
time)



$t$ : time relative to  
 $\text{SN}\nu$  arrival time

# Light dark matter boosted by supernova neutrinos

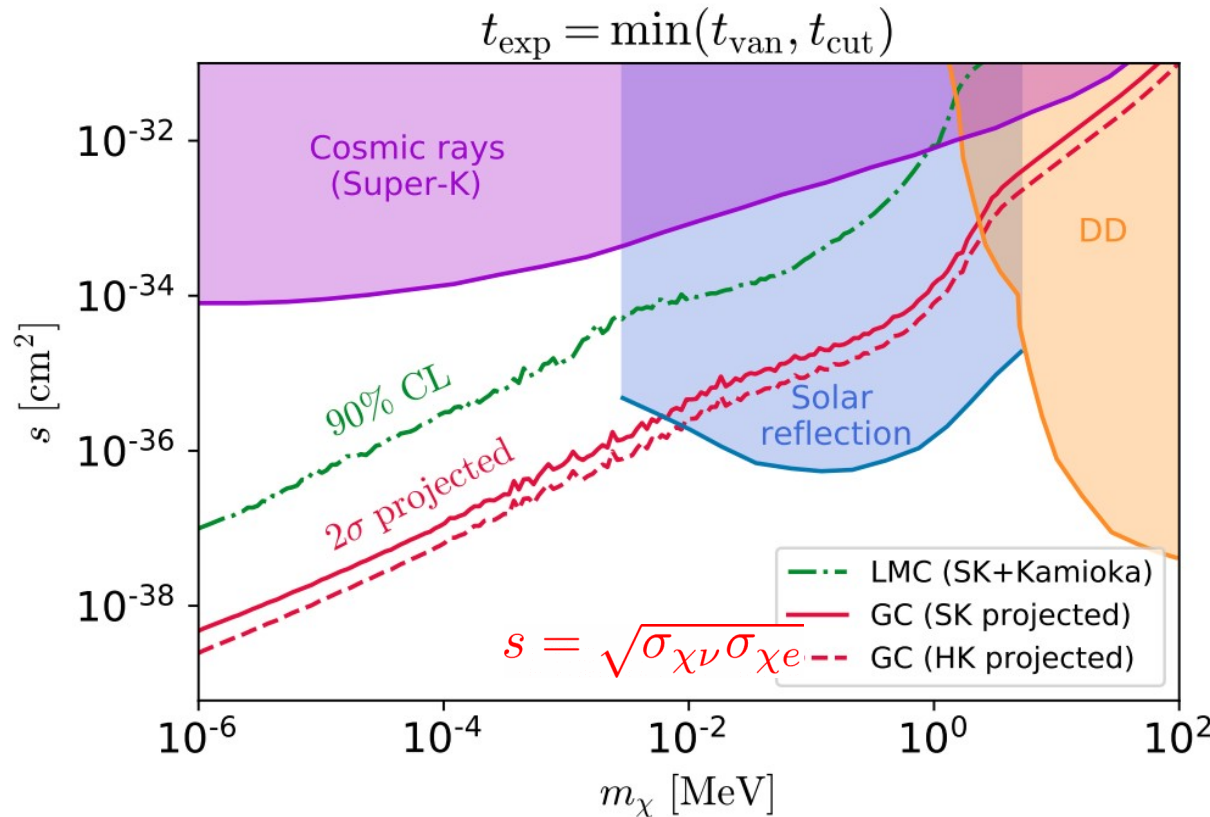
For SN at GC or at the Large Magellanic Cloud, with different  $m_\chi$ :



constraint exists with SN1987a if  $\chi - e$  also interact!

# SN $\nu$ boosted DM events and constraints

Consider total event numbers and background counts within an exposure time  $t_{\text{exp}} = \min(t_{\text{van}}, 35 \text{ years})$  with Kamiokande from 1987-1996 and Super-Kamiokande from 1996 on



( $s = \sigma_{\chi e}$  for shaded region from other considerations)

[Lin, Wu, MRW, Wong, 2206.06864]

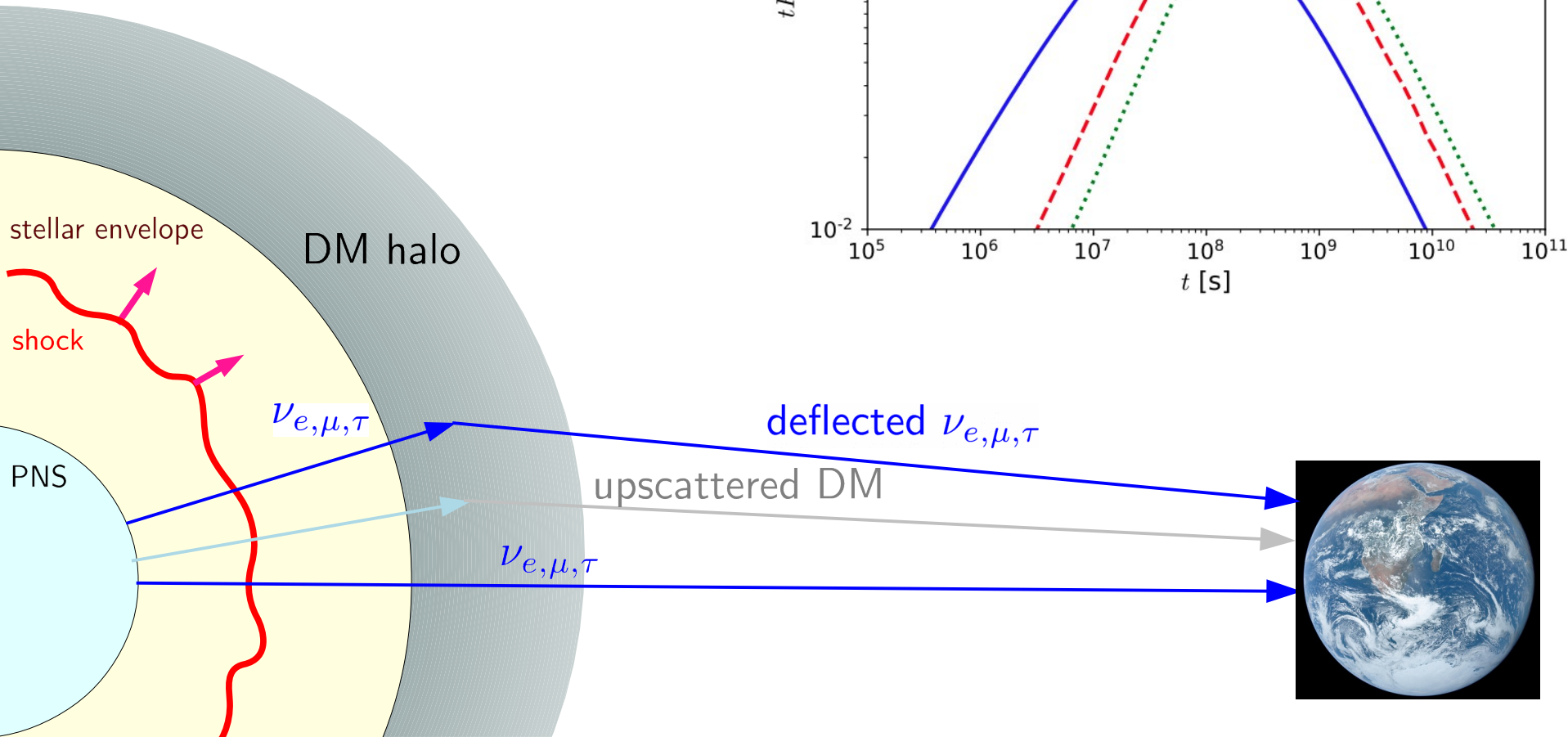
→ can provide complementary constraint to models where  $\sigma_{\chi\nu} \lesssim 10^{-6} \sigma_{\chi e}$

(generalization to arbitrary SN location and  $U(1)_{L_\mu - L_\tau}$  model in Lin+, 2307.03522)

# bSM v.s. SN: ( $\nu$ ) interaction with DM

If  $\text{SN}\nu$  interact with DM, they may also:

b. be deflected and lead to  
“neutrino echo”



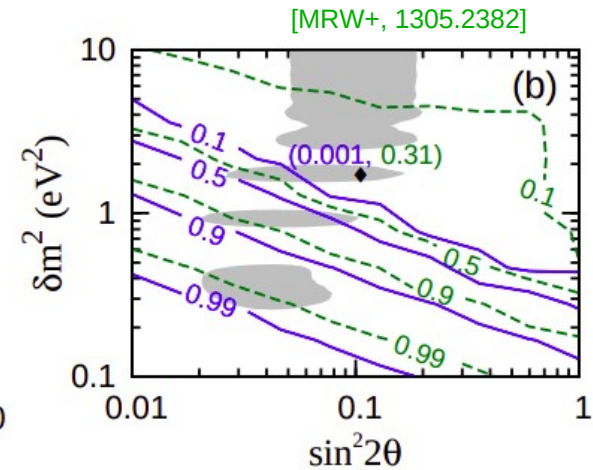
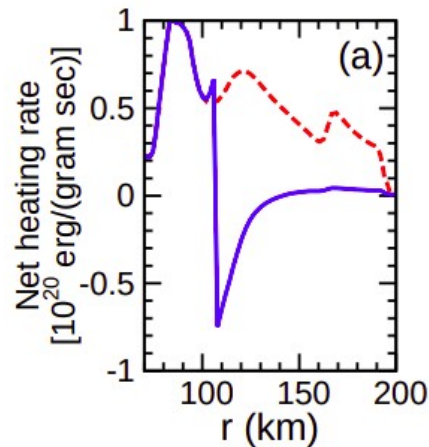


Can bSM physics simply lead to reduction of  $\text{SN}\nu$  event without affecting (much) SN evolution?

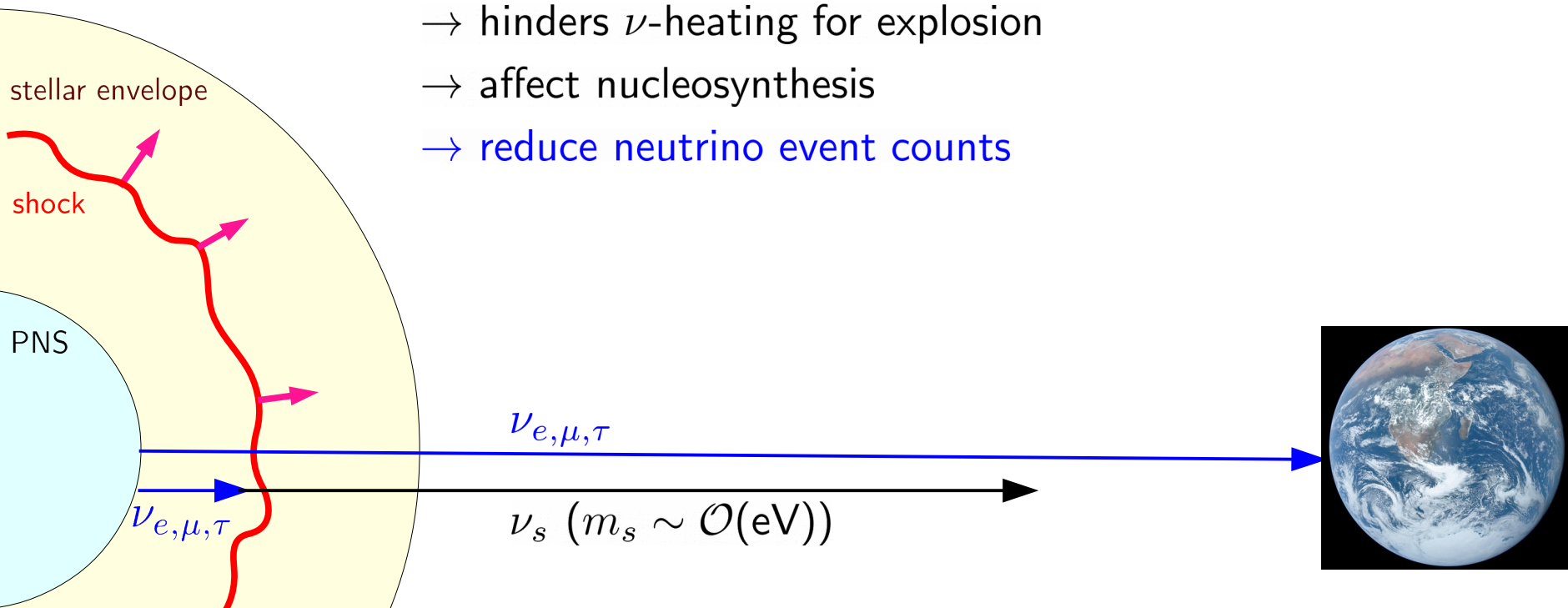
## bSM v.s. SN: (iv) reduce decoupled SN $\nu$

e.g., for eV sterile neutrinos:

if  $\nu_e$ - $\nu_s$  mixing exists,  $\nu_e$  and  $\bar{\nu}_e$  can be converted to  $\nu_s$  and  $\bar{\nu}_s$  at  $Y_e \simeq 1/3$  (behind the SN shock)



- hinders  $\nu$ -heating for explosion
- affect nucleosynthesis
- reduce neutrino event counts



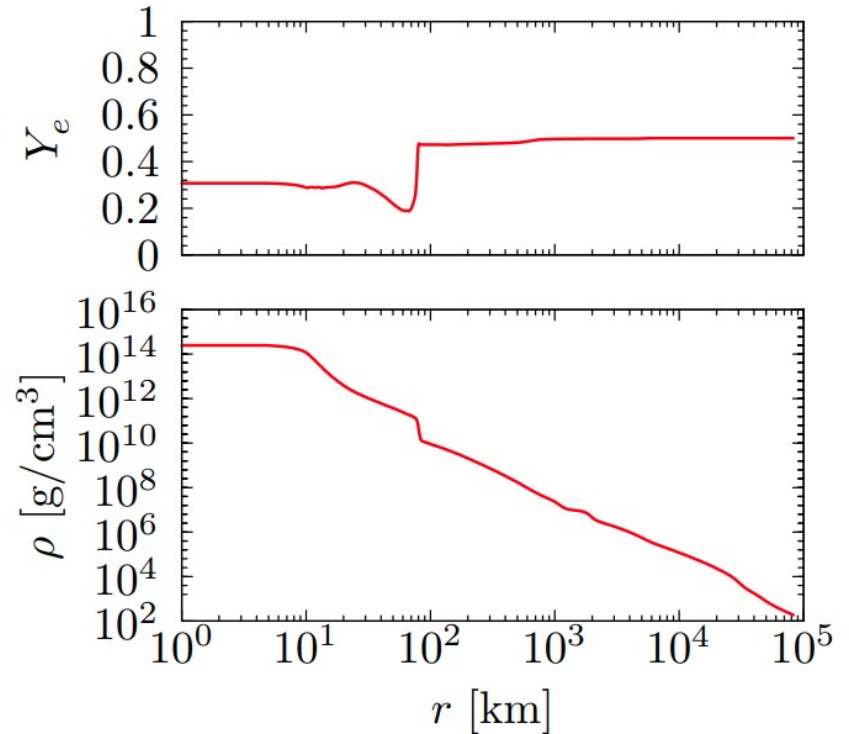
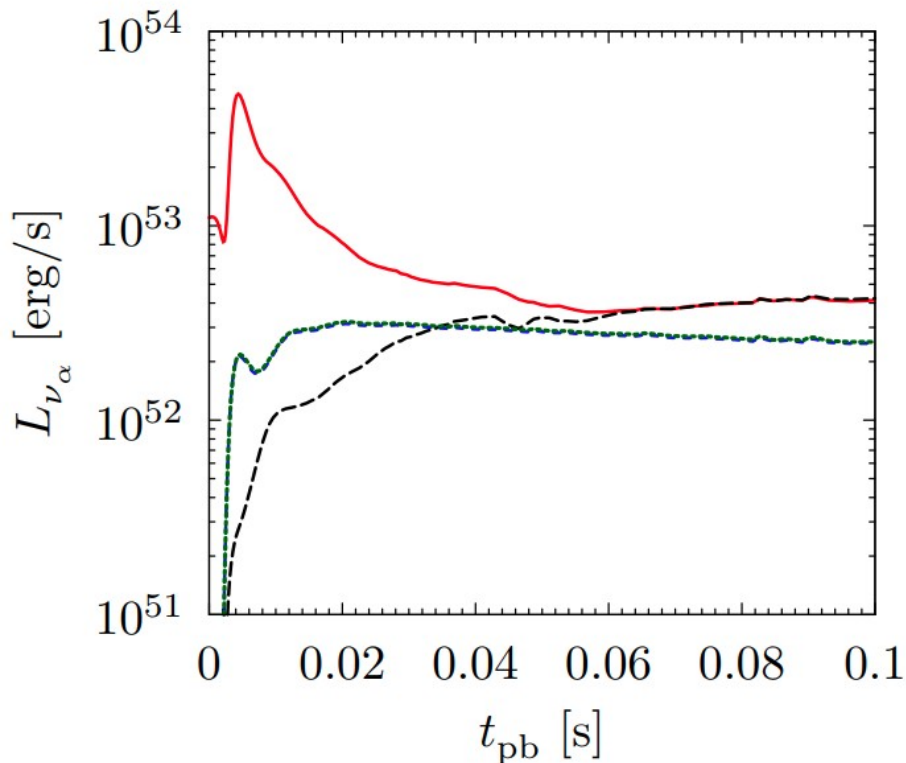
# Neutronization burst and eV sterile neutrinos

MSW resonance condition for  $\nu_e - \nu_s$  mixing:

$$\frac{\delta m^2}{2E_\nu} \cos \theta_v = V_{\text{eff}} = \pm \sqrt{2} G_F n_b \left[ \frac{3Y_e - 1}{2} + 2Y_{\nu_e} + Y_{\nu_\mu} + Y_{\nu_\tau} \right]$$

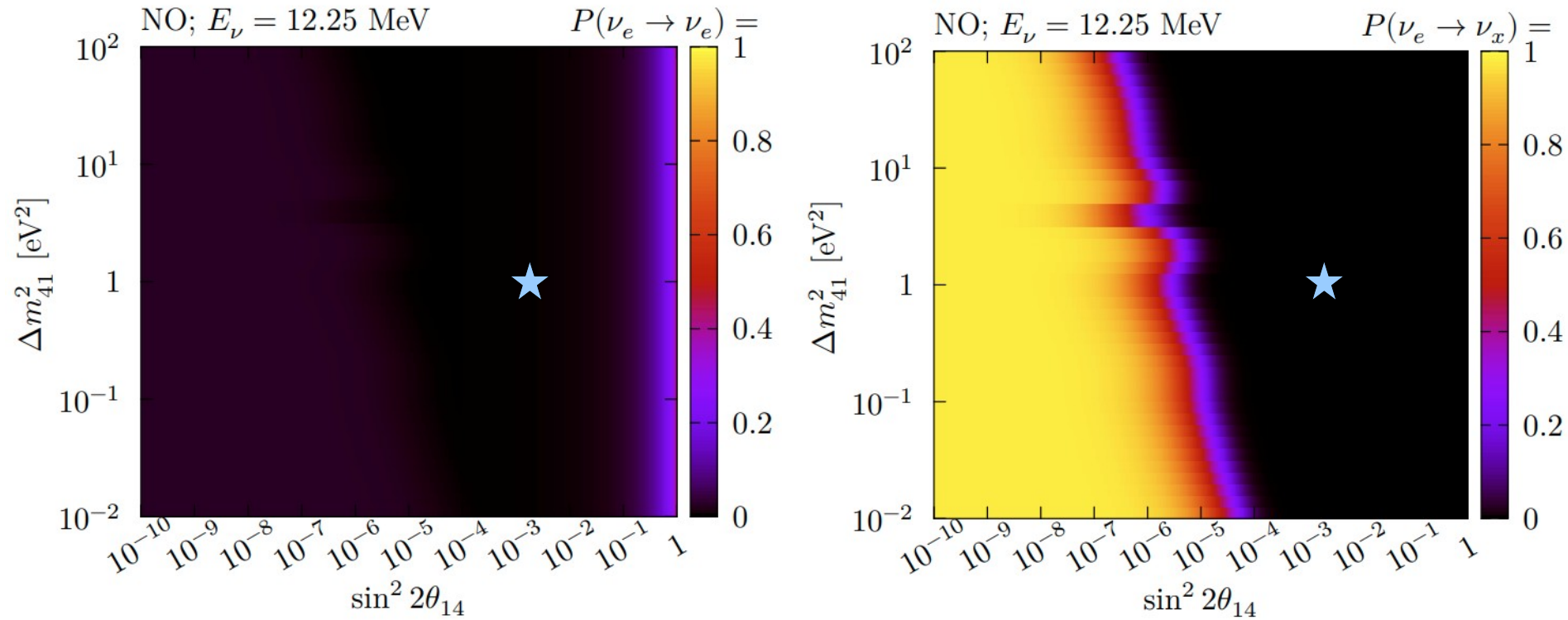
(+: neutrino, -: antineutrino,  $Y_i = (n_i - n_{\bar{i}})/n_b$ )

[Tang, Wang, MRW, 2005.09168]



# Neutronization burst and eV sterile neutrinos

[Tang, Wang, MRW, 2005.09168]



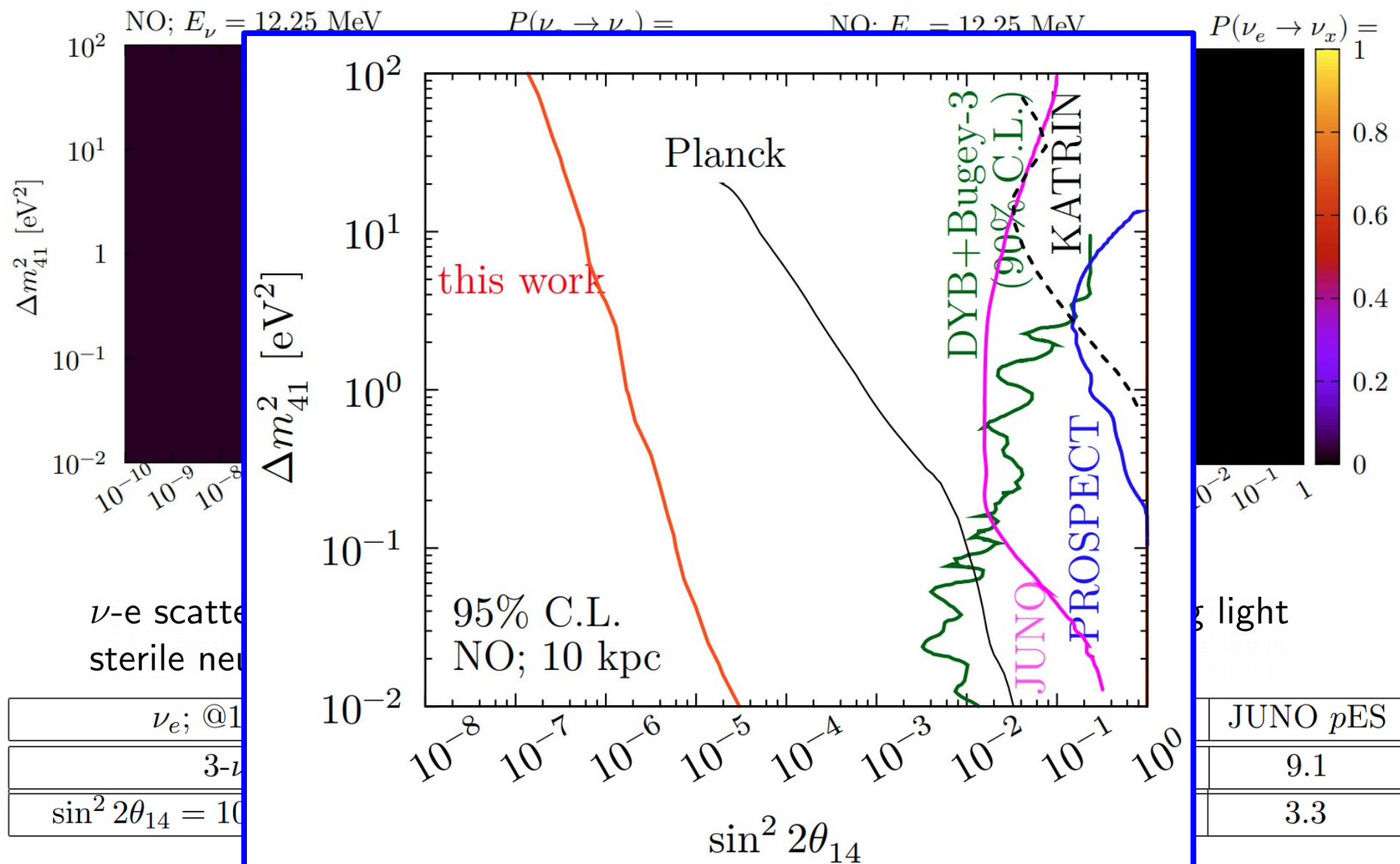
$\nu$ -e scattering in detectors is the most important channel for probing light sterile neutrinos in neutronization burst for normal ordering (NO)

$\nu_e$ ; @10 kpc (NO)	DUNE ArCC	Hyper K $e$ ES	JUNO $e$ ES	JUNO $p$ ES
3- $\nu$ mixing	12.8	36.5	2.2	9.1
$\sin^2 2\theta_{14} = 10^{-3}, \Delta m_{41}^2 = 1 \text{ eV}^2$	10.3	11.3	0.7	3.3

(for IO, both CC and  $e$ ES are important)

# Neutronization burst and eV sterile neutrinos

[Tang, Wang, MRW, 2005.09168]



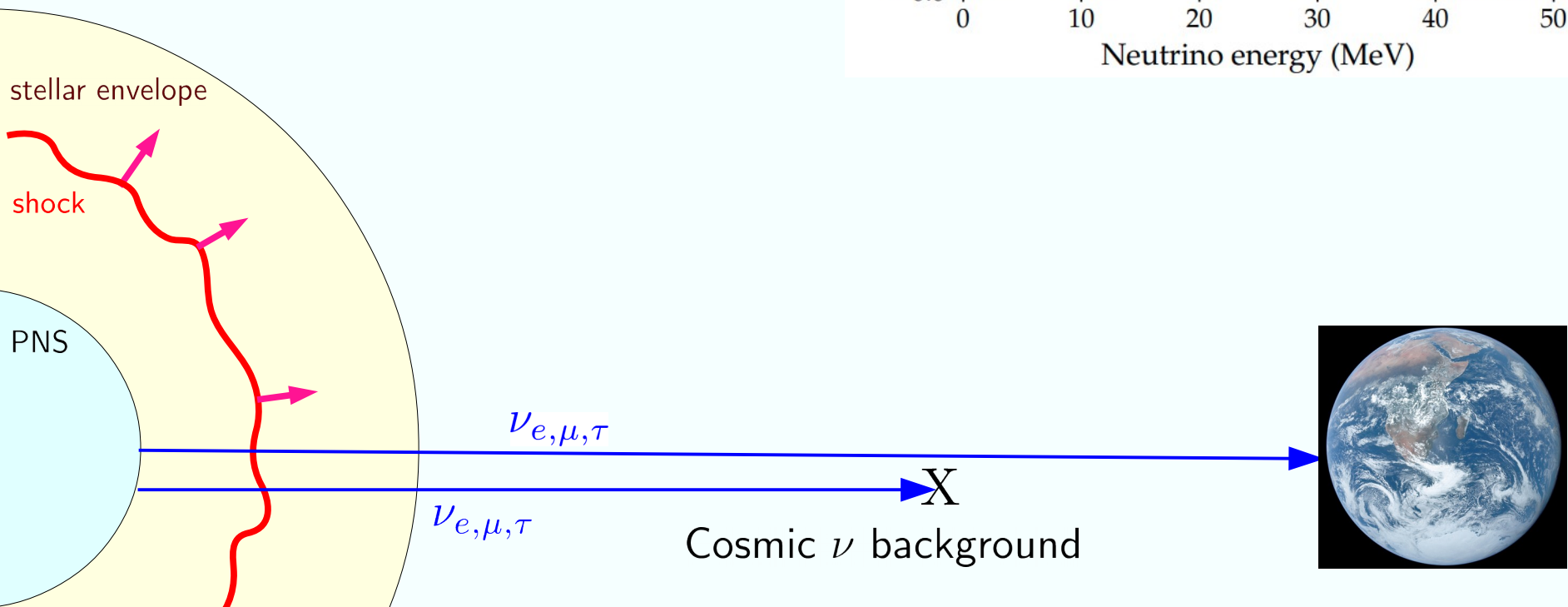
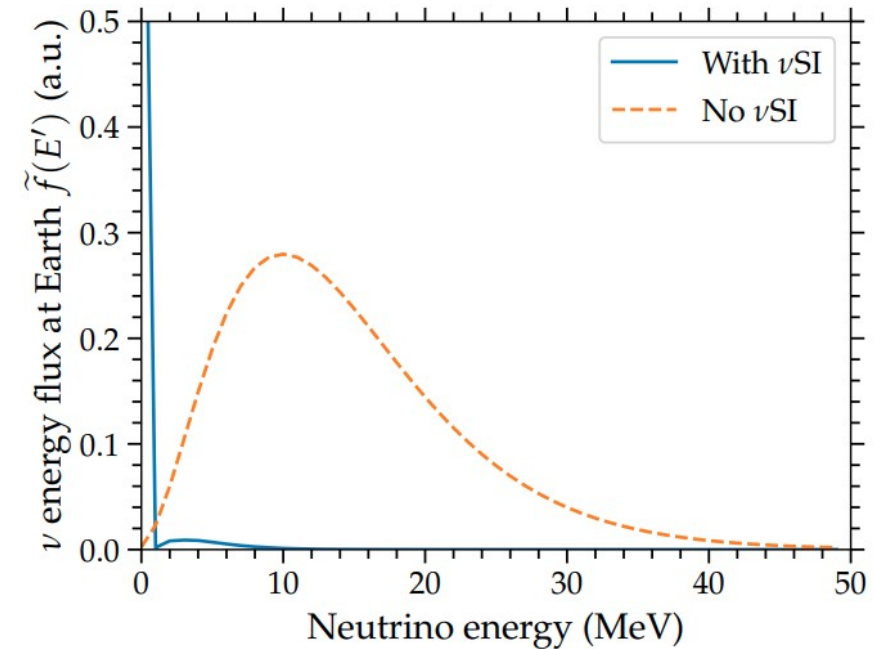
(for IO, both CC and eES are important)

## bSM v.s. SN: (iv) reduce decoupled SN $\nu$

[Shalgar+1912.09115]

If non-Standard neutrino self-interaction exists, SN $\nu$  can be downscattered by  $C\nu B$  on its way to Earth

However, when introducing NSI/NSSI, one expects that strong effect on SN dynamics, neutrino decoupling, and oscillations! [see e.g., Chang+ 2206.12426]





## Summary & discussions

- Supernova provides a variety of means to probe/constrain bSM physics

Mechanism	applicability	Smoking-gun signature?	Feedback effect?
Cooling	Very wide	X	important
Explosion	Need decay / reconversion	X	Perhaps not
Additional neutrinos or gammas	Need decay / reconversion	Maybe?	no
Direct bSM signals	wide	Maybe?	depends
Interaction with DM	X	V	depends
Disappearing of SNv	restricted	X	no

- For scenarios that affect neutrino emissions, detailed treatment of feedback effect on bSM particle production is critically important. Including them in simulations are needed to obtain robust results.

## Summary & discussions

- Effects due to self-interaction among bSM particles (or neutrinos with strong non-standard self-interaction) need to be clarified
- Improved modelings on bSM particle production in thermal environment were carried in recent years, which can significantly affect the bounds
- How do they modify the subsequent evolution of (proto)neutron star and the remnant phase?

