

# Compact RICH for PID

J. Va'vra, SLAC

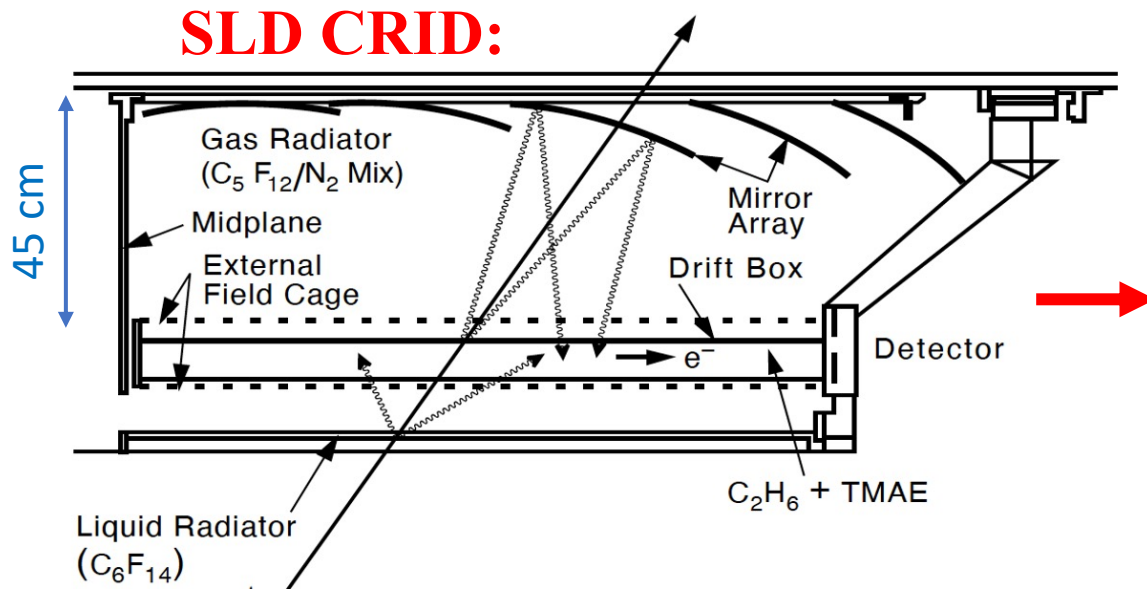
This RICH proposal is a part of a larger study by:

A. Albert, M.J. Bass, S.K. Bright-Thonneya, V.M. M. Cairoc, Ch. Damerell, D. Ega~na-Ugrinovic, U. Einhaus, U. Heintz, S. Homiller, S. Kawada, J. Luoh, C. Mantel, P. Meade, J. Monroy, M. Narain, R. S. Orr, J. Reichert, A. Ryd, J. Strube, Dong Su, A. G. Schwartzman, T. Tanabe, J. Tian, E. Usai, J. Va'vra, C. Vernieri, C. C. Young, and R. Zou,  
ArXiv:2203.07535v2 [hep-ex] 14 Mar 2022

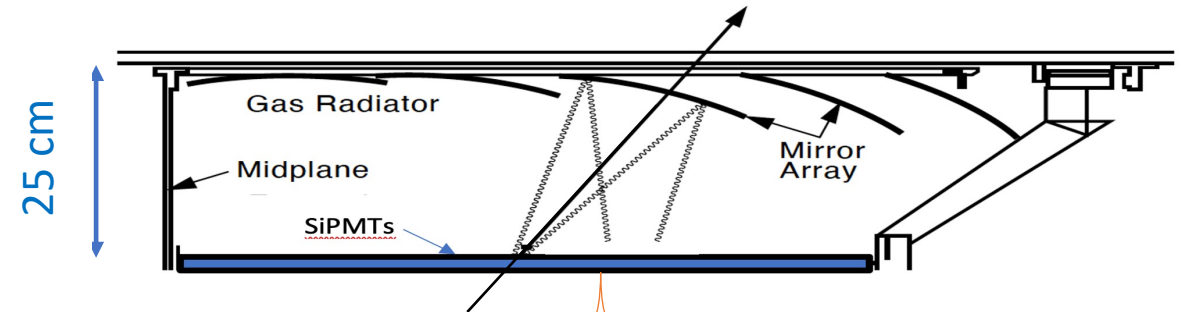
# Physics motivation $\pi/K/p$ particle identification

- **General point:** What is the origin of flavor ? Why we have three families ?
- **Higgs physics:** need to test Higgs coupling to lighter quarks. Use  $\pi/K$  PID to separate strange-initiated jets from u/d ([ArXiv: 2203.07535v2](#), Mar.2022)
- **Flavor physics:** requires excellent hadron particle identification (separation of  $\pi$ , K, p) to resolve combinatorics + separate decay modes
- **SM physics:** Plenty of Z, W, top produced! Measure  $Z \rightarrow s\bar{s}$ ,  $Z \rightarrow qq$ ,  $e^+e^- \rightarrow s\bar{s}$ ,  $W \rightarrow cs$ , etc.
  
- **Additional references:**
  - Wolfgang Altmannshofer: [SSI2021](#) lectures on “Roles of Higgs Sector in Generation & Flavor Problem”. Lecture 1: [slides](#), [video](#); Lecture 2: [slides](#), [video](#)
  - Patrick Meade: [SSI 2022](#) lectures on “Fermion Generations”. Lecture 1: [slides](#), [video](#); Lecture 2: [slides](#), [video](#)
  - Su Dong: SLAC Snowmass Higgs WG Mar/2020: [Higgs Yukawa Couplings & Fermion Generation Puzzle](#)

# Our present RICH design concept



## Our proposed FCC RICH:



**C<sub>4</sub>F<sub>10</sub> at 1 bar (boiling point -1.9 C at 1 bar)**

**Beryllium mirrors with reflective coating**

**Low mass carbon-composite structure**

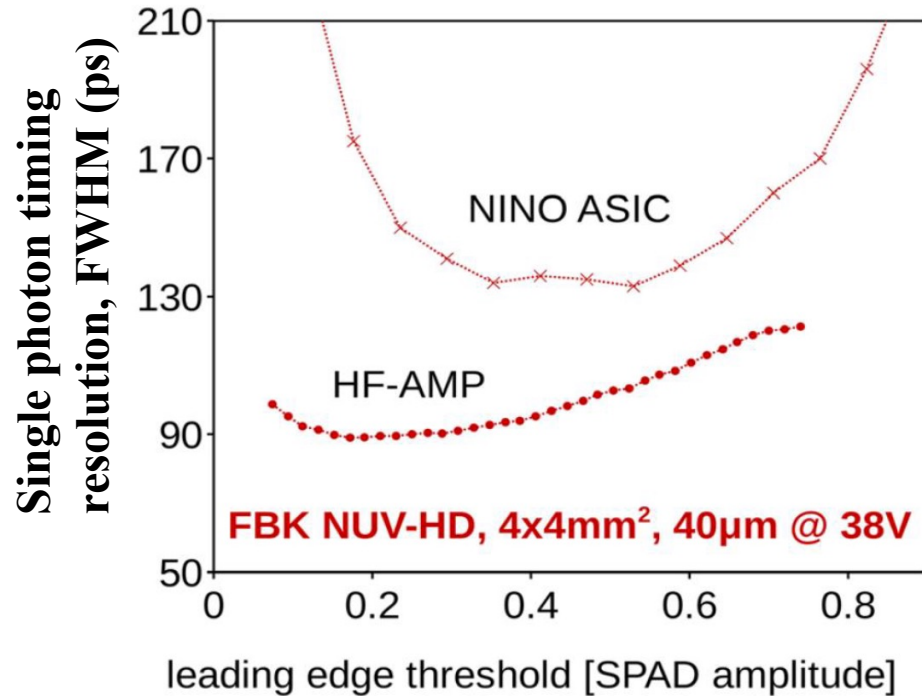
**SiPM detector covering barrel**

- SiPM temperature will be reduced to +2-3°C to reduce the SiPM noise somewhat. The second reduction comes from timing. This requires a good timing resolution at a 100 ps level. From a known trajectory, photon azimuth on Cherenkov ring, track and photon hit times one form a difference: **timing between calculated “photon hit & measured photon hit”**. One may also attempt to correct the smearing effect.

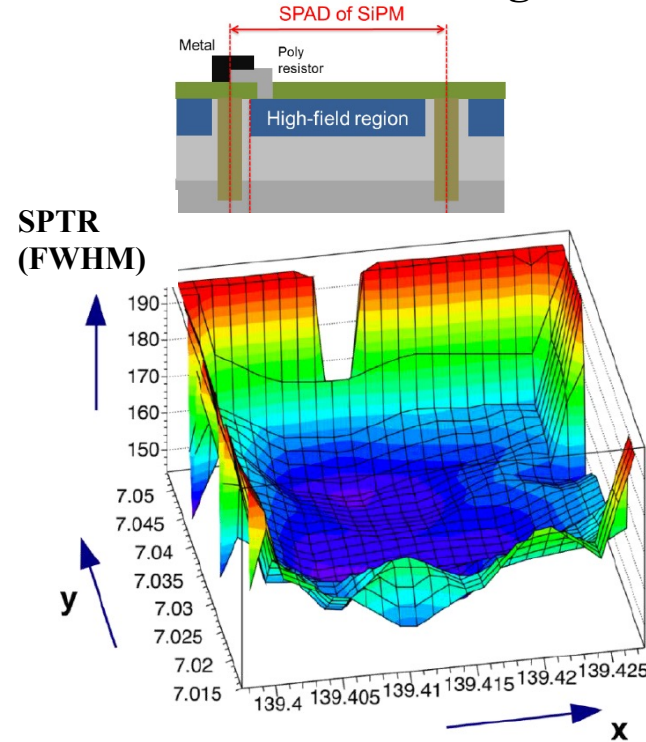
# SiPM single photon timing resolution

Gundacker et al. "High-frequency SiPM readout advances measured coincidence time resolution limits in TOF-PET." *Physics in Medicine & Biology* 64.5 (2019): 055012  
 A. Gola, FBK Foundation Co., Italy, "Status and Perspectives of SiPM", RICH 2022, Edinburgh

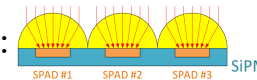
Single pixel timing resolution is excellent:



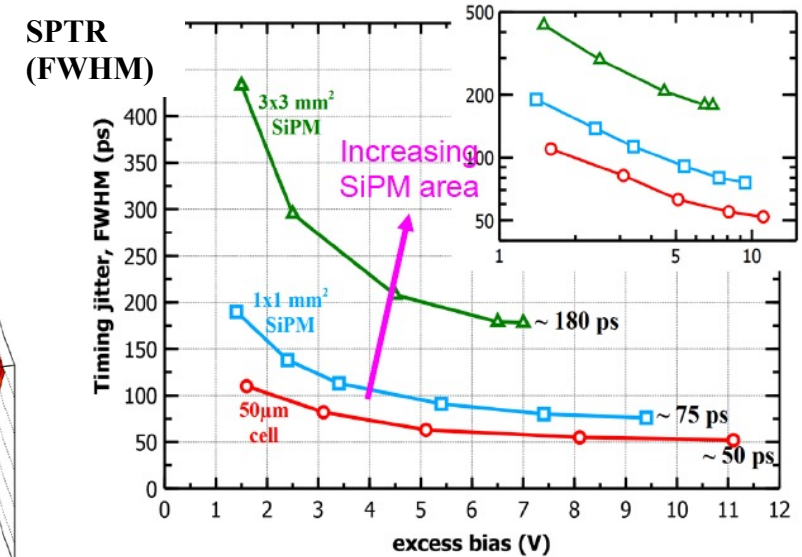
Each SPAD element has edge effects:



Gola's suggestion:  
 Use micro-lenses to remove edge effect:



Large arrays have slightly worse timing resolution:

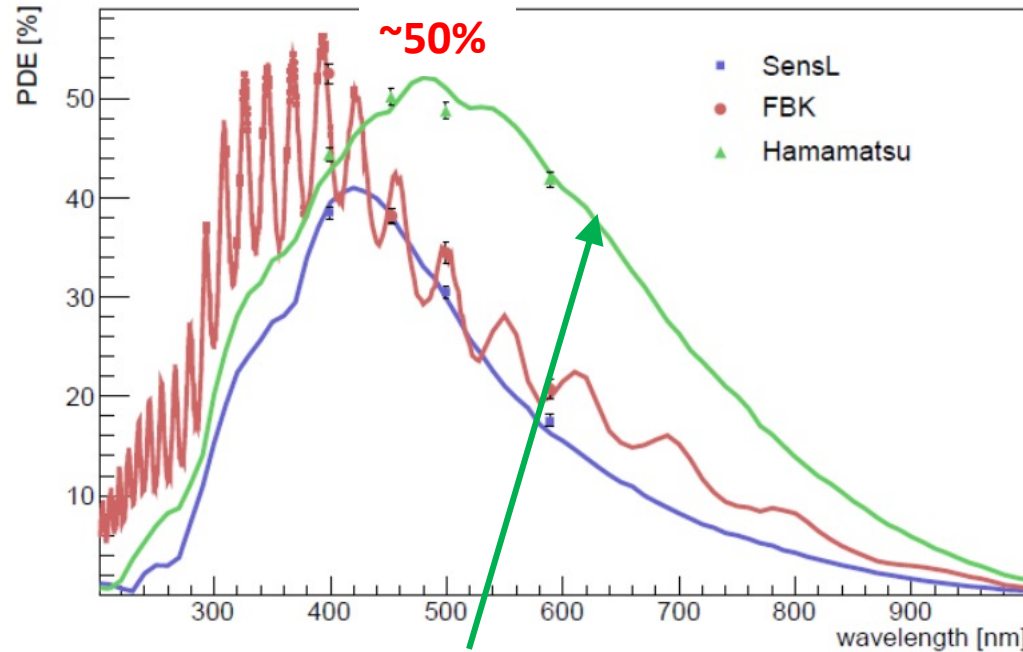


Gola's suggestion:  
 Organize array differently to improve timing

- SiPM can reach average single photon timing resolution/pixel of  $\sigma \lesssim 100$  ps.
- SPTR = single photon timing resolution, SPAD = Single photon avalanche diode, an element of SiPM

# Photon Detection Efficiency (PDE) of a single SiPM

A.N. Otte et al., NIM A 864(2017)106



Photon detection efficiency of single SiPM:

$$PDE = FF \times QE(\lambda) \times P_T(V_{bias}, \lambda)$$

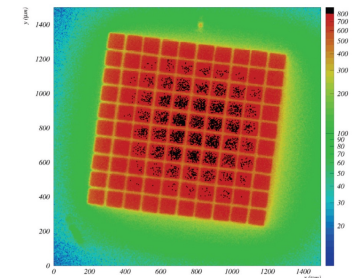
$QE(\lambda)$  – QE of Si

FF – Fill factor within one SiPM

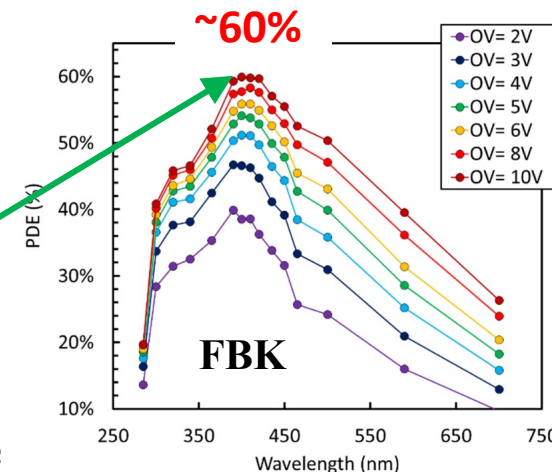
$P_T(V_{bias}, \lambda)$  – Trigger efficiency

SiPM array has additional losses due to gaps between pixel elements !

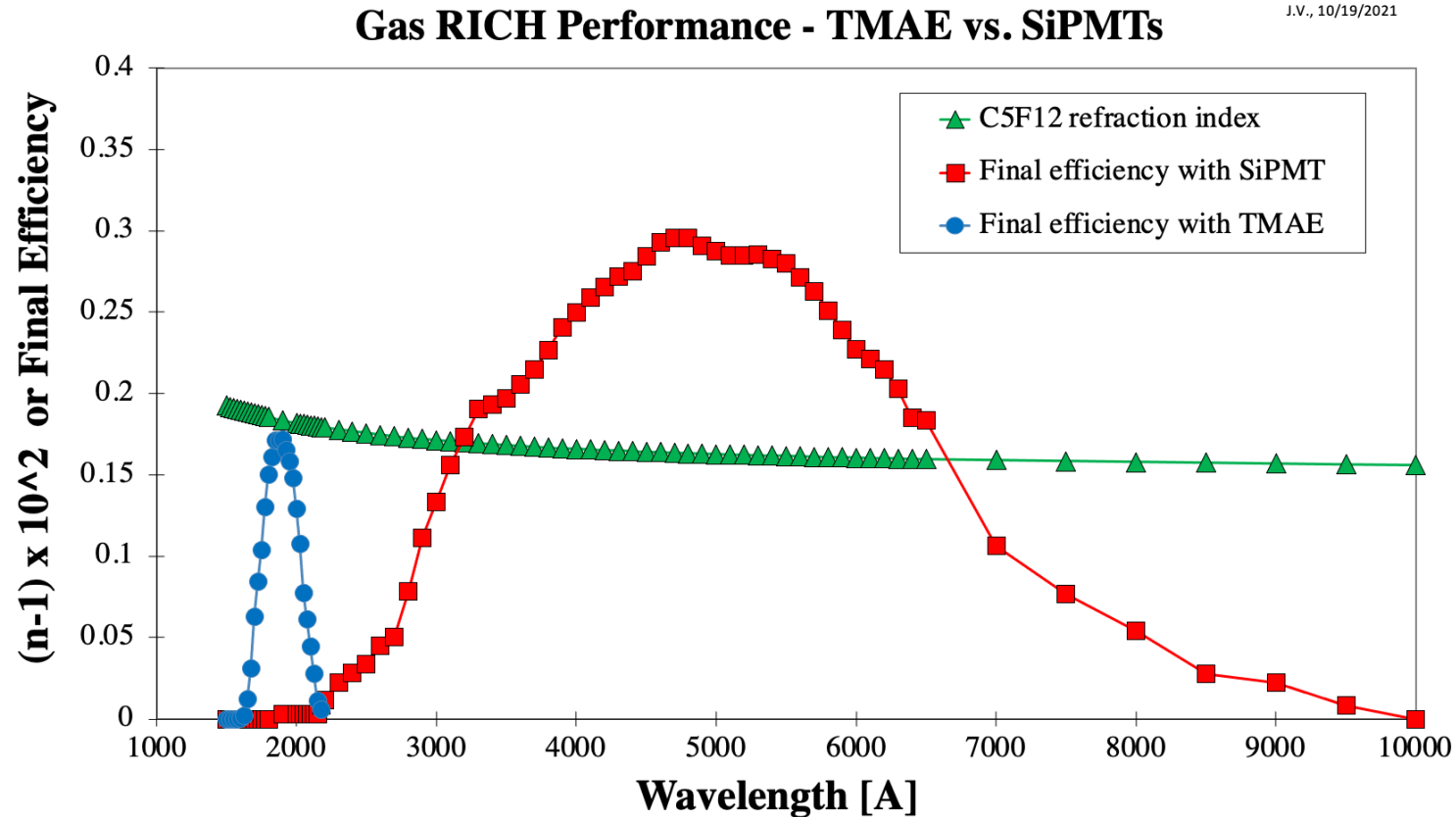
I assumed 65%:



- **I used Hamamatsu SiPM PDE in my calculation**
- **All this will improve in next 5-10 years !**
- **Already now there are better SiPMs with higher PDE**  
(Gola et al. (2019). *Sensors*, 19(2), 308.)



# Final efficiency: TMAE vs. SiPMs



- Although CRID operated in a region where refractive index changed more rapidly, its wavelength acceptance was very narrow and therefore the chromatic error was smaller: **~0.4 mrad (TMAE) vs. ~0.85 mrad (SiPM).**

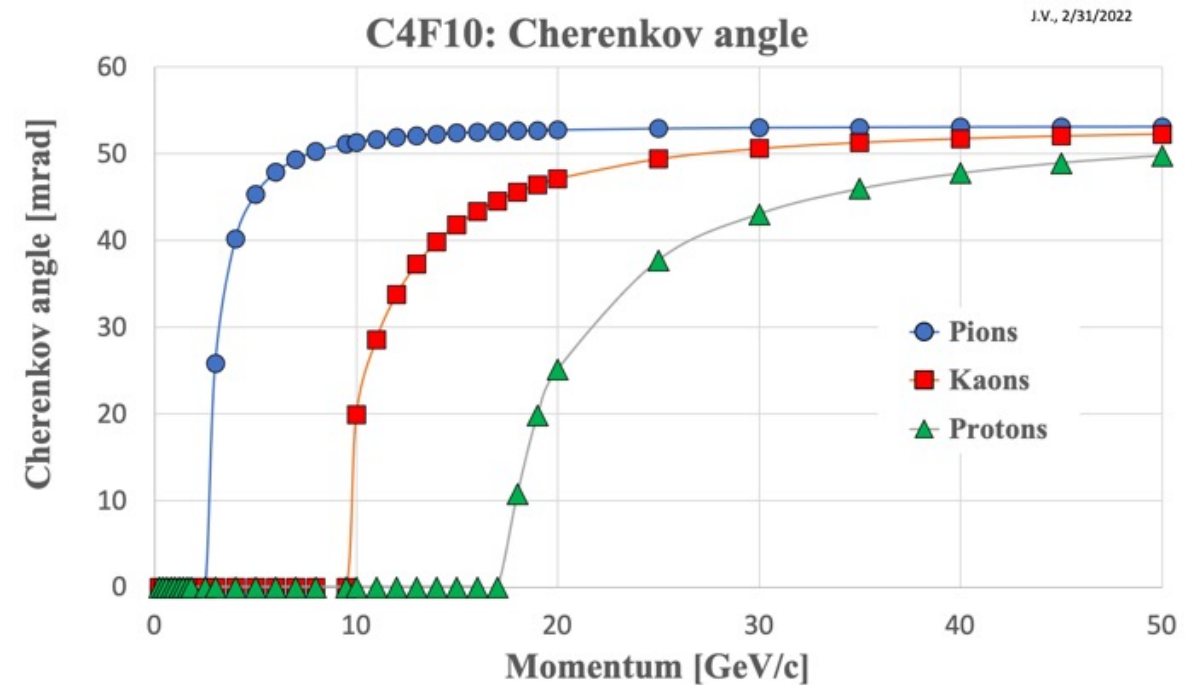
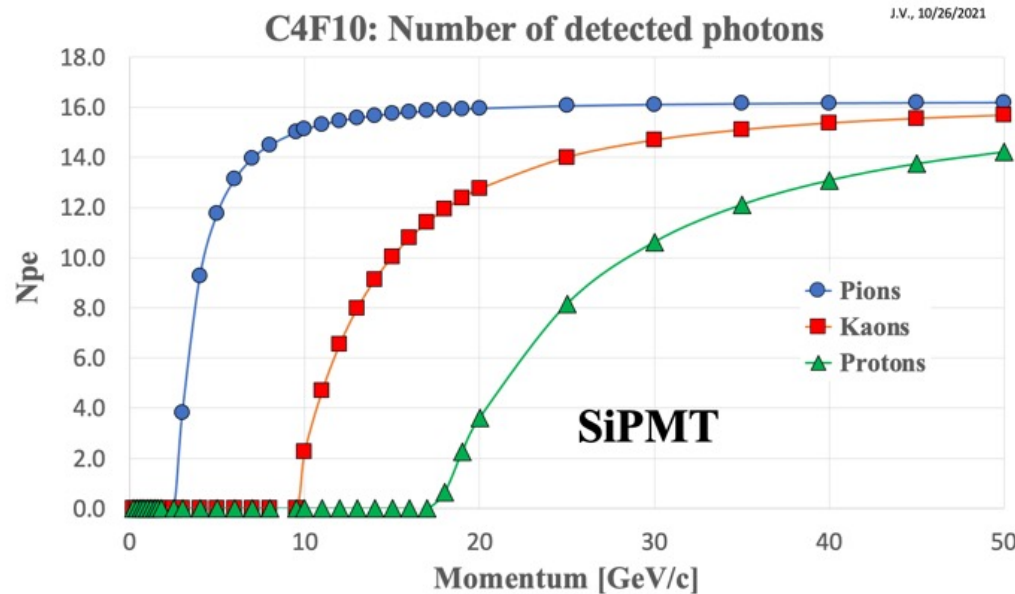
# PID using $N_{pe}$ and $\theta_c$ in our design

$$N_o = \frac{\left(\frac{\alpha}{hc}\right) \int \text{Eff}(E) [\sin(\theta_c)]^2 dE}{[\sin(\langle\theta_c\rangle)]^2}$$

$$N_{pe} = N_o L [\sin \langle \theta_c \rangle]^2$$

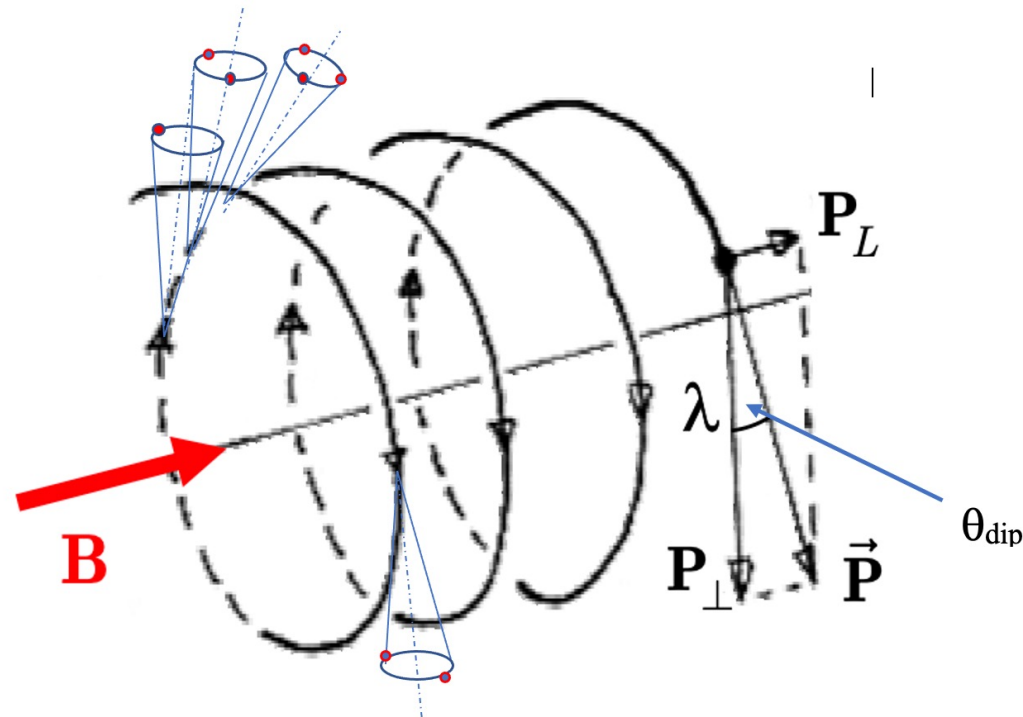
$\langle \theta_c \rangle$  is mean Cherenkov angle

$$\cos \theta_c = 1/(\langle n \rangle \beta)$$



- $L = 25 \text{ cm} \ \& \ 1 \text{ bar.}$
- **p/K PID is trivial below 25 GeV/c, becomes more difficult above 30 GeV/c.**

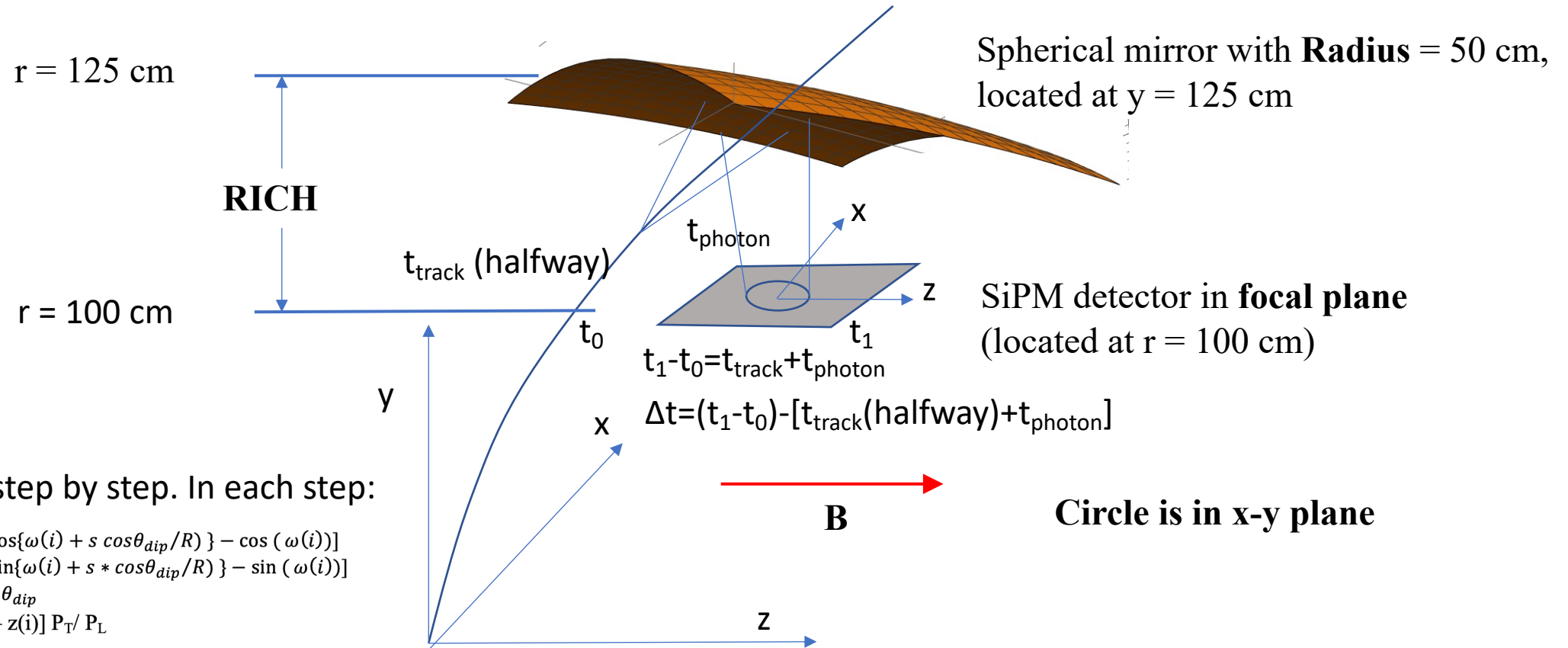
# Smearing effect in magnetic field



- This effect was small for SLD CRID operating at 0.5 Tesla ( $\sim 0.5$  mrad). It is significant at 5 Tesla for RICH detector with a large radial extent.
- I used two methods to estimate it: (a) Analytical formula, (b) Mathematica code.



# I wrote a simple tracking program in Mathematica



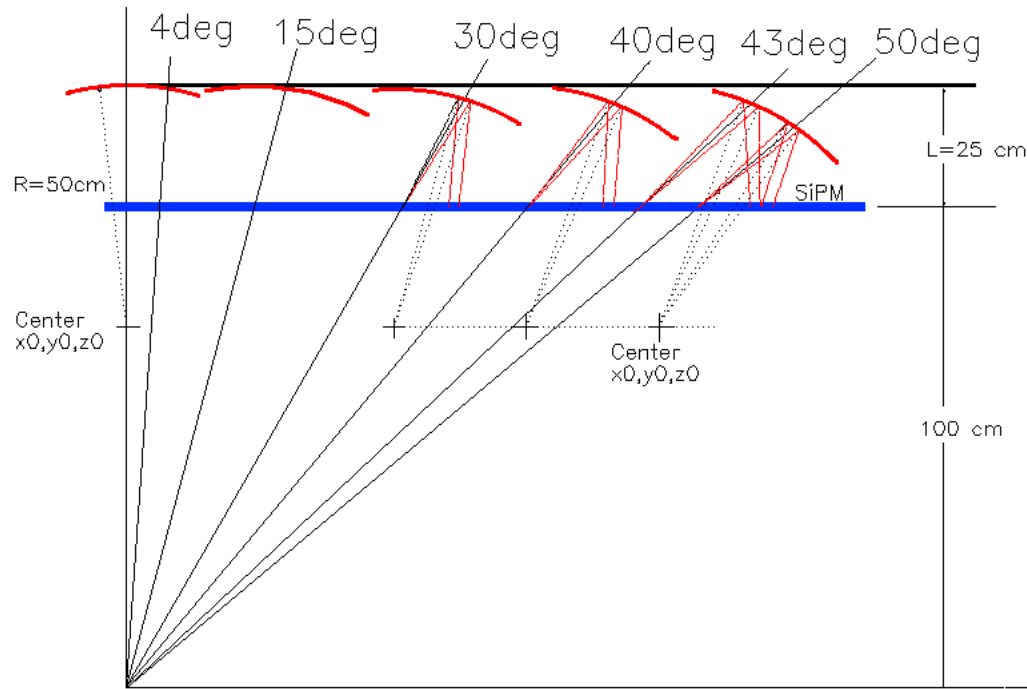
Follow helix step by step. In each step:

$$\begin{aligned}
 x(i+1) &= x(i) - R[\cos\{\omega(i) + s \cos\theta_{\text{dip}}/R\} - \cos(\omega(i))] \\
 y(i+1) &= y(i) + R[\sin\{\omega(i) + s \cos\theta_{\text{dip}}/R\} - \sin(\omega(i))] \\
 z(i+1) &= z(i) + \sin\theta_{\text{dip}} \\
 s \cos\theta_{\text{dip}} &= [z(i+1) - z(i)] P_T / P_L
 \end{aligned}$$

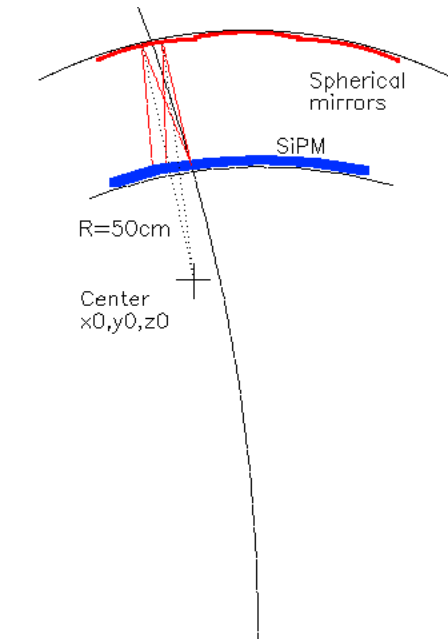
- **Step through the field, radiate Cherenkov photons when in radiator ( $100 < r < 125$ ), reflect them from spherical mirror and find their intersection with a detector plane.**
- **Use trajectory, ring radius (Cherenkov angle), track hit  $t_0$ , photon hit  $t_1$  times to reject background photons, and one may work out algorithm to reduce the smearing effect (?).**

# To do a calculation I have created a ray tracing model

Side view:



Front view:



- **Spherical mirrors with  $R = 50$  cm,  $f = 25$  cm.**
- **Goal of ray tracing was to rotate mirrors, so that the image comes reasonably perpendicularly to SiPM plane.**

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 20 GeV/c with B = 5 Tesla

B = 5 Tesla,

**P = 20 GeV/c pions**

Pt = 19.951 GeV/c

Pz = 1.3973 GeV/c

Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$

Phi =  $90^\circ$

R-helix=13.3 meters

$\theta_c$  (Pions)= 53.2 rad

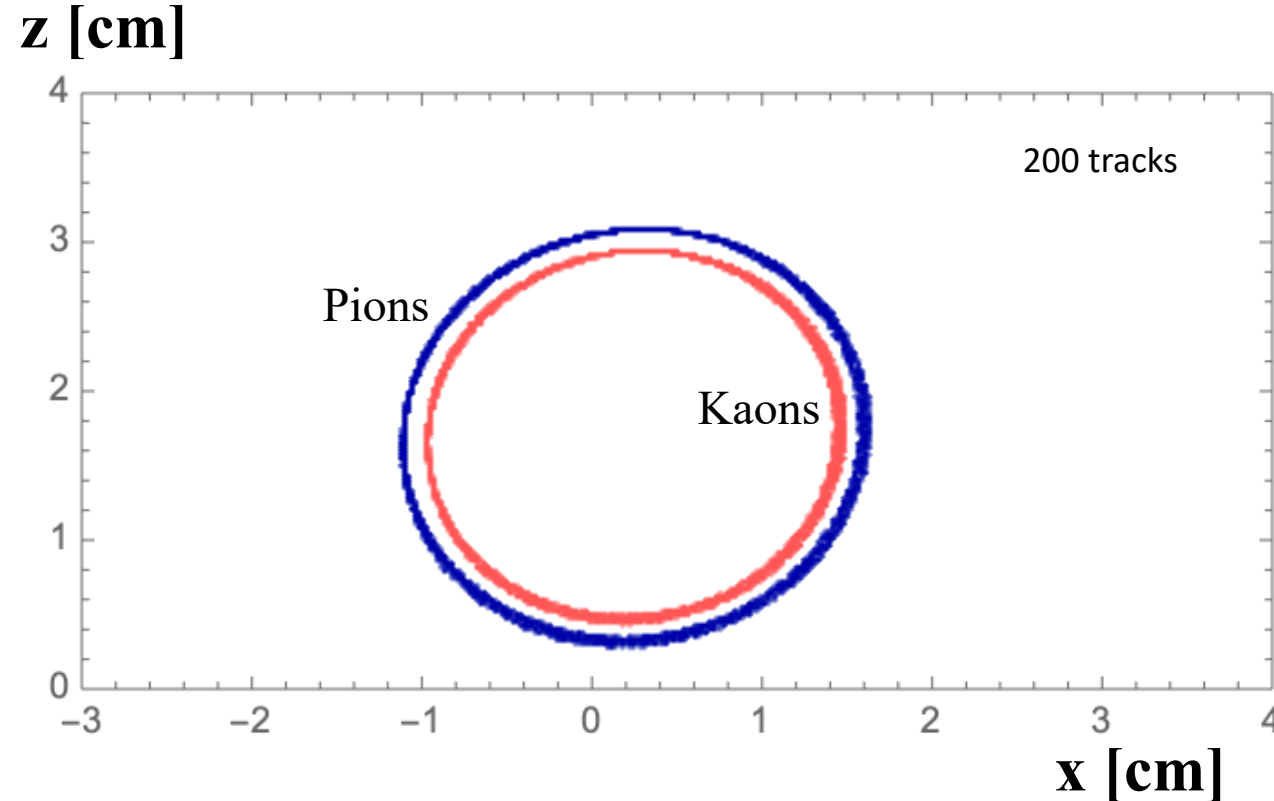
$\theta_c$  (Kaons)= 47.1 mrad

Npe (Pions) ~ **16**

Npe (Kaons) ~ **12-13**

C<sub>4</sub>F<sub>10</sub> gas

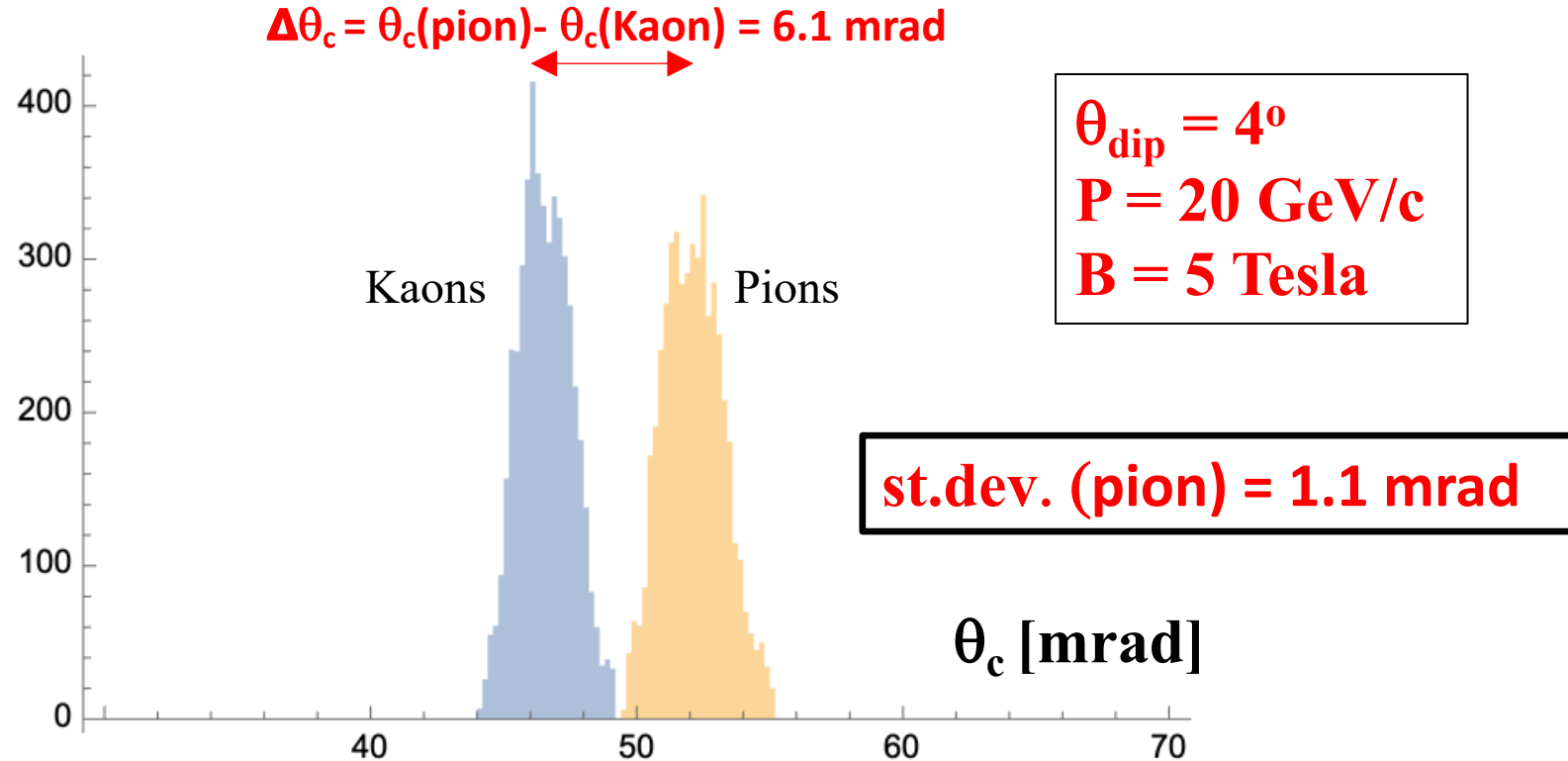
**L<sub>radiator</sub> = 25 cm**



- Smearing effect varies as a function of Cherenkov angle azimuth  $\Phi_c$ .

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 20 GeV/c with B = 5 Tesla

B = 5 Tesla,  
**P = 20 GeV/c pions**  
 Pt = 19.951 GeV/c  
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 Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$   
 Phi =  $90^\circ$   
 R-helix = 13.3 meters  
 $\theta_c$  (Pions) = 53.2 mrad  
 $\theta_c$  (Kaons) = 47.1 mrad  
 Npe (Pions) ~ 16  
 Npe (Kaons) ~ 12-13  
 C<sub>4</sub>F<sub>10</sub> gas  
**L<sub>radiator</sub> = 25 cm**



- **Ring radius:**  $\text{CherRadius} = \text{Sqrt}[(z_{\text{final}}[i] - z_0)^2 + (x_{\text{final}}[i] - x_0)^2]$
- **Cherenkov angle:**  $\theta_c = \text{CherRadius}/(\text{Focallength})$

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 25 GeV/c with B = 5 Tesla

B = 5 Tesla,

**P = 25 GeV/c pions**

Pt = 24.939 GeV/c

Pz = 1.7467 GeV/c

Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$

Phi =  $90^\circ$

R-helix=16.63 meters

$\theta_C$  (Pions)= 52.9 rad

$\theta_C$  (Kaons)= 49.4 mrad

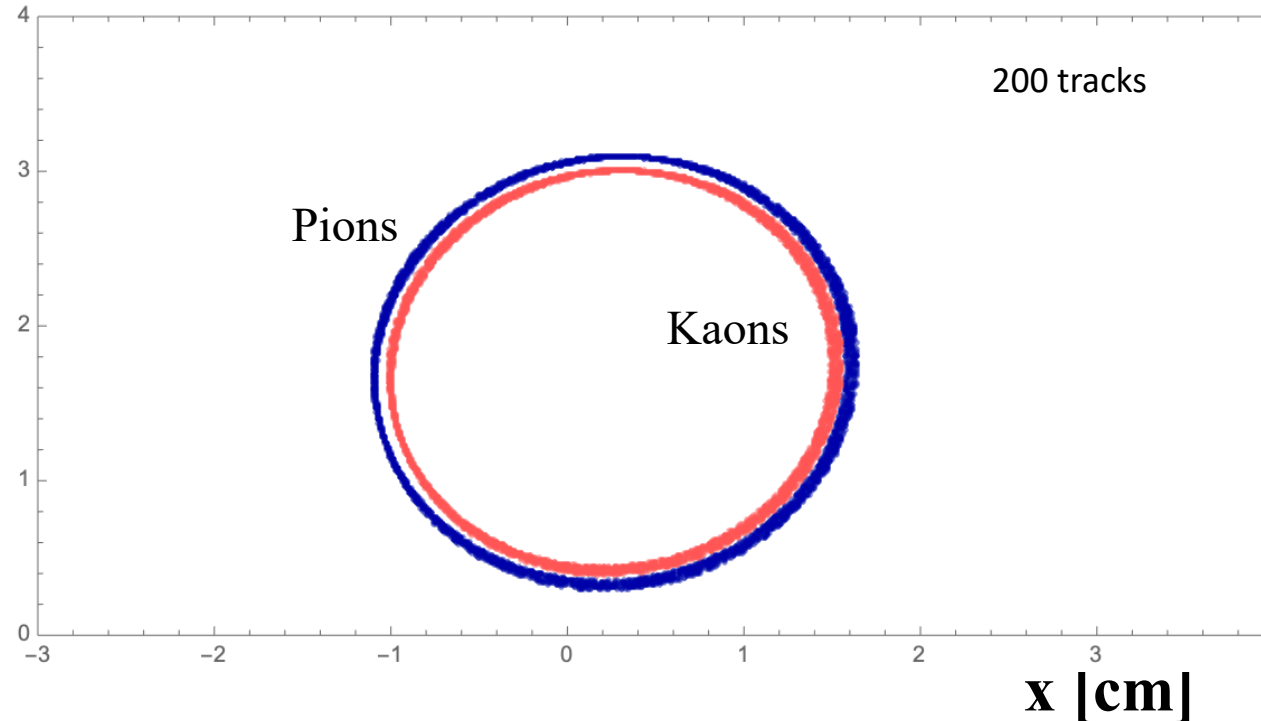
Npe (Pions) ~ 16

Npe (Kaons) ~ 14-15

C<sub>4</sub>F<sub>10</sub> gas

**L<sub>radiator</sub> = 25 cm**

z [cm]



Smearing error only in this plot

- Smearing effect varies as a function of Cherenkov angle azimuth  $\Phi_C$ .

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at **25 GeV/c** with **B = 5 Tesla**

B = 5 Tesla,

**P = 25 GeV/c pions**

Pt = 24.939 GeV/c

Pz = 1.7467 GeV/c

Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$

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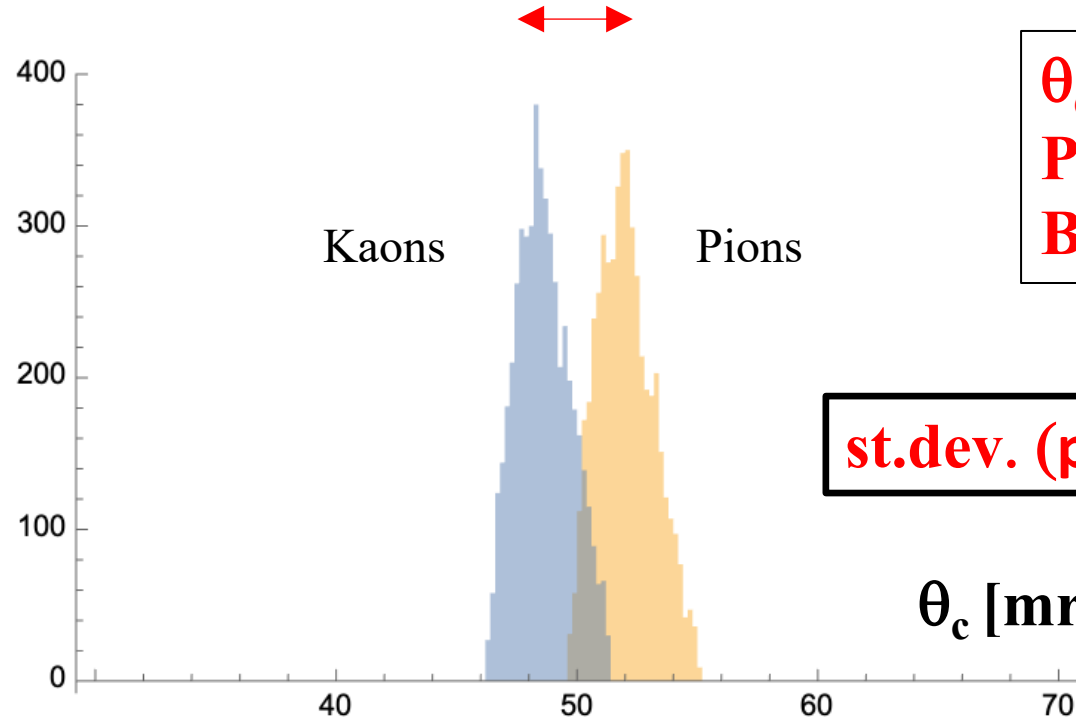
Npe (Pions) ~ 16

Npe (Kaons) ~ 14-15

C<sub>4</sub>F<sub>10</sub> gas

**L<sub>radiator</sub> = 25 cm**

$$\Delta\theta_c = \theta_c(\text{pion}) - \theta_c(\text{Kaon}) = 3.5 \text{ mrad}$$



$\theta_{\text{dip}} = 4^\circ$   
**P = 25 GeV/c**  
**B = 5 Tesla**

**st.dev. (pion) = 1.2 mrad**

- **Ring radius:**  $\text{CherRadius} = \text{Sqrt}[(z_{\text{final}}[i] - z_0)^2 + (x_{\text{final}}[i] - x_0)^2]$
- **Cherenkov angle:**  $\theta_c = \text{CherRadius}/(\text{Focallength})$

# Errors in our design vs. SLD CRID

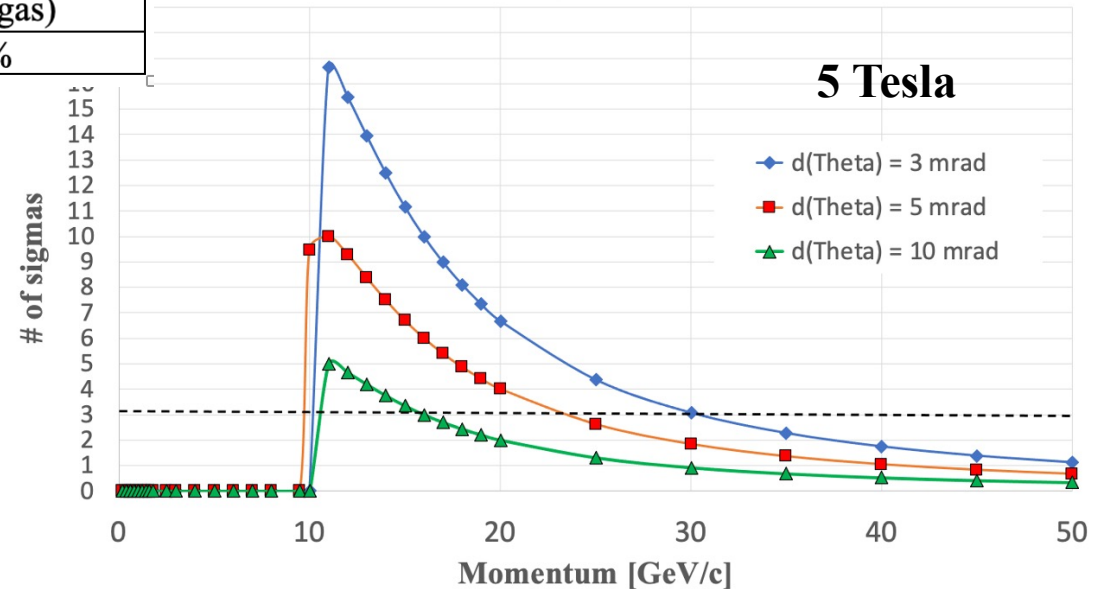
Single photon error source	SiD/ILD RICH detector @ 5 Tesla [mrad]	SLD CRID detector @ 0.5 Tesla [mrad]
Chromatic error	~0.85	~0.4
Pixel size (0.5mmx0.5mm - 3mmx3mm)	0.4 - 2.3	~0.5
Smearing effect due to magnetic field	1.2 - 2.5	~0.5
Mirror alignment	<< 1	~1 (?)
Other systematic errors	<<1	a few mrad
<b>Total single photon error <math>\sigma_{\text{photon}}</math></b>	<b>1.8 – 3.5</b>	<b>~ 3.4</b>
Total error including systematic effects	-	~ 4.3
Tracking angular error	~0.5	~0.8 [9]
<b>Other variables:</b>		
Npe/ring for $\beta \sim 1$	~16	~10 (in gas)
X/Xo	3-4%	>15%

Chromatic, pixel and smearing effect errors contribute to final error as  $1/\sqrt{N_{pe}}$ , the rest don't !!

**PID performance worsens rapidly with increasing total error:**

C4F10:  $\pi$ -K separation for L=25 cm

J.V., 10/25/2021



$$\# \text{ of sigmas} = \frac{\theta_{\pi} - \theta_K}{\sigma_{\theta} / \sqrt{N}}$$

$\sigma_{\theta}$  is total Cherenkov angle resolution

- Designing a good RICH detector **at high momentum** is a question of minimizing errors.
- Smearing effect and pixels size are the most crucial contribution in this design.

# Final performance for our design

$$\sigma_{\theta} = S_{\text{single photon}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}} = \sqrt{\{\sigma_{\text{chromatic}}^2 + \sigma_{\text{pixel}}^2 + \sigma_{\text{smearing effect}}^2\}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}}$$

$\sigma_{\text{smearing}} = \text{analytical formula}$ ,  $\sigma_{\text{chromatic}} \sim 0.85 \text{ mrad}$ , pixel size: 3 mm,  $\sigma_{\text{tracking}} \sim 0.5 \text{ mrad}$ , L = 25cm, 1 bar

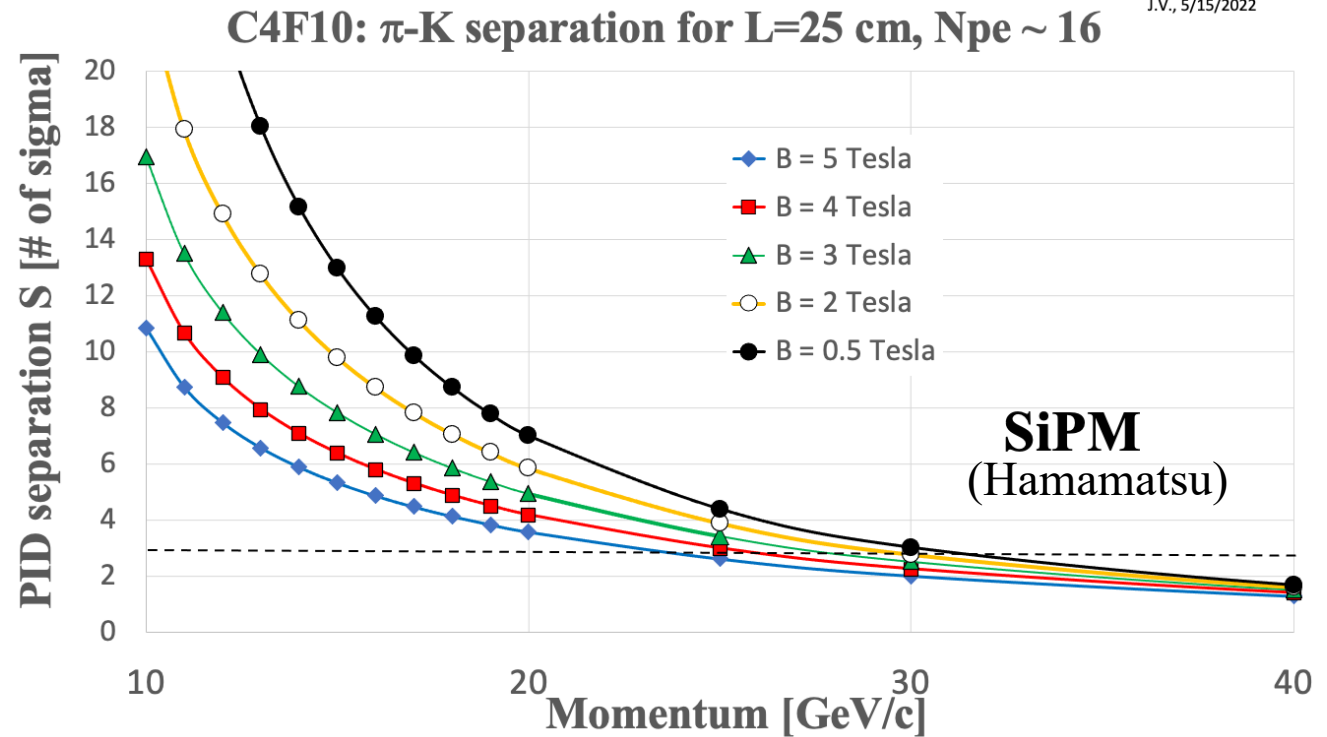
S [# of sigma]

$$= \frac{\theta_{\pi} - \theta_K}{\sigma_{\theta}}$$

$\sigma_{\theta}$  is total photon angle resolution, which includes:

$$\sigma_{\text{single photon}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}}$$

$$N_{\text{pe}} = (N_{\text{Pion}} + N_{\text{Kaon}})/2$$



- **3 $\sigma$  limit: ~26-28 GeV/c at 2-3 Tesla, and ~22-24 GeV/c at 5 Tesla.**



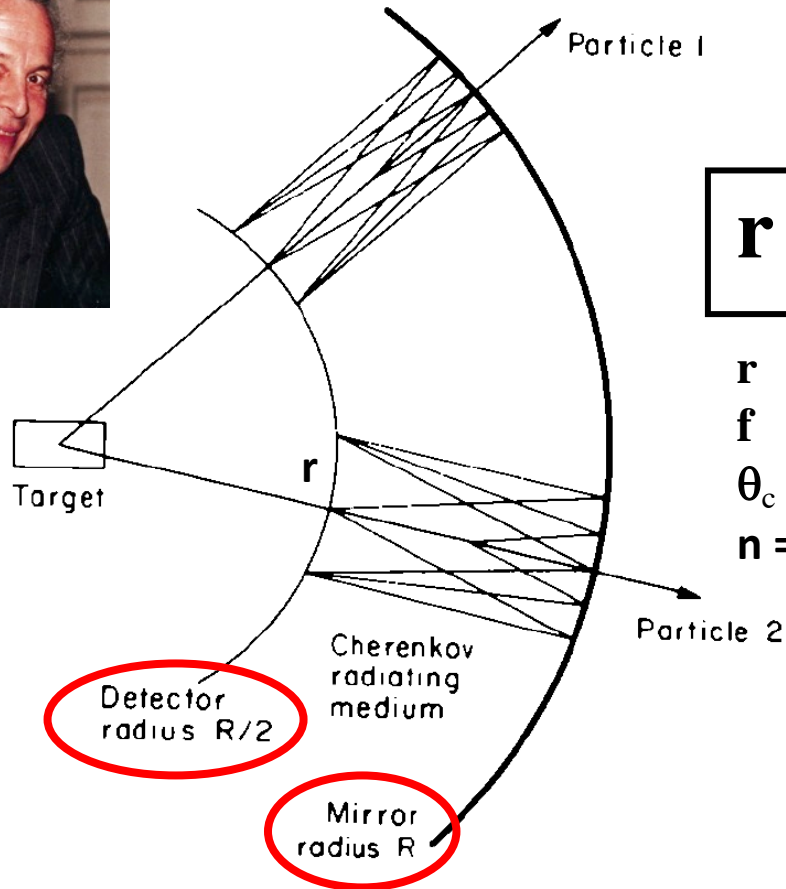
# Conclusion

- **Our compact RICH design competes well with much larger SLD CRID design.**
- **3 sigma  $\pi/K$  PID at  $\sim 30$  GeV/c is possible at 2-3 Tesla, and at  $\sim 25$  GeV/c at 5 Tesla.**
- **Very low mass design:  $X/X_0 \sim 3-4\%$ . Much better than CRID.**
- **SiPM technology is developing very fast, driven by medical research. In 5 years, all this will be obsolete, and the detector design will improve. This can be used either for reducing radial length, or for improving performance.**
- **Measuring time to 100 ps will open a new exciting possibilities for analysis of rings.**
- **Roger Forty produced a design with a better performance, however, assuming 3.5 bar gas pressure. Using his assumptions, I confirmed his result. However, his design may prove to be more difficult to sell to calorimeter people because of higher mass.**

# Appendix

# RICH optical concept was known early

T. Ypsilantis and J. Sequinot, Nucl. Instr. & Meth., 142 (1977) 377



$$r = f \operatorname{tg} \theta_c$$

$r$  - radius of the ring on the inner sphere

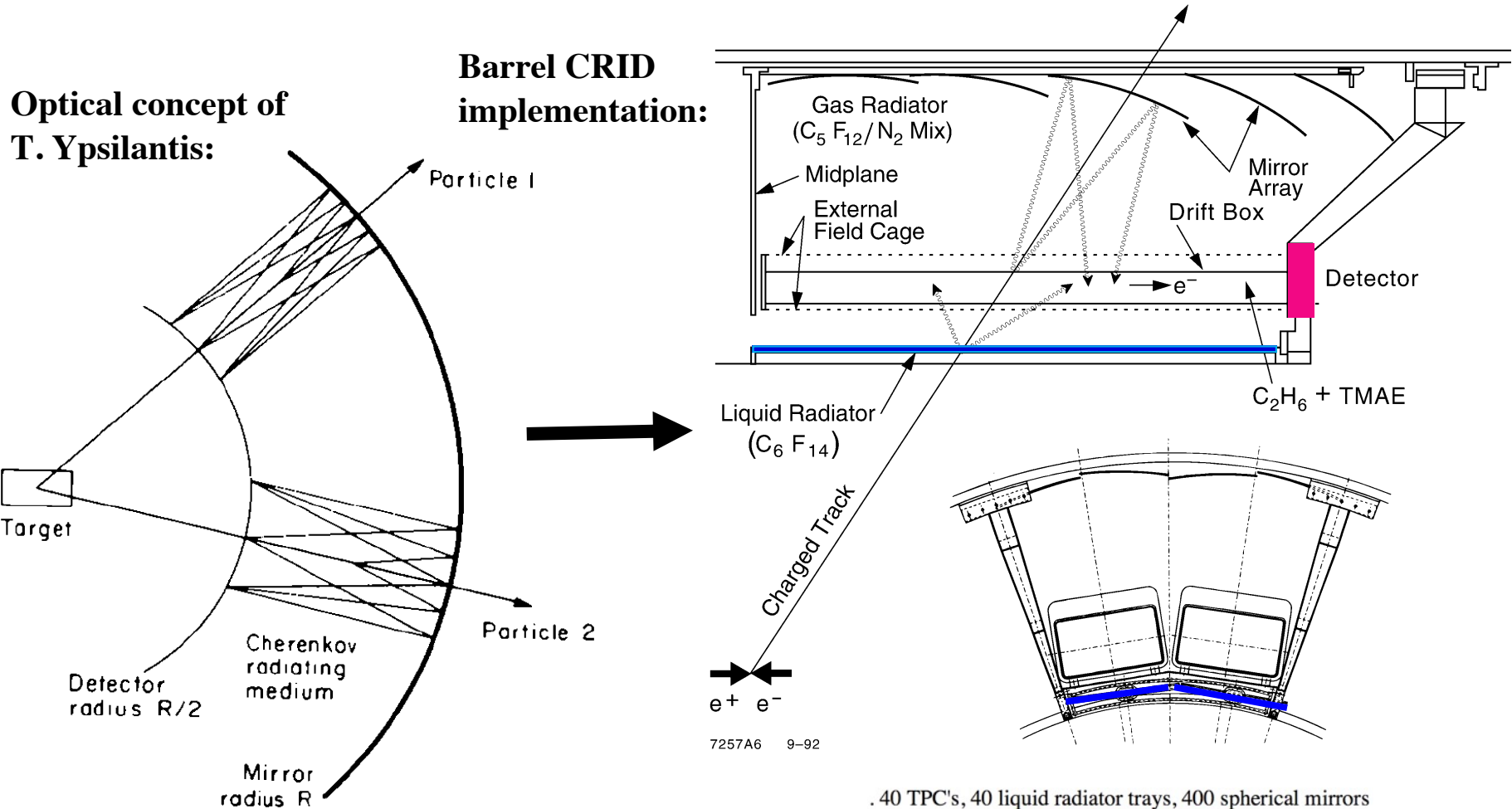
$f$  - focal length of the mirrored outer sphere =  $R/2$

$\theta_c$  - Cherenkov angle,  $\cos \theta_c = 1/(n\beta)$

$n = n(\lambda)$  - refraction index

- Ring radius measures Cherenkov angle, independently of track direction.

# Barrel CRID in SLD concept was defined around 1983-4

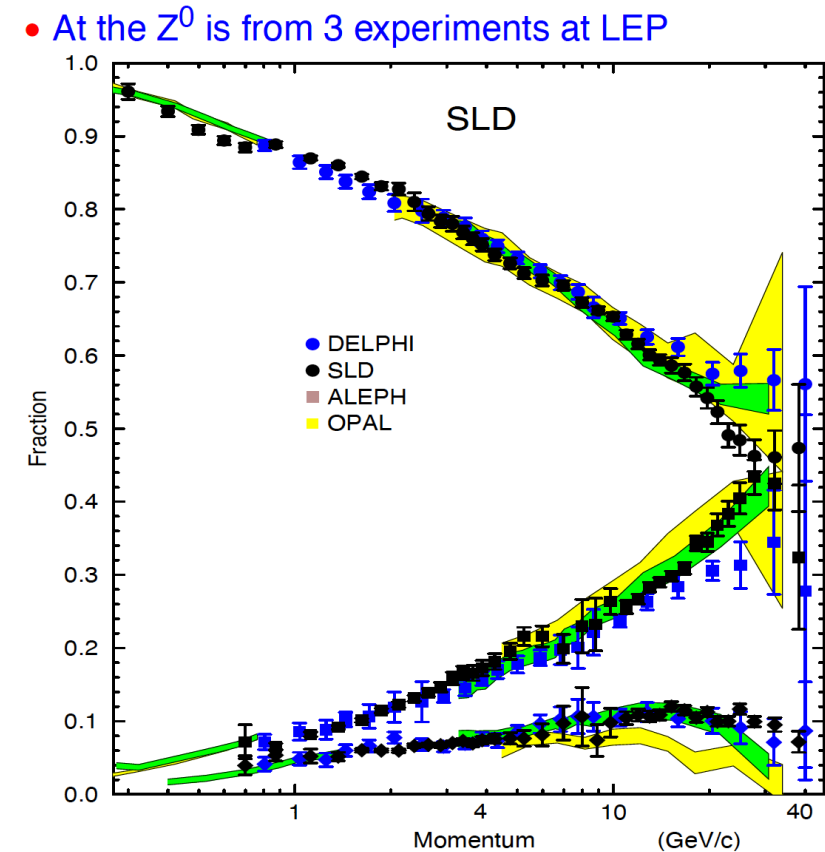
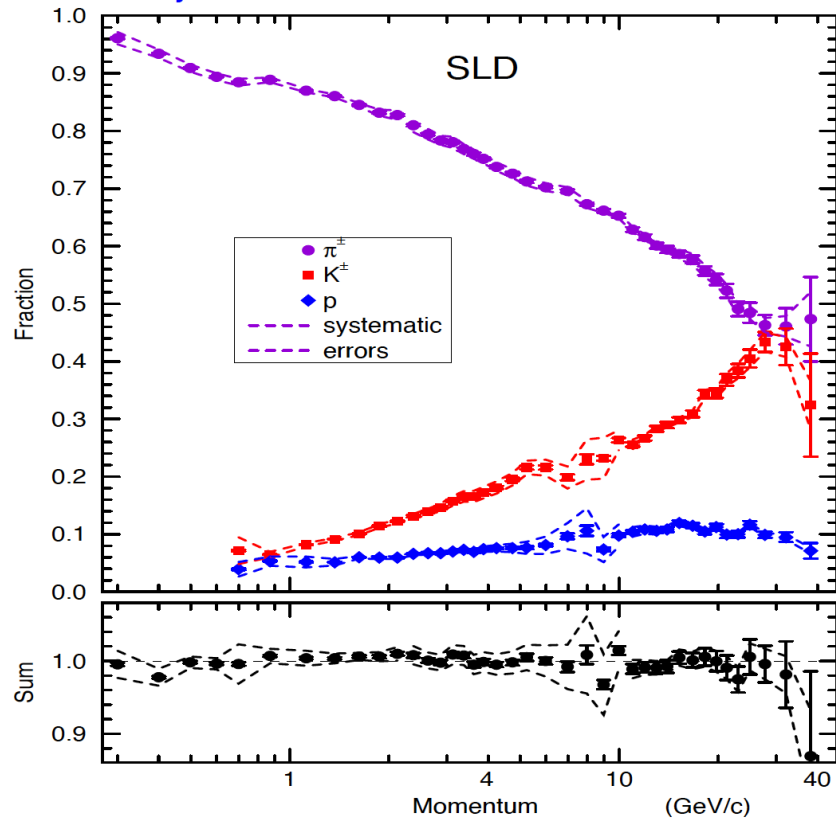


$$r = f \operatorname{tg} \theta_c$$

- . 40 TPC's, 40 liquid radiator trays, 400 spherical mirrors
- . Gas Radiator: 87%  $C_5F_{12}$  + 13%  $N_2$  mix
- . Liquid Radiator:  $C_6F_{14}$
- . Drift box gas:  $C_2H_6 + TMAE$  (~0.1 %)
- . Maximum drift length: 1.2 m
- . Drift field 400 V/cm; maximum voltage: -55 kV
- . TMAE bubbler temperature: ~27°C
- . The system temperature: ~35°C

# Gaseous RICH – SLD and DELPHI

D. Muller et. al., “Inclusive hadronic production in  $e^+e^-$  to at 91.2 GeV using the SLD CRID,” talk, unpublished;  
The SLD collaboration, “Production of  $p$ ,  $K$ ,  $K^0$ ,  $K^{*0}$ ,  $f$ ,  $p$ , &  $L^0$  in hadronic  $Z^0$  decays, SLAC-PUB-7766, 1998.



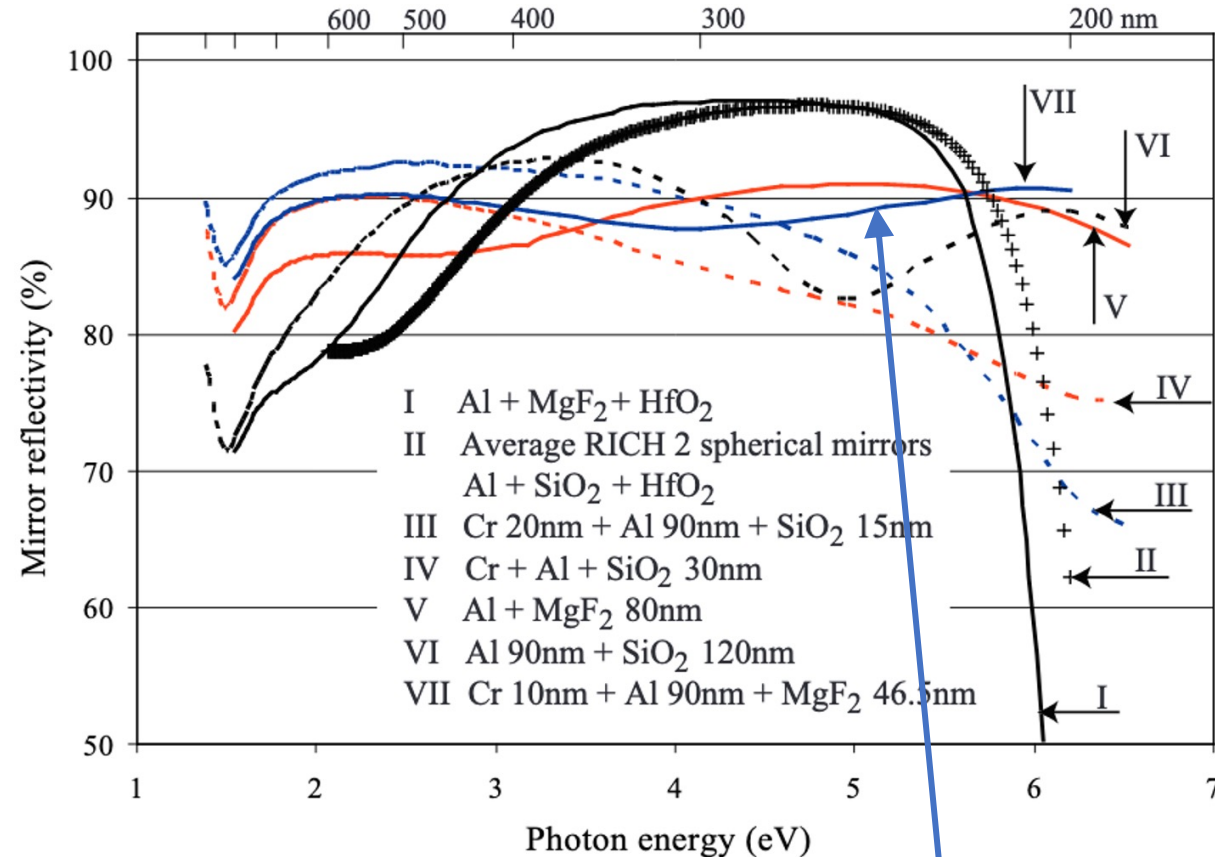
- SLD CRID and Delphi RICH pioneered this type of detector ~40 years ago.

# Gas choice

- **C<sub>5</sub>F<sub>12</sub> gas** at 1 bar requires a detector temperature of 40°C since boiling point of this gas is 31°C at 1 bar. Not very agreeable with the SiPM noise.
- **C<sub>4</sub>F<sub>10</sub> gas** at 1 bar allows detector operation at a few degrees °C since boiling point of this gas is -1.9°C at 1 bar. **This is presently our preferred choice.**
- **C<sub>2</sub>F<sub>6</sub> gas** at 1 bar would allow detector operation even below 0°C since boiling point of this gas is -70.2°C at 1 bar. However, this gas would deliver insufficient number of photoelectrons.
- **C<sub>3</sub>F<sub>8</sub> gas** at 1 bar would allow detector operation at -30 deg C since the boiling point of C<sub>3</sub>F<sub>8</sub> is -37 deg C. Still worse performance than C<sub>4</sub>F<sub>10</sub>.

# Mirror reflectivity

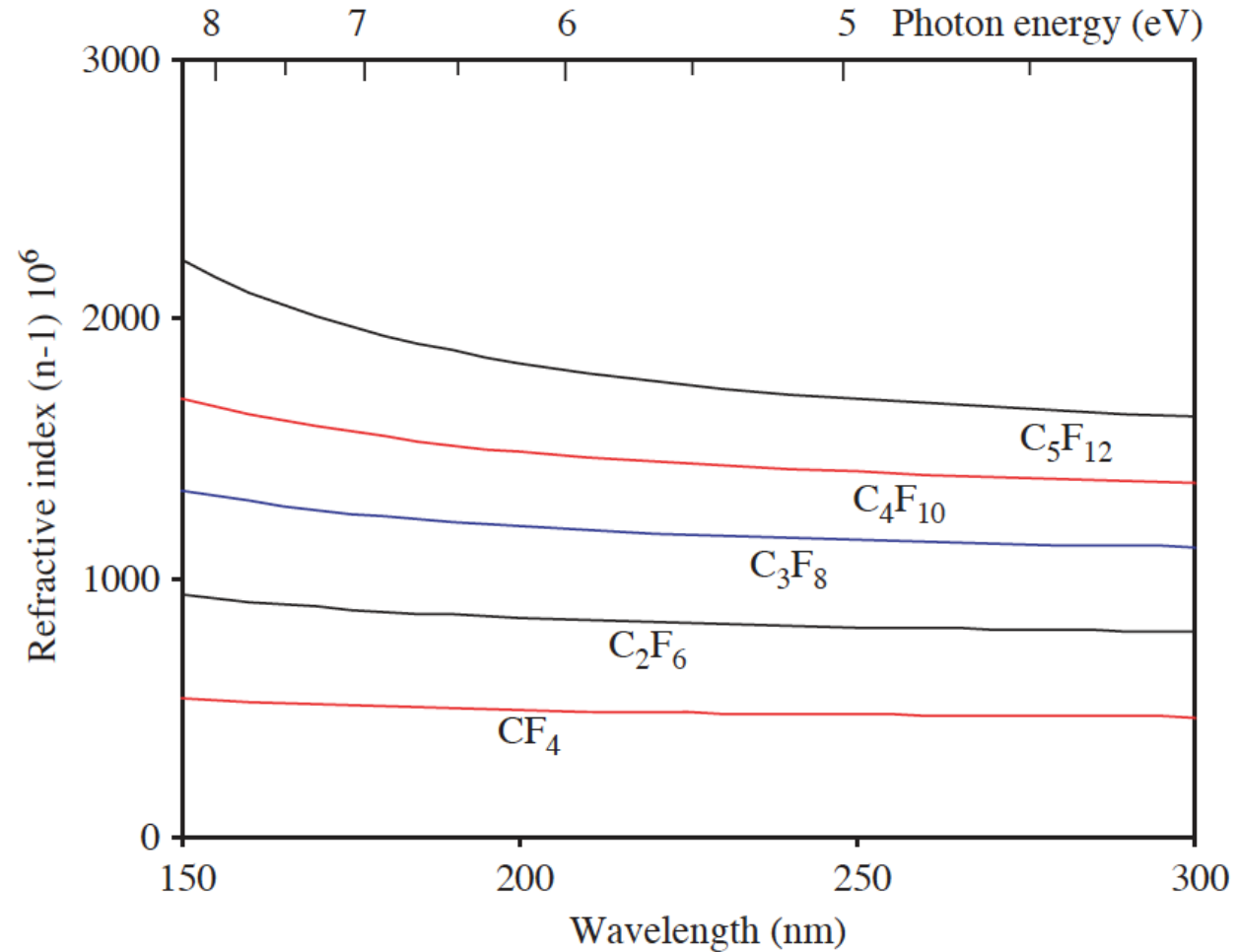
LHCb collaboration, JINST 3 S08005, 2008



- For calculations in this work, I used Al+Cr+MgF<sub>2</sub> mirror coating.
- This coating was also used by CRID.

# Refraction index of Freons

O. Ullaland, NIM A 553(2005)107

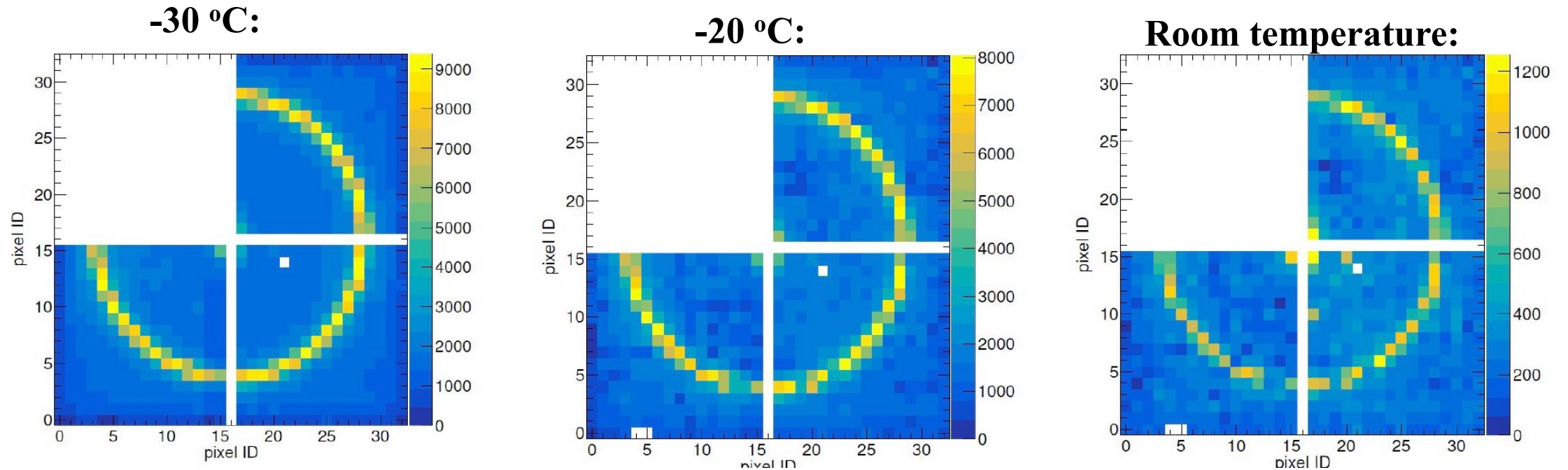


- Refraction index of these Freon gas candidates is well understood.



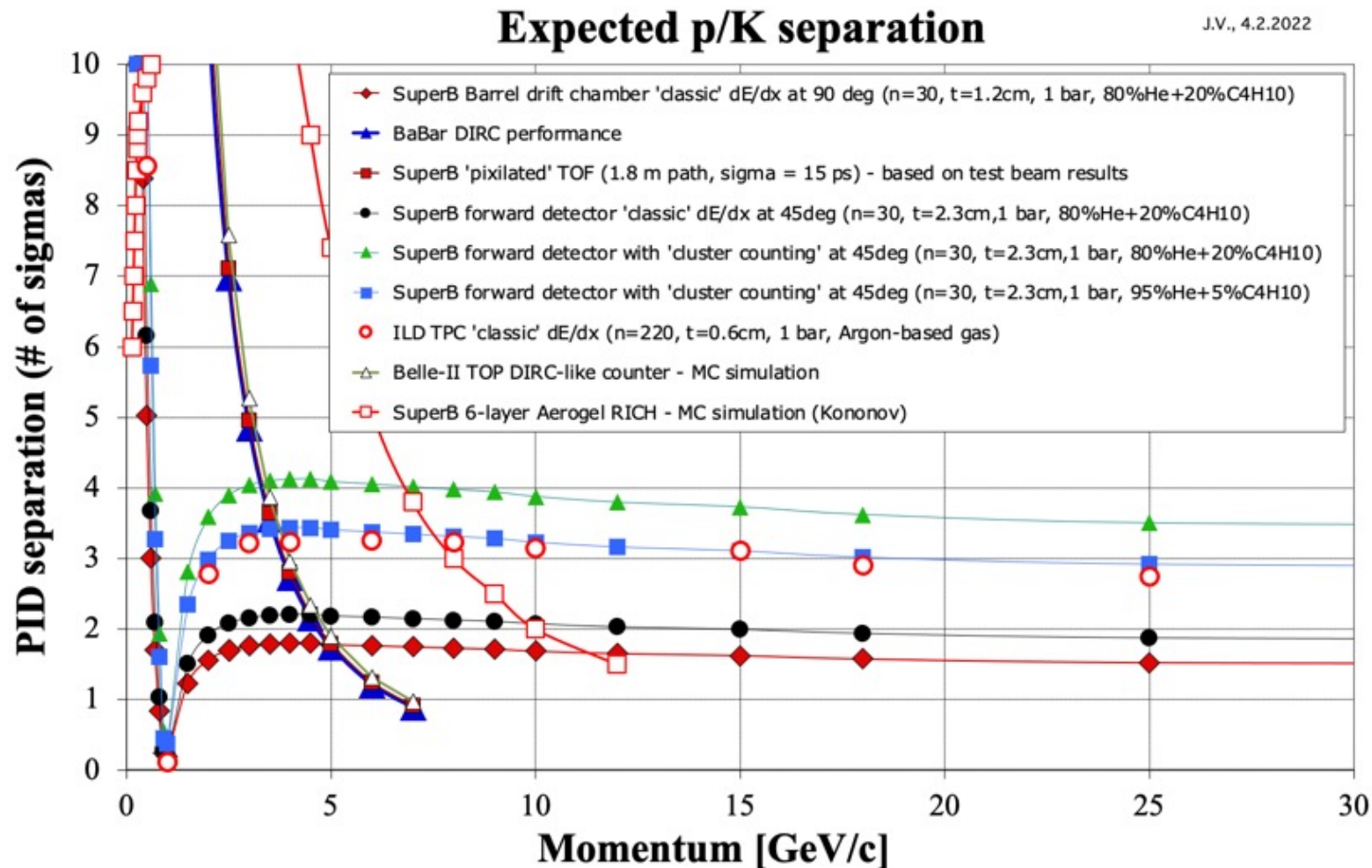
# EIC mRICH –SiPM noise

C.P. Wong et. al., NIM A 871, 13 (2017)



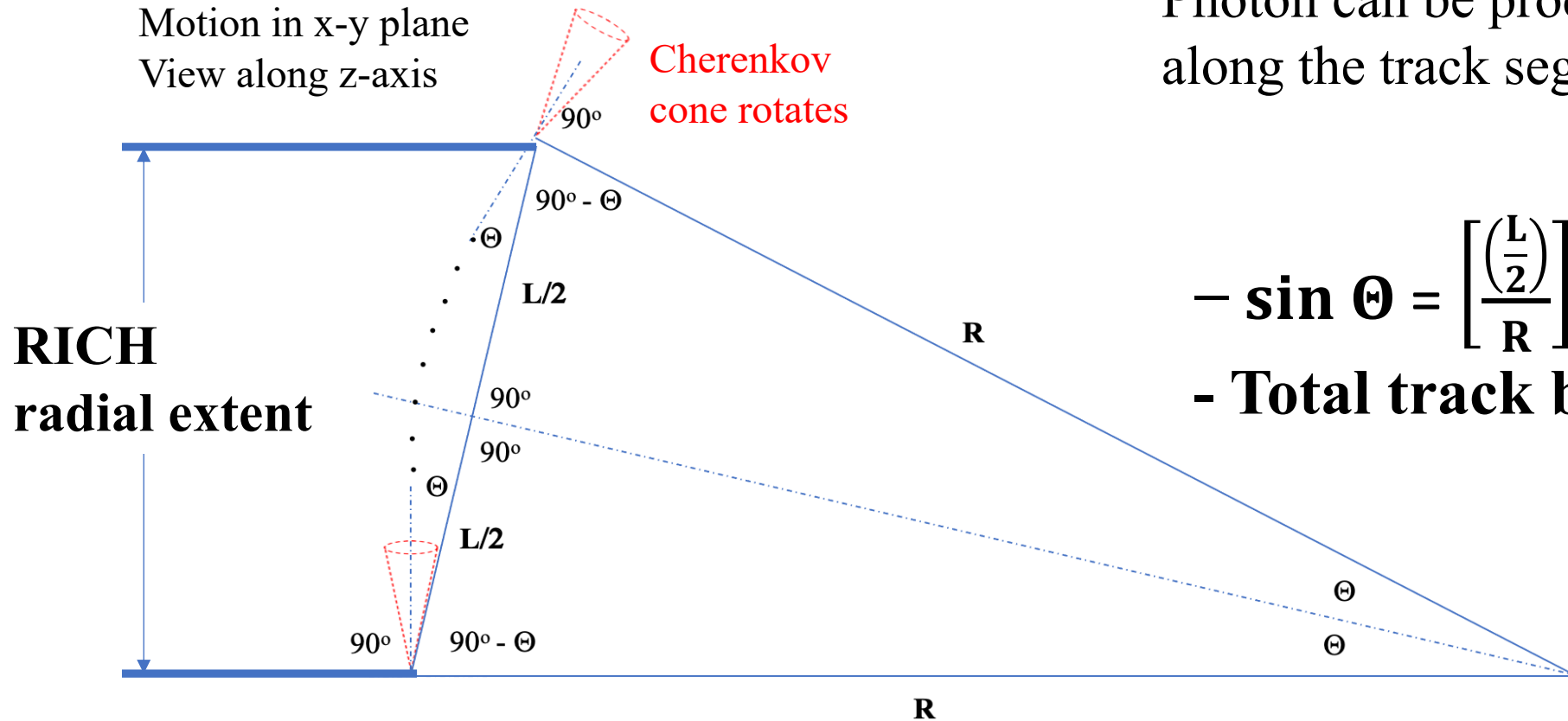
- They used Aerogel radiator and SiPM readout, and temperature to reduce the noise.
- **Our idea:**  
**Use a track hit & photon hit to make a timing window. Need ~100 ps resolution.**

# Examples of PID detectors



- Present ILD TPC design separates p/K's at  $\sim 20$  GeV/c at a level of  $\sim 3 \sigma$ .

# Analytical formula to estimate the smearing effect



Photon can be produced anywhere along the track segment along path  $L$

$$- \sin \Theta = \left[ \frac{\left(\frac{L}{2}\right)}{R} \right]$$

- Total track bend angle:  $2\Theta$

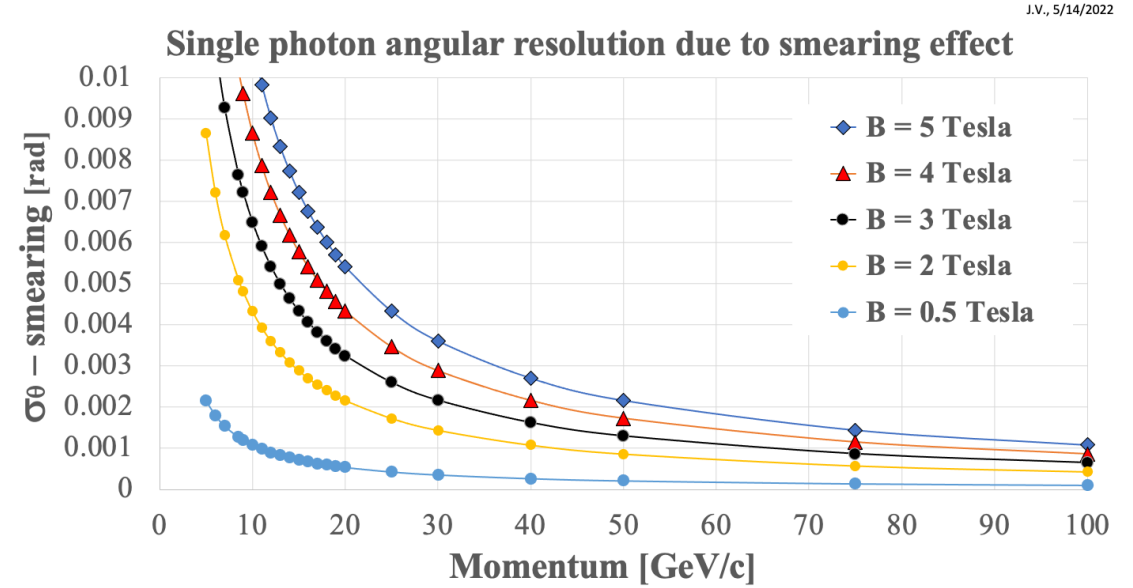
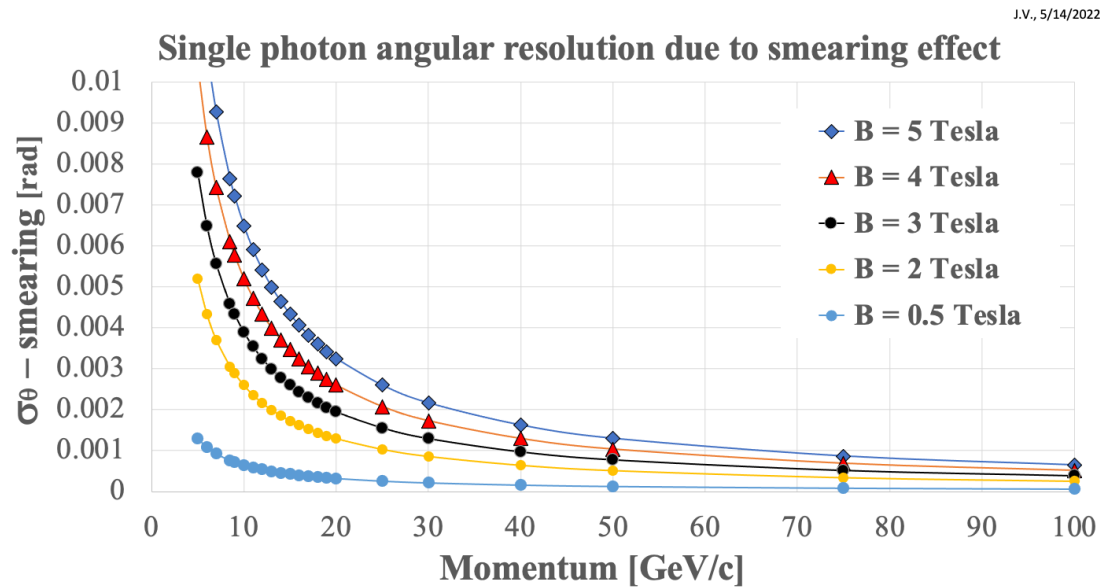
$$\sigma_{\theta c} \sim \frac{2\Theta}{\sqrt{12}} \sim \left\{ 2 \arcsin \left[ \frac{\left(\frac{L}{2}\right)}{R} \right] \right\} \frac{1}{\sqrt{12}}, \quad R = \frac{p}{300 B}, \quad L = 0.25 \text{ m}, \quad p \text{ [MeV/c]}, \quad R \text{ [m]}$$

# Smearing effect due to track bending = f(B)

**Analytical formula:**  $\sigma_{\theta} \sim \frac{2\theta}{\sqrt{12}} \sim \left[ 2 \arcsin\left[\frac{\left(\frac{L}{2}\right)}{R}\right] \right] \frac{1}{\sqrt{12}}$

**L = 15 cm**

**L = 25 cm**

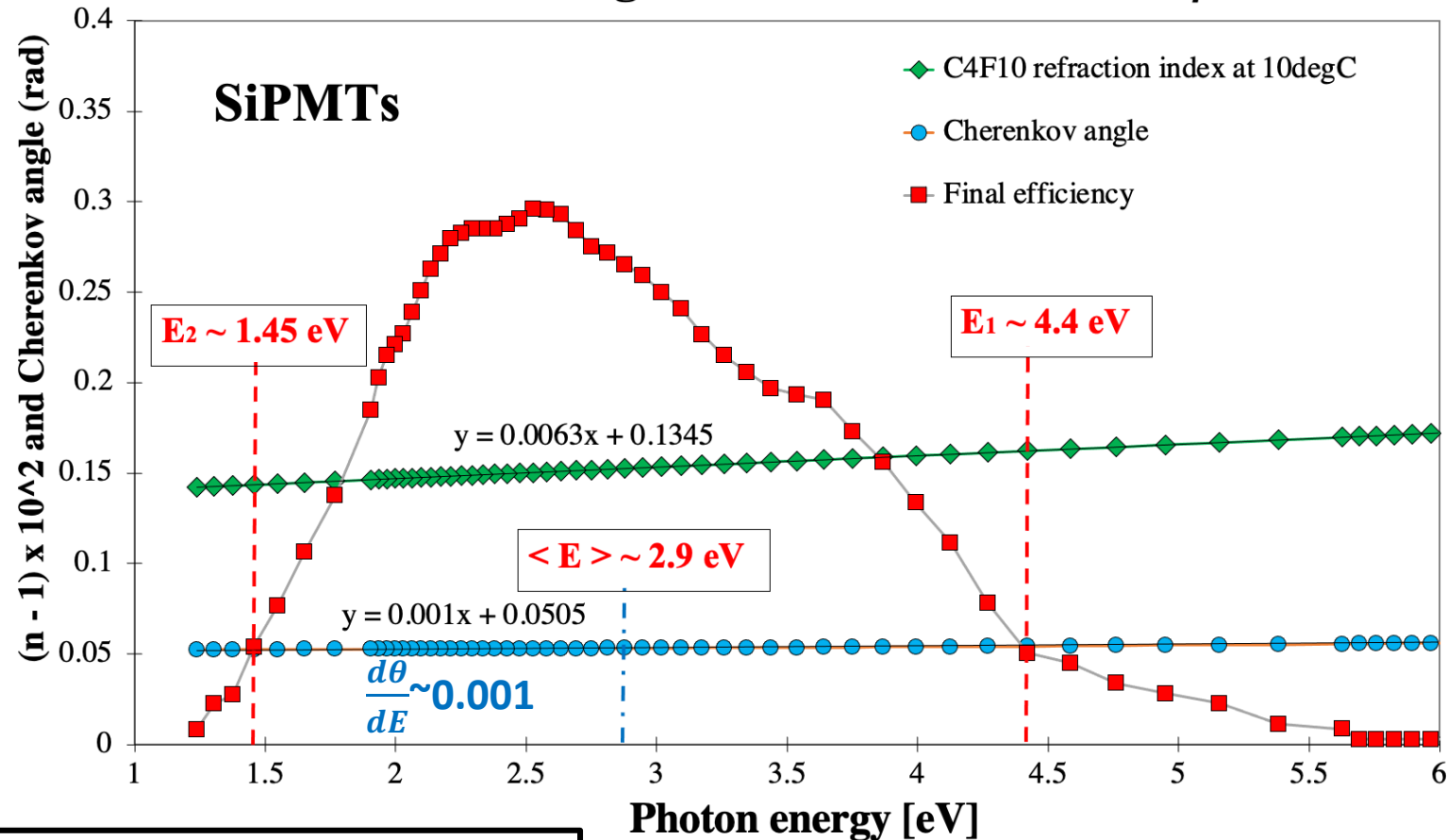


- A subsequent study with Mathematica code has showed that it is more complicated as smearing error depends on Cherenkov angle azimuth angle.

# Chromatic error error = f(n(E))

J.V., 10/26/2021

C4F10: Cherenkov angle and refractive index for  $\beta = 1$



$$\sigma_{\theta_c} \sim \frac{d\theta_c}{dE} (E_2 - E_1) \frac{1}{\sqrt{12}} \sim \mathbf{0.85 \text{ mrad}}, \text{ no filter to reduce BW at present.}$$

# More on smearing effect

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 10 GeV/c & 5 Tesla

**B = 5 Tesla,**

**P = 10 GeV/c pions**

Pt = 9.976 GeV/c

Pz = 0.699 GeV/c

Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$

Phi =  $90^\circ$

R-helix=6.65 meters

$\theta_c$  (Pions)= 0.0513 rad

$\theta_c$  (Kaons)= 0.0198 rad

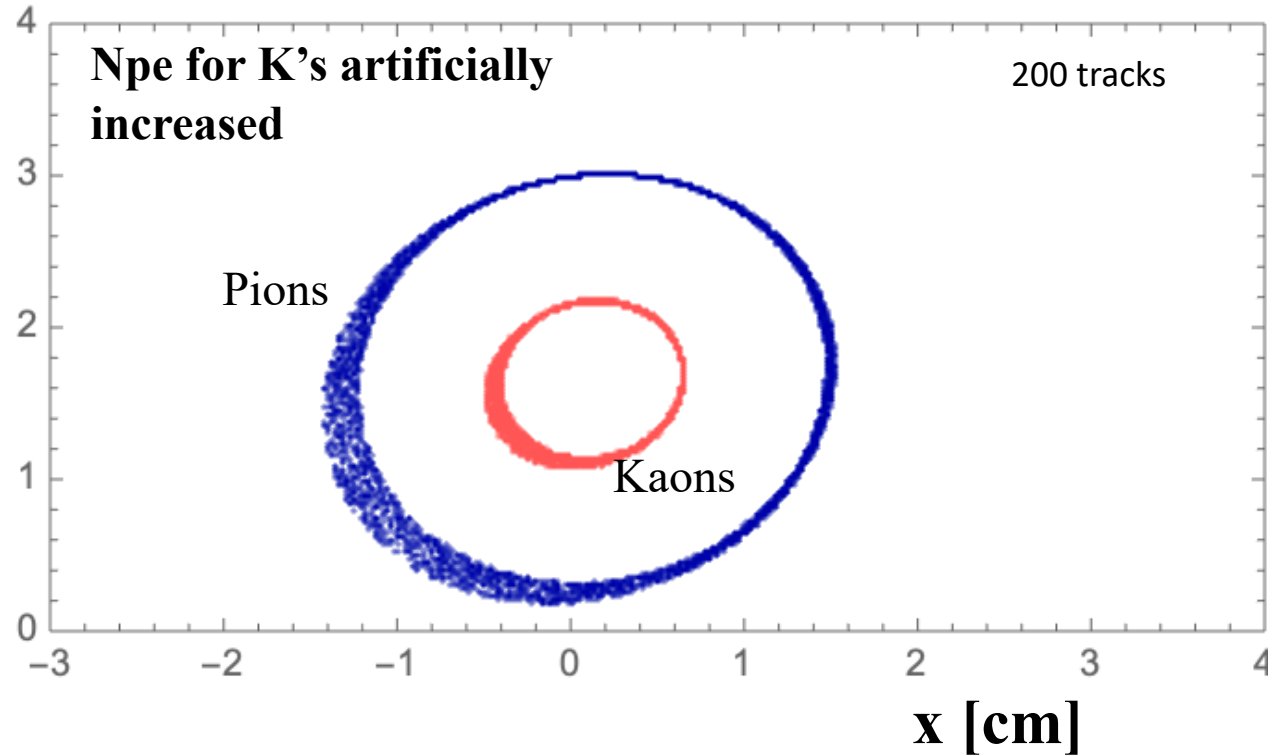
N<sub>pe</sub> (Pions) ~ 15

N<sub>pe</sub> (Kaons) ~ 2-3

C<sub>4</sub>F<sub>10</sub> gas

**L<sub>radiator</sub> = 25 cm**

z [cm]



- **One can still do PID because Cherenkov angles are very different.**
- **N<sub>pe</sub> for Kaons is small between 10 and 12 GeV/c.**

# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 20 GeV/c with B = 5 Tesla

B = 5 Tesla,

**P = 20 GeV/c pions**

Pt = 19.951 GeV/c

Pz = 1.3973 GeV/c

Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$

Phi =  $90^\circ$

R-helix=13.3 meters

$\theta_c$  (Pions)= 53.2 rad

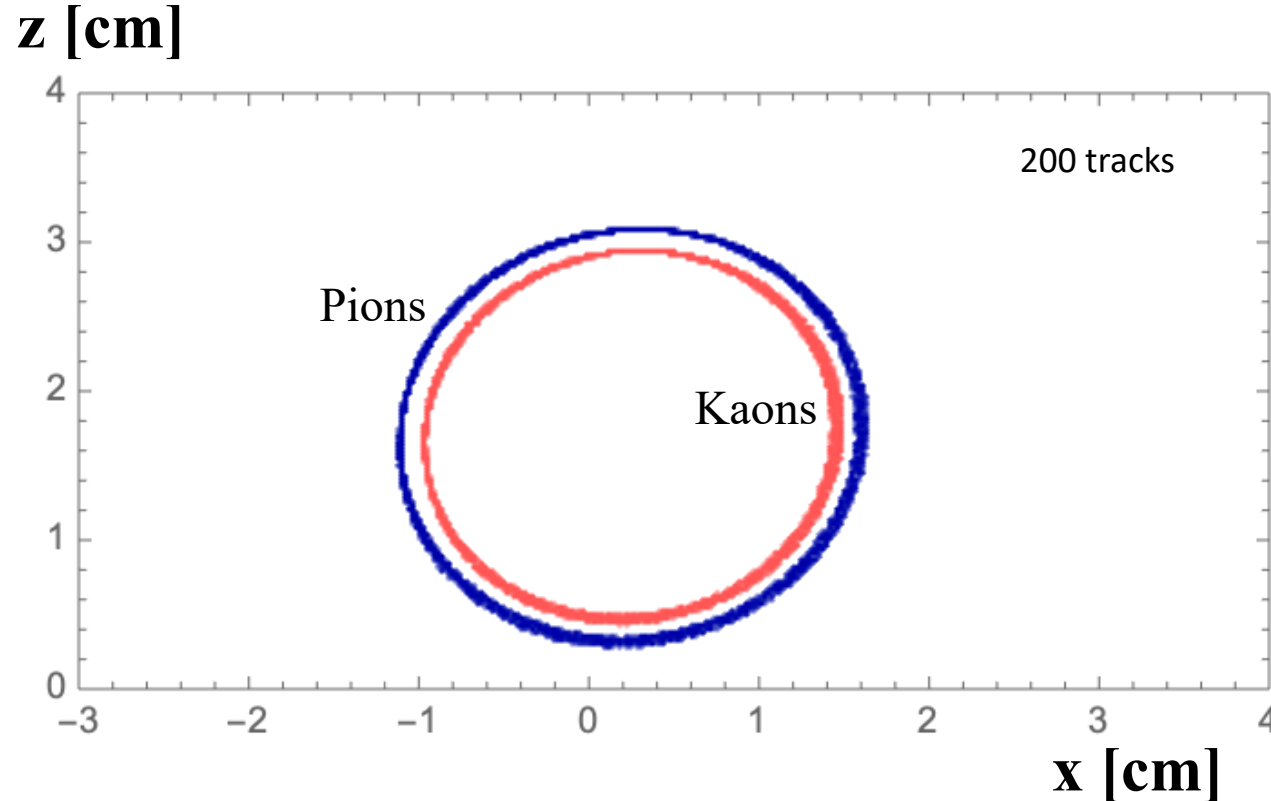
$\theta_c$  (Kaons)= 47.1 mrad

Npe (Pions) ~ 16

Npe (Kaons) ~ 12-13

C<sub>4</sub>F<sub>10</sub> gas

**L<sub>radiator</sub> = 25 cm**



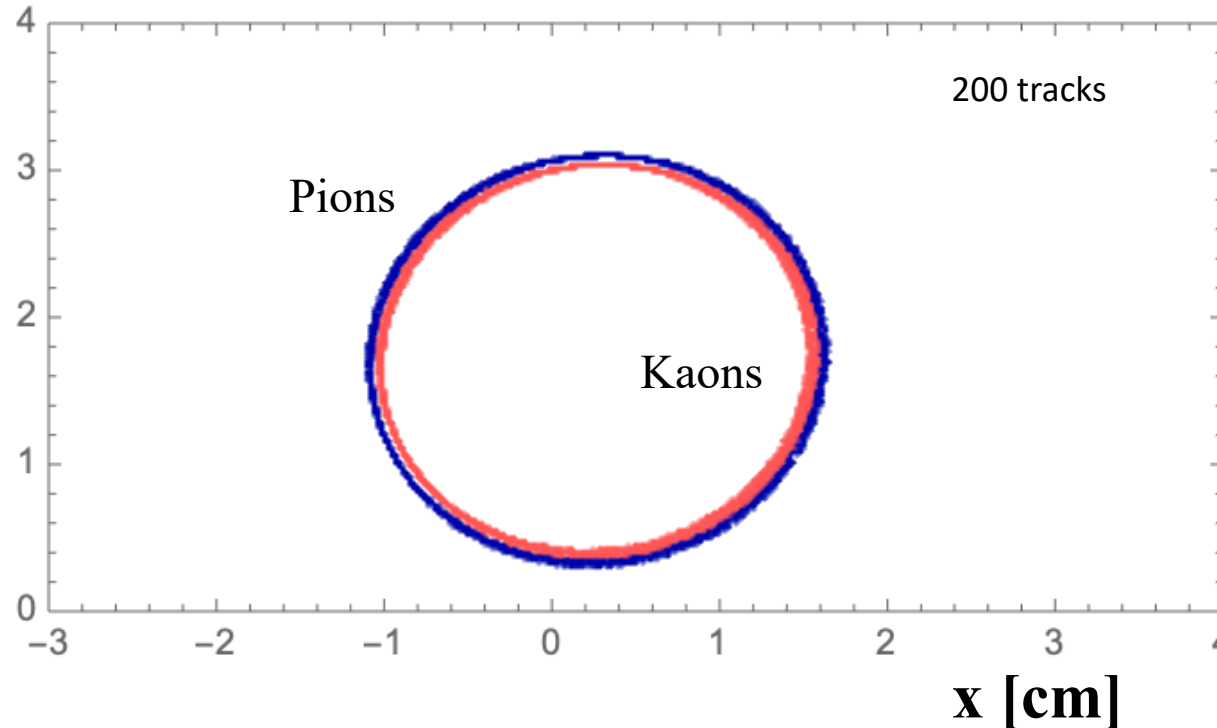
- Plot all {xfinal[i] & zfinal[i]} 2D-hits in detector plane, no cuts, no fitting.
- We determine center of the circle  $x_0$  &  $z_0$ .



# Cherenkov rings for $\theta_{\text{dip}} = 4^\circ$ at 30 GeV/c & 5 Tesla

**B = 5 Tesla,**  
**P = 30 GeV/c pions**  
Pt = 29.927 GeV/c  
Pz = 2.896 GeV/c  
Theta =  $86^\circ = 90^\circ - \theta_{\text{dip}}$   
Phi =  $90^\circ$   
R-helix = 19.95 meters  
 $\theta_c$  (Pions) = 53.0 mrad  
 $\theta_c$  (Kaons) = 50.6 mrad  
Npe (Pions) ~ 16.1  
Npe (Kaons) ~ 14.7  
C<sub>4</sub>F<sub>10</sub> gas  
**L<sub>radiator</sub> = 25 cm**

z [cm]



- Smearing effect will limit the resolution at large magnetic field.

**Can we improve our design ?**

# Reduce pixel size, higher PDE and better tracking

$$\sigma_{\theta} = \sigma_{\text{single photon}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}} = \sqrt{\{\sigma_{\text{chromatic}}^2 + \sigma_{\text{pixel}}^2 + \sigma_{\text{smearing effect}}^2\}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}}$$

$\sigma_{\text{smearing}} = \text{analytical formula}$ ,  $\sigma_{\text{chromatic}} \sim 0.85 \text{ mrad}$ , pixel size: **0.5 mm**,  $\sigma_{\text{tracking}} \sim 0.3 \text{ mrad}$ , **increase PDE by 20%**

(Probably not doable)

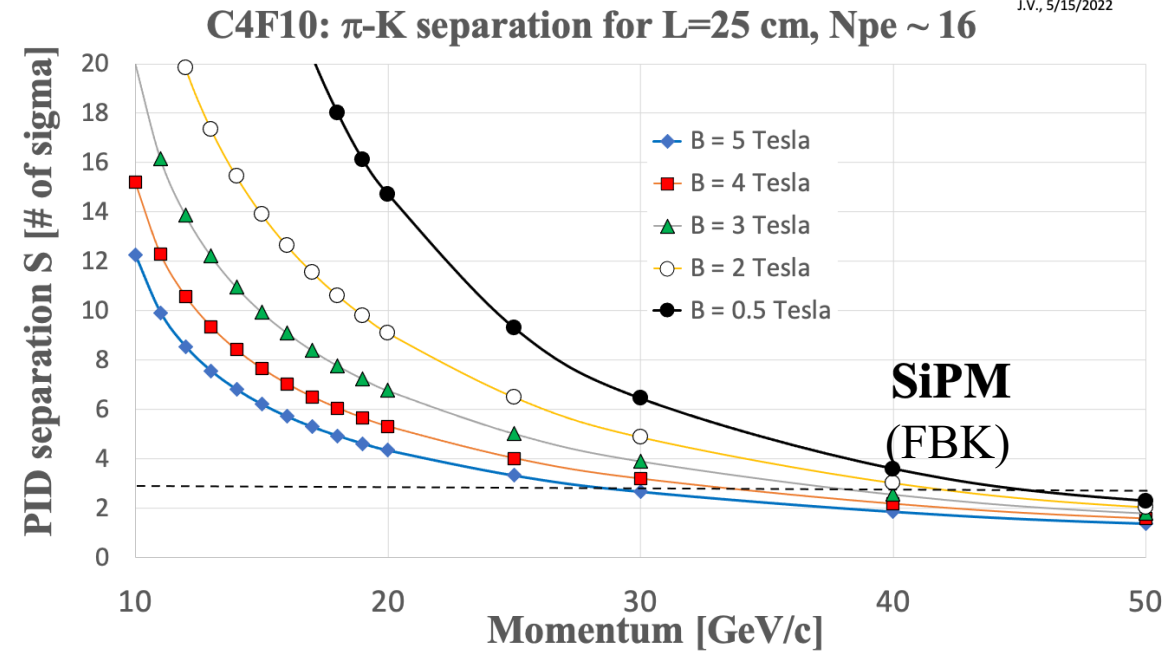
S [# of sigma]

$$= \frac{\theta_{\pi} - \theta_K}{\sigma_{\theta}}$$

$\sigma_{\theta}$  is total photon angle resolution, which includes:

$$\sigma_{\text{single photon}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}}$$

$$N_{\text{pe}} = (N_{\text{Pion}} + N_{\text{Kaon}})/2$$

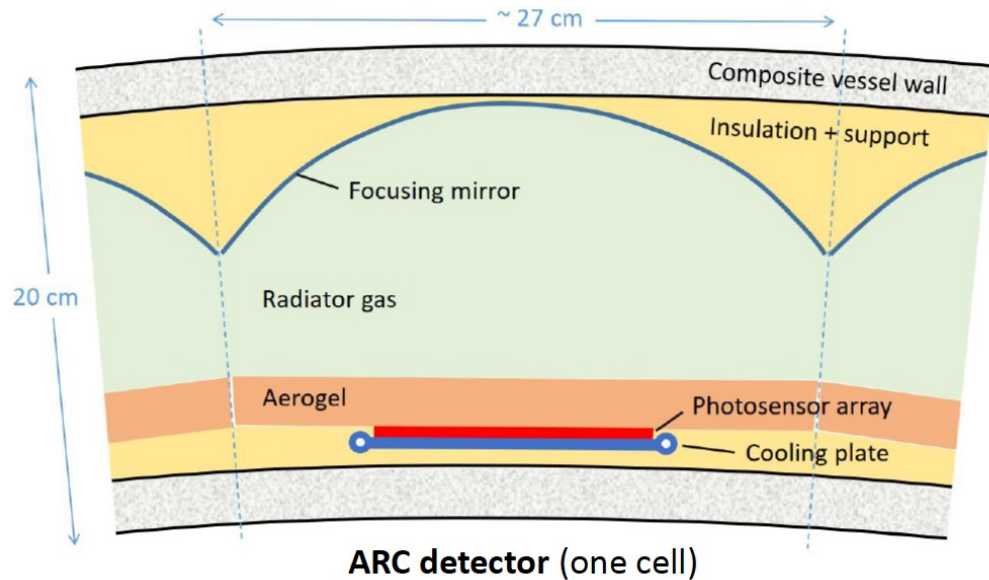


• **3 $\sigma$  limit: ~40-45 GeV/c at 2-3 Tesla, and ~30 GeV/c at 5 Tesla.**

• **Could be improved further with a clever algorithm for the smearing effect and by reducing the chromatic error using filters or mirror reflectivity.**

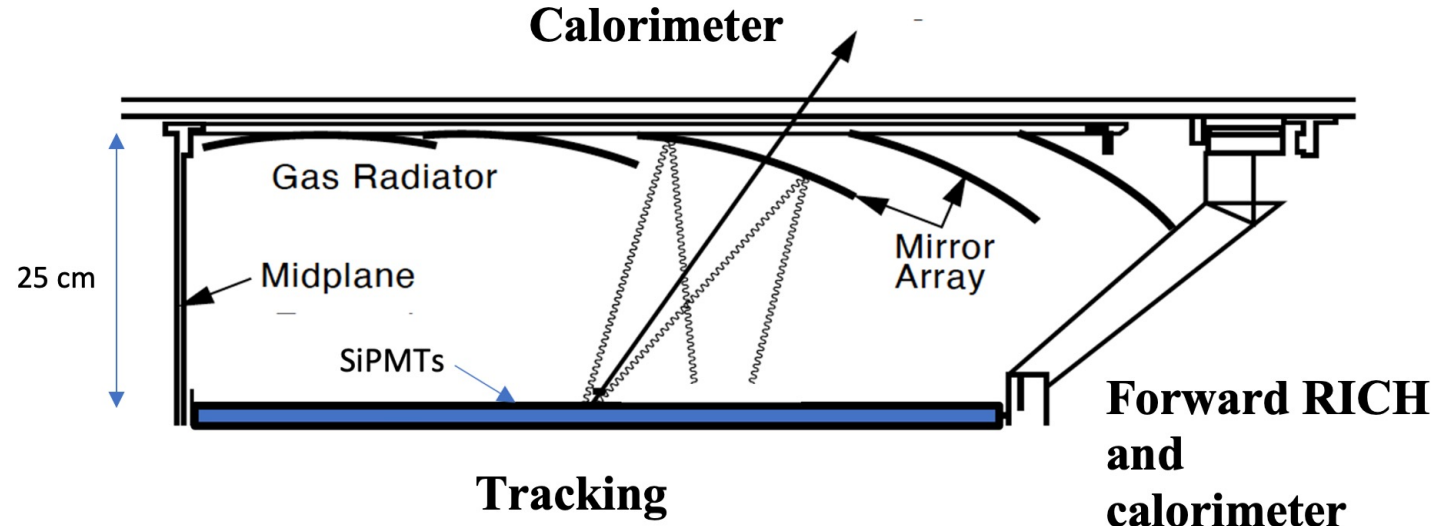
# Two designs

## Roger Forty's design:



C4F10 gas at 3.5 bars  
 His SiPM PDE is 20% higher than ours  
 $N = 1.0049$   
 $X/X_0 \sim 10\%$   
 $N_{pe} \sim 25$  for  $\beta = 1$

## Schematic picture of our design:



C4F10 at 1 bar  
 $N = 1.001415$   
 $X/X_0 \sim 4\%$   
 $N_{pe} \sim 16$  for  $\beta = 1$

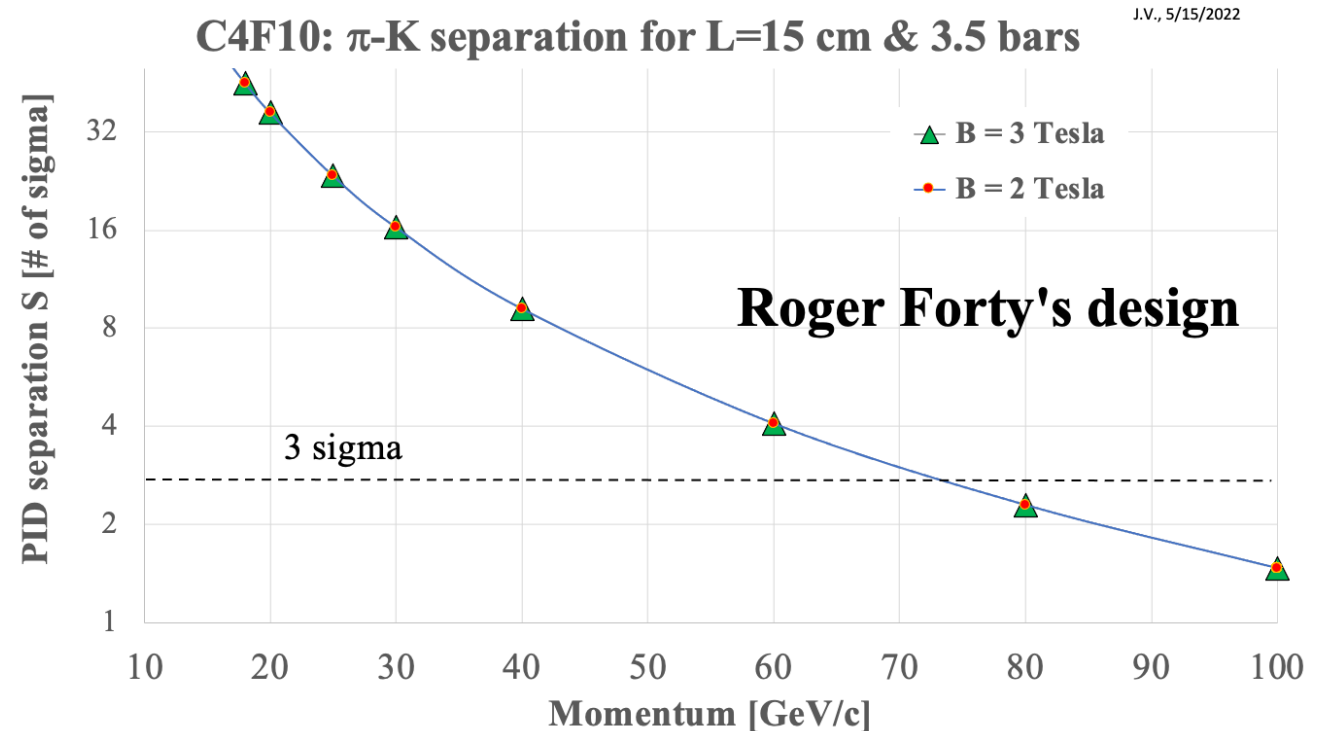
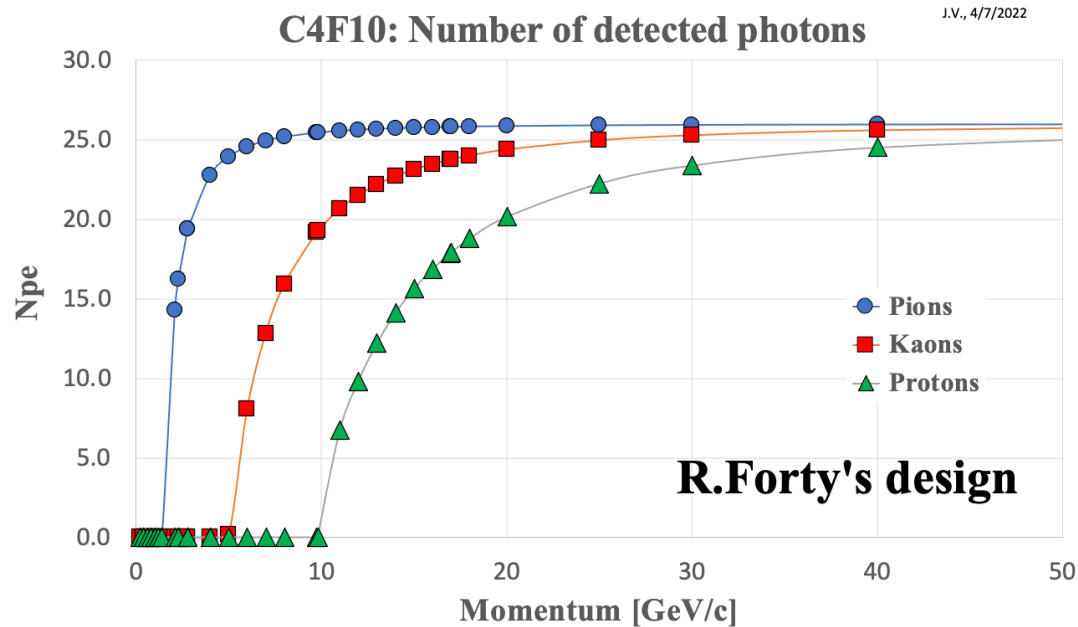
# R. Forty & C. Gargiulo RICH design

(I used their design parameters, but did my independent calculation)

FCC week,  
1 July 2021  
CERN

$$\sigma_{\theta} = \sigma_{\text{single photon}}/\sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}} = \{ \sigma_{\text{chromatic}} \otimes \sigma_{\text{pixel}} \otimes \sigma_{\text{smearing effect}} \otimes \sigma_{\text{other syst. errors}} \} / \sqrt{N_{\text{pe}}} \otimes \sigma_{\text{tracking}}$$

$\sigma_{\text{smearing}} \sim 1 \text{ mrad}$ ,  $\sigma_{\text{chromatic}} \sim 0.5 \text{ mrad}$ , pixel size: **0.5 mm**,  $\sigma_{\text{tracking}} \sim 0.3 \text{ mrad}$ , **20% higher PDE**, **3.5 bars**, **L = 15 cm**



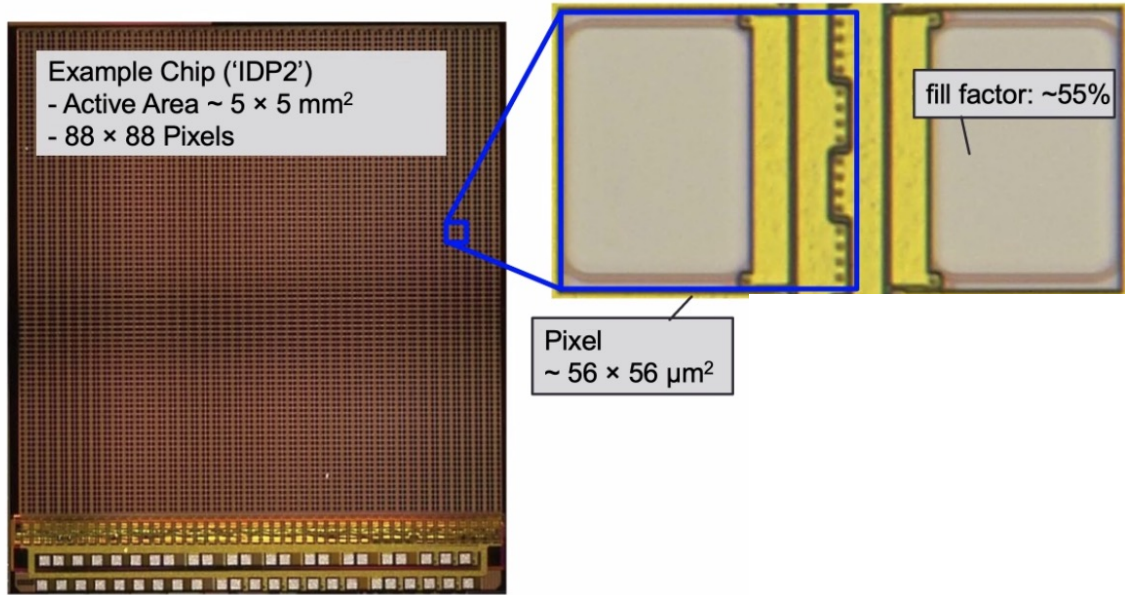
- **3  $\sigma$  limit:  $\sim 75 \text{ GeV/c}$ . Price for this performance: 3.5 bars and  $X/X_0 \sim 10\%$ .**

# Are digital SiPMs a good choice in future ?

Peter Fisher, Heidelberg

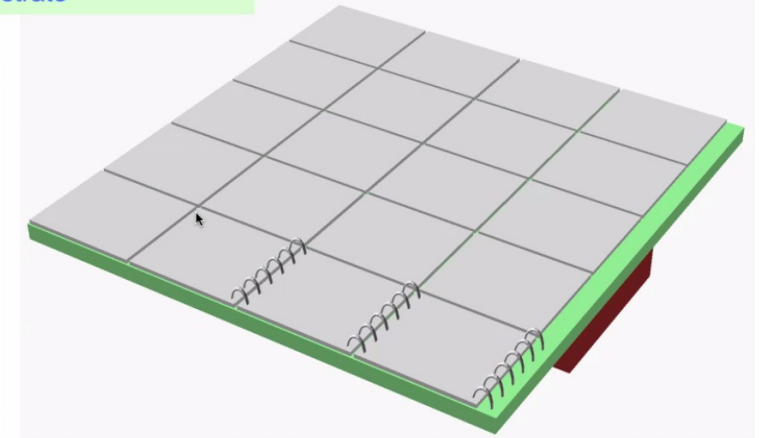
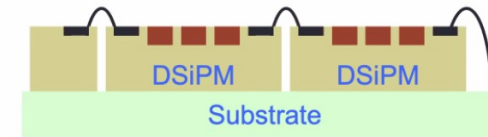
## 'Digital SiPM' (or 'CMOS SPADs')

- Chip produced in a ('special') CMOS technology which allows to fabricate SPADs AND transistors on one chip



## Possible Module Concept

- Several bare chips grouped on large ( $\sim 8 \times 8 \text{ cm}^2$ ) low activity substrate:



- Can have very small pixel sizes.
- Combine electronics and photosensor together on one chip. Fill factor: 55%.
- Can switch off the cell which is too noisy.
- Can daisy chain different segments.