# The XFEL Compton Collider (XCC) Higgs Factory

Tim Barklow Future U.S. Colliders Workshop Jan 20, 2022





## **XCC – XFEL Compton Collider**



## **Potential Cost Savings with the XCC**

#### C<sup>3</sup> 250 GeV Capital Cost Estimate

#### XCC 140 GeV Capital Cost Estimate

CCC		GeV	250			
		MeV/m	70			
	Sub-Domain		М\$	%	%	
	Inje	ectors	301	8		
Sources	Damp	ing Rings	461	12	35	
	Beam	Transport	563	15		
Main Linas	Cryo	module	357	10	22	
	C-band	d Klystron	871	23		
ID	Beam Delivery and FF		295	8	12	
IP		IR	184	5	15	
	Civil Eng		204	5		
Support Inf.	Commo	n Facilities	396	11	19	
	Cryo-plant		101	3		
	Total		3733	100		

ХСС		GeV	140			
		MeV/m	70			
	Sub-Domain		M\$	%		
	Injectors		200	9		
Sources	FEL		200	9	26	
	Beam Transport		197	9		
Main Lines	Cryomodule		200	9	20	
Iviain Linac	C-band Klystron		488	22	50	
	Beam Delivery and					
IP	FF	F 148		7	15	
	IR		184	8		
	Civil Eng		114	5		
Support Inf.	Common Facilities 396				28	
	Cryo-plant		133	6		
	Total		2260	100		

With these estimates the XCC would be 60% of the cost of C<sup>3</sup> 250 GeV. **But we can't** seriously make this claim at this time. There are still too many components of the XCC machine that need work -- such as the focusing optics to take the x-ray beam from the end of the undulator to the Compton interaction point.

## **XCC physics backgrounds**



Due to the narrow Higgs resonance the Higgs rate at XCC is that of a  $10^{34}$  cm<sup>-2</sup> s<sup>-1</sup>  $e^+e^-$  collider even though the  $\gamma\gamma$  and  $e^-\gamma$  luminosity for  $\sqrt{\hat{s}} > 100$  GeV is  $\sim 10^{33}$  cm<sup>-2</sup> s<sup>-1</sup>

The background is not resonant and so background will be typical of a  $10^{33}$  cm<sup>-2</sup> s<sup>-1</sup>  $e^+e^-$  collider



## **XCC and ILC physics background comparison**

## In lieu of CAIN+WHIZARD MC production and analysis, use hadronic production with $\sqrt{\hat{s} / s} > 0.4$

as a measure of the Higgs background

Non-linear QED included in XCC Simulation. Use 45 MeV leading edge width (set by  $e^- \sigma_E$ ) to directly detect  $\Gamma_H \ge 10$  MeV with energy scan.



Machine	$e^{-}$ Energy (GeV)	N <sub>e</sub> - (nC)	$\sigma_z(\mu m)$	Polarization	$N_{ m Higgs}$ / yr $^{\dagger}$	$N_{\text{Hadronic Events}} \left( \sqrt{\frac{s}{s}} > 0.4 \right) / N_{\text{Higgs}}$	$N_{ m minbias/BX}$	
Optical	86.5	1.0	20	90% <b>e</b> -	30,000	536	50	
XCC	62.5	1.0	20	90% e <sup>-</sup>	32,000	165	9.5	◄
ILC	125	3.2	300	$-80\% e^{-} + 30\% e^{+}$	42,000	138	1.3	
ILC	125	3.2	300	$+80\% e^{-}$ $-30\% e^{+}$	28,000	55	1.3	
					$^{\dagger}1 \text{ yr} = 1.0$	$\times 10^7$ s		

### Can beamstrahlung be suppressed with a shorter bunch length?

#### Beamstrahlung suppression depends on bunch charge and length

Quantum ParameterRadiation Probability
$$\chi_{av} \approx \frac{5}{12} \frac{N\alpha \tilde{\lambda}_c^2}{\sigma_r \sigma_z^*}$$
 $W \approx \alpha \chi_{av}^{2/3} \frac{\sigma_z^*}{\tilde{\lambda}_c}$  $\alpha \chi^{2/3} \gtrsim I$  $W < I$ reaching fully non-  
perturbative regimeacceptable radiation  
loss

 $W \propto N^{\frac{2}{3}} \sigma_x^{-\frac{2}{3}} \sigma_z^{\frac{1}{3}}$ To achieve beamstrahlung suppression we need  $(\eta N)^{\frac{2}{3}} \sigma_x^{-\frac{2}{3}} \sigma_z^{\frac{1}{3}} = (0.14 \text{ nC})^{\frac{2}{3}} (9.27 \text{ nm})^{-\frac{2}{3}} (10 \text{ nm})^{\frac{1}{3}}$ ,  $\eta = \text{Compton conv. eff.} \approx 0.5$  $\Rightarrow \sigma_z = 0.27 \text{ nm}$  for N = 1nC,  $\sigma_x = 5.42 \text{ nm}$ 

## 1 nC , $\sigma_z$ =20 µm vs 0.52 nC , $\sigma_z$ =1 nm



#### $E_{\gamma\gamma}(GeV)$

Extreme short bunch suppresses beamstrahlung luminosity – but high field (as high as 10% of Schwinger) kicks e+e- pairs and degraded energy electrons to very large angles - don't see how we can extract beam. We have traded one form of background for another.

#### Luminosity for $e^{-\gamma} \rightarrow e^{-H}$ at $E_{cm} = 140 \text{ GeV}$

To match the ILC Higgs coupling precision the XCC must detect 1  $e^-\gamma \rightarrow e^-H$  event at 140 GeV per 50 – 100  $\gamma\gamma \rightarrow H$  events produced at 125 GeV



Pinching in e<sup>-</sup> $\gamma$  collisions due to e<sup>+</sup> from pair production; I.P. geometric e<sup>-</sup> $\sigma_x, \sigma_y = 5.1$  nm



This pinching creates very high fields  $\Rightarrow$  prob. to radiate  $\gamma$  in time slice >1 and CAIN program terminates

### For $e^{-\gamma}$ go to asymmetric $e^{-\epsilon_x} \epsilon_y$ to handle debilitating beamstrahlung

job	$\sigma_{z}$ ( $\mu$ m)	$\boldsymbol{\varepsilon}_{x}$ (nm)	$\boldsymbol{\varepsilon}_{y}$ (nm)	$a_{\gamma_x}$ (nm)	$a_{\gamma_y}$ (nm)	$L_{e^{-\gamma} \max}$ (10 <sup>32</sup> cm <sup>-2</sup> s <sup>-1</sup> /bin)	$L_{e^{-\gamma} \text{ tot}} (10^{34} \text{ cm}^{-2} \text{ s}^{-1})$	$E_{max}$ (10 <sup>18</sup> V/m)
4918	10	120	120	10.2	10.2	0.9	244	4.0×10 <sup>-3</sup>
4923	20	120	120	10.2	10.2	0.7	16.02	$4.8 \times 10^{-4}$
4951	20	1200	12	32.4	10.2	1.2	1.33	$3.8 \times 10^{-5}$

Fields as high as E<sub>Schwinger</sub>/250

#### Scan parameter space in search of maximum $e^-\gamma \rightarrow e^-H$ events / yr job $d_{cp} (\mu m) \sigma_z (\mu m) \varepsilon_x (nm) \varepsilon_y (nm) \qquad L_{e^-\gamma} / yr, (fb^{-1}) \qquad e^-\gamma \rightarrow e^-H$ events / yr $139 < E_{e^-\gamma} < 140 \text{ GeV} \qquad \theta_{e^-} > 3 \text{ mrad}$ $4992 \quad 60 \quad 10 \quad 120 \quad 120 \qquad 8.5 \qquad 35$ $4993 \quad 60 \quad 20 \quad 120 \quad 120 \qquad 5.1 \qquad 21$ $4965 \quad 60 \qquad 10 \quad 1200 \quad 12 \qquad 17.3 \qquad 70$

4993	60	20	120	120	5.1	21 .	
4965	60	10	1200	12	17.3	70	
4955	60	20	1200	12	17.1	69	
5240	10	10	1200	12	32.2	131	

## **XCC Coupling Errors Using EFT Higgs Program**

Use ILC σXBR measurement errors

for XCC:

	ILC	XCC
coupling a	∆ <b>a</b> (%)	∆ <b>a</b> (%)
HZZ	0.57	1.2
HWW	0.55	1.2
Hbb	1.0	1.4
Ηττ	1.2	1.4
Hgg	1.6	1.7
Нсс	1.8	1.8
Ηγγ	1.1	0.77
ΗγΖ	9.1	10.0
Ημμ	4.0	3.8
$\Gamma_{tot}$	2.4	3.8
${\Gamma_{\mathrm{inv}}}^\dagger$	0.36	—
$\Gamma_{\mathrm{other}}^{\dagger}$	1.6	2.7
<sup>†</sup> 95% C.L. 1	imit	

ILC: 
$$0.5 \times 10^6 \ e^+e^- \rightarrow \text{ZH events}$$
  
full 2 ab<sup>-1</sup>  $\sqrt{s} = 250 \text{ GeV program}$ 

XCC:  $0.5 \times 10^6 \ \gamma \gamma \rightarrow \text{H} \text{ events}$   $4000 \ e^- \gamma \rightarrow e^- \text{H} \text{ events}$ 3 years  $\gamma \gamma \rightarrow \text{H} @ \sqrt{s} = 125 \text{ GeV}$ 8 years  $e^- \gamma \rightarrow e^- \text{H} @ \sqrt{s} = 140 \text{ GeV}$ assuming  $n_{\text{bunch}} = 76 \rightarrow 290$ 

$-80\% e^-$ , $+30\% e^+$ polarization:						
	250 (	GeV	350 (	350  GeV		GeV
	Zh	$\nu \overline{\nu} h$	Zh	$\nu \overline{\nu} h$	Zh	$\nu \overline{\nu} h$
$\sigma$	2.0		1.8		4.2	
$h \rightarrow invis.$	0.86		1.4		3.4	
$h  ightarrow b\overline{b}$	1.3	8.1	1.5	1.8	2.5	0.93
$h  ightarrow c\overline{c}$	8.3		11	19	18	8.8
h  ightarrow gg	7.0		8.4	7.7	15	5.8
$h \to WW$	4.6		$5.6^{*}$	$5.7^{*}$	7.7	3.4
h  ightarrow  au  au	3.2		$4.0^{*}$	$16^*$	6.1	9.8
$h \rightarrow ZZ$	18		$25^*$	$20^*$	$35^*$	$12^{*}$
$h  ightarrow \gamma \gamma$	$34^*$		$39^{*}$	$45^{*}$	47	27
$h  ightarrow \mu \mu$	72		$87^*$	$160^{*}$	120	100
a	7.6		$2.7^{*}$		4.0	
b	2.7		$0.69^{*}$		0.70	
$\rho(a,b)$	-99.17		$-95.6^{*}$		-84.8	

## What is required to fully match ILC precision?

ILC	XCC
∆ <b>a</b> (%)	∆ <b>a</b> (%)
0.57	0.94
0.55	0.95
1.0	1.0
1.2	1.1
1.6	1.3
1.8	1.3
1.1	0.33
9.1	10.0
4.0	3.6
2.4	2.3
0.36	_
1.6	1.2
imit	
	ILC $\Delta a$ (%) 0.57 0.55 1.0 1.2 1.6 1.8 1.1 9.1 4.0 2.4 0.36 1.6 1.6 imit

ILC:  $0.5 \times 10^6 \ e^+e^- \rightarrow \text{ZH events}$ full 2 ab<sup>-1</sup>  $\sqrt{s} = 250 \text{ GeV program}$ 

XCC: 
$$1.0 \times 10^6 \ \gamma \gamma \rightarrow \text{H} \text{ events}$$
  
20,000  $e^- \gamma \rightarrow e^-$  H events

The  $\gamma\gamma \rightarrow$  H sample only requires 3 more years (a)  $\sqrt{s} = 125$  GeV with no change to the machine.

The 20,000  $e^-\gamma \rightarrow e^-$  H sample, however, is problematic. A dedicated 30 GeV accelerator for the one FEL in the  $e^-\gamma$  mode would double the rate for  $e^-\gamma \rightarrow e^-$  H from 500 to 1000 events/year. An additional luminosity upgrade is needed, however, to acquire 20,000  $e^-\gamma \rightarrow e^-$  H events in a reasonable time ---unsolved problem.

#### Energy upgrade to Ecm=280 GeV for Higgs Self Coupling Study



#### 2012 Study

#### A feasibility study of the measurement of Higgs pair creation at a Photon Linear Collider

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FIG. 3. Statistical sensitivity  $(S_{\rm stat})$  as a function of  $\gamma\gamma$  collision energy. Black and red dots show the  $\delta\kappa = +1$  and  $\delta\kappa = -1$  cases.

Optimum sensitivity at  $\sqrt{s_{\gamma\gamma}} = 280 \text{ GeV}$ Used optical laser for Compton scattering



 $\sigma(\gamma\gamma \to HH) @ \sqrt{s} = 280 \text{ GeV} \approx \sigma(e^+e^- \to ZHH) @ \sqrt{s} = 500 \text{ GeV}$ Need to redo the KEK  $\gamma\gamma \to HH$  study with the XCC  $\gamma\gamma$  spectrum.

## **Compton Collision Point**

62.6
0.03/0.03
0.12/0.12
5.4/5.4
20
0.63
120x76
9.7
0.06
12.1/12.1

laser beam	
Laser $\lambda$ (nm)	1.19
Laser $\omega_0$ (keV)	1.04
$\pmb{a}_{_{\gamma}}$ (nm)	15.3
non-linear QED $\xi^2$	0.38
_aser pulse length = $2\beta_{\gamma}$ ( $\mu$ m)	40.0
Laser pulse energy (J)	0.72

We need to reliably focus a  $a_{\gamma}=1 \mu m$  transverse radius 720 mJ/pulse x-ray laser beam down to a point with  $a_{\gamma}=15$  nm.

If we backed off to a Compton collision point 100  $\mu$ m from the primary IP, the required laser beam radius would grow to  $a_{\gamma}$ =24 nm but with a 30% loss in  $\gamma\gamma$  luminosity (the angular spread of the Compton photons produces this sensitivity to Compton IP - primary IP distance).

## Currently working on x-ray beam layout near IP

Luminosity dependence of laser angle  $\alpha$  assuming 2 mrad crossing angle for e<sup>-</sup> beams

job	Laser $\alpha$ (mrad)	$d_{cp}$ ( $\mu$ m)	$\sigma_{_{z}}~(\mu { m m})$	$\boldsymbol{\varepsilon}_{x,y}$ (nm)	$a_{\gamma}$ (nm)	$N_{ m Higgs}/ m yr$
5014	0	60	20	120	15.3	32,000
5015	2	60	20	120	15.3	32,000 .
5016	14	60	20	120	15.3	25,000
5017	28	60	20	120	15.3	12,000



## **XFEL for XCC**

#### **XFEL Parameters**

Zhirong Huang and Adham Naji

XFEL parameters	Approx. value
Electron energy	$31 { m GeV}$
normalized emittance	120  nm
RMS energy spread $\langle \Delta \gamma / \gamma \rangle$	0.05%
bunch charge	1  nC
Undulator B field	$\gtrsim 1 \text{ T}$
Undulator period $\lambda_u$	9 cm
Average $\beta$ function	12 m
x-ray $\lambda$ (energy)	1.2  nm (1  keV)
x-ray pulse energy	0.7 J

- Due to high B field and electron energy, quantum diffusion energy spread must be properly included in the design.
- With permanent magnet undulator, peak B field slightly above • 1 Tesla,  $<\beta>=12m$ , 1 keV X-rays with pulse energy ~ 0.07 J can be produced with negligible diffusion
- With seeded helical FEL and taper of undulator K parameter after saturation, pulse energy of 0.7 J can be achieved
- Overall length of XFEL is ~ 100 m •

#### **GENESIS Simulation of XCC XFEL Design**



## C<sup>3</sup>-injector/XCC/BES Demonstration Project

#### Current soft x-ray (~1 keV) FEL's operate at a few mJ/pulse maximum, while XCC calls for 700 mJ/pulse

To actually test the production and focussing of soft x-rays with >> few mJ per pulse, Joe Frisch has suggested that we look into adding a 1nC/pulse, 120 nm emittance cryo RF gun injector to LCLS-I to see if that change alone could produce a soft x-ray beam with >> few mJ/pulse.

This could be more than just an XCC/C<sup>3</sup> demonstration project -- there have been indications of interest in the photon science community for a ~100 mJ/pulse soft x-ray beam. The low  $\varepsilon$  gun could also enhance hard x-ray production with LCLS-I.



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## SXRSS with low emittance 1 nC beam from LCLS

Resistive wall wake fields added

Joe Duris

Nov 24,2021

## Elegant simulation of LINAC

- Collimate to 742 pC
- L1 phase: -16 deg
- L1X phase: -160 deg
- L2 phase: -39 deg
- L3a (26-27) phase: 0 deg
- L3b (28-30) phase: -80.6 deg (remove chirp)





## Undulator line focusing optics

- 8400 MeV and 0.12 um emittance
- Normal lattice
  - E-beam transverse rms 11 um => X-ray waist of ~22 um => Rayleigh length of ~ 1 m => significant diffraction within a gain length (0.8 m). Also affects mode quality?
- Shot noise power of 7 kW (compared to 800W with 1 kA, 4 GeV beam leading to 10% SASE breakthrough)
- Reduce FODO quad gradients to 21% of normal
  - E-beam x-rms 22 um => 42 um waist => Rayleigh range of 5 m (1.2 m gain length)
  - Shot noise ~ 2.5 kW
- Seeding
  - ~50 kW limit to seed power (significantly exceeding this can damage spectral collimating optics in SXRSS monochromator)
  - FEL Pierce parameter rho ~ 0.18%

## LCLS Low $\varepsilon$ Summary

- Preliminary results:
  - >110 mJ of 1 keV X-rays within 20 undulators
  - <0.01% FWHM bandwidth (0.18% rms)</li>
- Caveats:
  - Simulation done with pure seed so FWHM bandwidth may be a bit larger with a full simulation (full sim: first stage, clean spectrum, second stage)
- Resistive wall wake fields
  - increased FWHM bandwidth by 40%
  - decreased pulse energy by 12%
  - Increasing undulator chamber gap from 5 to 7 mm could halve wake field strength.
  - Shaping the beam (shortening) may shape space charge wake



15

50

740 pC

Time (fs)

(A) 8.45 (GeV) 8.40 (B) 8.35 (B) 8.35

8.30

-50

## **XCC Summary**

- The XCC at E<sub>cm</sub>=125-140 GeV can measure absolute Higgs couplings with an accuracy of order 1%. This is pretty close to the ILC precision (see slide 12 to judge for yourself). To fully match the ILC Higgs coupling accuracy, a way must be found to increase [production X] detection eff.] for  $e^{-\gamma} \rightarrow e^{-H}$  at  $E_{cm}$ =140 GeV by about a factor of 5.
- The Higgs self coupling can be studied via  $\gamma\gamma \rightarrow$  HH if the XCC energy is upgraded to E<sub>cm</sub>=300 GeV. Given that  $\sigma(\gamma\gamma \rightarrow HH) \sim \sigma(e^+e^- \rightarrow ZHH)$ , the Higgs self coupling sensitivity for XCC will probably be comparable to ILC at  $E_{cm}$ =550 GeV. Hence the XCC at  $E_{cm}$ =140-300 GeV could provide the same Higgs physics program as the ILC at  $E_{cm}$ =250-550 GeV, with the exception that the XCC would not measure the top Yukawa coupling.
- The XCC at  $E_{cm}$ =140 GeV might provide a significant cost saving with respect to C<sup>3</sup> at 250 • GeV; perhaps the same can be said about XCC at  $E_{cm}$ =140-300 GeV versus C<sup>3</sup> at  $E_{cm}$ = 250-550 GeV. Further study is required to determine if this is actually the case.
- The XCC design for a 700 mJ/pulse 1keV XFEL by Zhirong Huang and Adham Naji has been • validated by Claudio Emma using the GENESIS program. This energy/pulse is more than two orders of magnitude larger than current XFEL's.
- As a step in the direction of larger pulse energies, Joe Duris has demonstrated that the LCLS-I • soft x-ray undulator could deliver ~100 mJ/pulse with < 0.01% FWHM bandwidth if LCLS-I can be outfitted with a 1nC/pulse, 120 nm emittance gun. Such a project would serve XCC,  $C^3$ , and BES.