



Test of the Realism in Particle Physics

Efimova Anna

M.V. Lomonosov Moscow State University

anna4efimova@gmail.com

SLAC Poster Session 2021



Introduction

In current work 3-time-dependent Wigner inequalities, based on the Realism [1], are tested.

Realism

• Classical Realism [2]

A set of all physical characteristics (in classical terms) of a system exists jointly and is independent of an observer, even if the observer cannot simultaneously measure these characteristics with any classical measurement device.

• Locality [2]

If two measurements which were performed inspatially-separated points of the spacetime then the readings of one classical device do not affect the readings of a second one in any way.

• No-signaling in time

A measurements does not change the statistics of possible outcomes of the next measurements.

• Freedom of choice [2]

The observer can freely choose any experimental parameters from the available ones.

3-time-dependent Wigner inequalities [1]

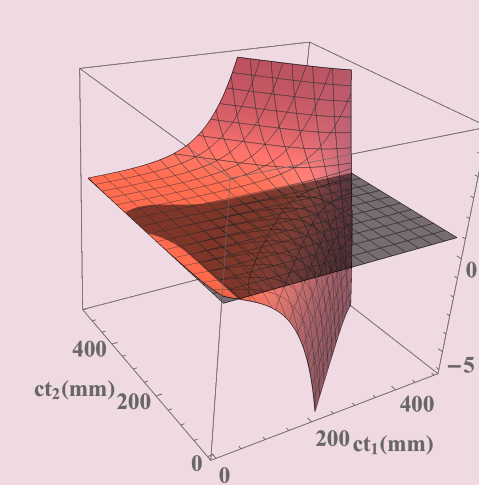
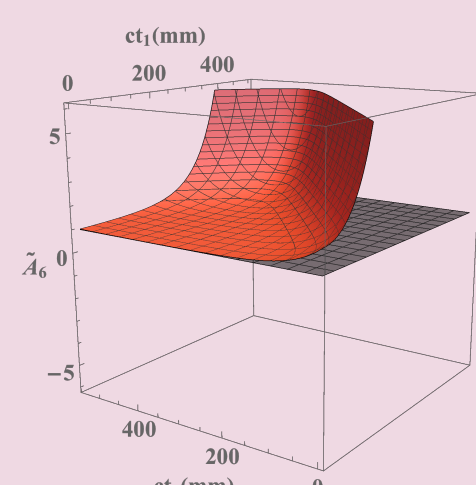
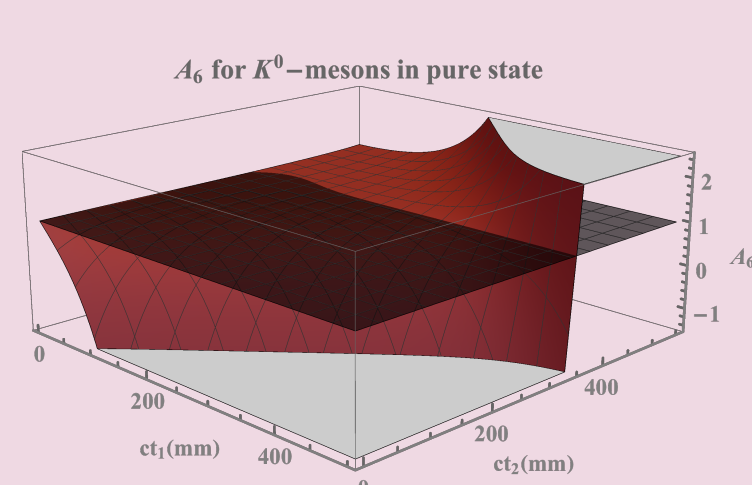
$$\begin{aligned} & \omega(a_+^{(2)}(t_2) \cap b_+^{(1)}(t_1)) \leq \\ & \leq \omega(a_+^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2)) (\omega(b_+^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1)) + \omega(b_-^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1))) \omega(a_+^{(2)} \cap c_+^{(1)}, t_0) \\ & + \omega(a_-^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2)) (\omega(b_+^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1)) + \omega(b_-^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1))) \omega(a_-^{(2)} \cap c_+^{(1)}, t_0) \\ & + \omega(b_+^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1)) (\omega(a_+^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2)) + \omega(a_-^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2))) \omega(c_+^{(2)} \cap b_+^{(1)}, t_0) \\ & + \omega(b_-^{(1)}(t_0) \rightarrow b_+^{(1)}(t_1)) (\omega(a_+^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2)) + \omega(a_-^{(2)}(t_0) \rightarrow a_+^{(2)}(t_2))) \omega(c_+^{(2)} \cap b_-^{(1)}, t_0) \end{aligned}$$

Graph description

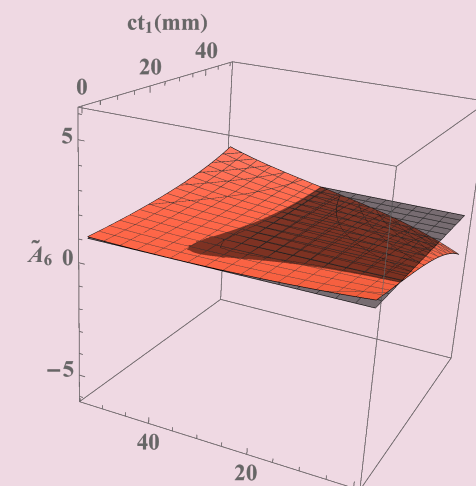
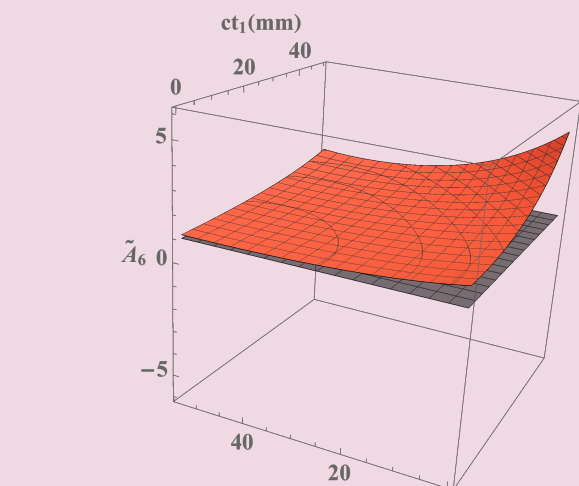
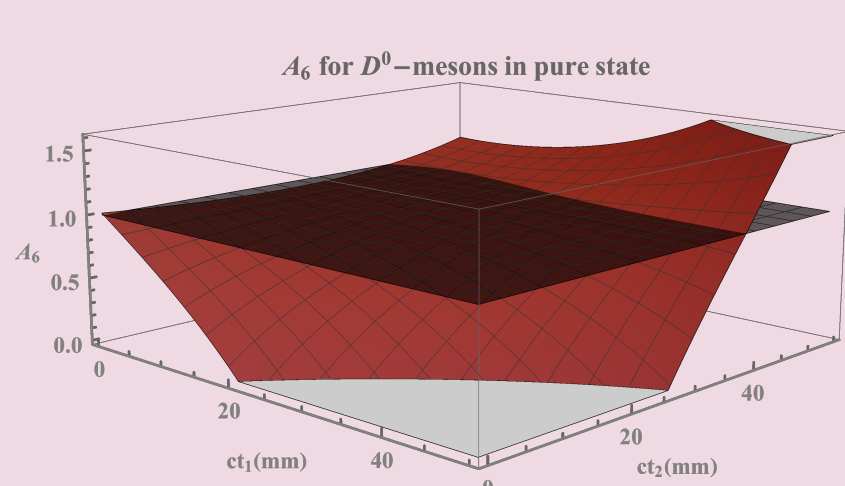
A_6 :	A_8 :	A - for Pure state, \tilde{A} - for Werner state
$a_+ \rightarrow M_1, a_- \rightarrow M_2,$	$a_+ \rightarrow M_1, a_- \rightarrow M_2,$	I column: Graphs for Bell pure state (x=1)
$b_+ \rightarrow M, b_- \rightarrow \bar{M},$	$b_+ \rightarrow \bar{M}, b_- \rightarrow M,$	II column: Graphs for Werner state with x=0.3
$c_+ \rightarrow M_L, c_- \rightarrow M_H.$	$c_+ \rightarrow M_L, c_- \rightarrow M_H.$	III column: Graphs for Werner state with x=0.7

Graphs

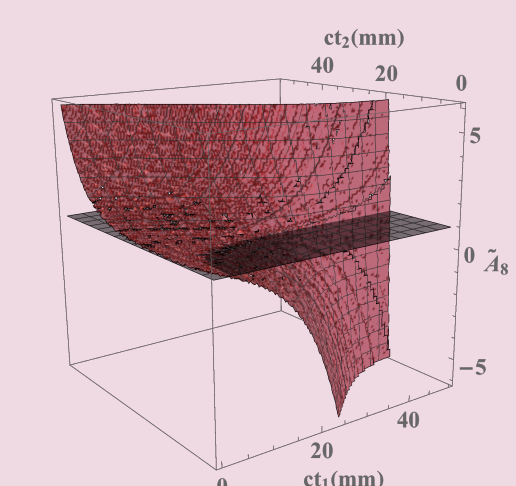
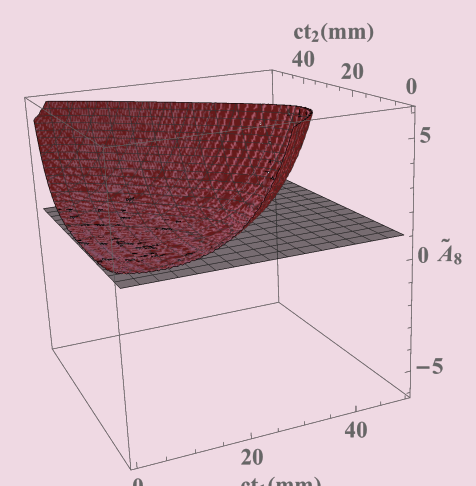
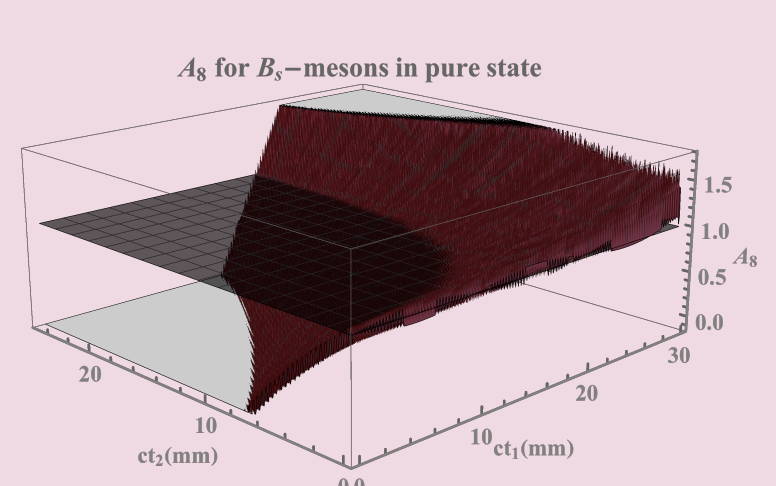
K^0 -mesons



D^0 -mesons



B_s -mesons



References

- [1] N. Nikitin, K. Toms, Phys. Rev. D 95, 052103 (2017).
- [2] A. Einstein, B. Podolsky and N. Rosen, Phys. Rev. 47, 777 (1935).
- [3] E. P. Wigner, Am. J. Phys. 38, 1005 (1970).
- [4] F. Uchiyama, Phys. Lett. A 231, 295 (1997).
- [5] R. F. Werner, Phys. Rev. A 40, 4277–4281 (1989).
- [6] A. Efimova, J. Phys. Conf. Ser. 1439, 012008 (2020).

Considered bases [4]

1. Flavour basis:

$$|M\rangle, |\bar{M}\rangle, \text{ } M\text{-meson, for example, } |K^0\rangle = |d\bar{s}\rangle.$$

M and \bar{M} have not certain CP eigenvalues.

2. Basis with certain CP

$$|M_1\rangle = \frac{|M\rangle + e^{i\phi} |\bar{M}\rangle}{\sqrt{2}},$$

$$|M_2\rangle = \frac{|M\rangle - e^{i\phi} |\bar{M}\rangle}{\sqrt{2}}.$$

3. Basis with certain mass and lifetime

$$|M_L\rangle = p \left(|M\rangle + e^{i\phi} \frac{q}{p} |\bar{M}\rangle \right),$$

$$|M_H\rangle = p \left(|M\rangle - e^{i\phi} \frac{q}{p} |\bar{M}\rangle \right),$$

where $|p|^2 + |q|^2 = 1$, $|p|^2 - |q|^2 = F$.

In this work $F = 0$ and $|p|^2 = |q|^2 = \frac{1}{2}$.

Then following dscription is possible: $\frac{p}{q} = e^{i\xi}$, where parameter ξ was measured experimentally.

It is very convenient to consider evolution in this basis:

$$|M_L(t)\rangle = e^{-im_L t - \Gamma_L t/2} |M_L\rangle,$$

$$|M_H(t)\rangle = e^{-im_H t - \Gamma_H t/2} |M_H\rangle, \quad \text{где } t_0 = 0.$$

Inequalities are tested on Bell pure state Ψ^- :

$$|\Psi^-\rangle = \frac{1}{\sqrt{2}}(|M\rangle |\bar{M}\rangle - |\bar{M}\rangle |M\rangle).$$

And on Werner state [5]:

$$\hat{\rho}^{(W)} = x |\Psi^-\rangle \langle \Psi^-| + \frac{1}{4}(1-x)\hat{1},$$

where x - purity parameter, $0 \leq x \leq 1$, $\hat{1}$ - identity matrix.

Conclusion

1. Time-dependent Wigner inequalities are more preferable for experimental testing that time-independent [6];

2. Correct 3-time-dependent Wigner inequality derivation based on Realism was made;

3. It was shown that 3-time-dependent Wigner inequalities can be violated in case of A_6 for K^0 - and D^0 - mesons and in case of A_8 for B_s -mesons;

4. This inequalities were tested for Werner state and it was shown that their violations can be experimentally observed if background is less than 50%.