

# THE HIGGS AS A WINDOW ONTO PHYSICS BEYOND THE STANDARD MODEL (II)

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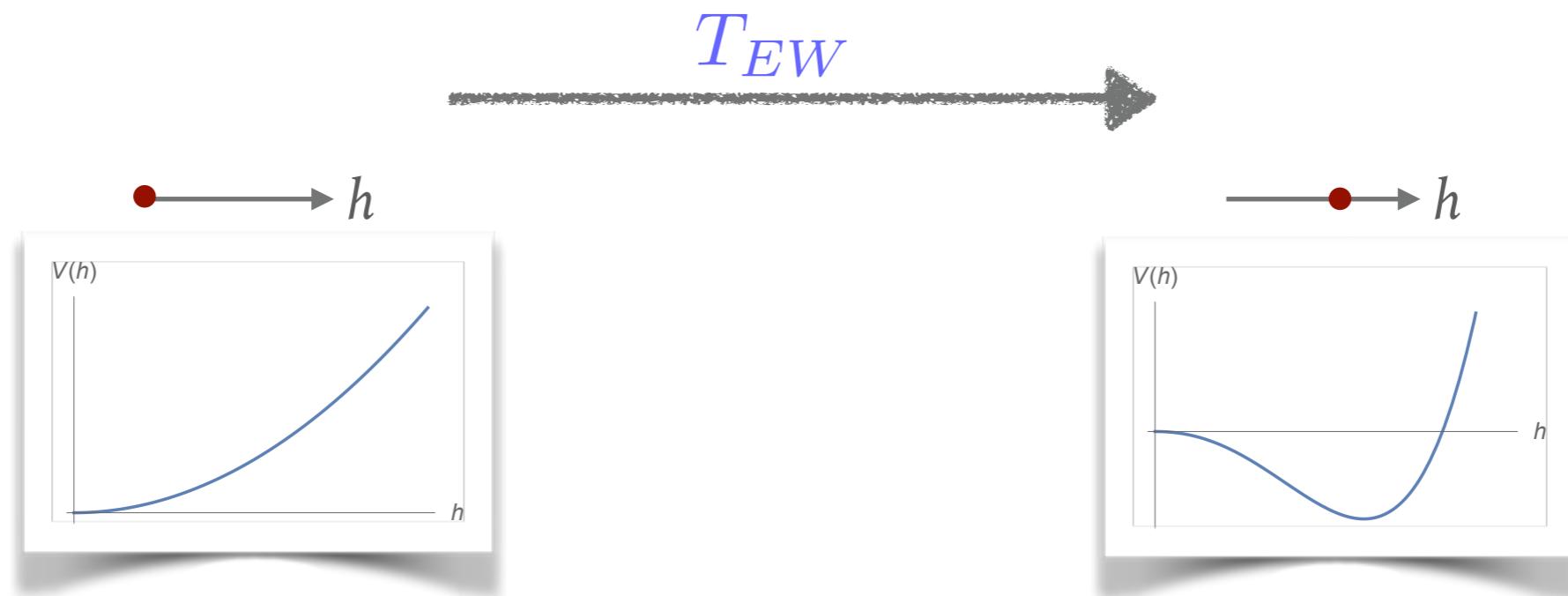
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*Illinois Center for the Advanced Studies of the Universe, UIUC  
SLAC Summer Institute, August 2021*

# FIRST-ORDER PHASE TRANSITIONS

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- In SM, EW phase transition is a cross-over



- Strongly first-order phase transitions:
  - necessary ingredient for electroweak baryogenesis
  - stochastic GW background
  - require BSM physics not far from EW scale

# FIRST-ORDER PHASE TRANSITIONS

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- New physics that drives EWPT first order must generically be fairly strongly coupled to Higgs
  - large exotic branching ratios when decays are kinematically possible; narrow sliver of parameter space still open
  - most surviving parameter space has heavy new physics: good prospects at future colliders

# SM+ SINGLET

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- potential for a general real singlet extension of SM:

$$V = -\mu^2 |H|^2 + \lambda |H|^4 + \frac{1}{2} a_1 |H|^2 S + \frac{1}{2} a_2 |H|^2 S^2 + b_1 S + \frac{1}{2} b_2 S^2 + \frac{1}{3} b_3 S^3 + \frac{1}{4} b_4 S^4$$

- $Z_2$  symmetry  $S \rightarrow -S$ :  $S$  is stable
- General case:  $S$  decays through Higgs mixing

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$$V = -\mu^2 |H|^2 + \lambda |H|^4 + \frac{1}{2} a_1 |H|^2 S + \frac{1}{2} a_2 |H|^2 S^2$$
$$\boxed{\mathcal{O}(\theta)} \downarrow$$
$$+ b_1 S + \frac{1}{2} \boxed{b_2} S^2 + \frac{1}{3} b_3 S^3 + \frac{1}{4} b_4 S^4$$
$$\boxed{\mathcal{O}(\theta)} \nearrow$$
$$-\frac{1}{2} a_2 v^2 + m_s^2 + \mathcal{O}(\theta^2)$$

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$$+ b_1 S + \frac{1}{2} b_2 S^2 + \frac{1}{3} b_3 S^3 + \frac{1}{4} b_4 S^4$$
$$-\frac{1}{2} a_2 v^2 + m_s^2 + \mathcal{O}(\theta^2)$$

The diagram illustrates the components of the potential  $V$ . The first two terms,  $-\mu^2 |H|^2$  and  $\lambda |H|^4$ , are grouped in a blue box labeled  $\mathcal{O}(\theta)$ . The third term,  $\frac{1}{2} a_1 |H|^2 S$ , is grouped in an orange box labeled  $Br(h \rightarrow ss)$ . The fourth term,  $\frac{1}{2} a_2 |H|^2 S^2$ , is also in an orange box labeled  $Br(h \rightarrow ss)$ . Arrows point from the  $\mathcal{O}(\theta)$  box to the first two terms, and from the  $Br(h \rightarrow ss)$  box to the third term.

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$$\{a_2, b_3, b_4; m_s, \cos \theta\}$$

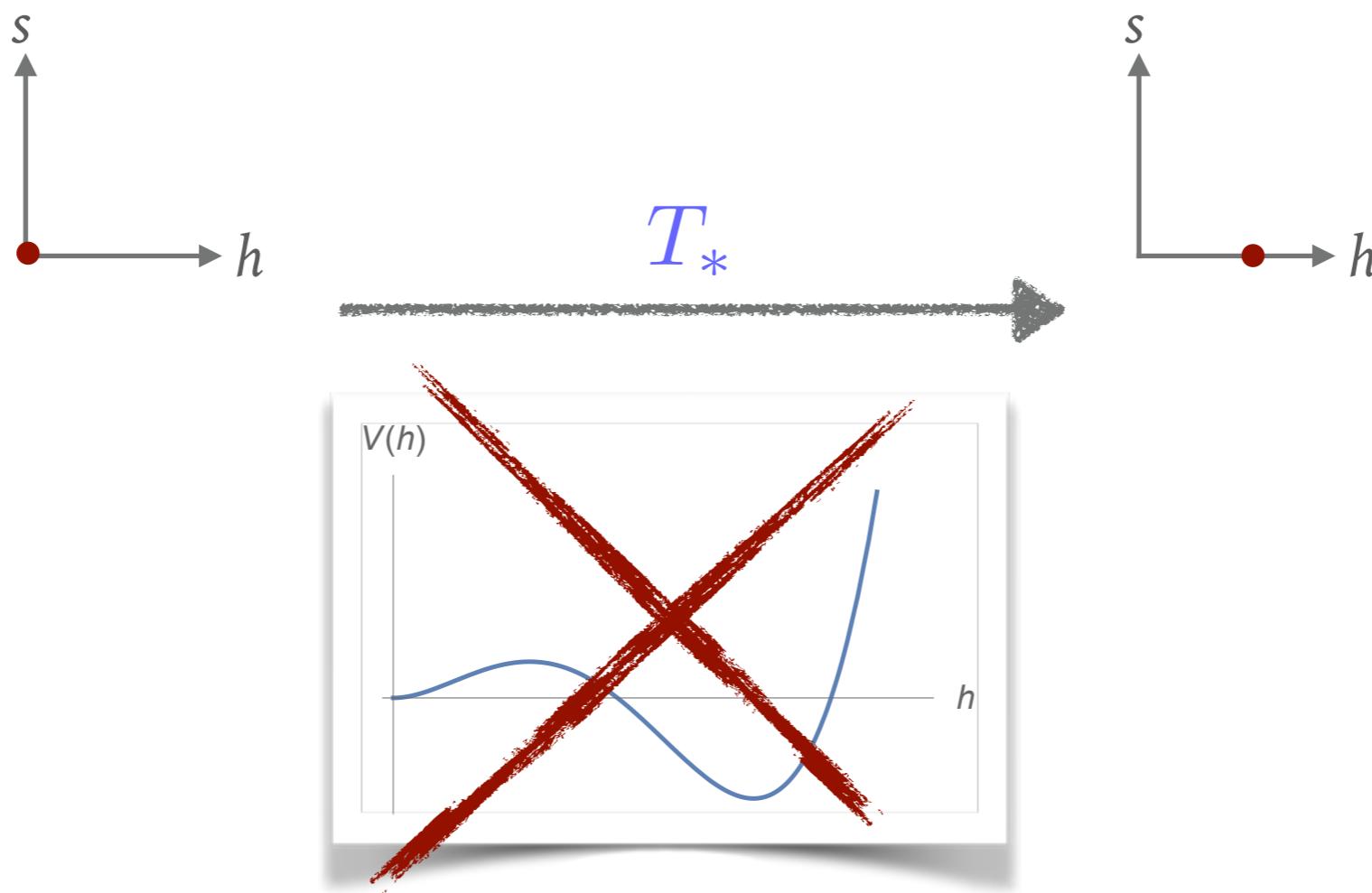
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# SINGLET-ASSISTED PHASE TRANSITIONS

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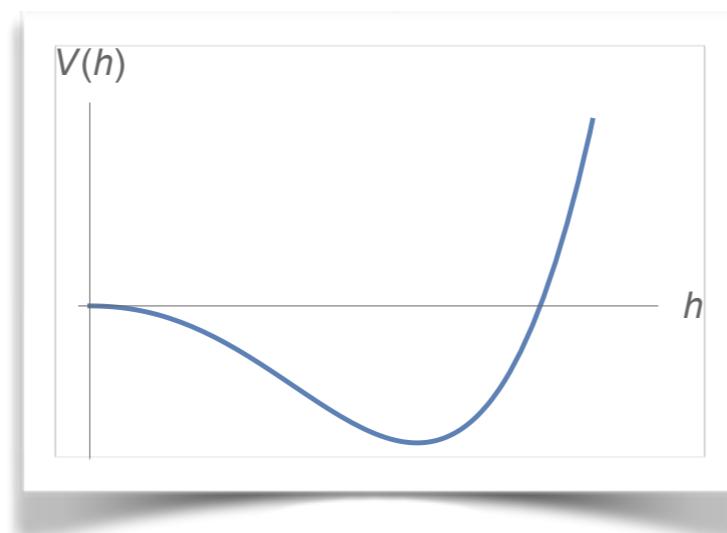
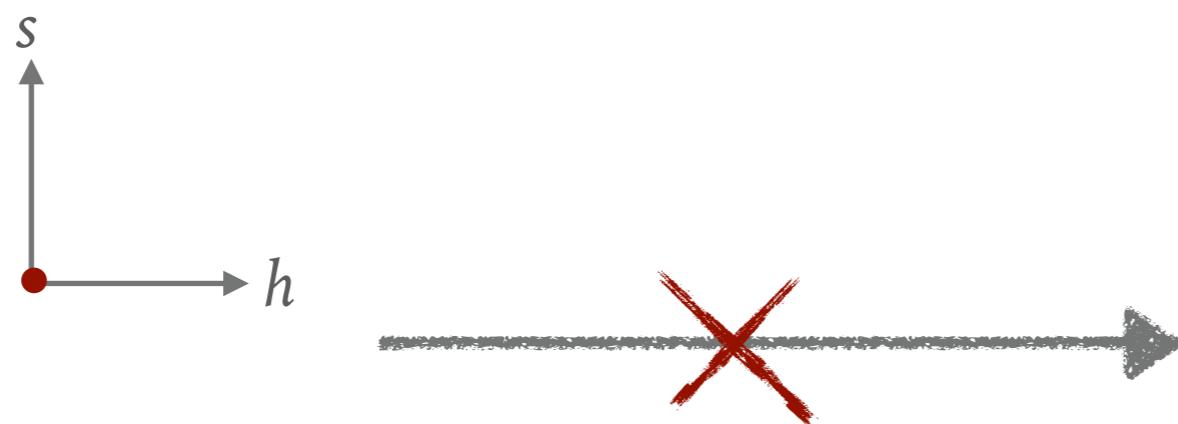
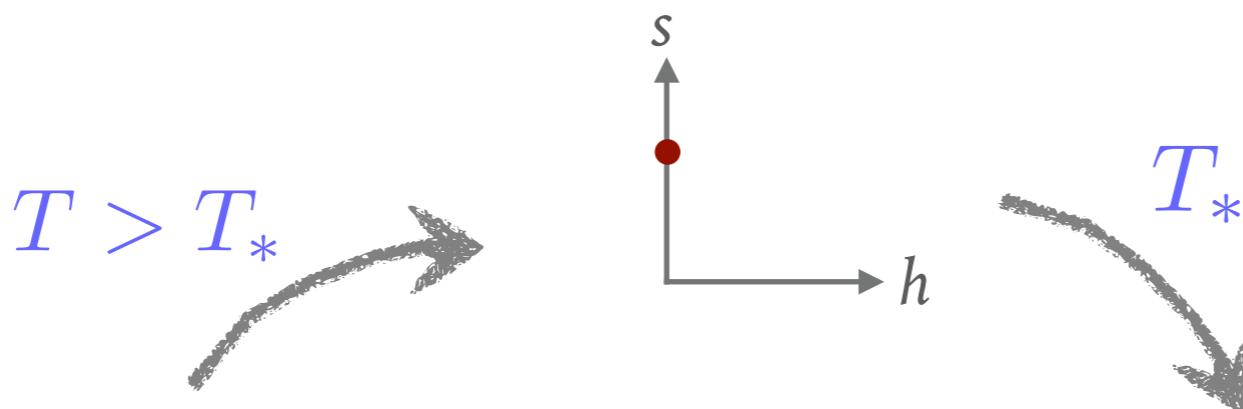
- First order: new cubic terms (tree or loop)
  - strongly first order:  $\frac{v(T_*)}{T_*} \gtrsim 1$
  - but adding cubic terms in pure  $h$  direction results in unacceptable changes to SM-like Higgs properties



# SINGLET-ASSISTED PHASE TRANSITIONS

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- two-step transition



# TWO-STEP PHASE TRANSITION

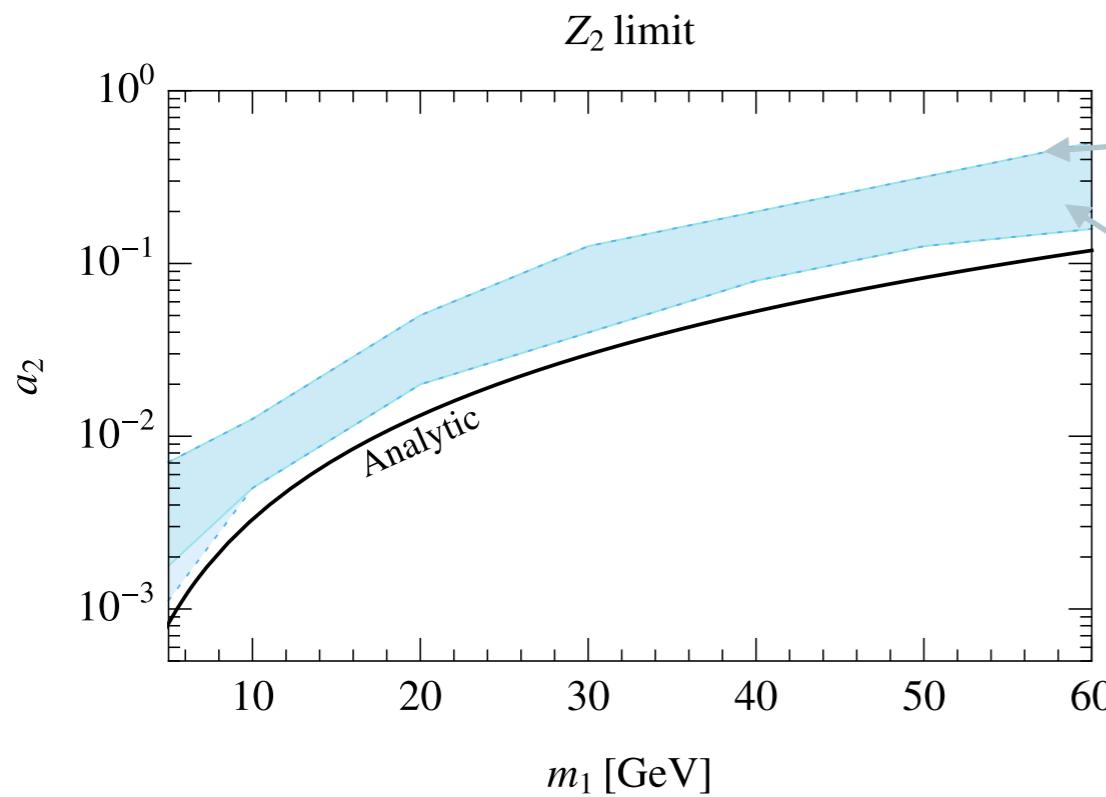
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- Consistency conditions for this scenario:
  - vacuum stability,  $V(0, h_0, T = 0) < V(s_0, 0, T = 0)$
  - singlet vacuum is a local minimum at  $T^*$ 
$$m_h^2(s_0, 0, T_*) > 0$$
  - system is in singlet vacuum, not symmetry-preserving vacuum before transition to EW vacuum
$$V(s_0, 0, T > T_*) < V(0, 0, T > T_*)$$
  - EW vacuum is energetically preferred at critical temp  $T^*$ 
$$V(s_0, 0, T_*) > V(0, h_0, T_*)$$
  - phase transition successfully completes

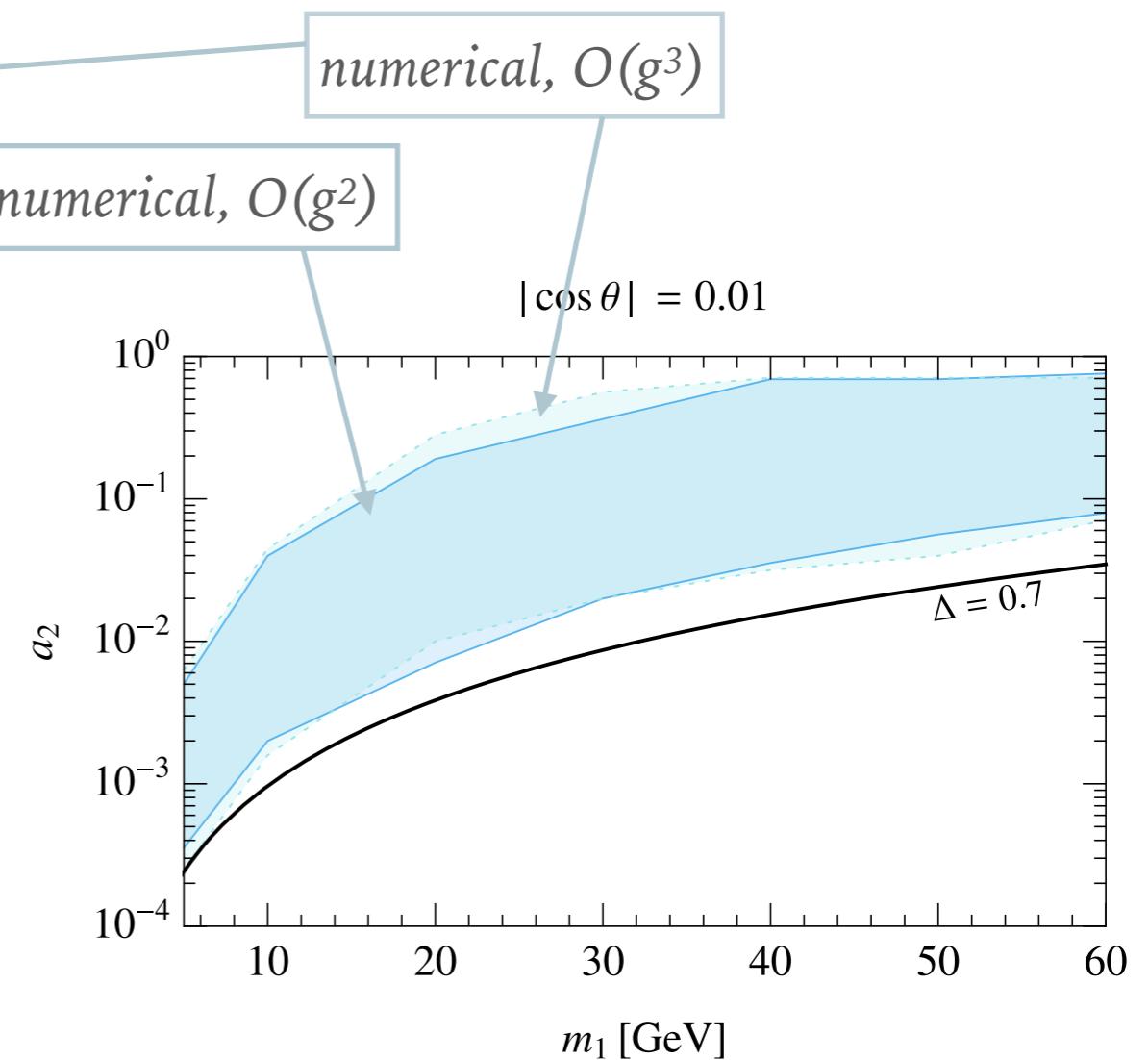
# MINIMUM BRANCHING RATIOS

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- With  $\cos \theta \ll 1$ , potential at  $O(g^2)$ , above conditions can be combined to give (semi-)analytical lower bound on  $a_2$ :

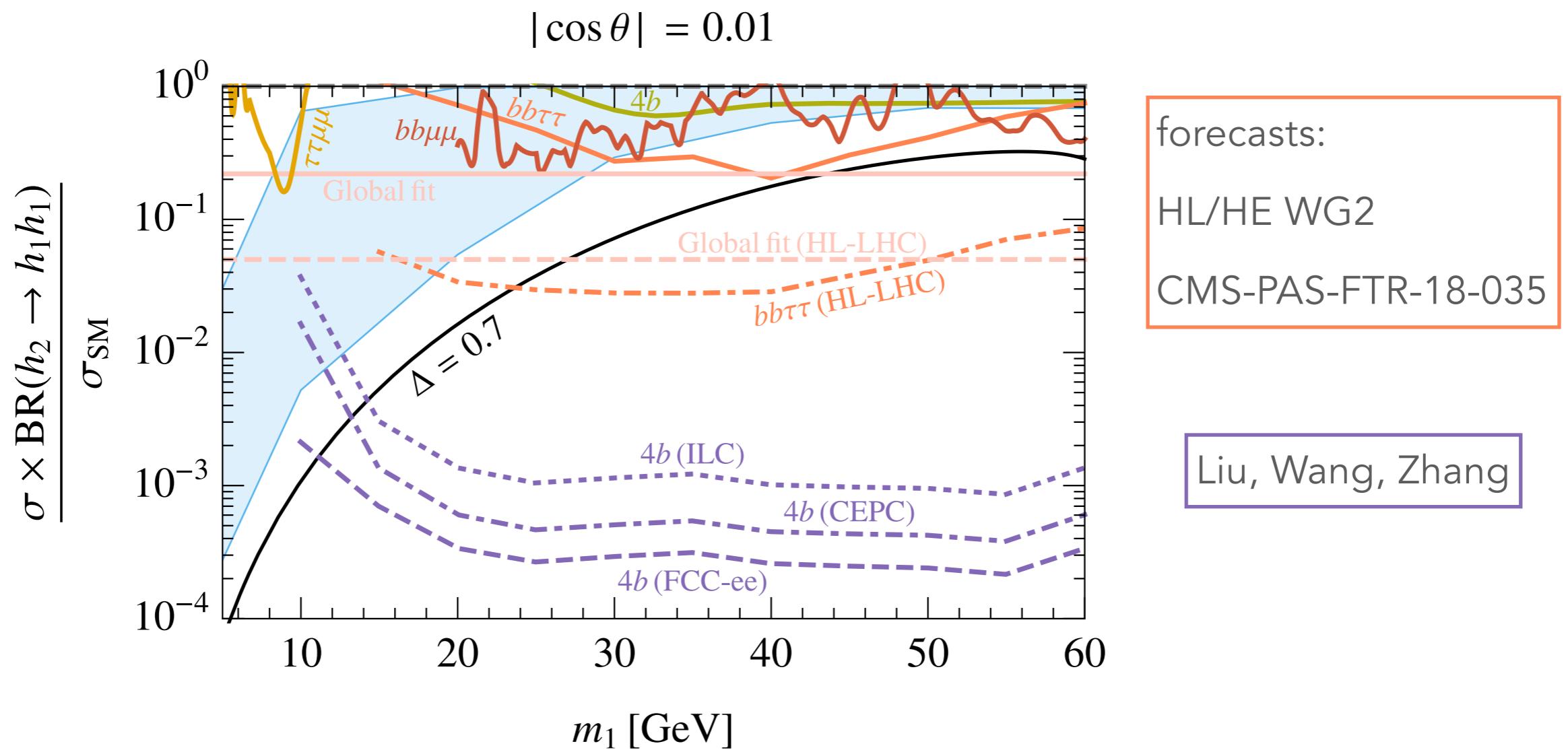


$\Delta$  parameterizes departure  
from thin wall regime;  
value chosen empirically



# VISIBLE SIGNALS OF FIRST-ORDER PHASE TRANSITIONS

- Visible decays:

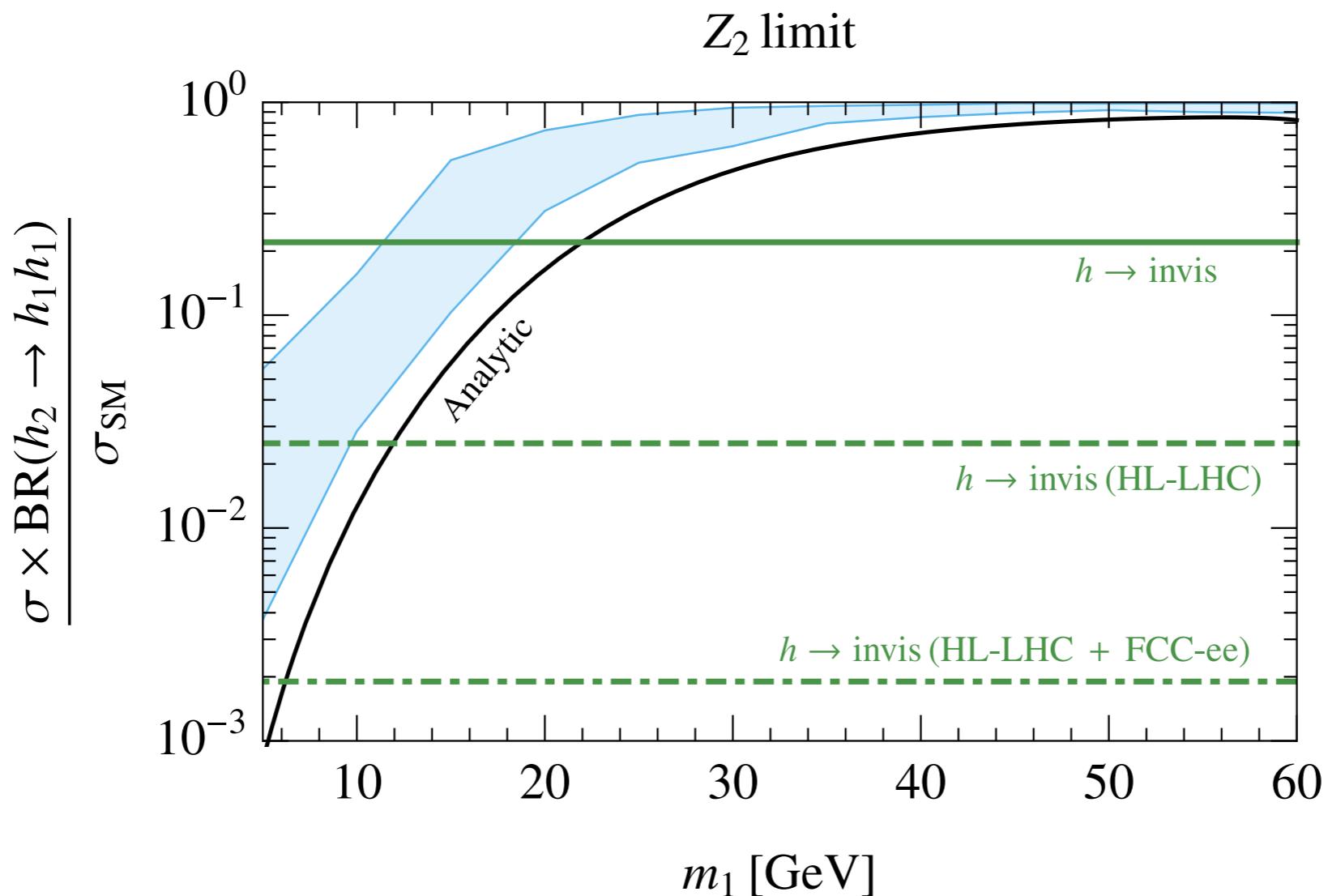


- Low mass: more work needed (predictions, sensitivities)

# FIRST-ORDER PHASE TRANSITIONS AND EXO H DECAYS

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- Invisible decays:

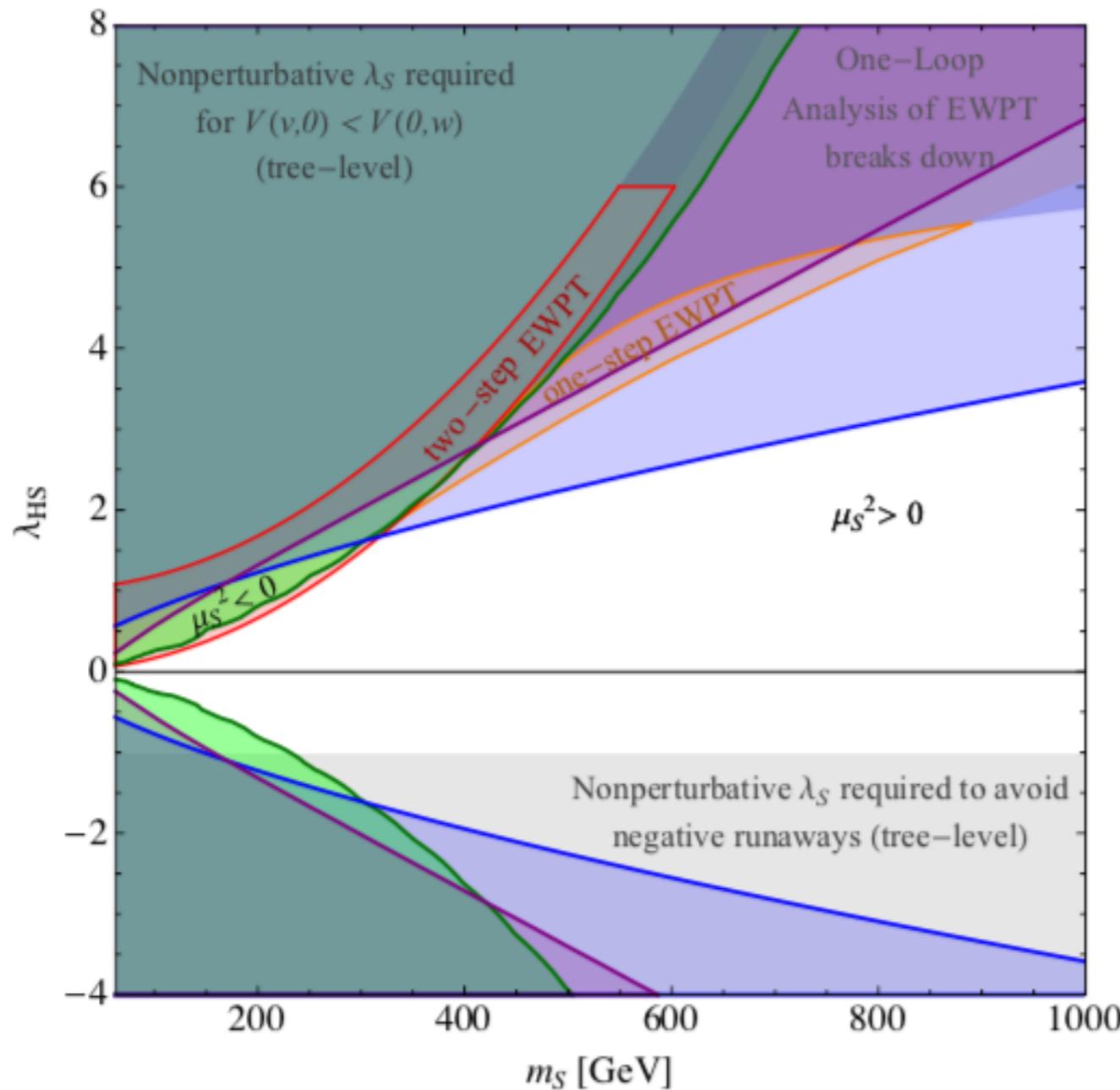


forecasts:

- HL/HE WG2
- de Blas et al.

# FIRST-ORDER PHASE TRANSITIONS AND HEAVY SCALARS

- Heavier singlets are harder to probe:



estimated sensitivity  
from Zh coupling at  
future e+e-

100 TeV estimated  
sensitivity from Higgs  
triple coupling

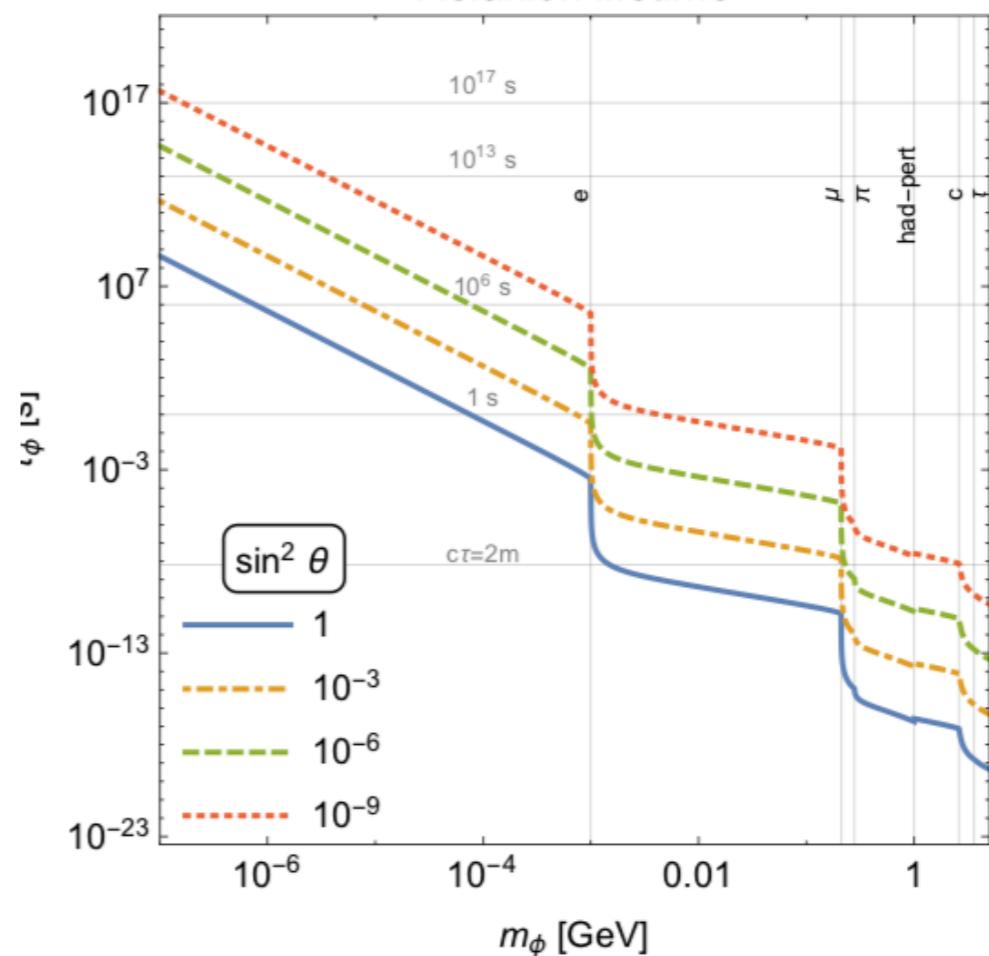
100 TeV estimated  
sensitivity from VBF  
production of SS

# LIGHT SCALARS AND THE HIERARCHY PROBLEM

- A light scalar mixing with the Higgs can be a prediction of **relaxion** solution to hierarchy problem
- final relaxion vev will often spontaneously break CP, allowing for relaxion-Higgs mixing
- A light Higgs-mixed scalar can easily become **long-lived**

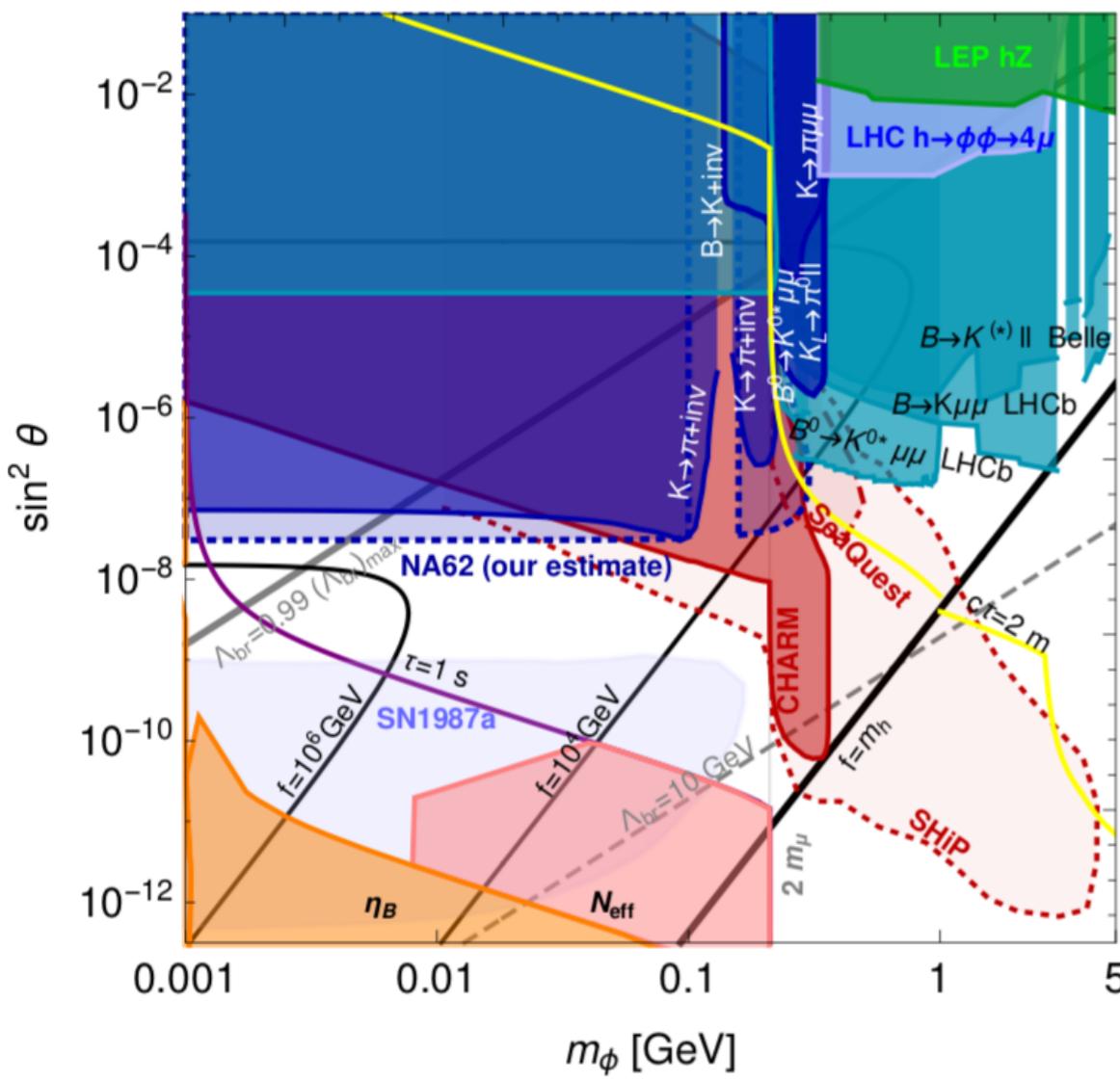
$$\Gamma(m) \propto m \sin^2 \theta \frac{m_f^2}{v^2}$$

Higgs-mixed fundamental spin-zero field  
Relaxion lifetime

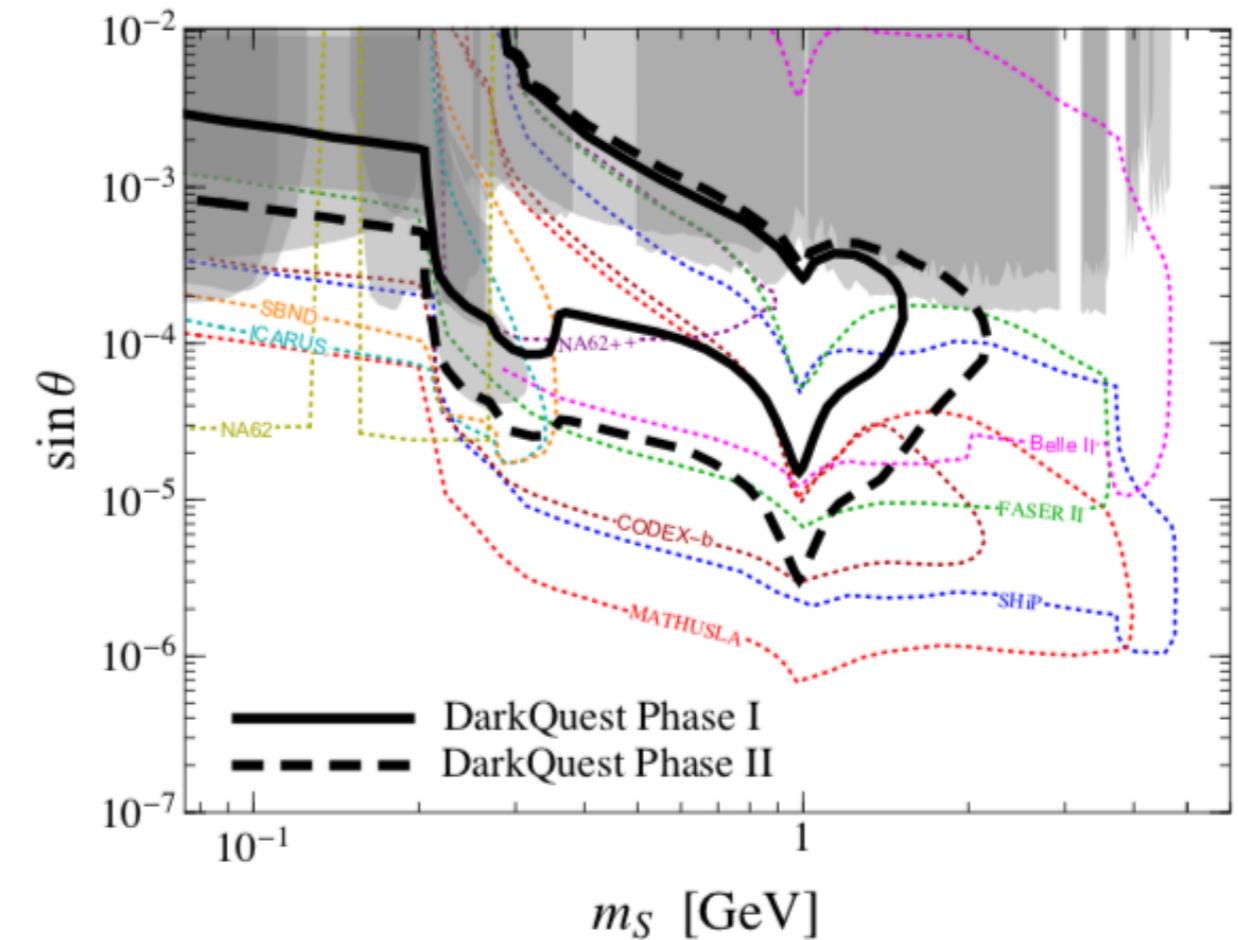


# LIGHT SCALARS AND THE HIERARCHY PROBLEM

- Constraints on low-mass scalar parameter space dominated by production in meson decays



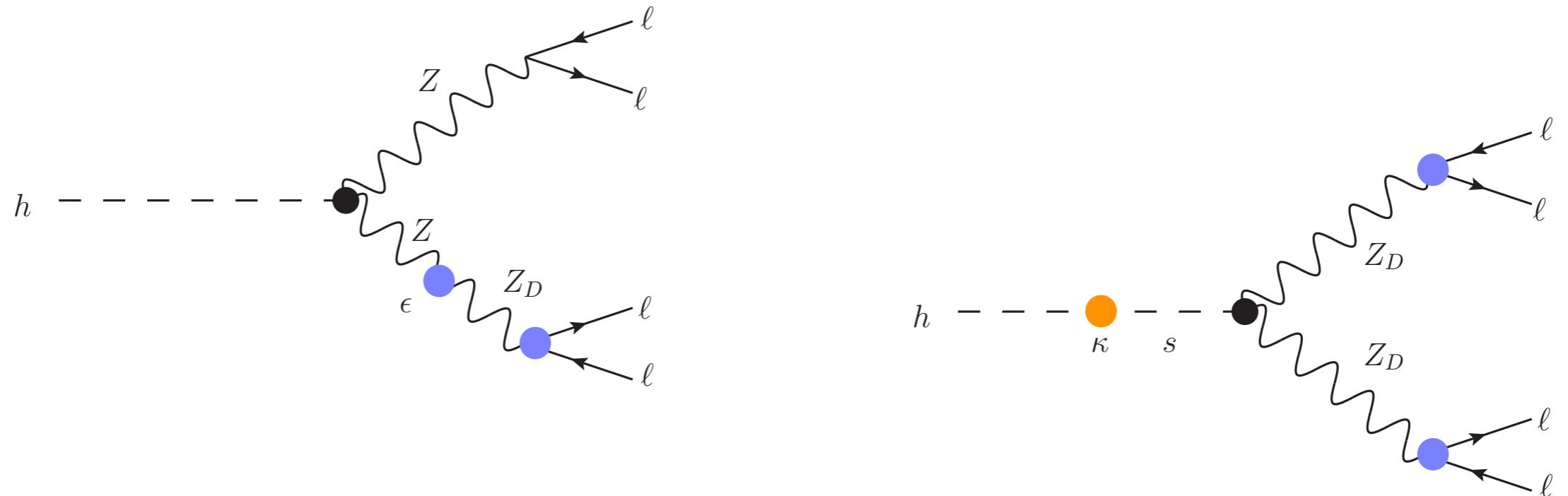
reminder: relation between Higgs branching ratios and direct production is **model-dependent**



# LONG-LIVED PARTICLES IN DARK SECTORS

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- dark sector: SM singlet particles that interact with each other (generally, more strongly than with SM)
- Example: dark photon with mass from a dark Higgs
- Separate production from decay: LLP signatures can become generic



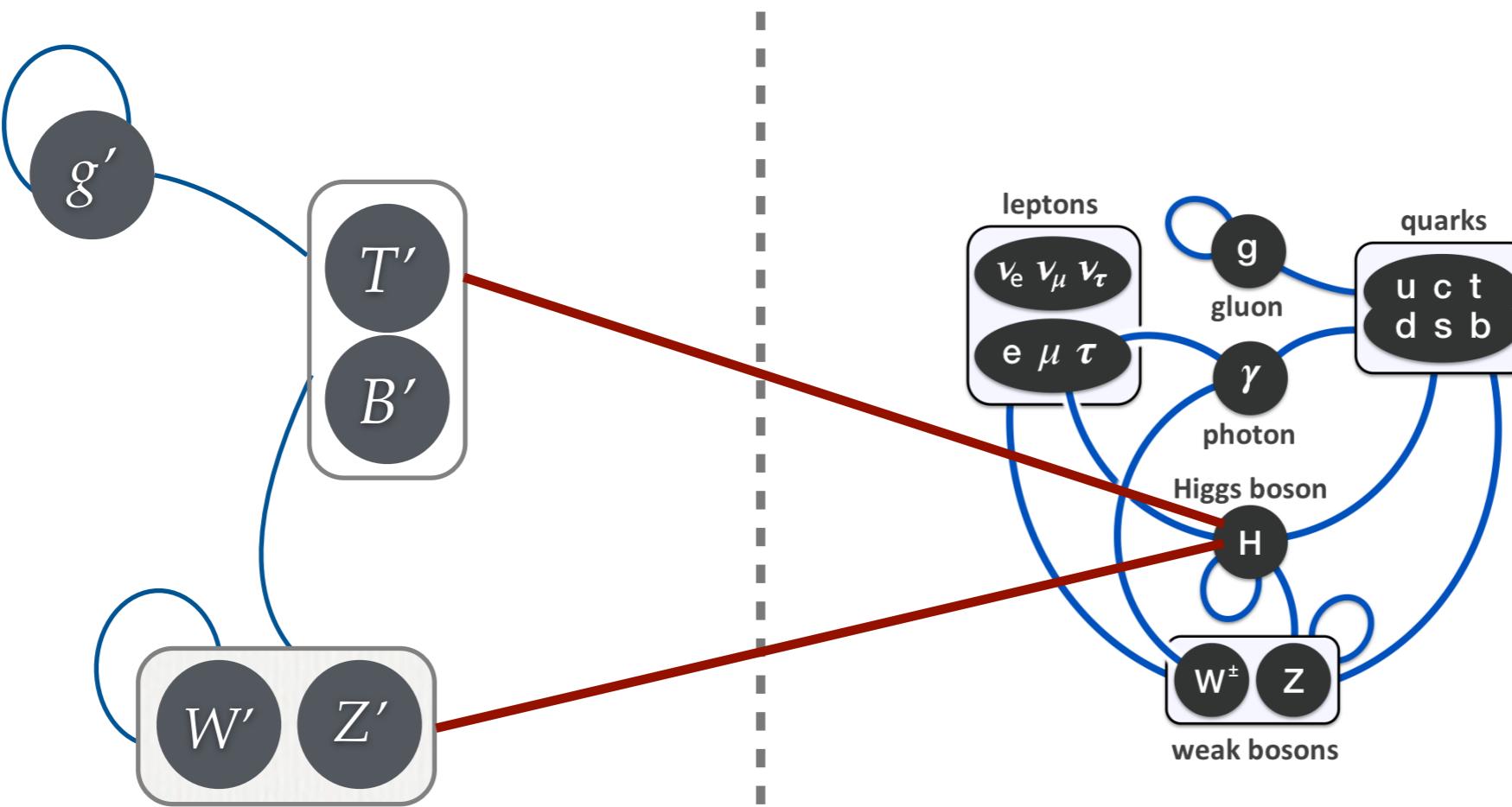
# CONFINING DARK SECTORS AND COMPOSITE STATES

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- What if dark sector has confining gauge interactions: for instance, a dark copy of QCD?
- Lightest dark states can be **composite**
- Composite states are described by higher-dimension operators than elementary states are
  - ex: dark meson  $\tilde{\Lambda}^2 \eta \leftrightarrow \bar{\psi} \gamma^5 \psi$
  - ex: dark glueball  $\tilde{\Lambda}^3 \phi \leftrightarrow \text{Tr } \tilde{G}_{\mu\nu} \tilde{G}^{\mu\nu}$
  - Lifetime for composite dark state to decay into SM is **parametrically longer** than for elementary dark state

# CONFINING DARK SECTORS AND THE HIERARCHY PROBLEM

- Neutral naturalness: dark QCD for the hierarchy problem
  - partners of SM particles neutral under SM forces, charged under (near-)mirror copy of SM gauge group



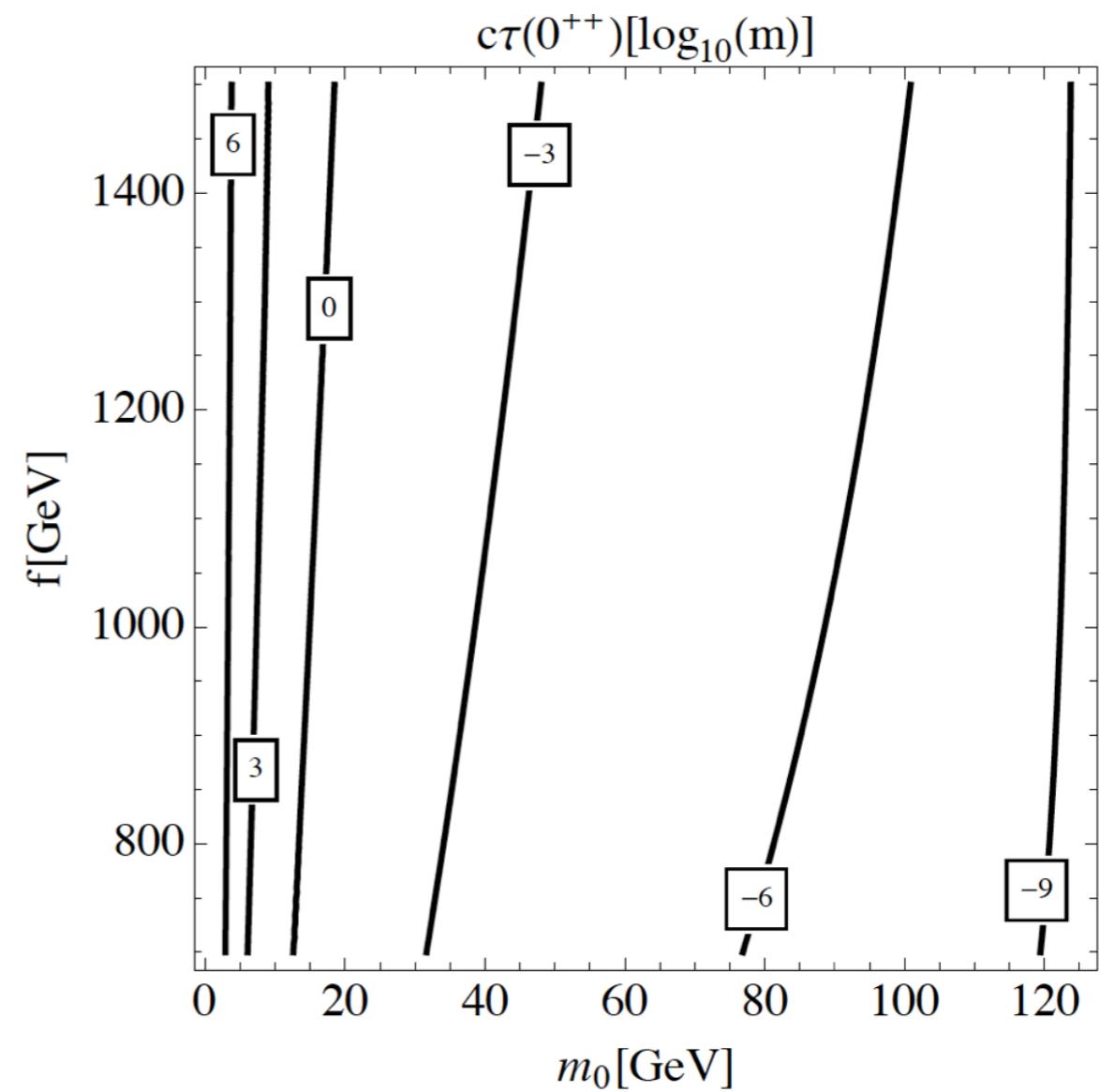
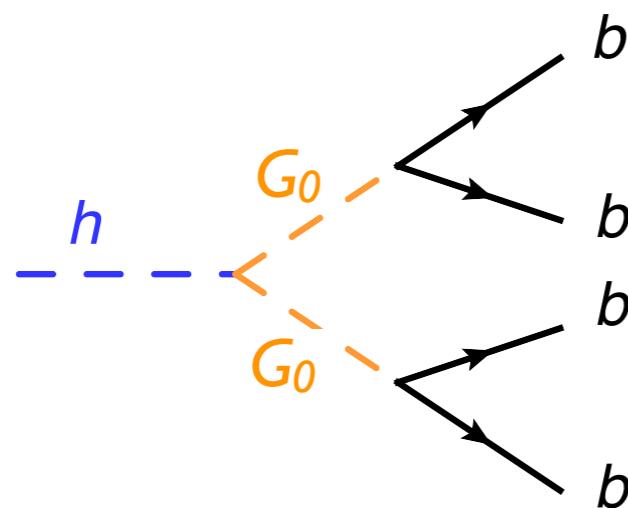
- strength of Higgs coupling depends on amount of fine-tuning

*see lecture by Nate Craig*

# HIGGS DECAYS TO LLPS

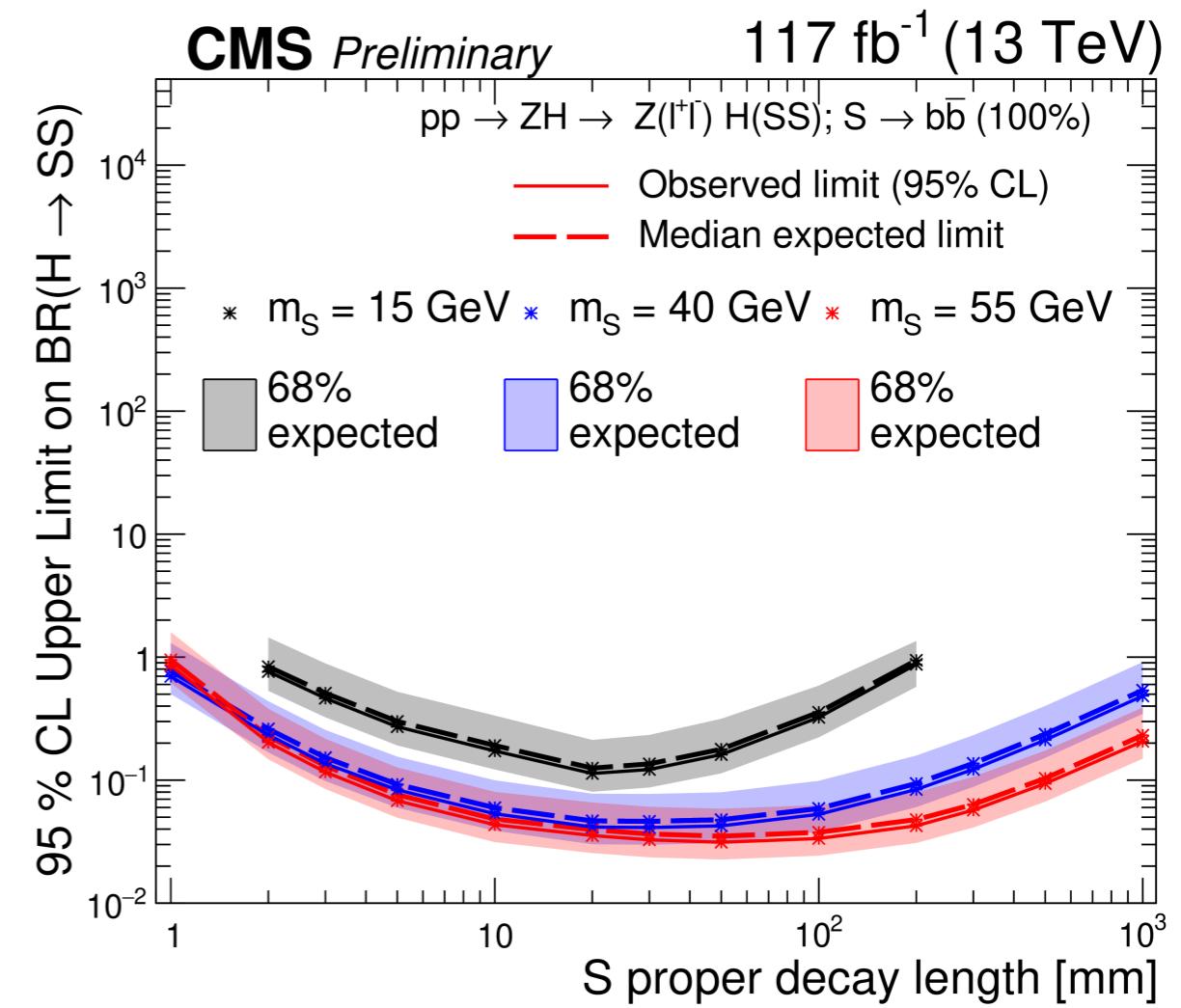
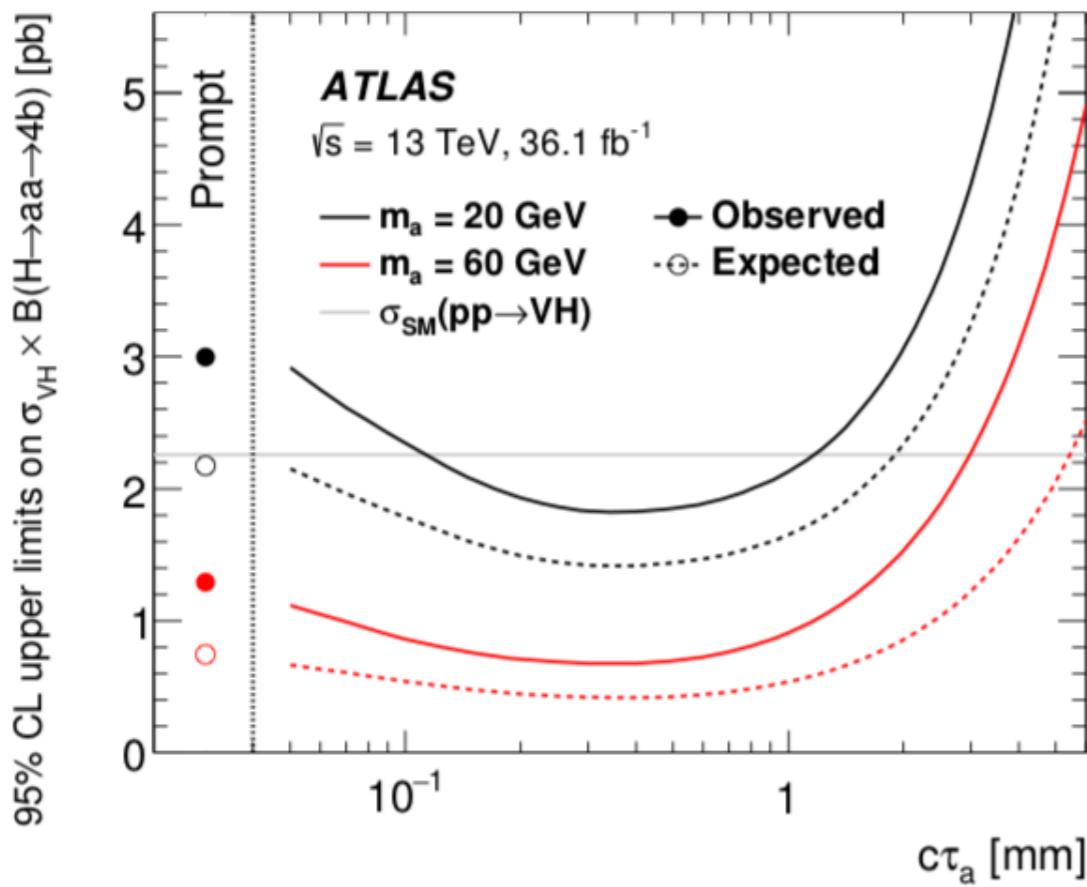
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- Leading signature of neutral naturalness at LHC: Higgs decays to dark glueballs, i.e., **composite dark scalar**



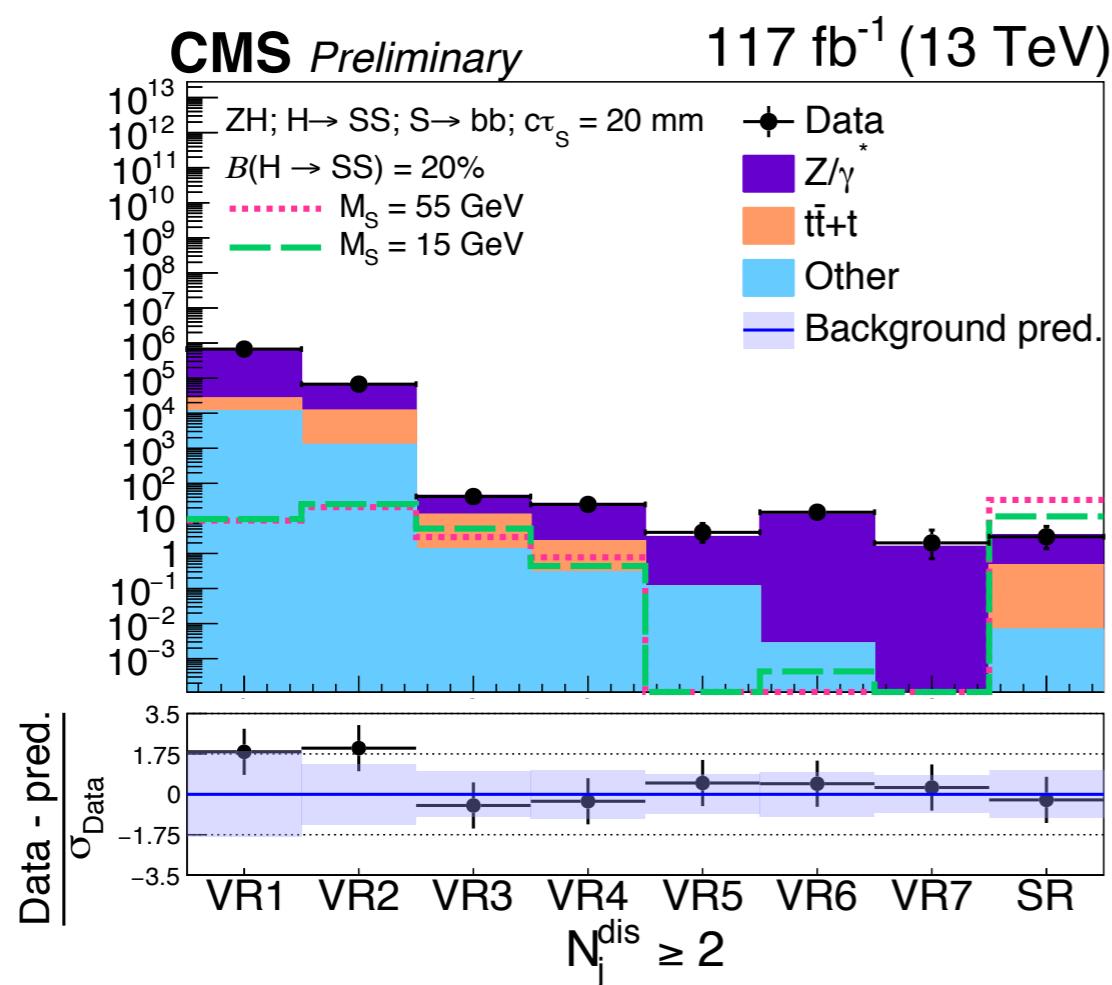
# HIGGS DECAYS TO LLPS

- LLPs at the main detectors are a double-edged sword:
  - clean signatures! SM backgrounds can be very low



# HIGGS DECAYS TO LLPS

- But: LHC detectors, standard analysis pipelines not designed for such signals: much work to record, understand the data
  - backgrounds often (weird SM physics)  $\times$  (weird detector response), typically need to data-drive estimates

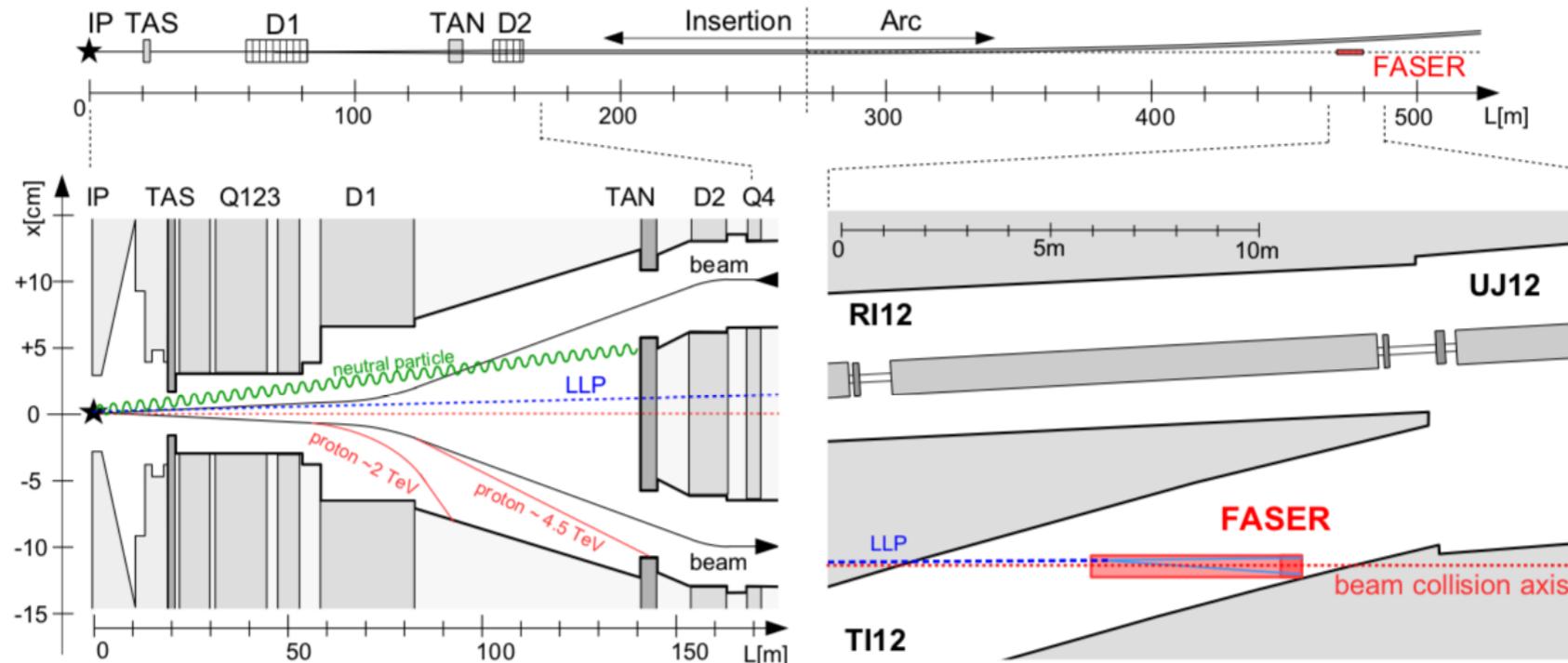


- Displaced jets from:
  - known SM LLPs (b, c, tau)
  - material interactions in tracker (nuclear interactions, photon conversions)
  - misidentification from imperfect track reconstruction

# DEDICATED LONG-LIVED PARTICLE DETECTORS

- new detectors for LLPs produced at LHC:

**FASER**: dedicated forward detector near ATLAS interaction point

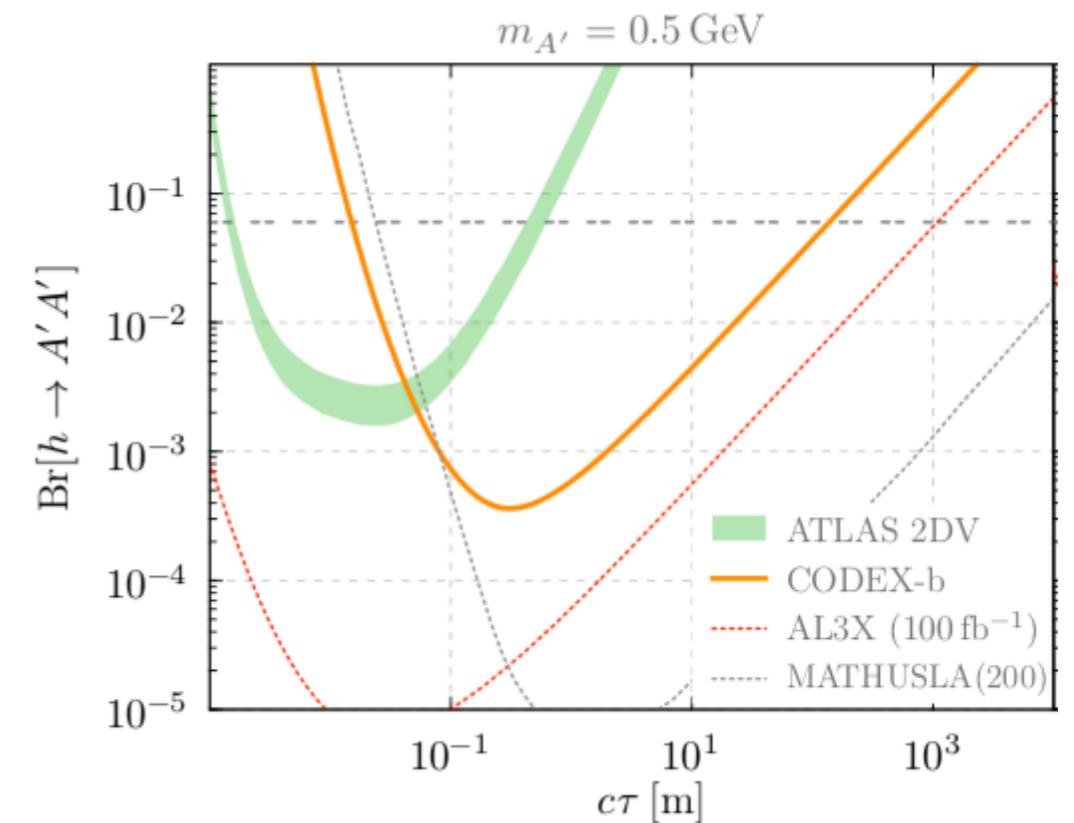
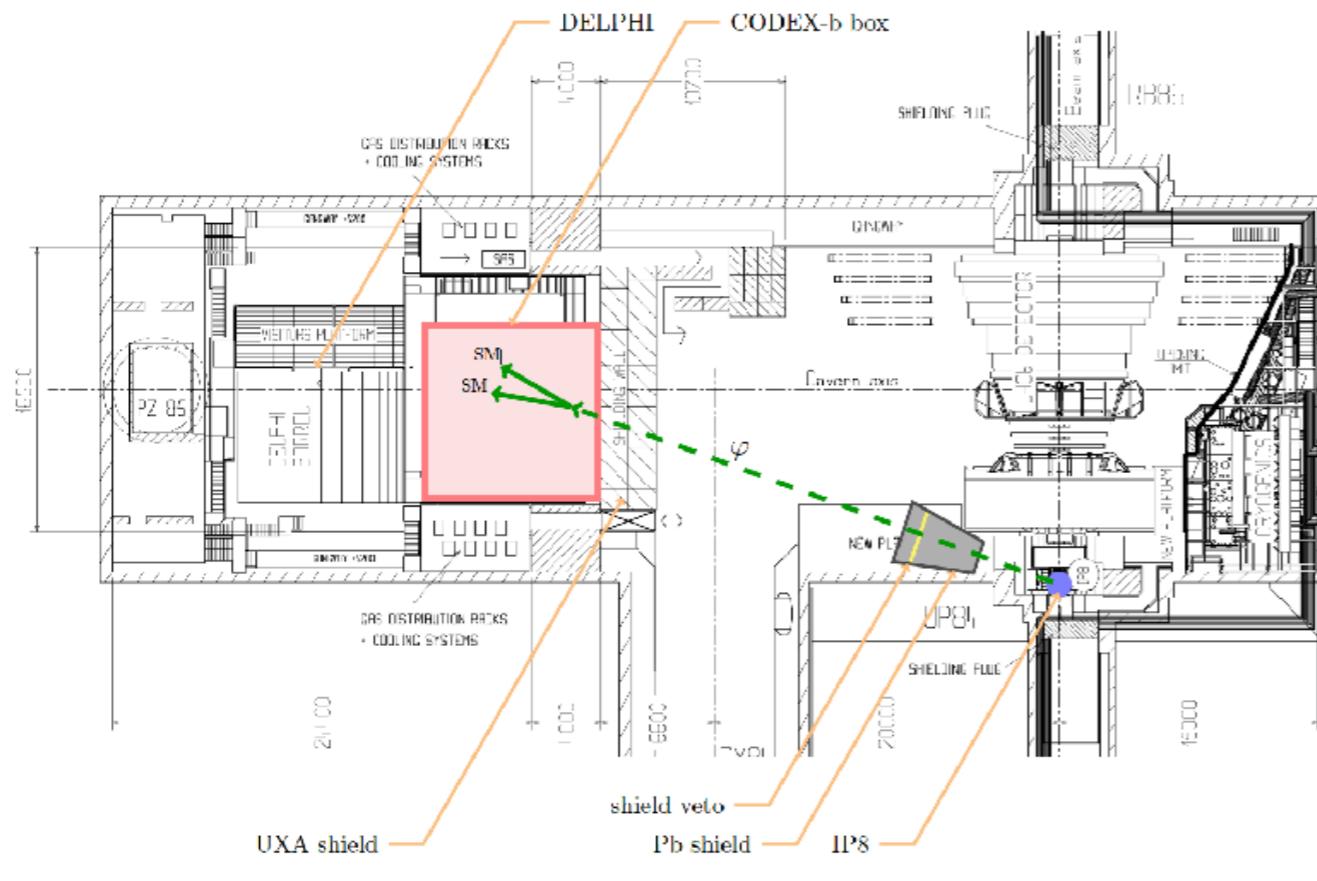


- in operation! Angular acceptance best suited for vector portal physics, interesting scalar portal reach in proposed Faser 2

# DEDICATED LONG-LIVED PARTICLE DETECTORS

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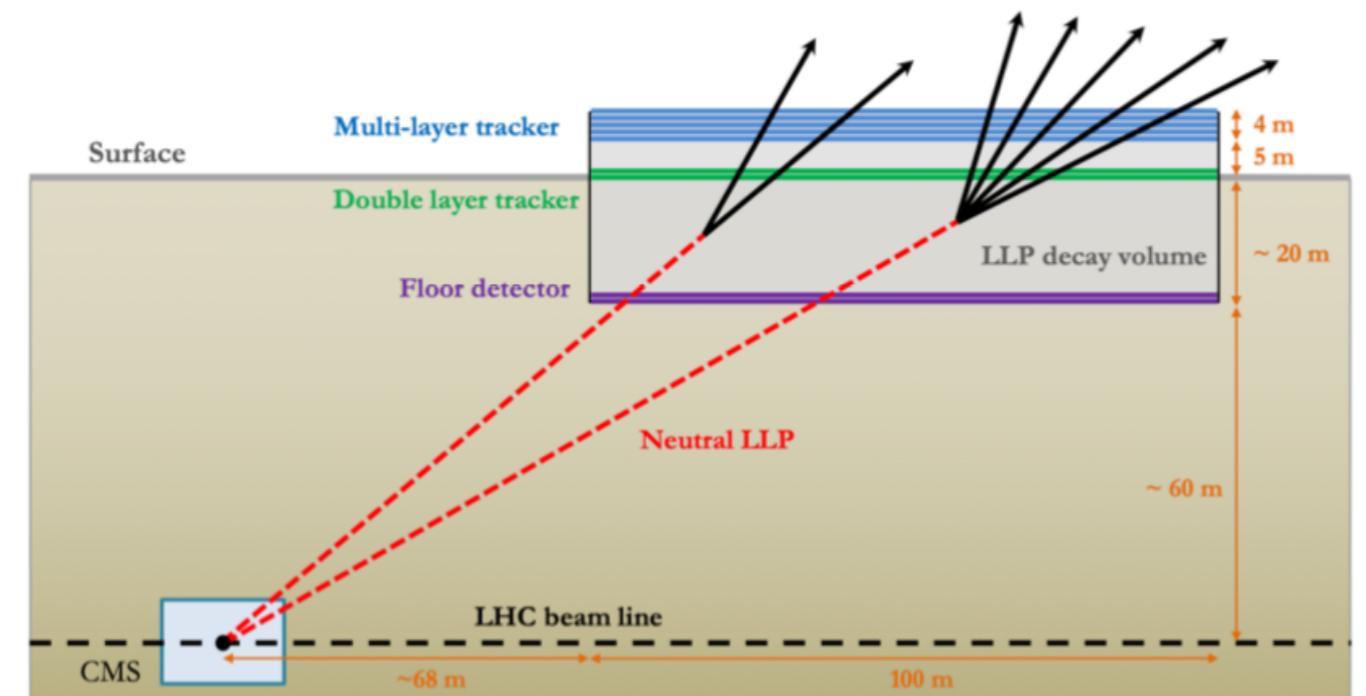
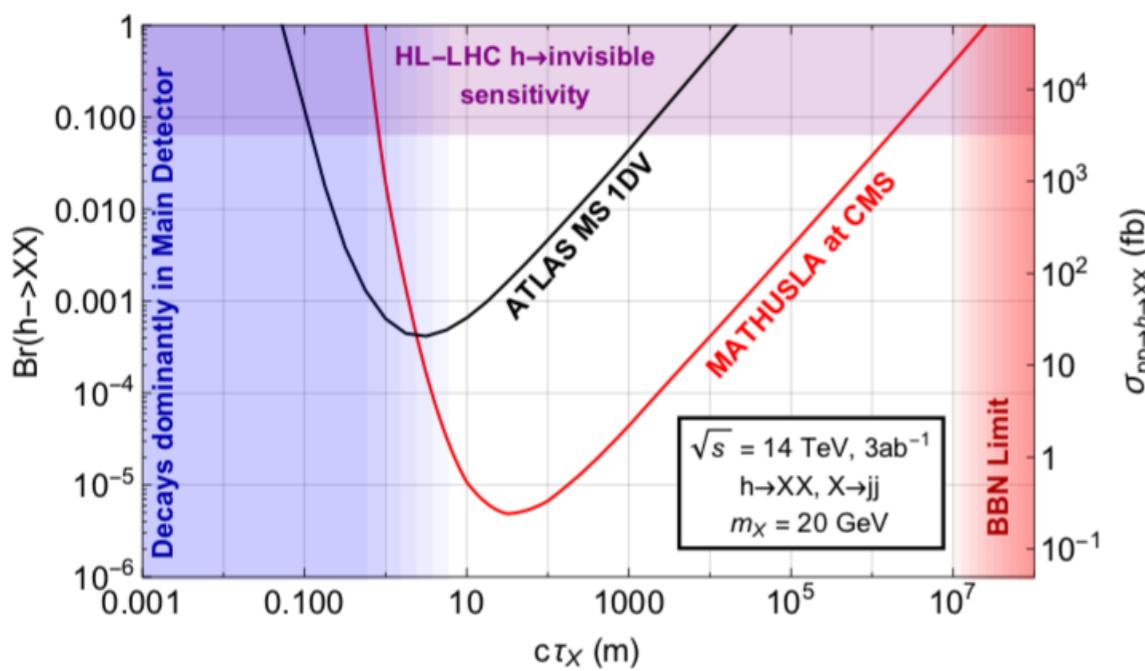
**CODEX-b:** proposed LLP detector near LHCb interaction point



# DEDICATED LONG-LIVED PARTICLE DETECTORS

- new detectors for LLPs produced at LHC:

MATHUSLA: proposed LLP detector near CMS interaction point



# FRONTIERS: HIGGS DECAYS INTO CONFINING HIDDEN SECTORS

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- Confining hidden sectors are a **generic** possibility for new physics (explicit examples for DM, hierarchy problem)
- Higgs portal: production in SM Higgs decays a leading possibility
- Characteristic features of dark shower events:
  - **variable** and potentially large **object multiplicity**
  - non-SM-like distributions of energy, flavor
  - often **non-isolated** final state objects
  - **hierarchy of lifetimes**
- Detector-scale lifetimes for at least one species

# LOOKING FORWARD

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- LHC is our first chance to study the Higgs boson directly
  - simultaneous advances in direct detection, intensity frontier experiments
- already learned enormous amounts about what our universe does and doesn't do
- HL-LHC: enormous Higgs sample,  $\sim 10^8$ !
  - many opportunities for finding new physics
  - advances in triggering capabilities will add more
- Complementary physics at future e+e- colliders