
Updates on SHEEP MODEL

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THE UNIVERSITY OF
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DEEP UNDERGROUND
NEUTRINO EXPERIMENT



Post-Fix Loss Curves – Variations

- Test on 100k event sample (80k train / 10k validation / 10k test)
 - All events electron showers between 0 and 2 GeV
- Train each variation for 100 epochs (full pass through train set)
- Constants:
 - Batch size = 3200 samples
 - Exponential moving average momentum = 0.01
 - Learning rate = 0.0001 (one test with increasing to 0.001 after epoch 20)
- Variables (7 variations total):
 - Loss function (MSE vs. L1 vs. Huber)
 - Target value (E/1000 vs. log(E))
 - One variation with MSE Loss | Target value E/1000 | LR increase

Post-Fix Loss Curves – Loss Function Explanation

y_i = true KE, \hat{y}_i = SHEEP prediction, $\delta = 1.0$ (default value)

- **MSE Loss:** $\frac{1}{N} \sum_{i=1}^N (\hat{y}_i - y_i)^2$

- Most sensitive to large errors (faster convergence), but also outliers

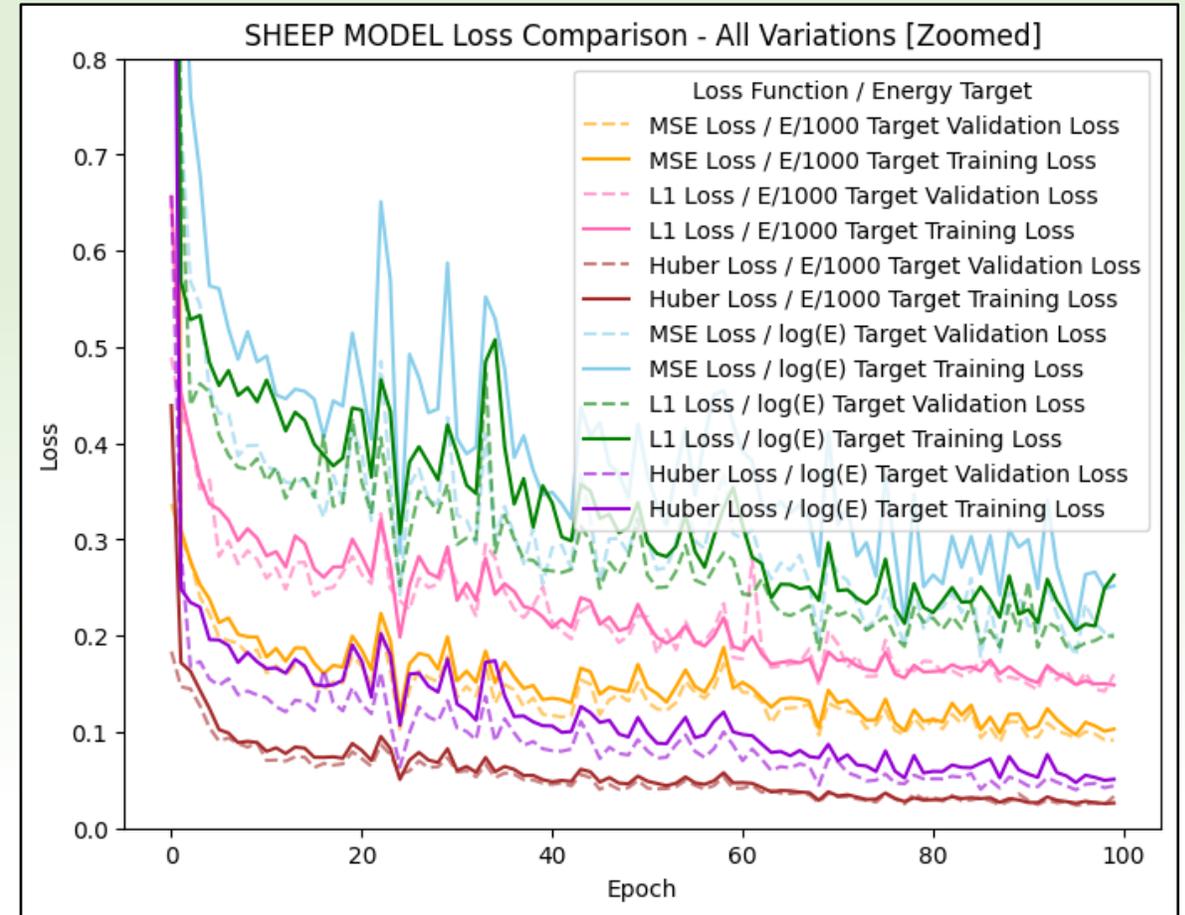
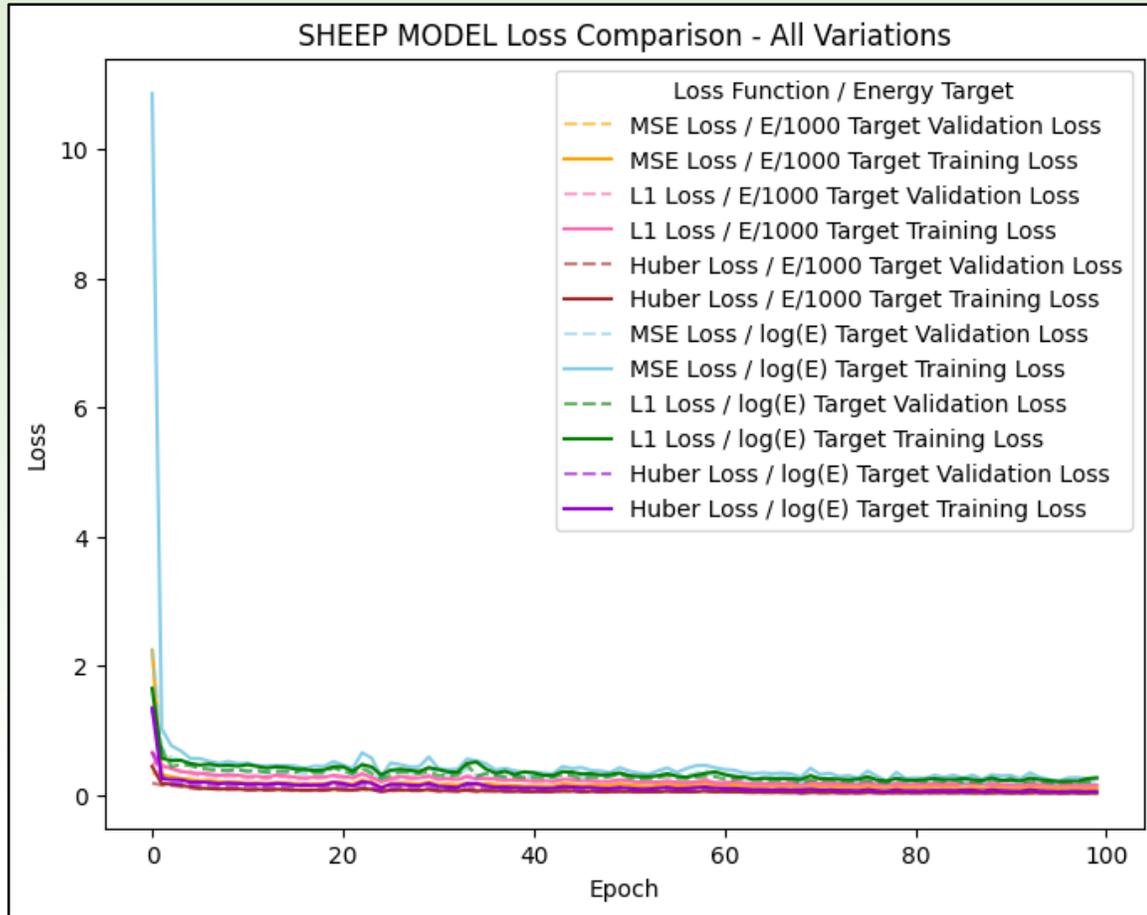
- **L1 Loss:** $\frac{1}{N} \sum_{i=1}^N |\hat{y}_i - y_i|$

- More robust to outliers than MSE, but not differentiable at 0

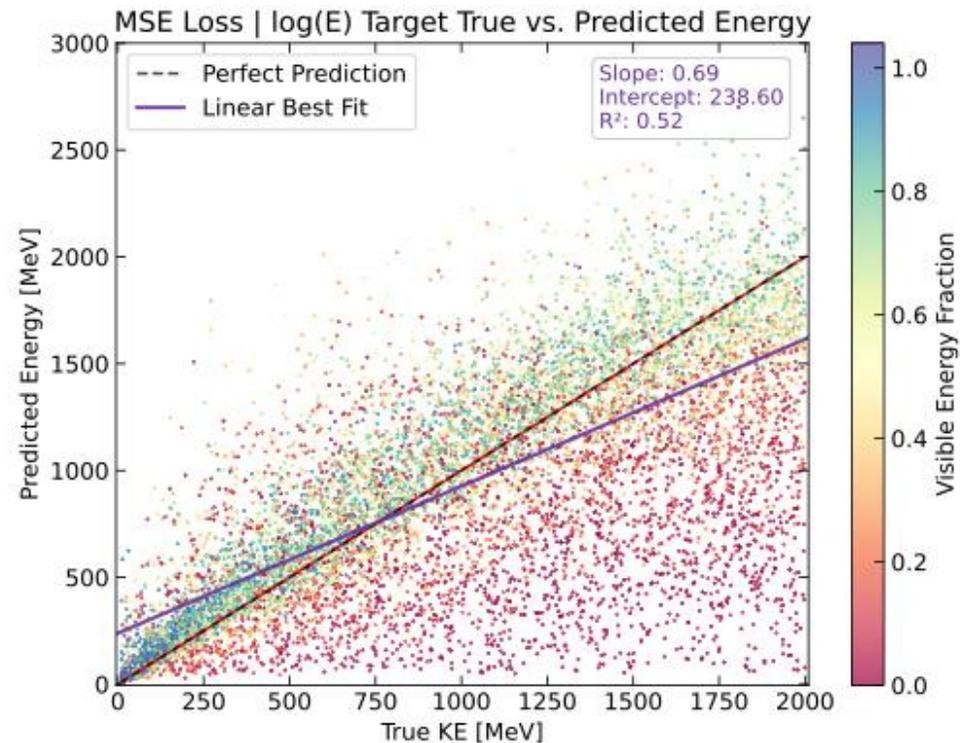
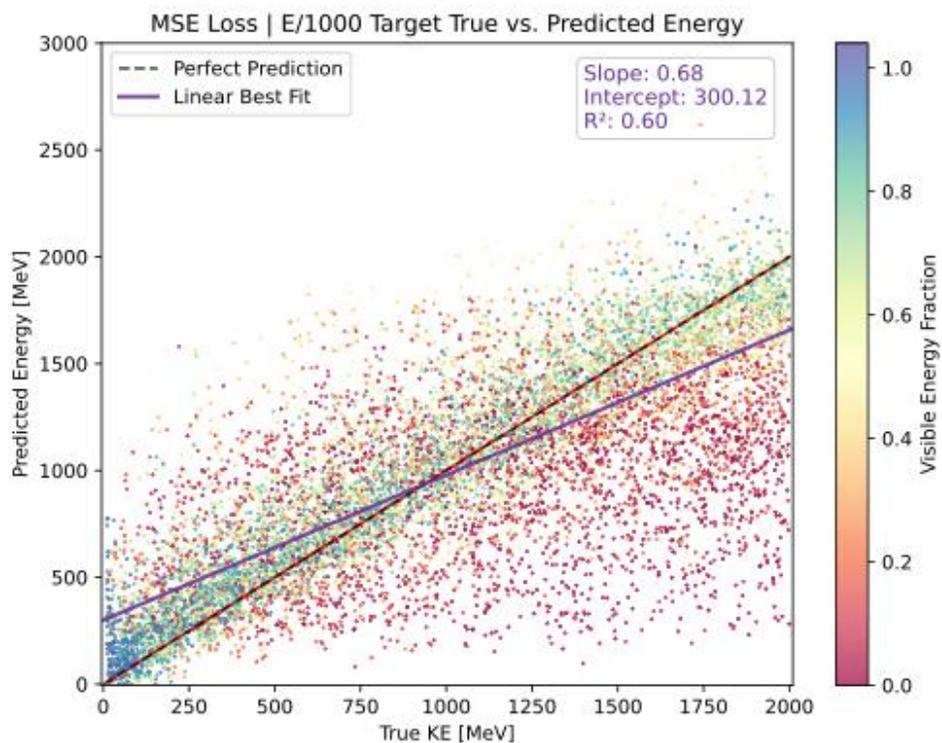
- **Huber Loss:** $\frac{1}{N} \sum_{i=1}^N \begin{cases} 0.5(\hat{y}_i - y_i)^2, & \text{if } |\hat{y}_i - y_i| < \delta \\ \delta \cdot (|\hat{y}_i - y_i| - 0.5 * \delta), & \text{otherwise} \end{cases}$

- Combination of MSE loss (close to 0 – differentiability) and L1 loss (for larger errors to improve robustness to outliers)

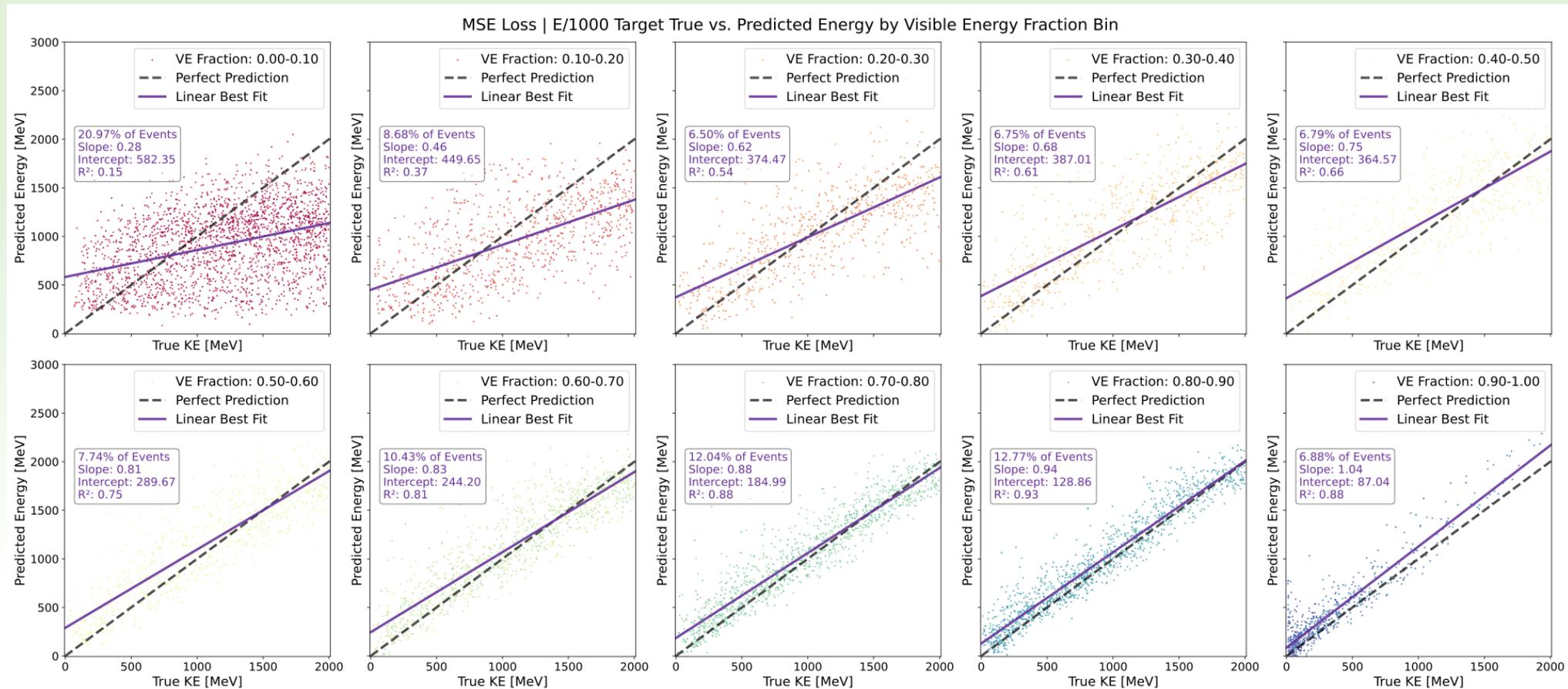
Post-Fix Loss Curves – All Variations



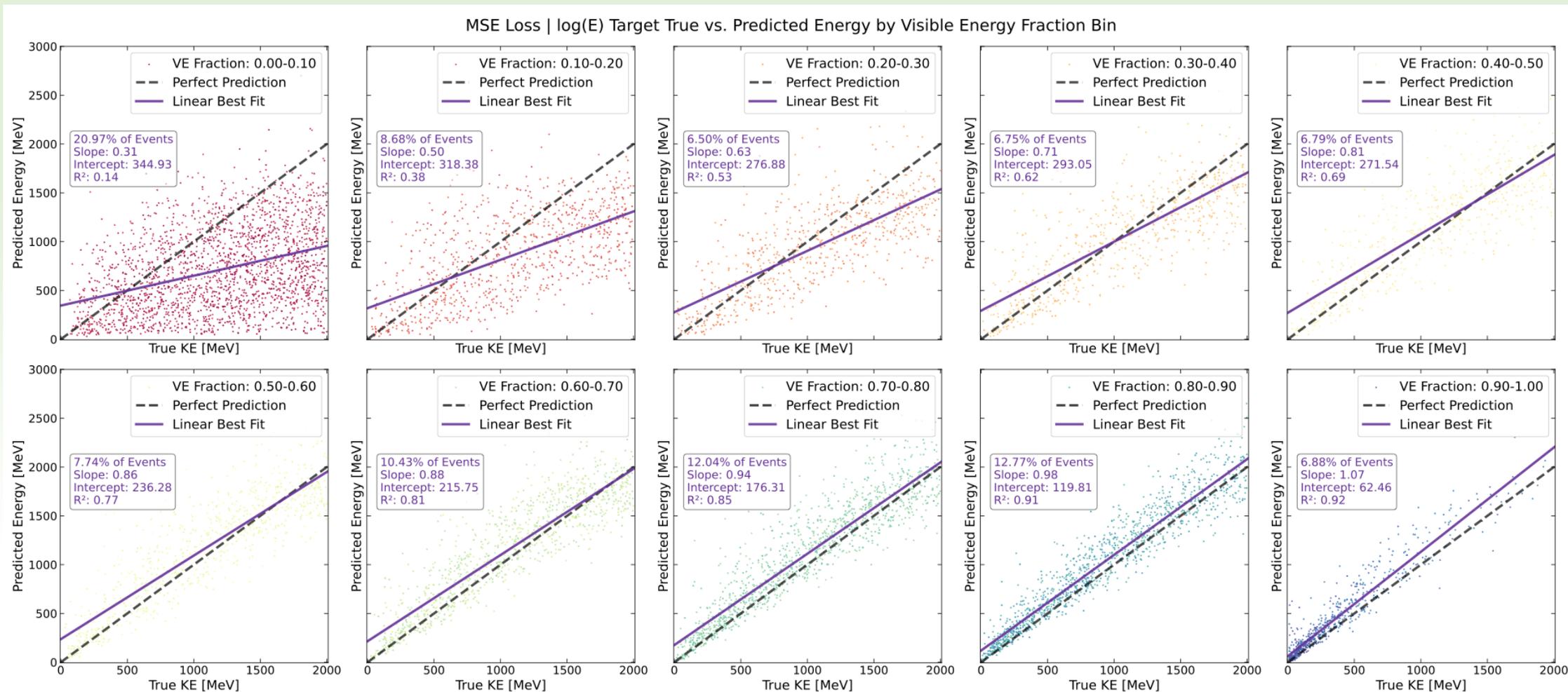
MSE Loss, E/1000 Target vs. log(E) Target



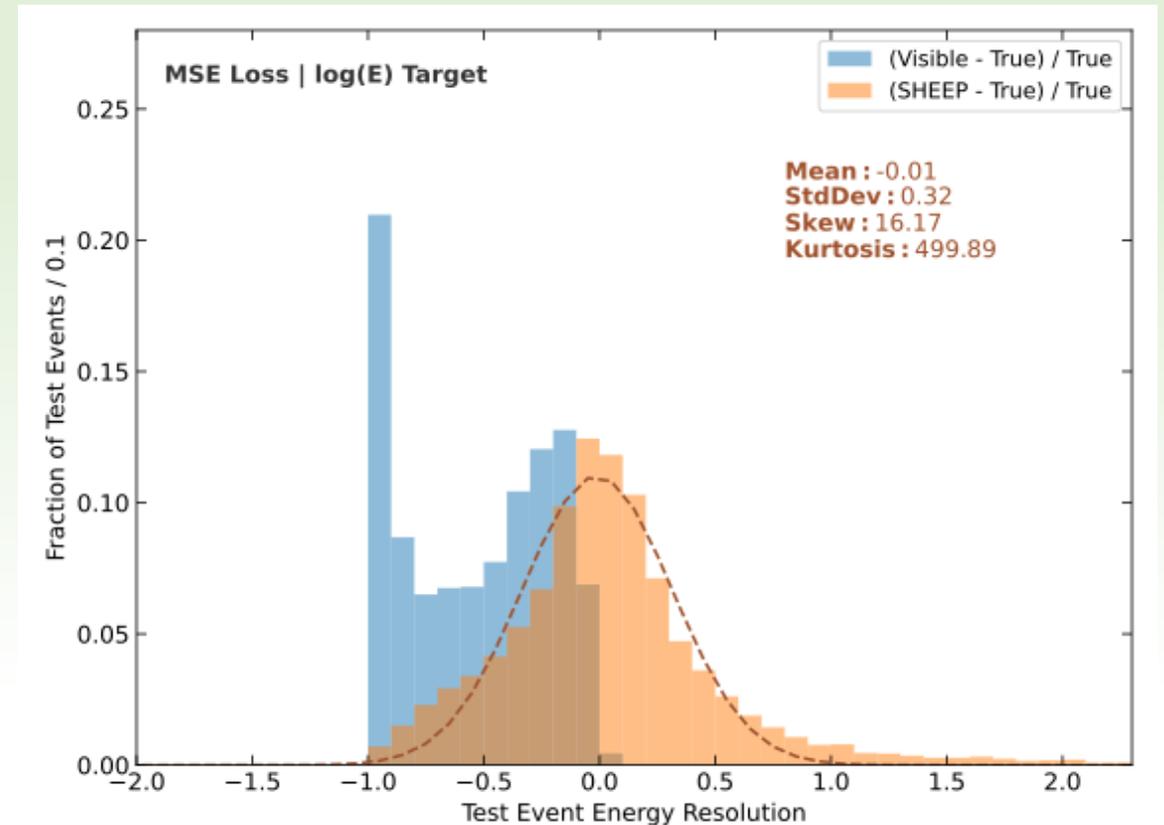
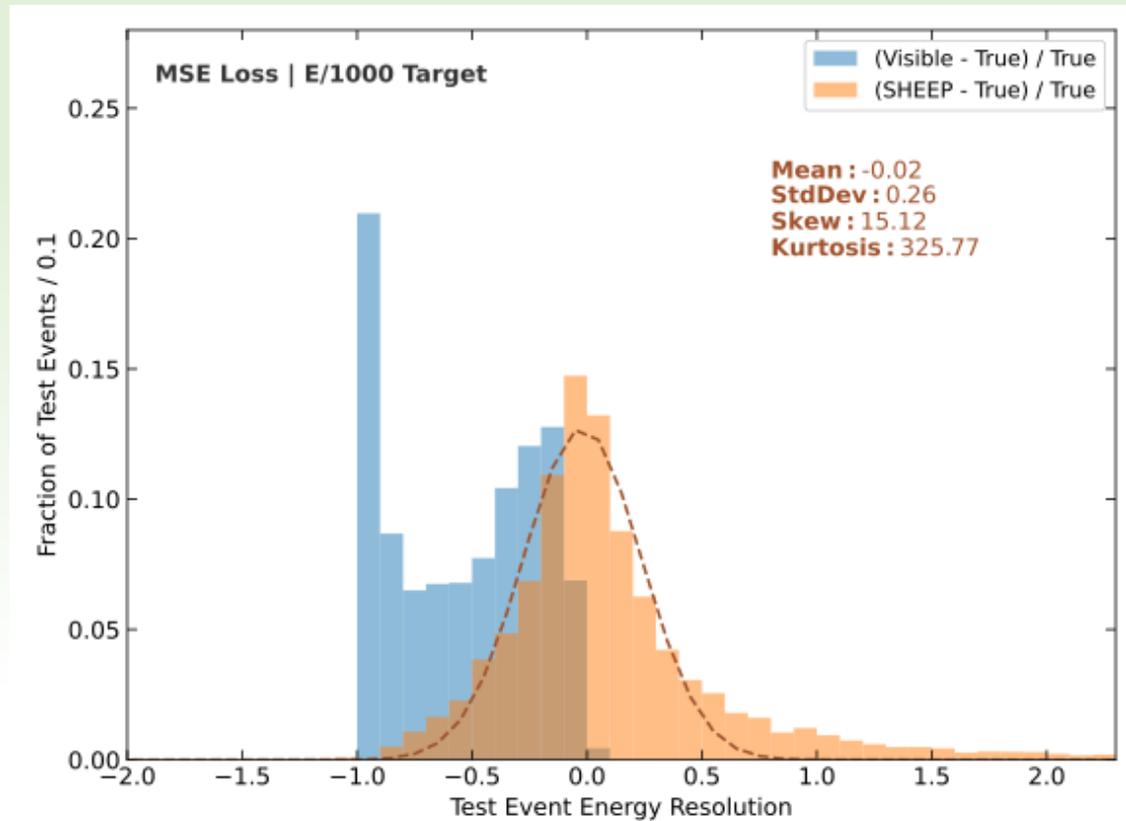
MSE Loss, **E/1000 Target** vs. $\log(E)$ Target



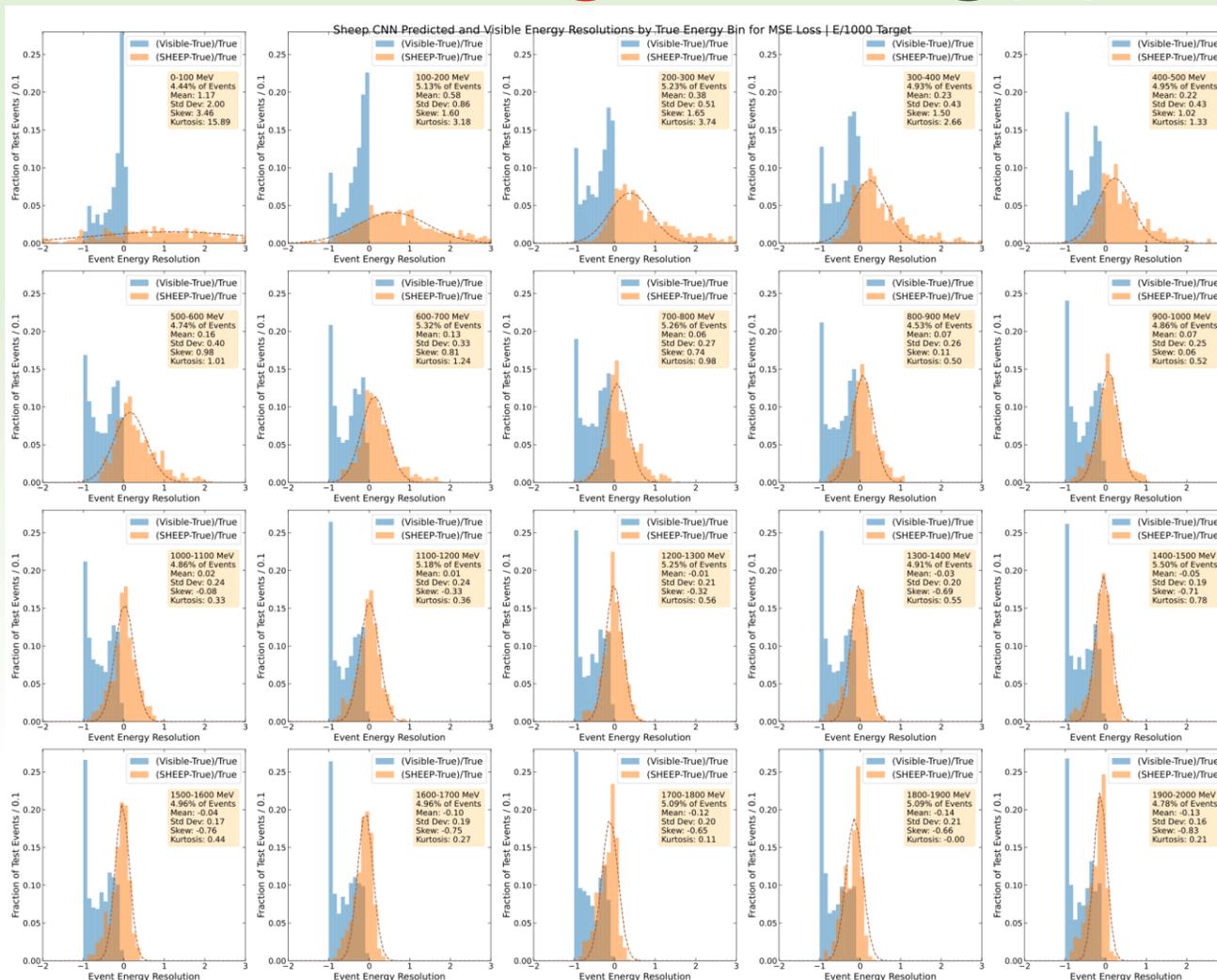
MSE Loss, E/1000 Target vs. $\log(E)$ Target



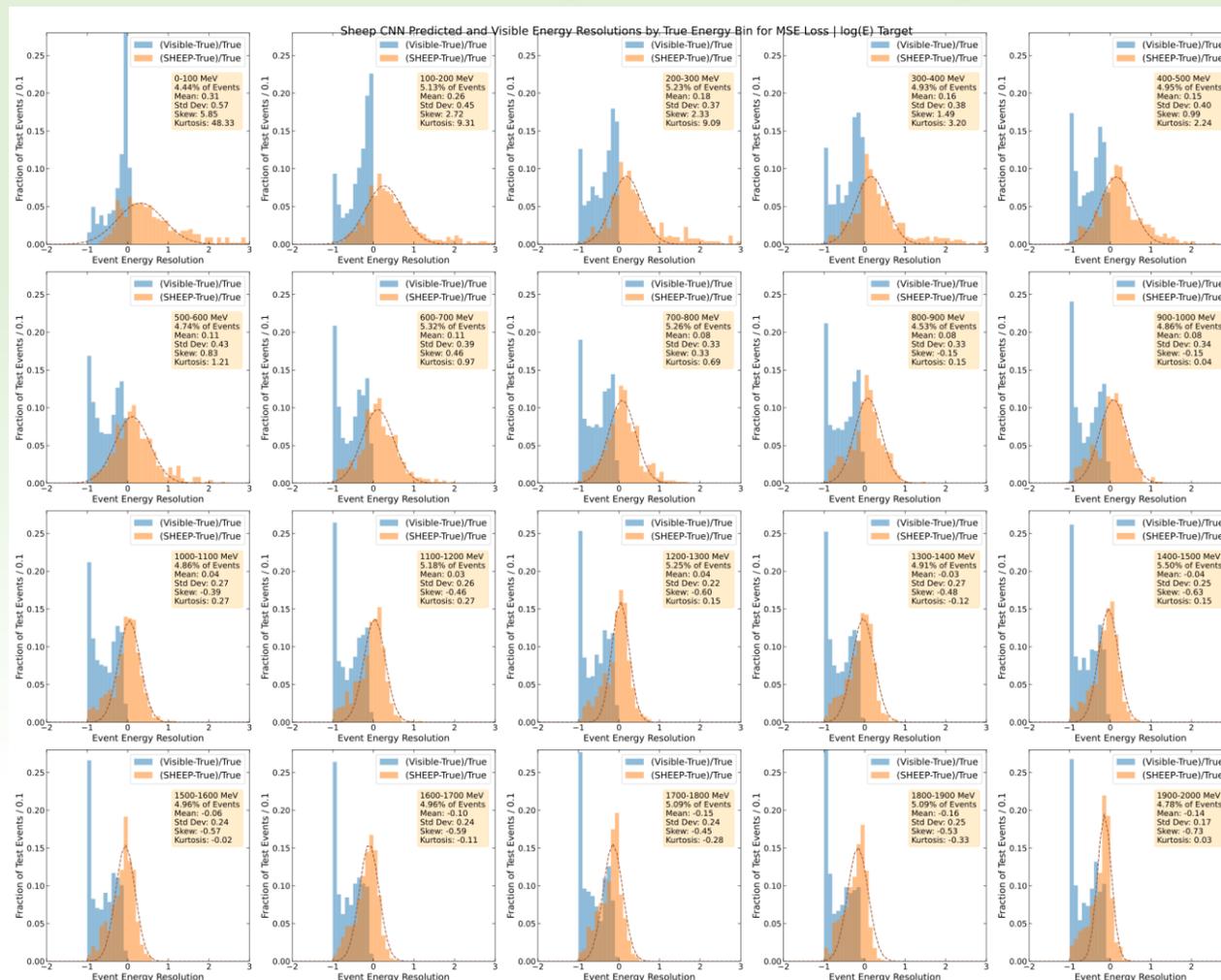
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MSE Loss, **E/1000 Target** vs. $\log(E)$ Target

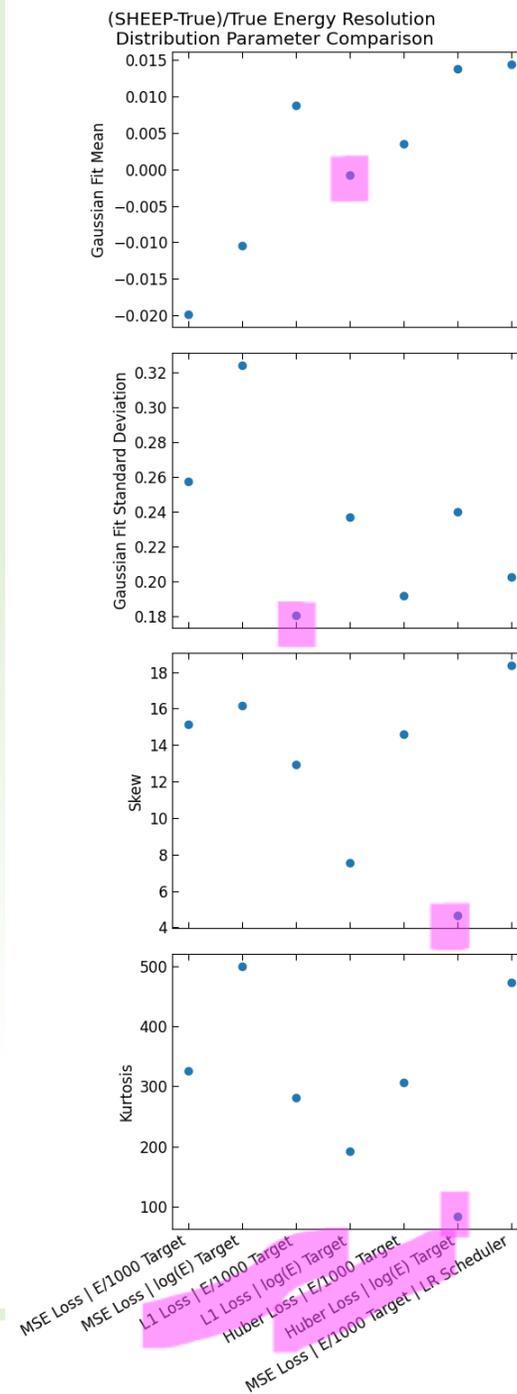


MSE Loss, E/1000 Target vs. $\log(E)$ Target

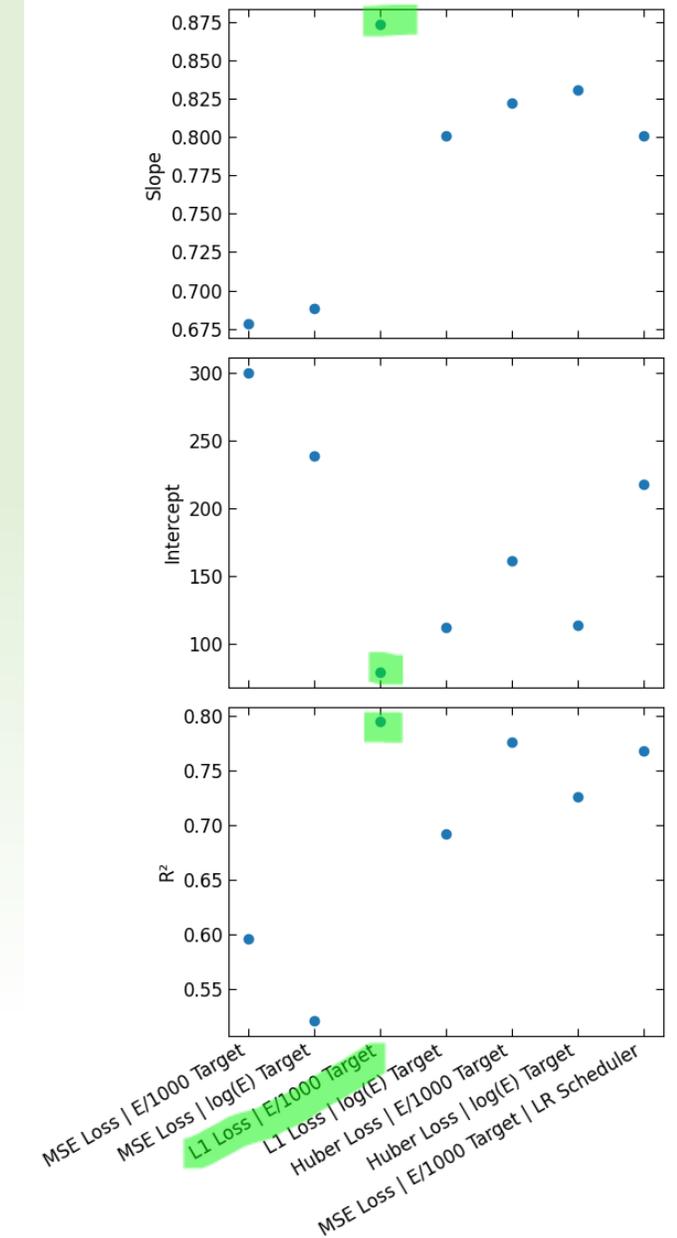


Comparing Models

- "Best Epoch" version varies considerably
 - Ranges from 68 (L1 | log(E)) to 98 (L1 | E/1000)

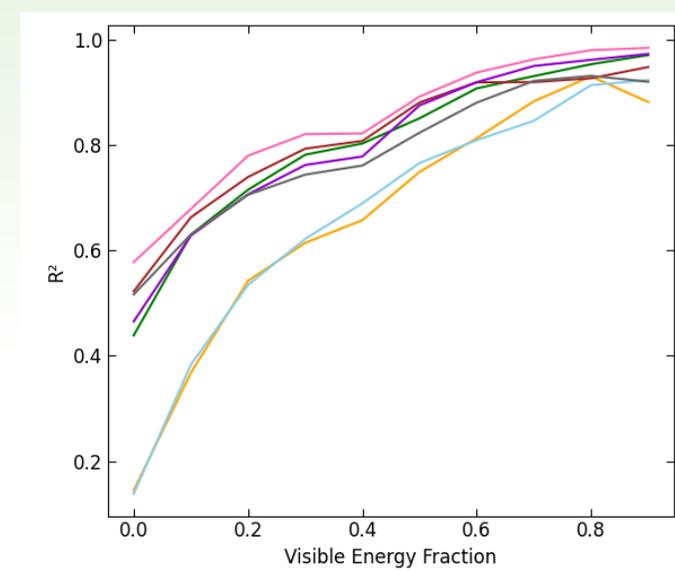
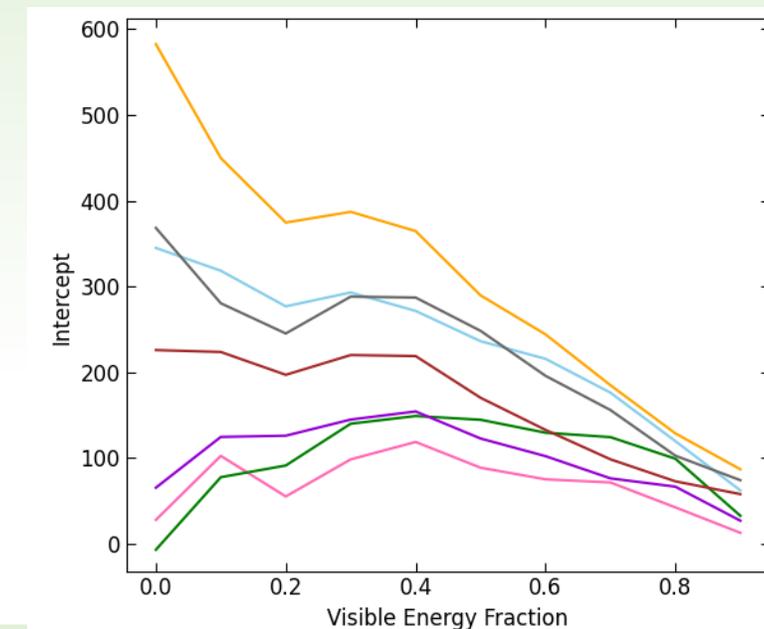
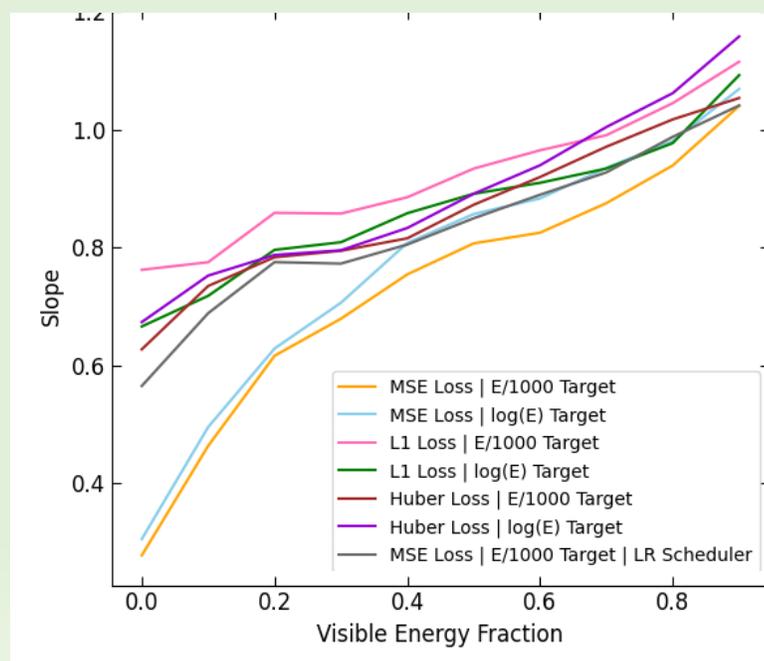
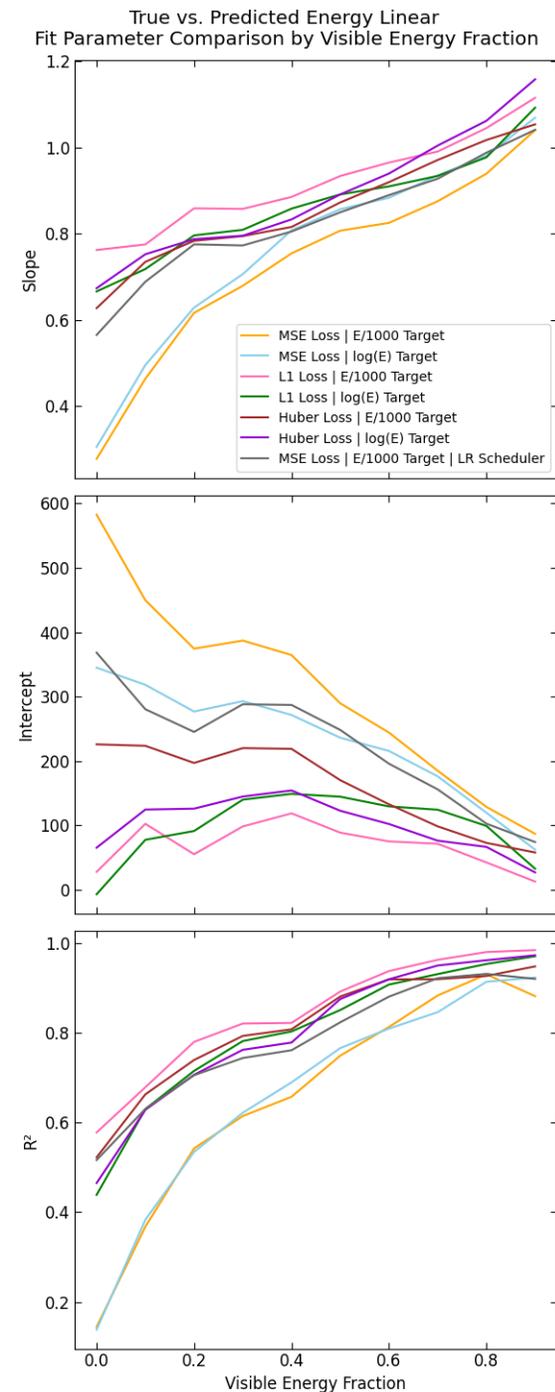


True vs. Predicted Energy Linear Fit Parameter Comparison

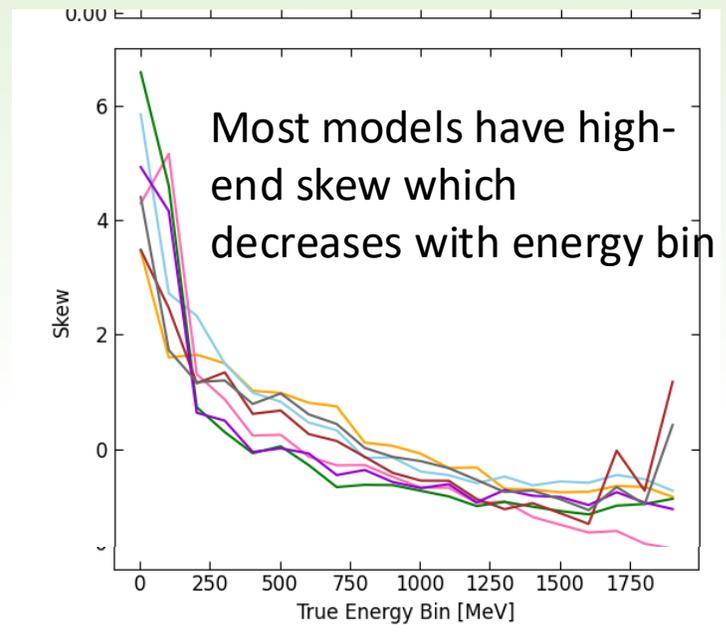
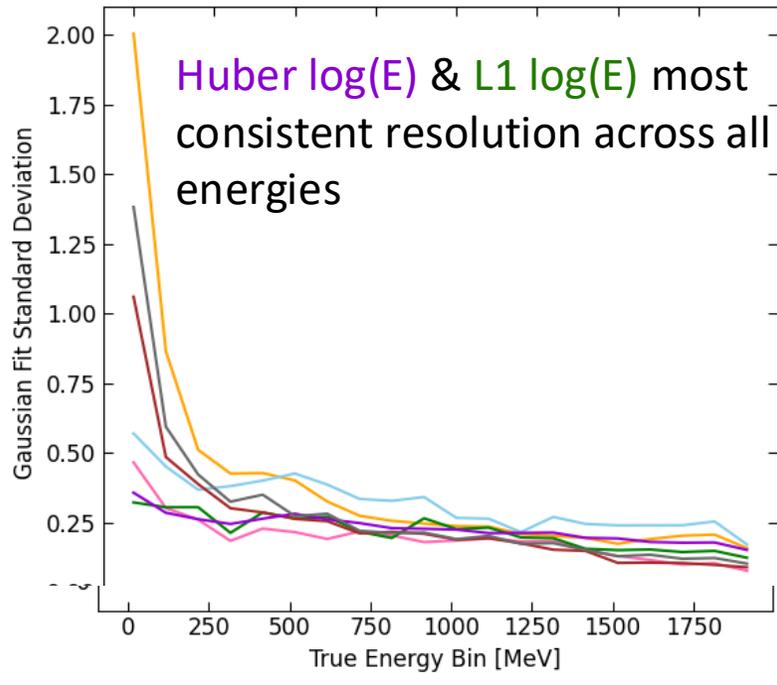
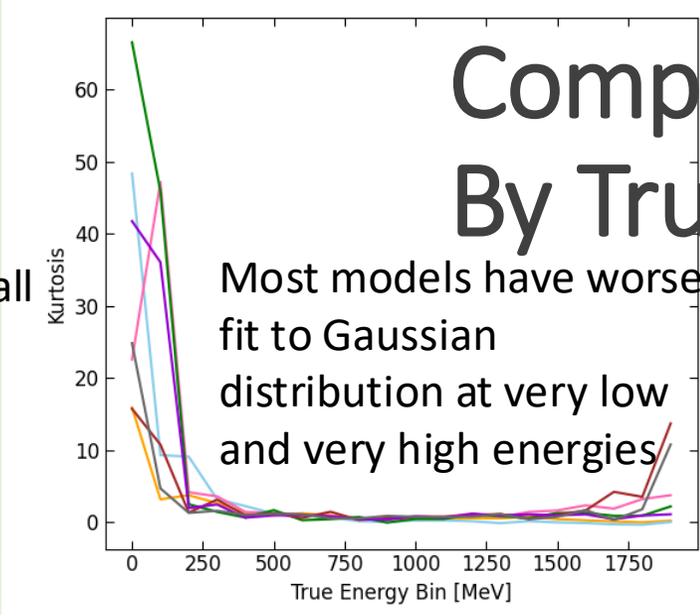
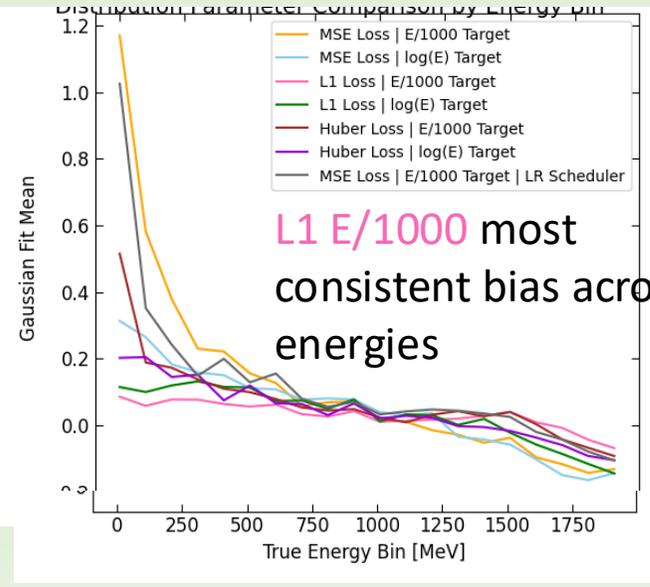
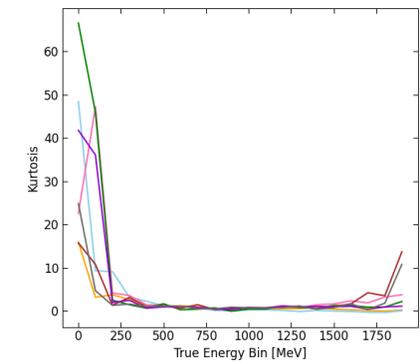
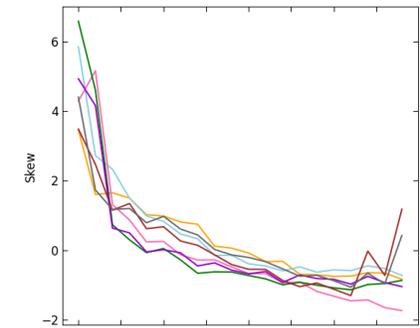
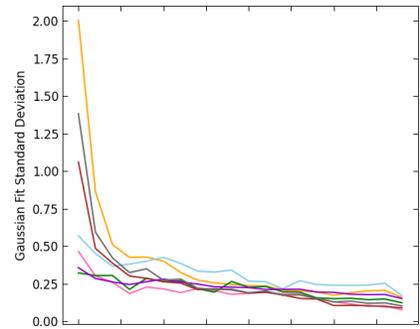
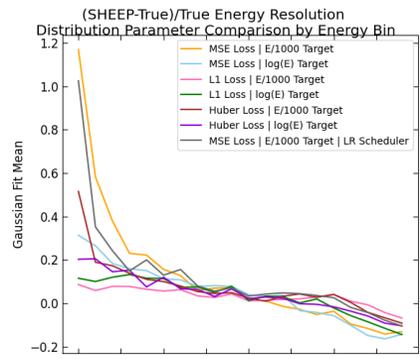


Comparing Models – By Visible Energy Fraction

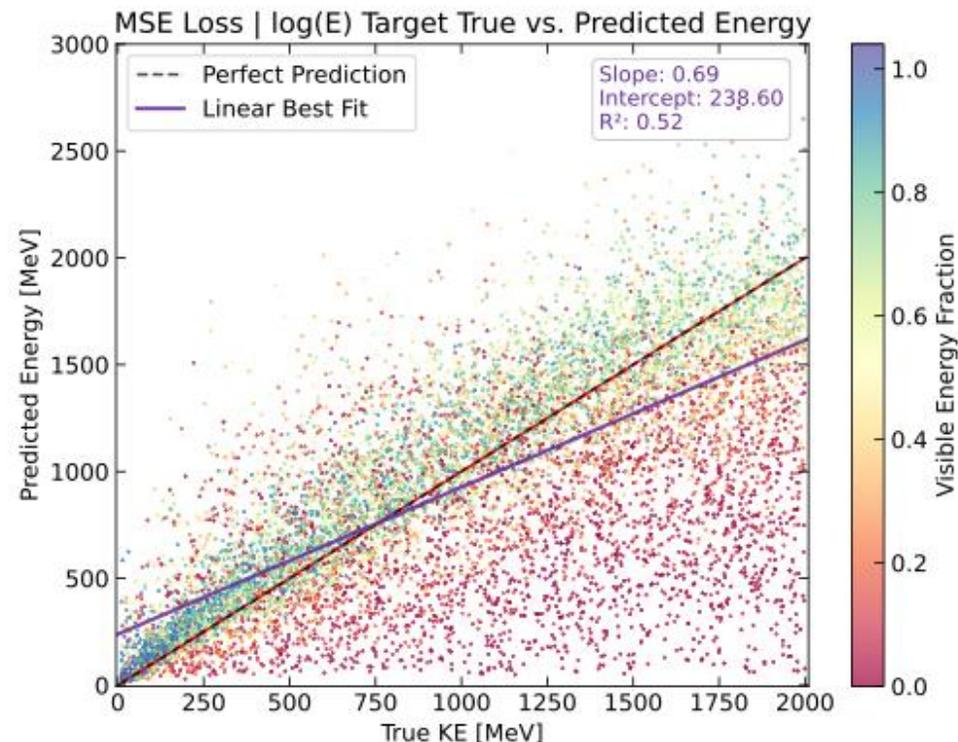
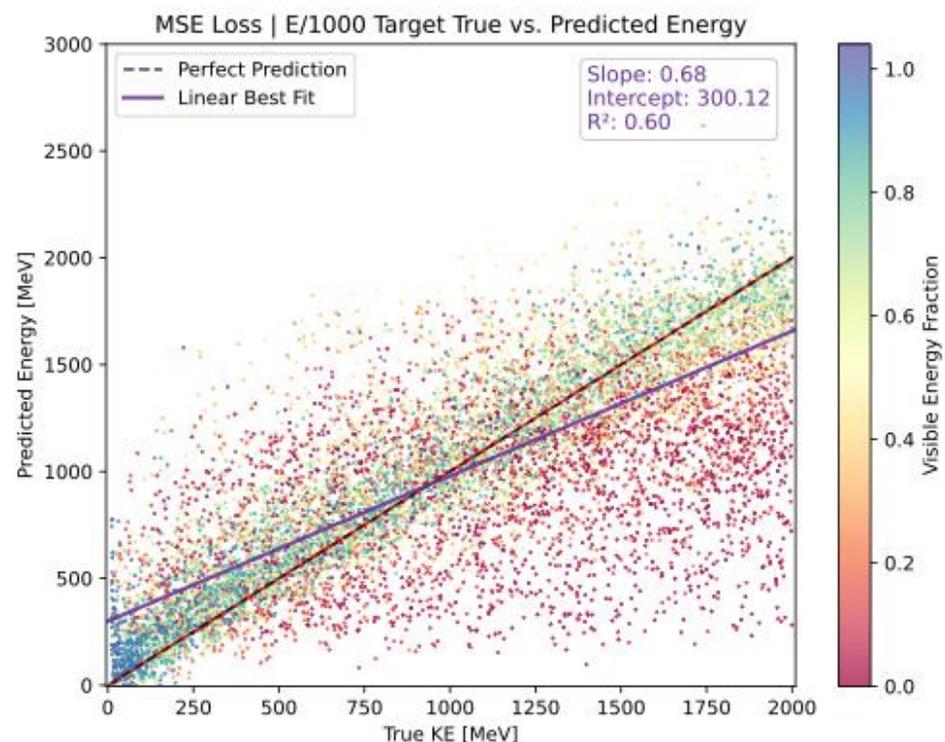
- Increasing visible energy fraction = closer to slope of 1, lower offset (intercept)
- High VE bins over predict



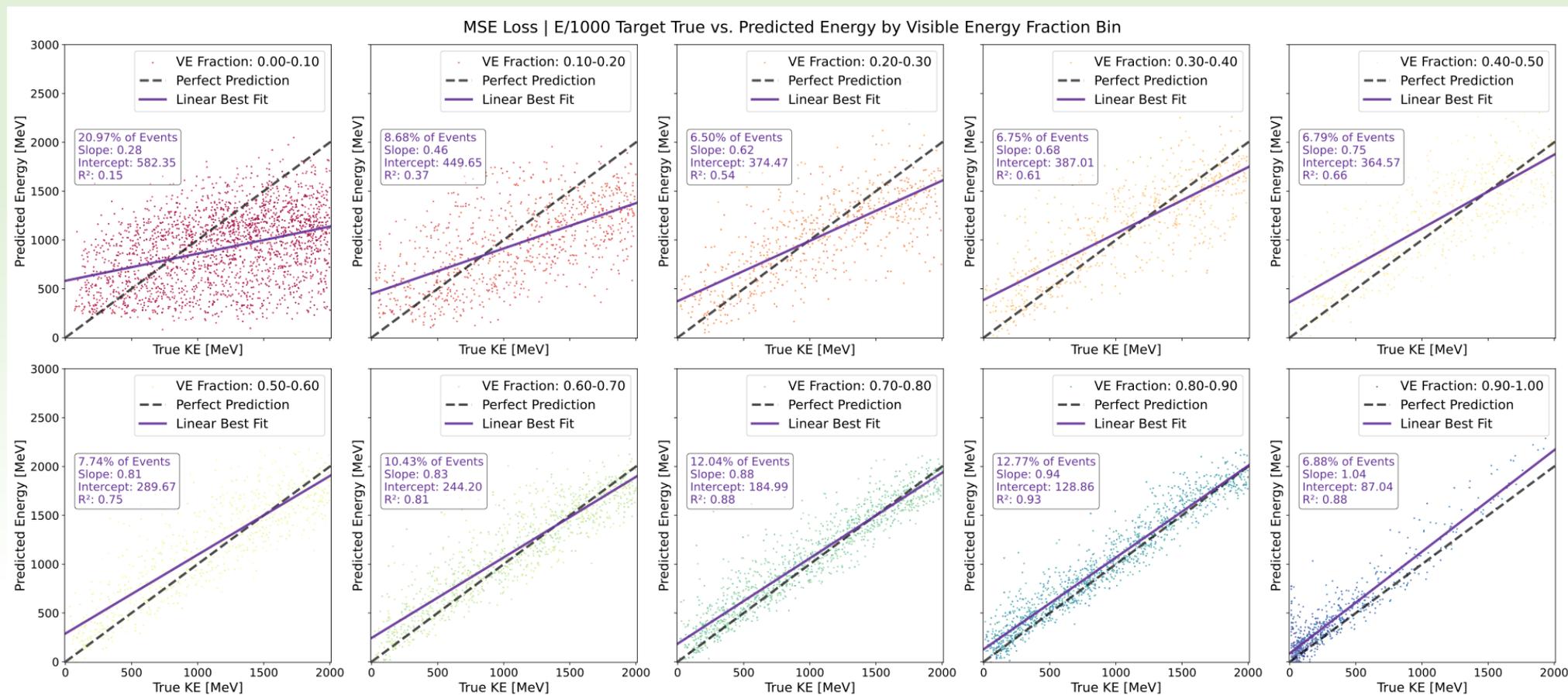
Comparing Models – By True Energy Bin



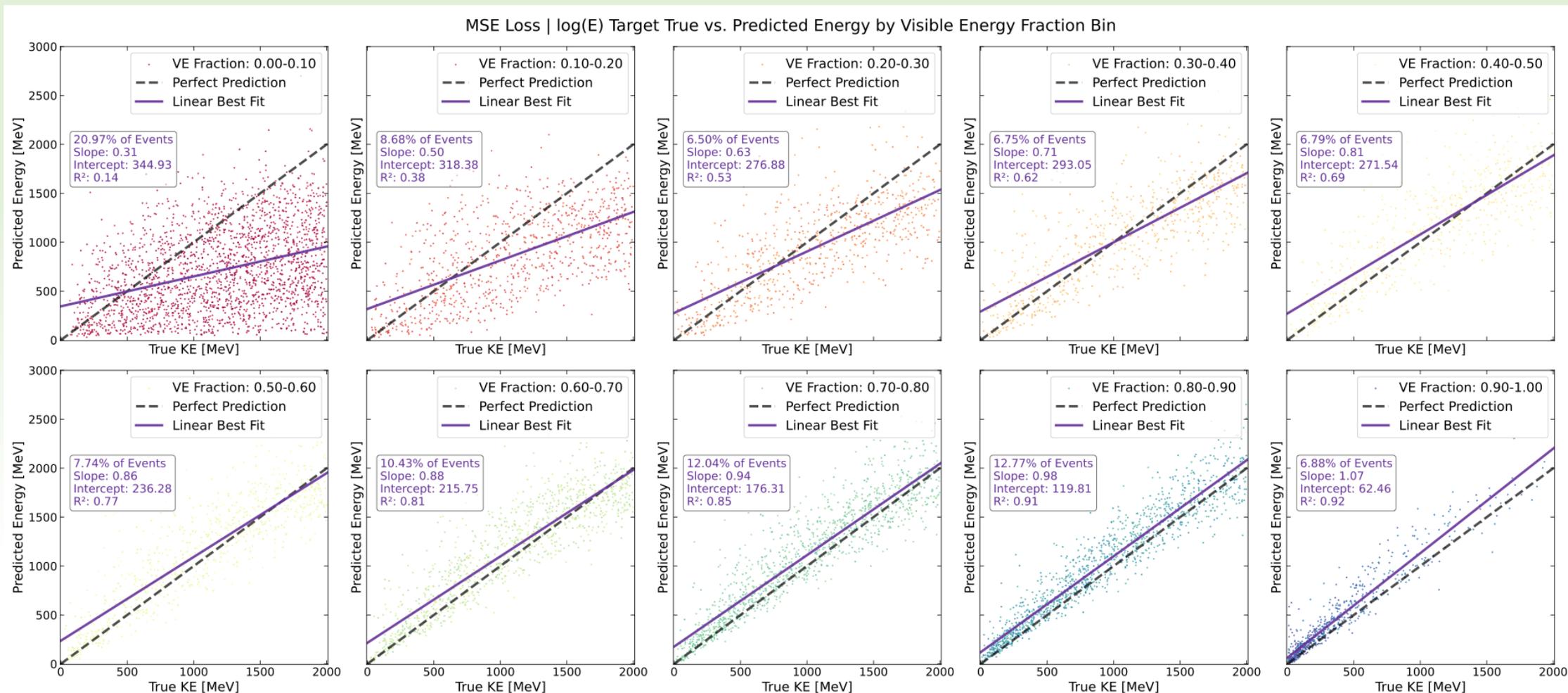
MSE Loss, E/1000 Target vs. log(E) Target



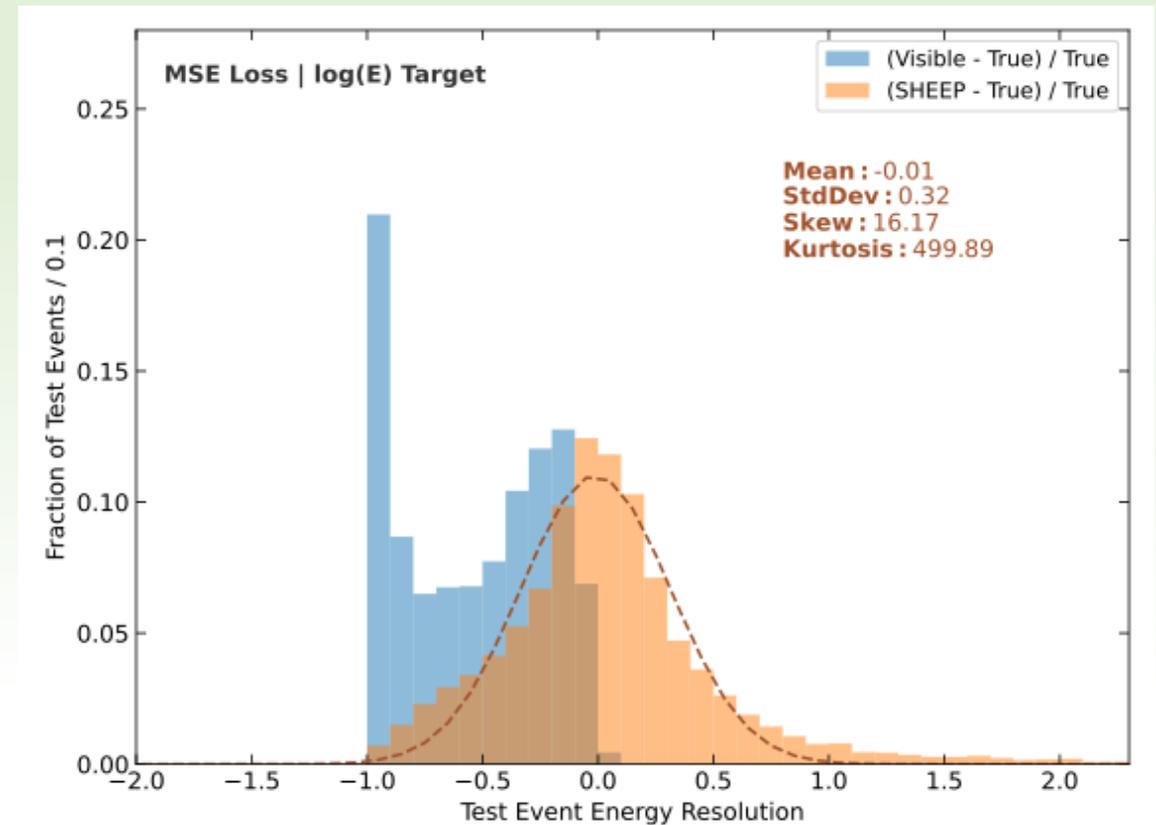
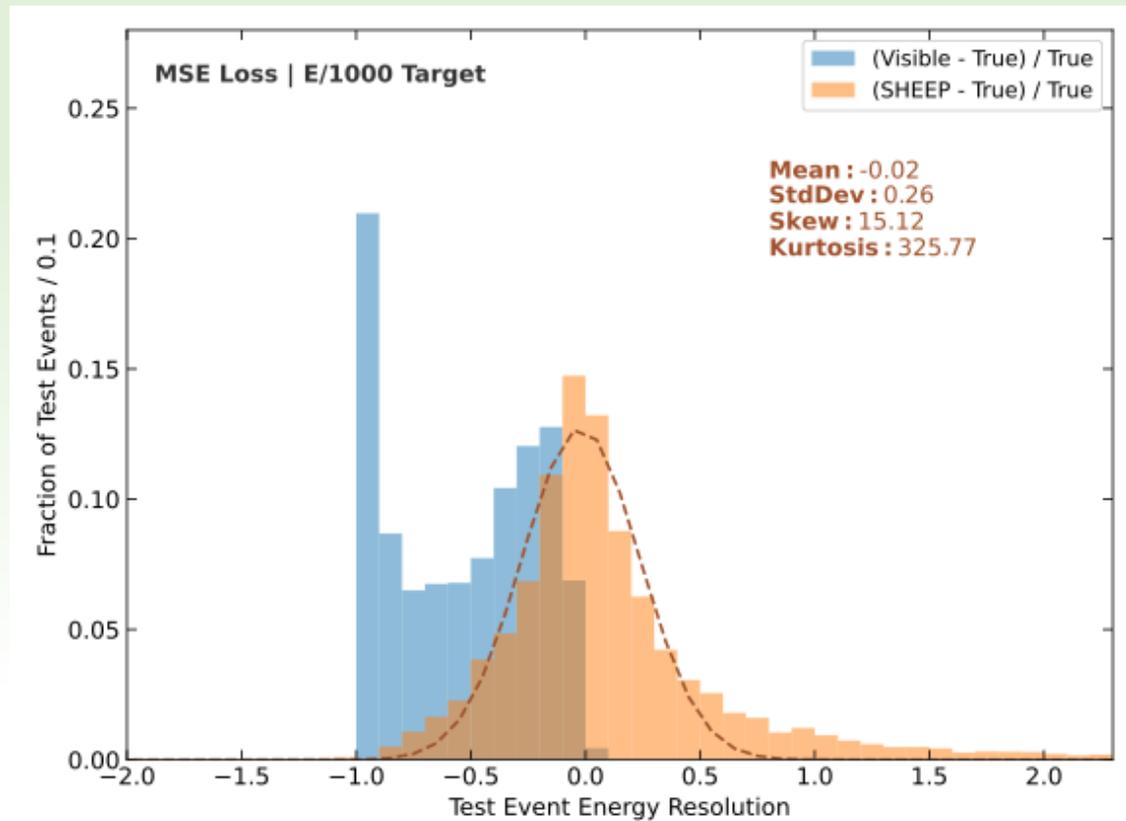
MSE Loss, **E/1000 Target** vs. $\log(E)$ Target



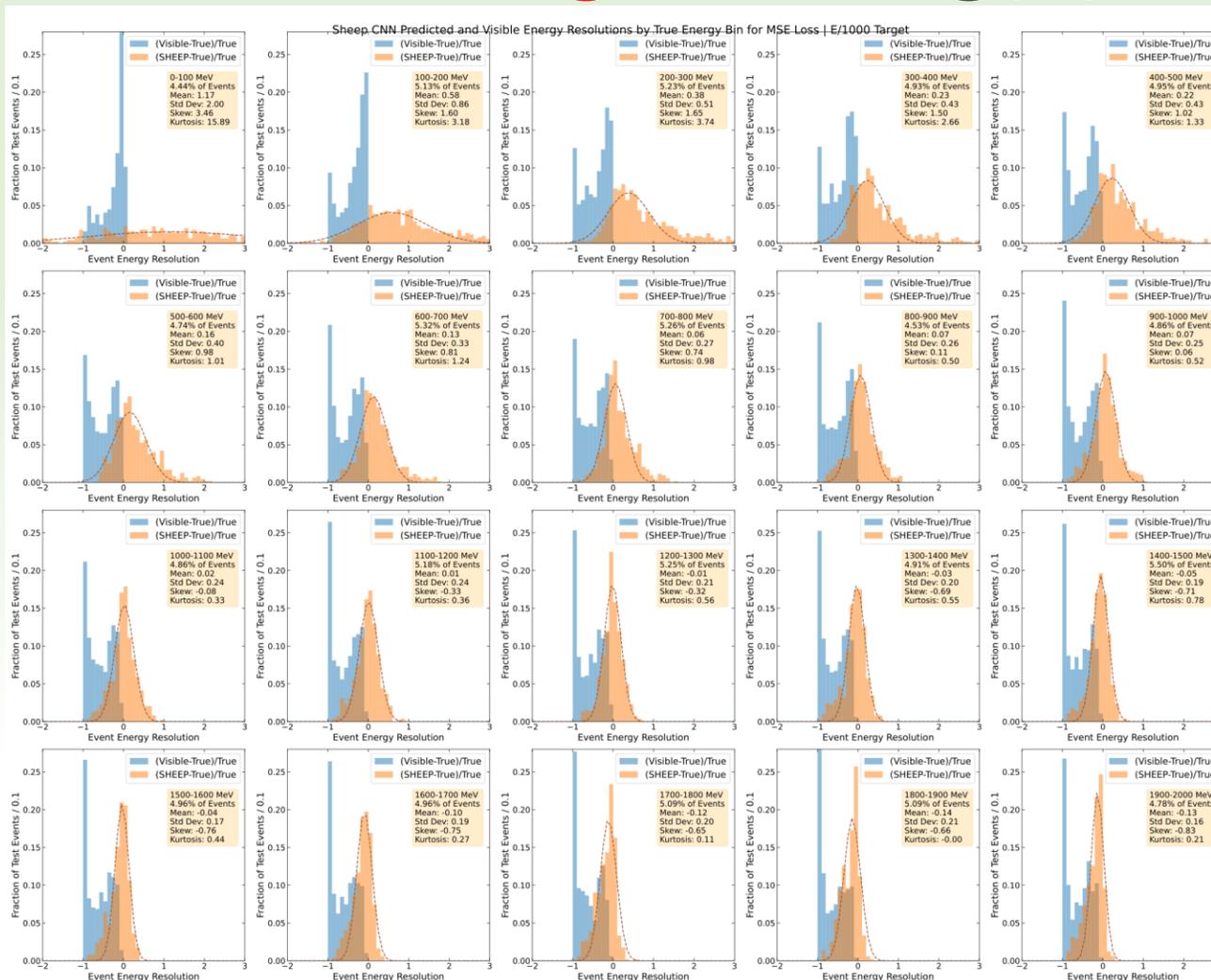
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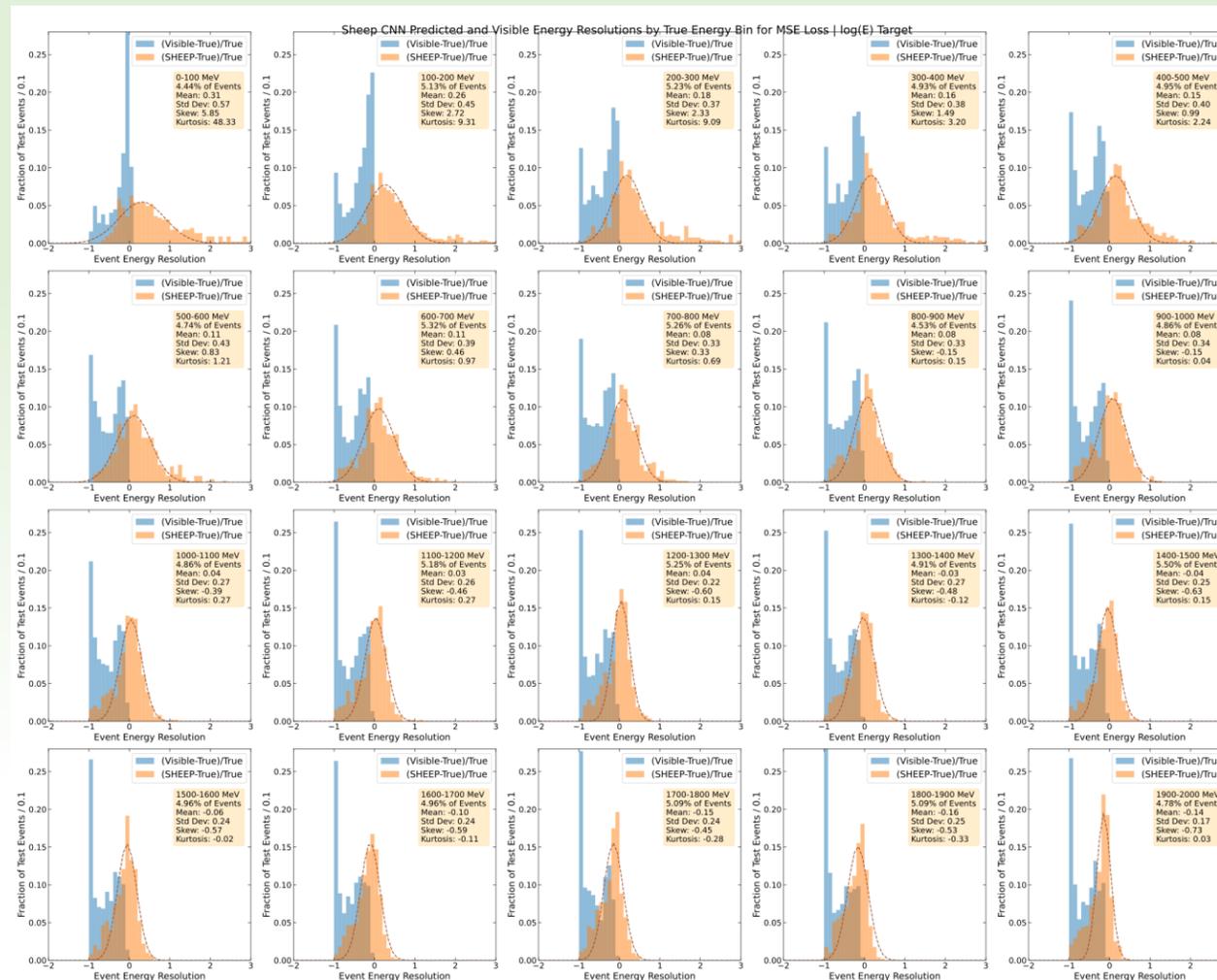
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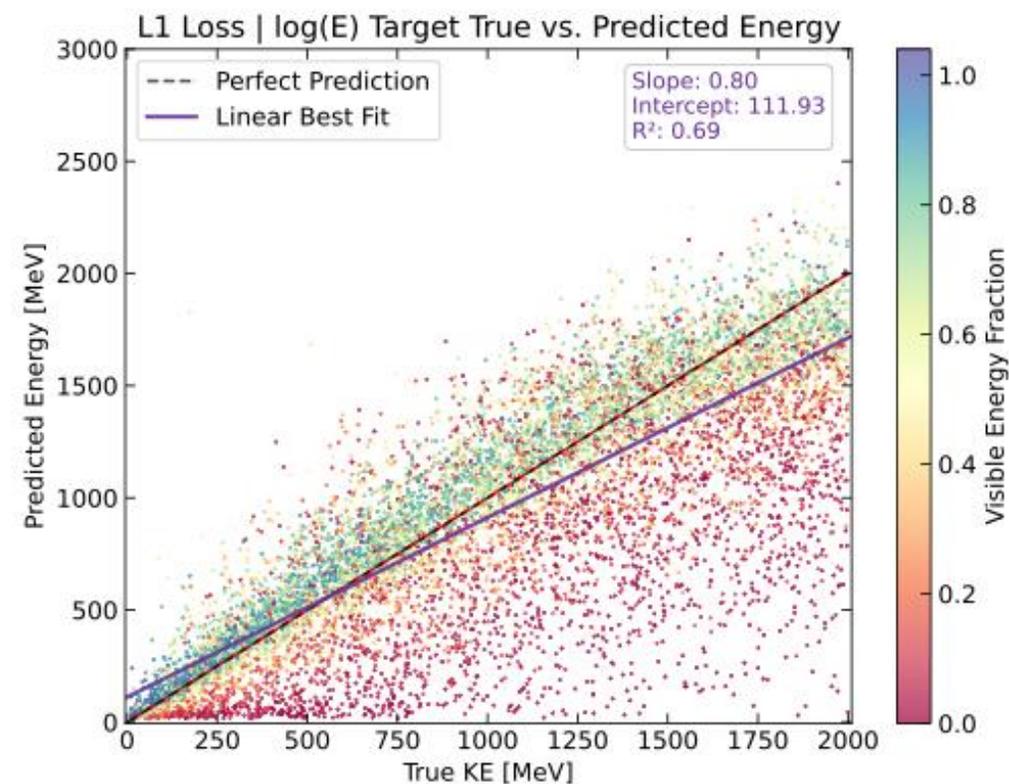
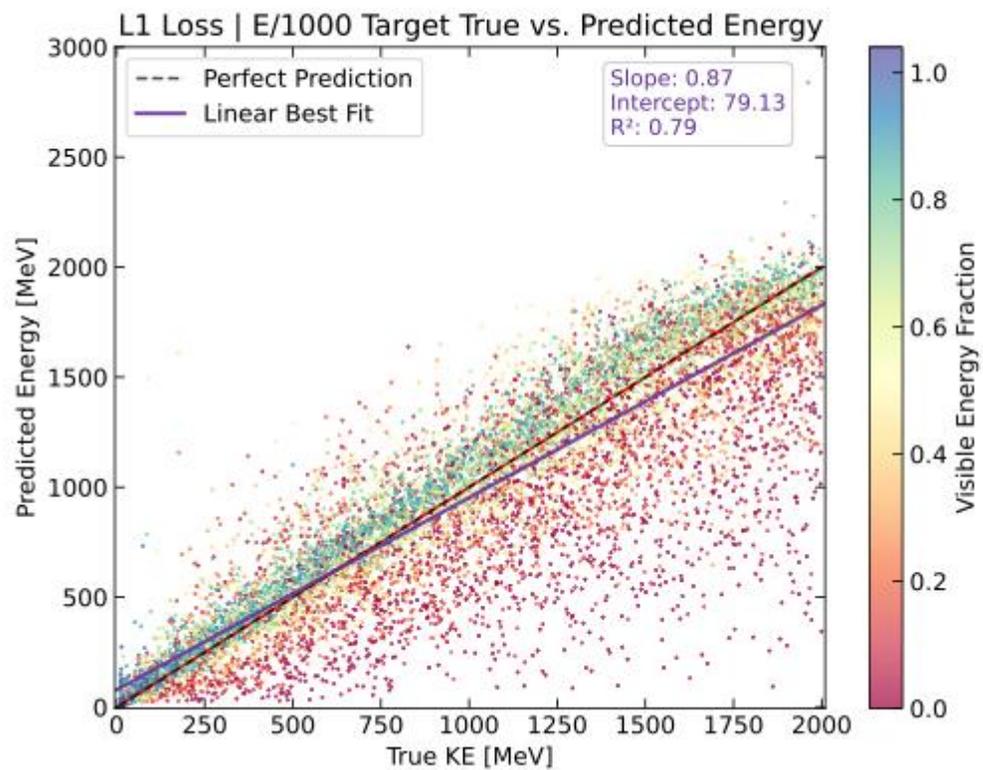
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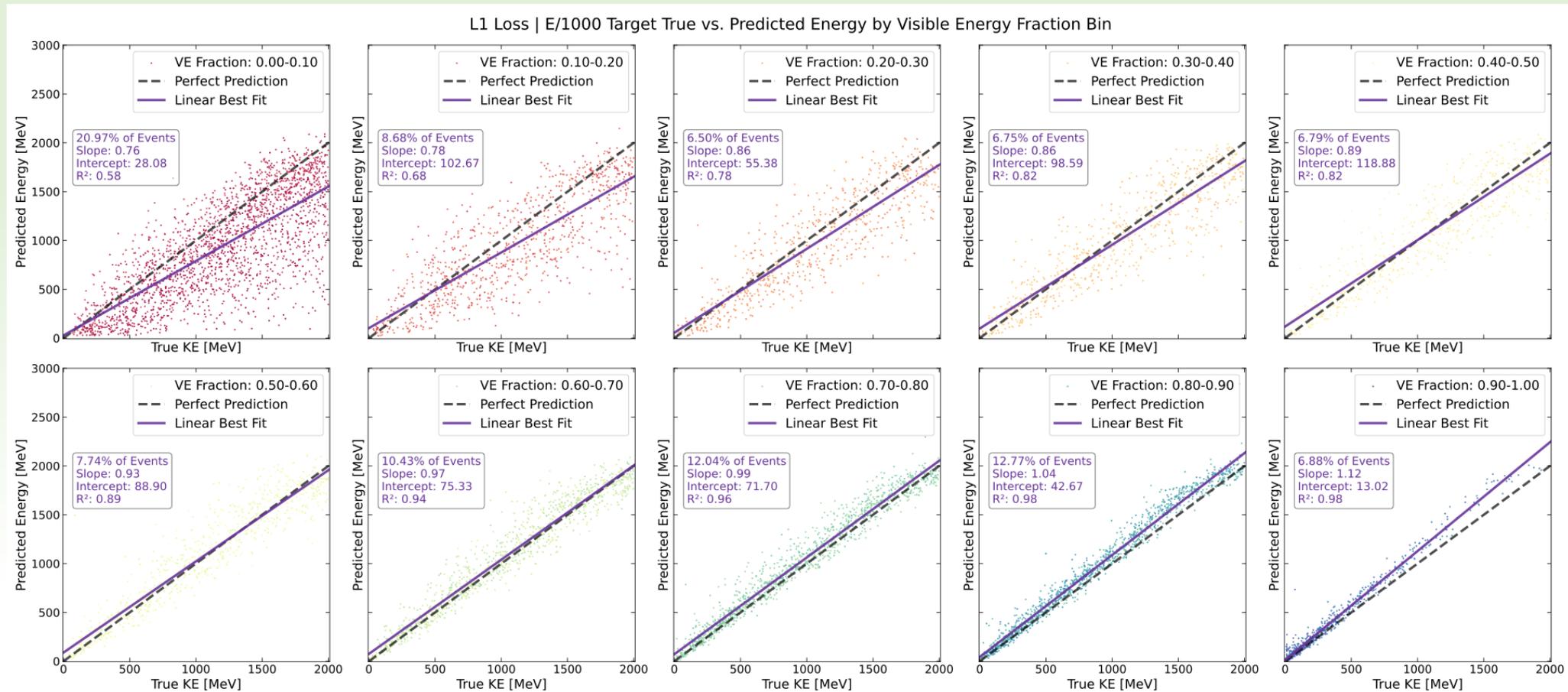
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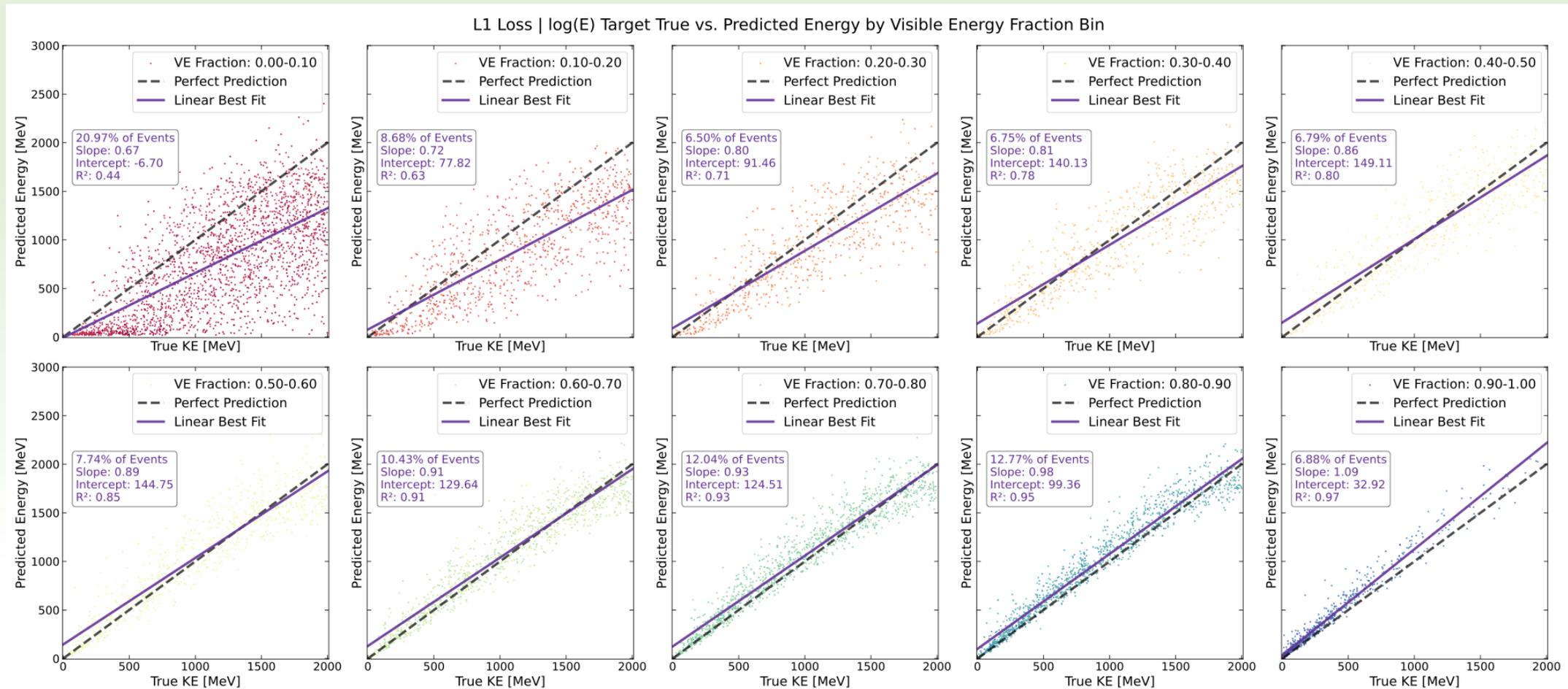
L1 Loss, E/1000 Target vs. log(E) Target



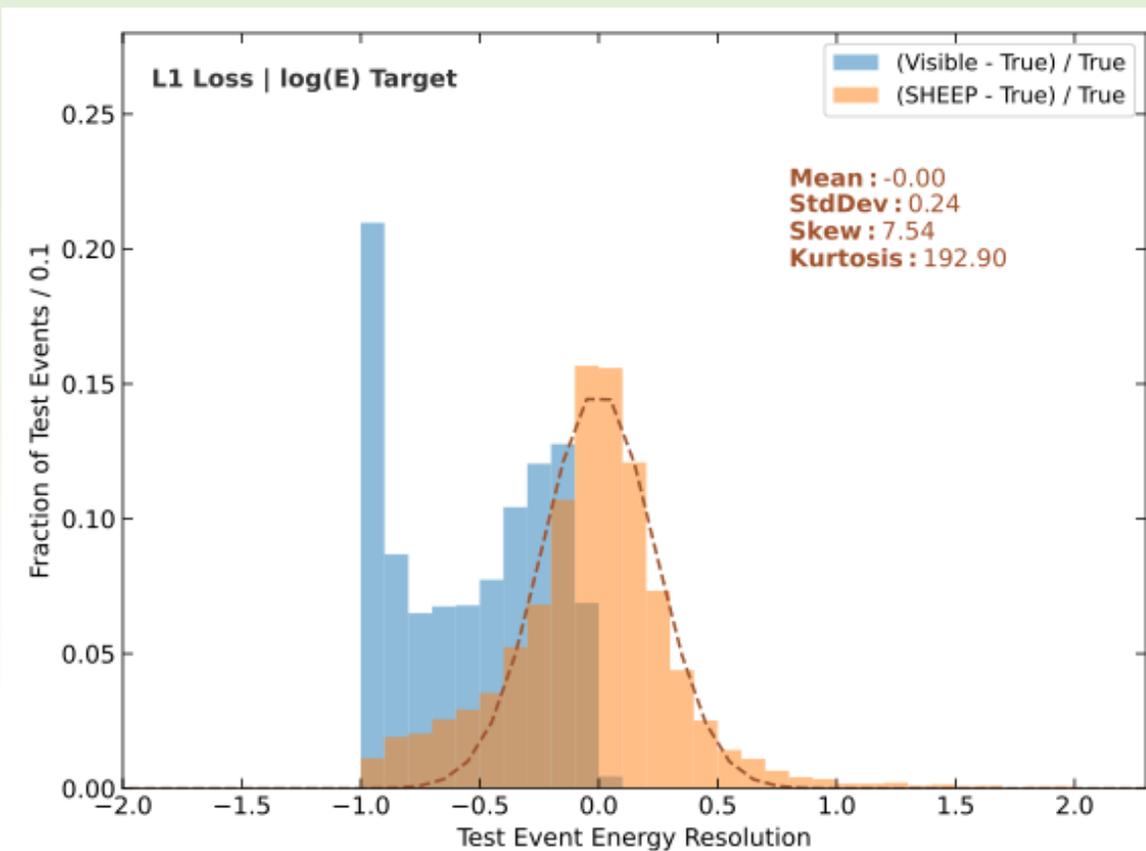
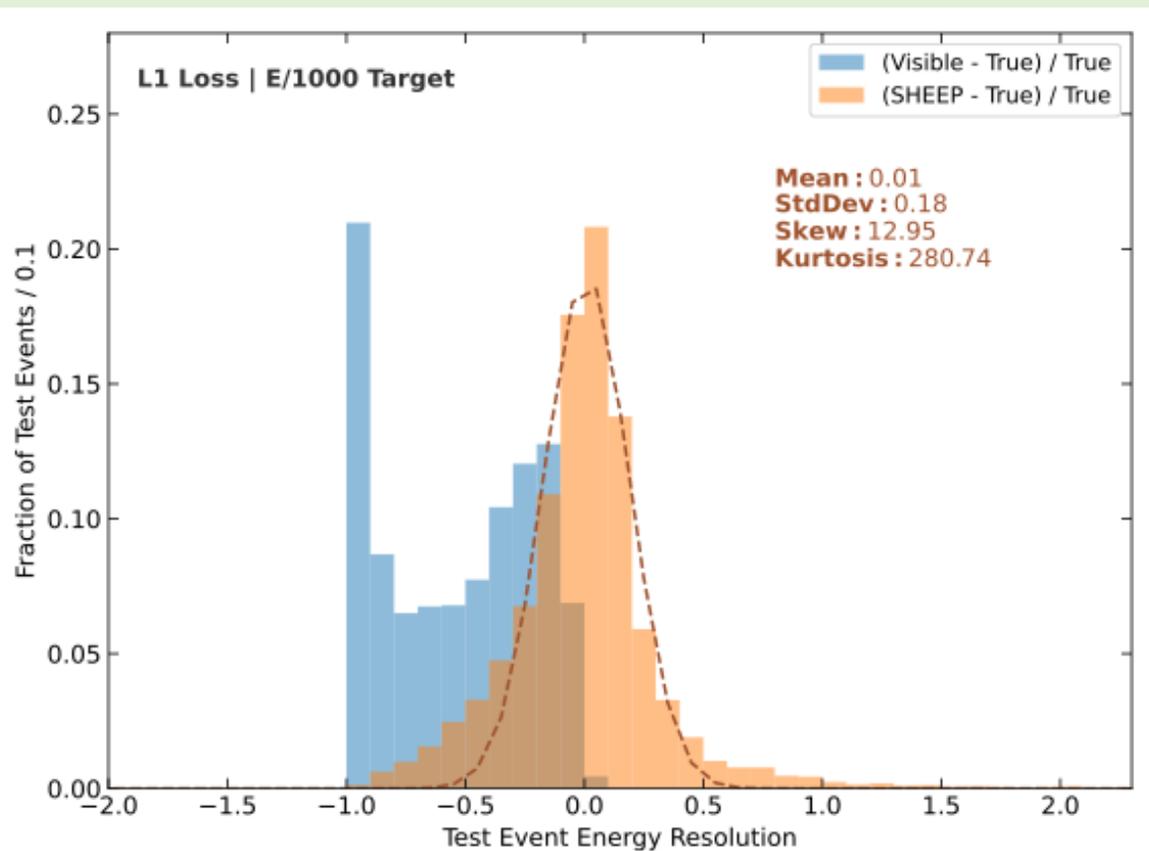
L1 Loss, **E/1000 Target** vs. $\log(E)$ Target



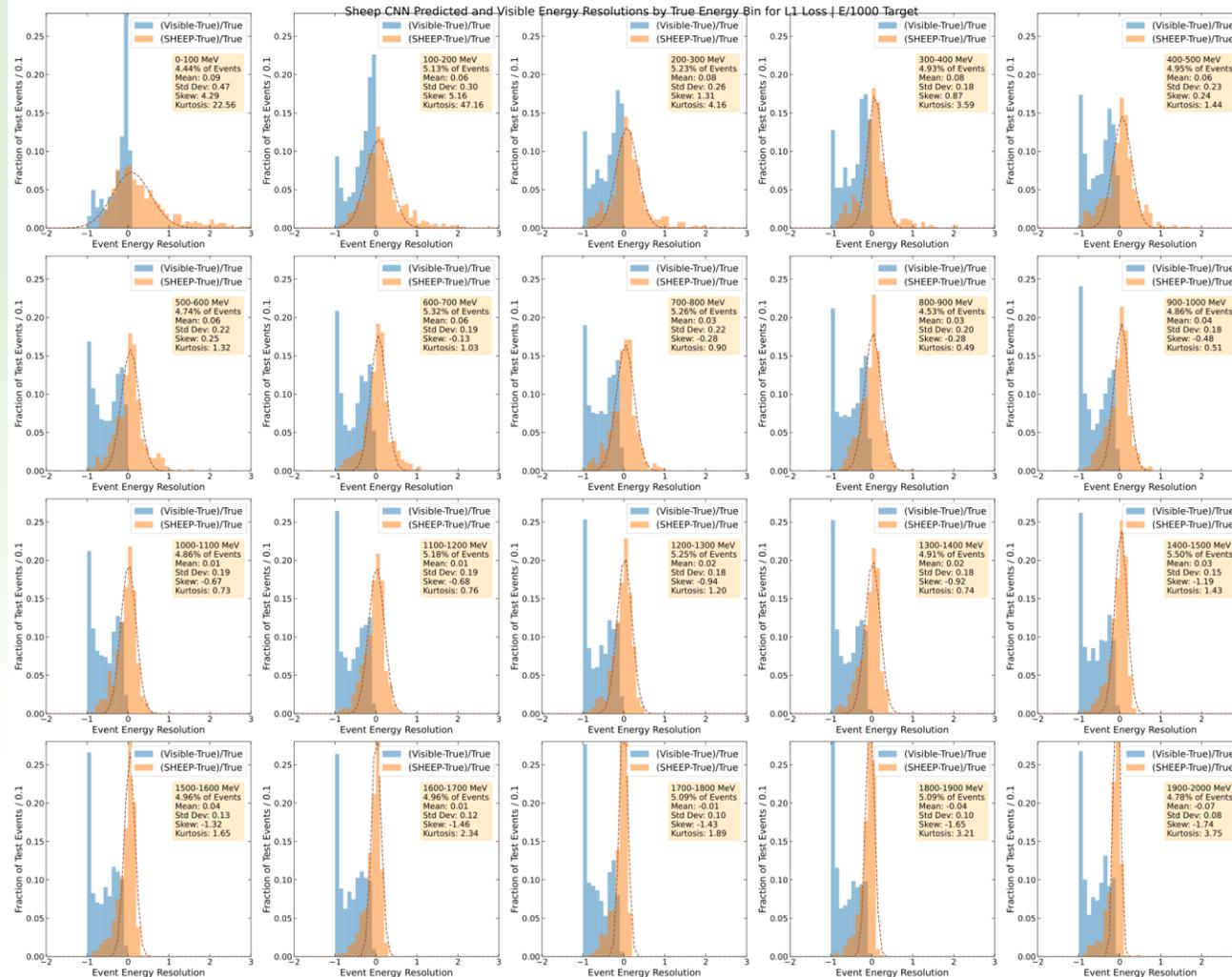
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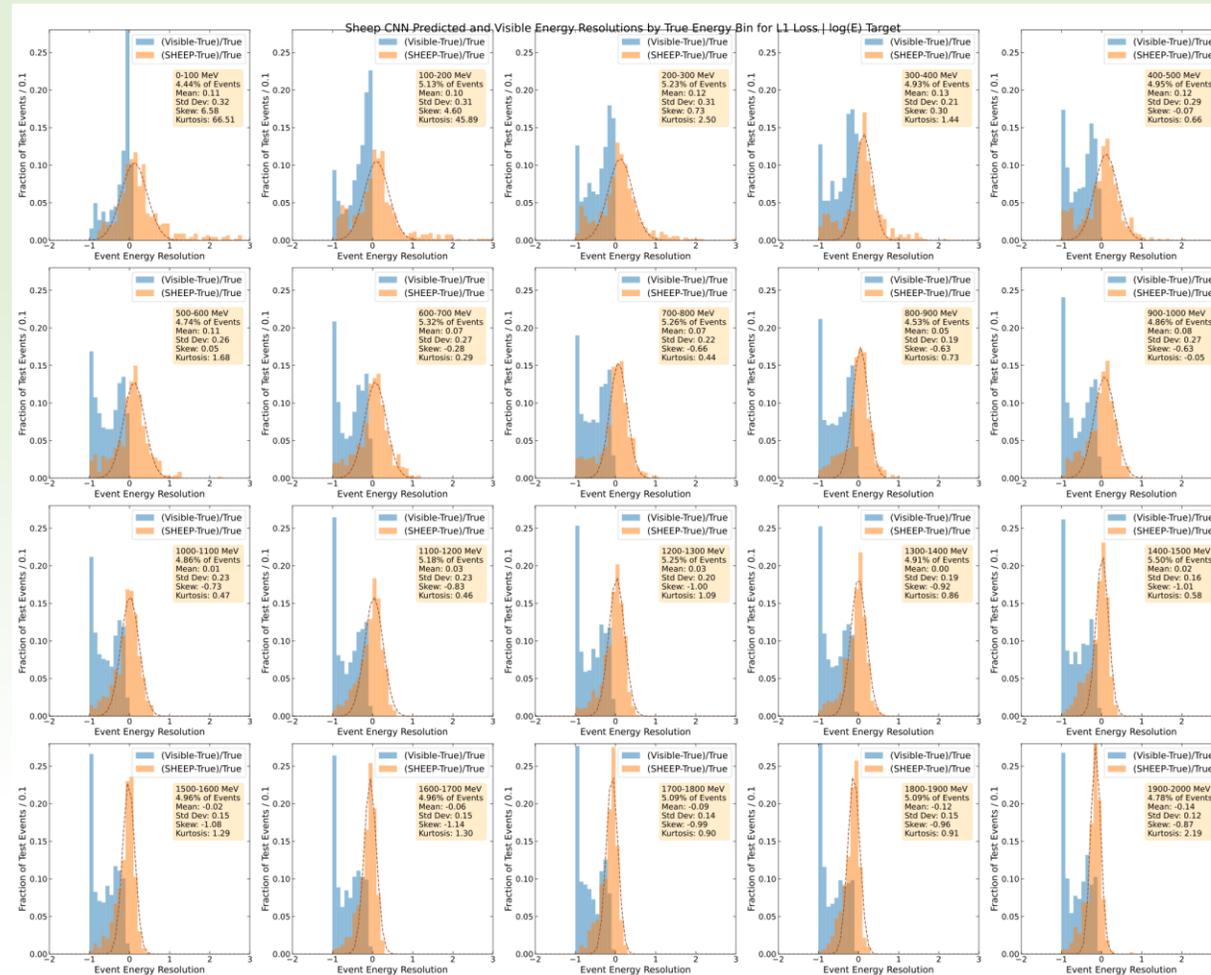
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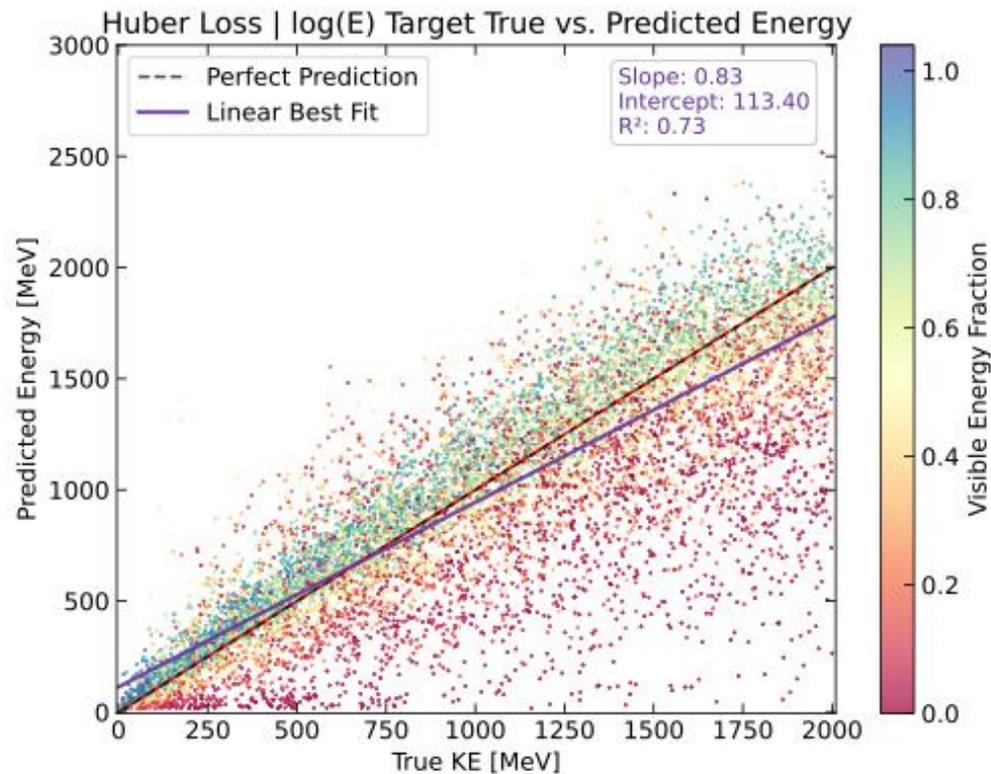
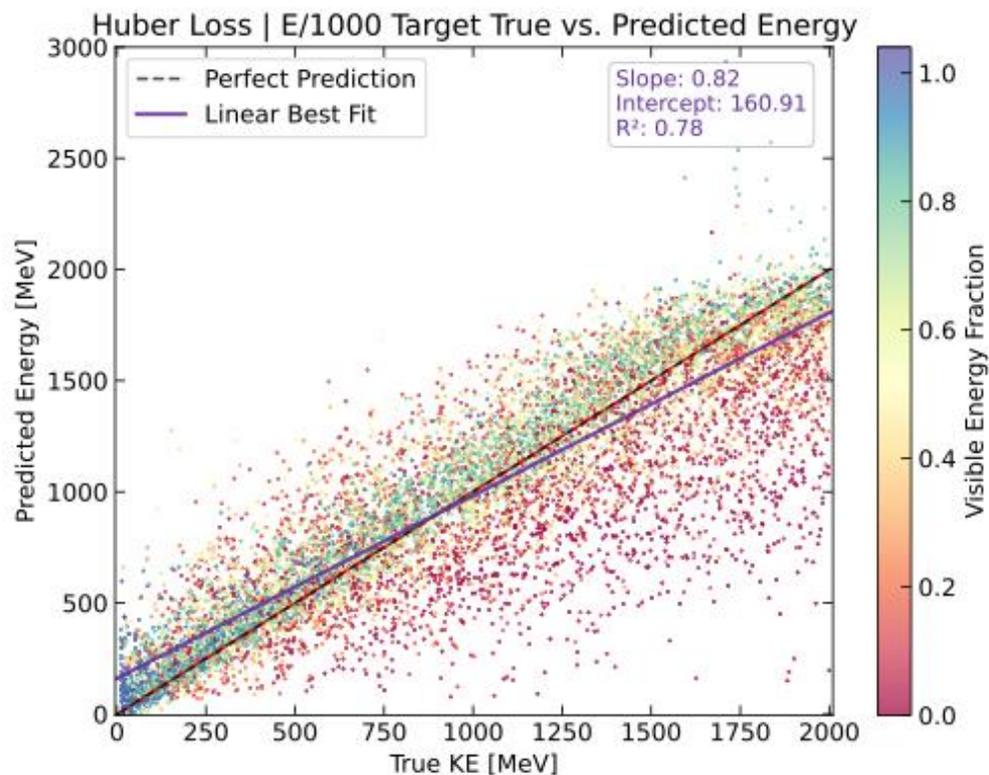
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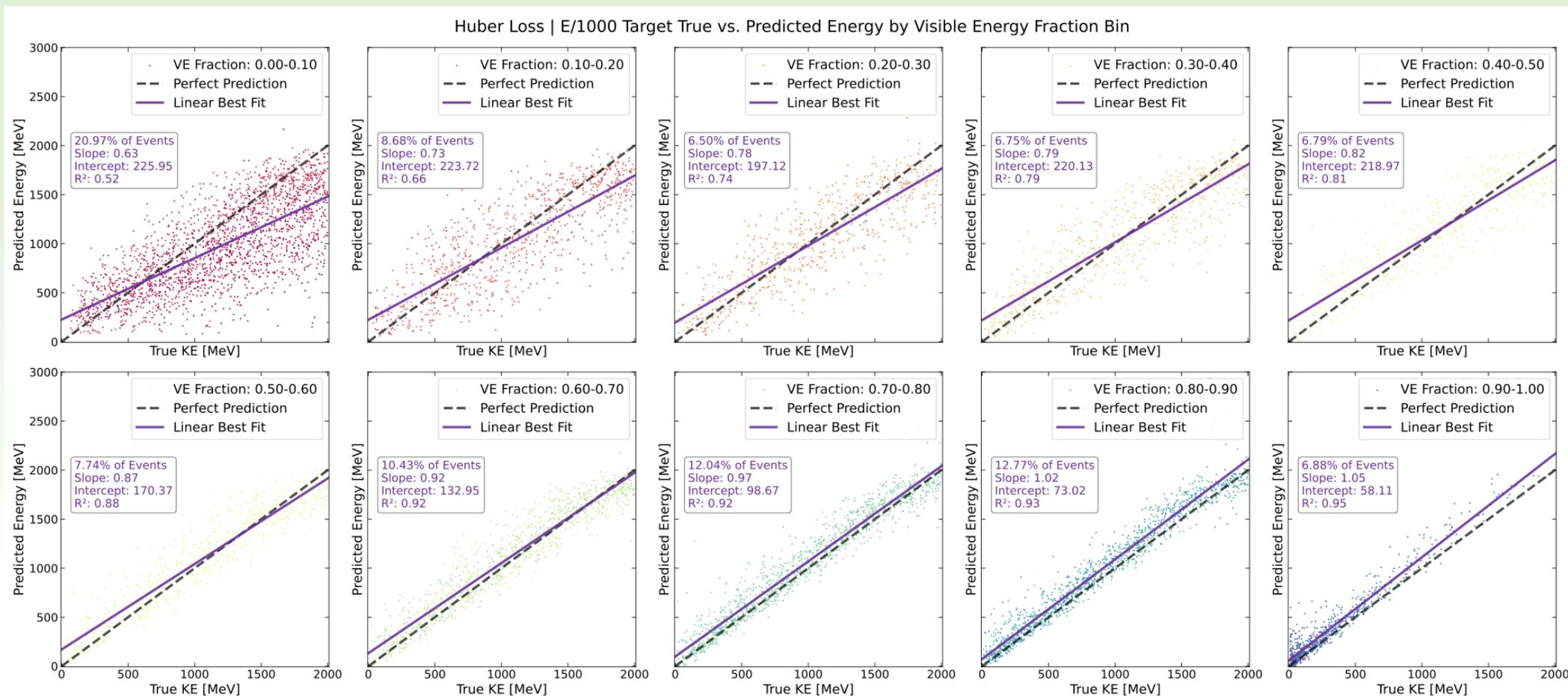
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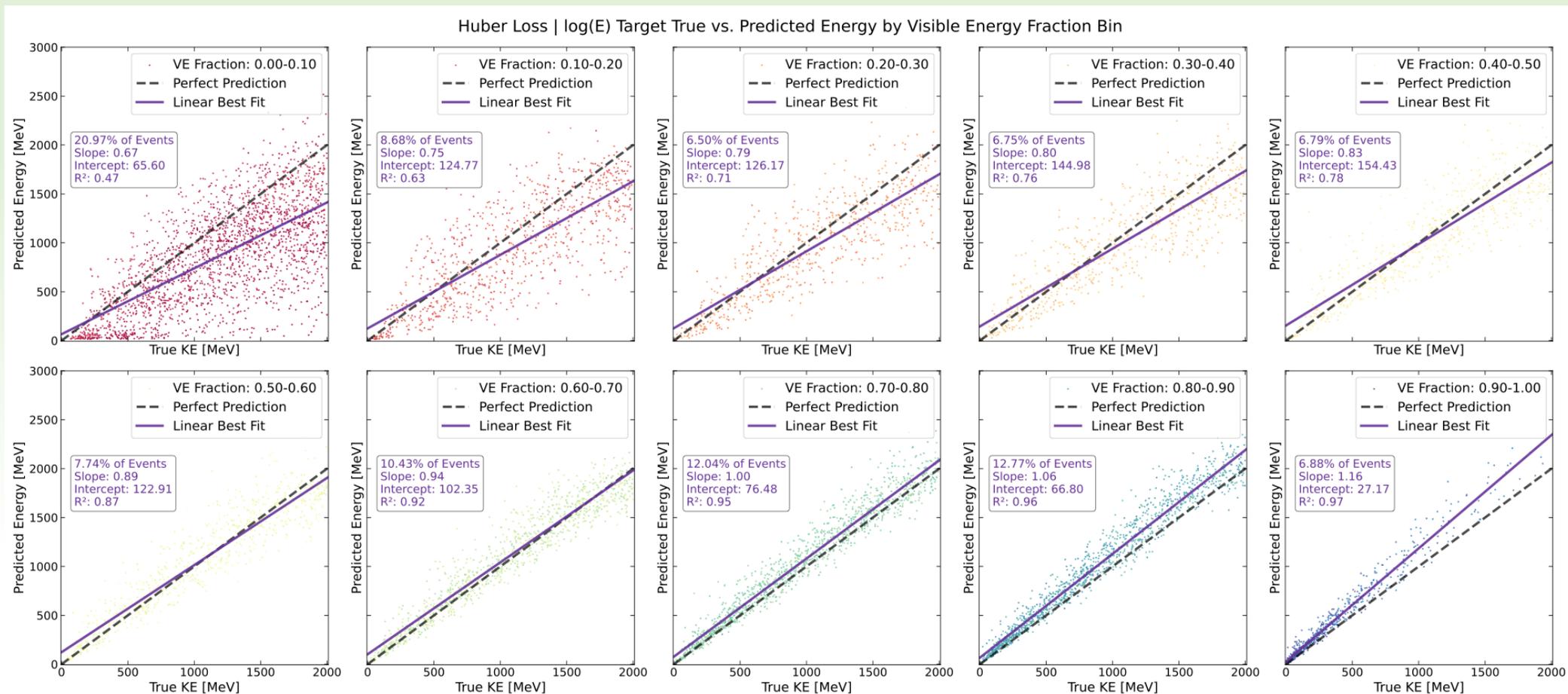
Huber Loss, E/1000 Target vs. log(E) Target



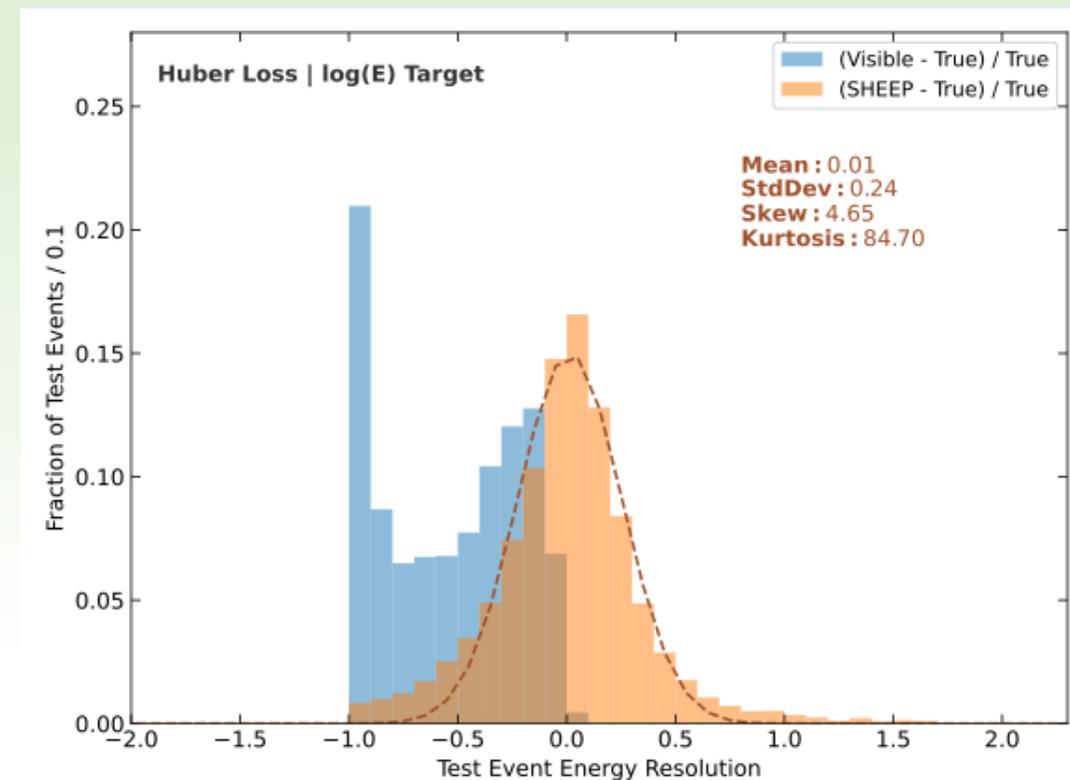
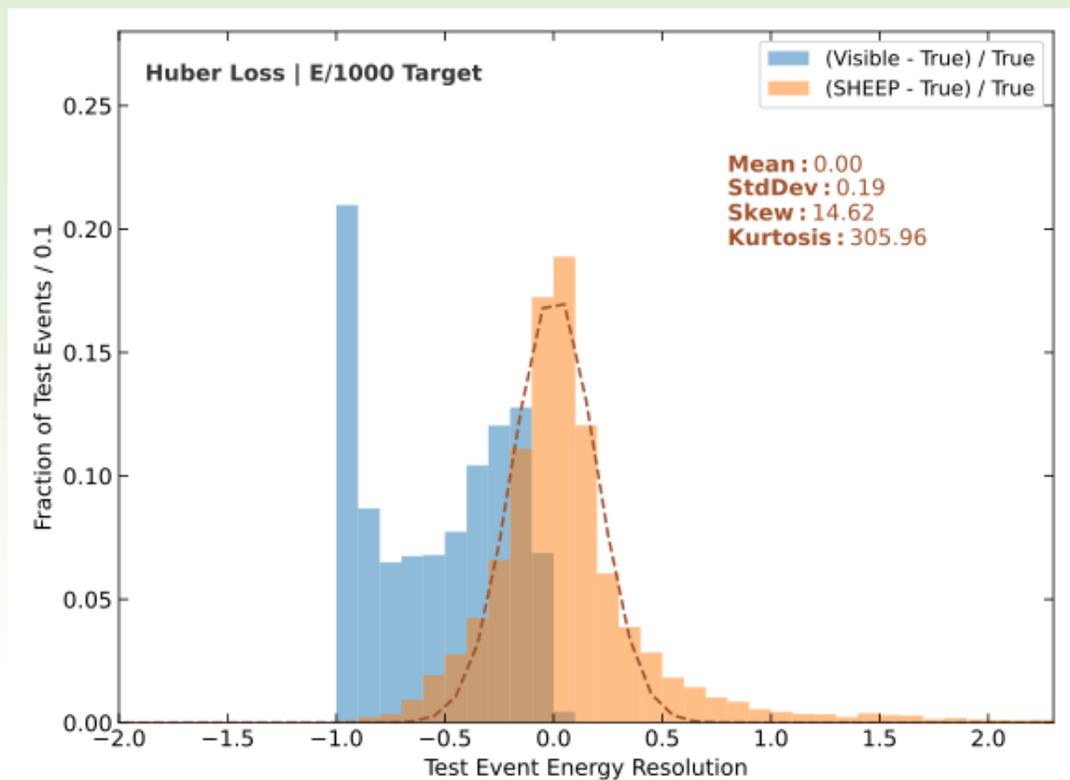
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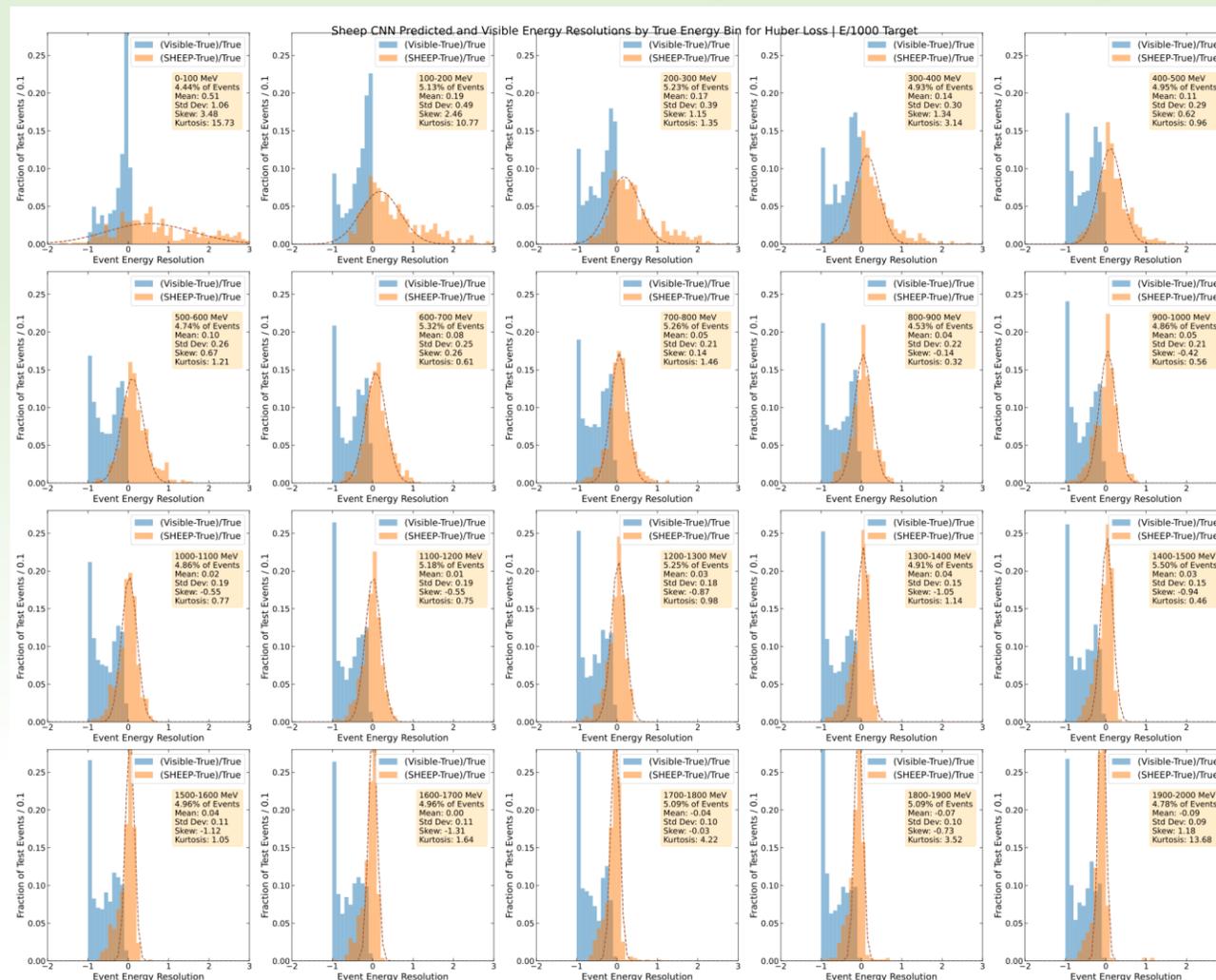
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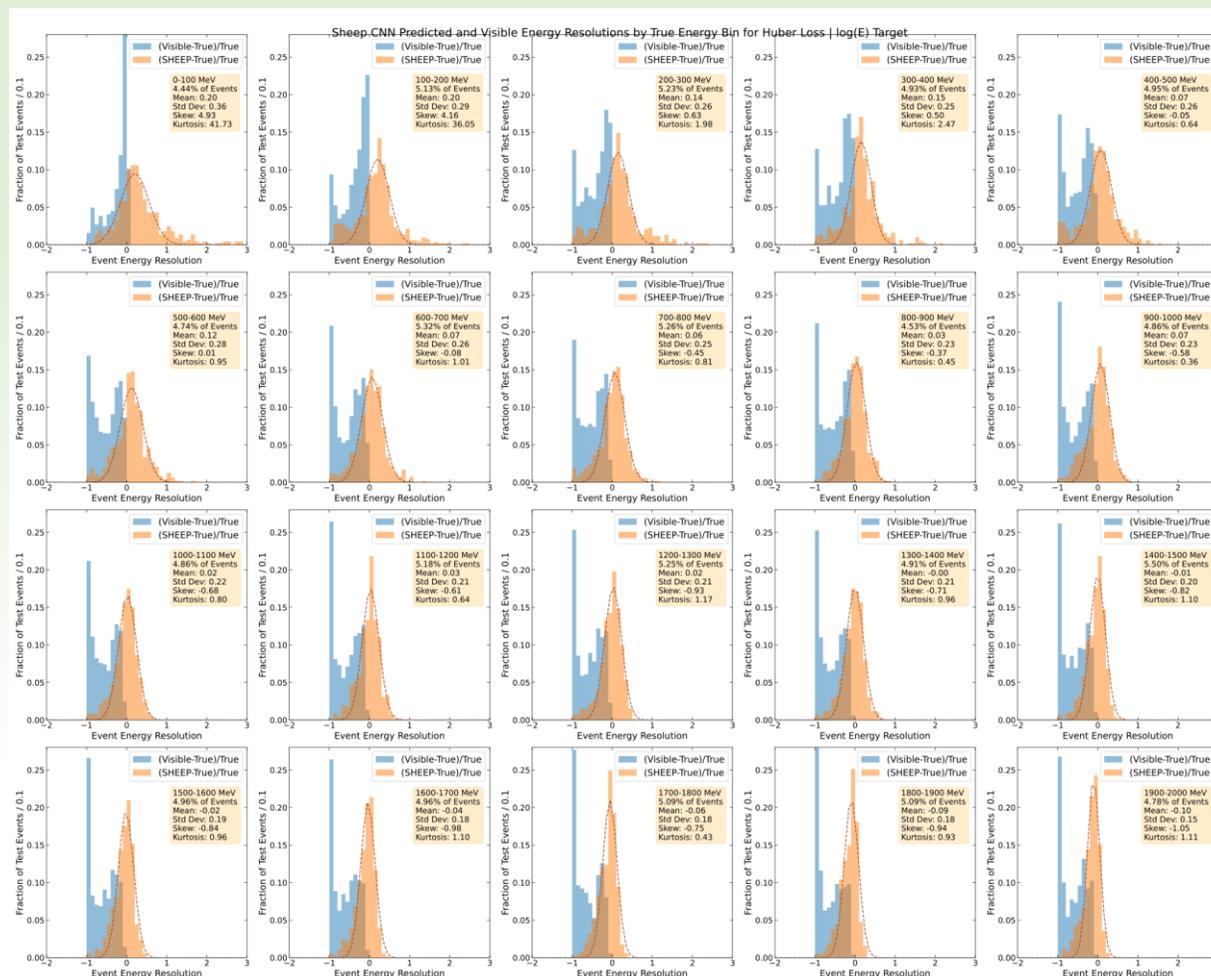
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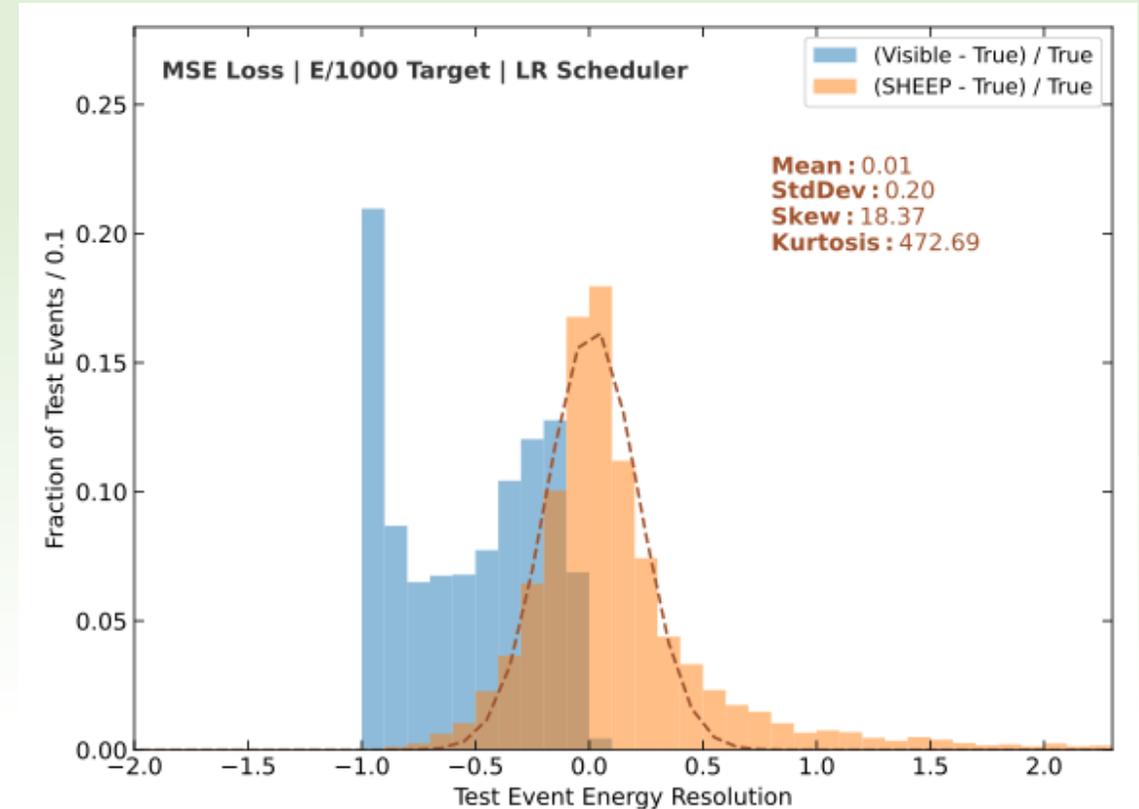
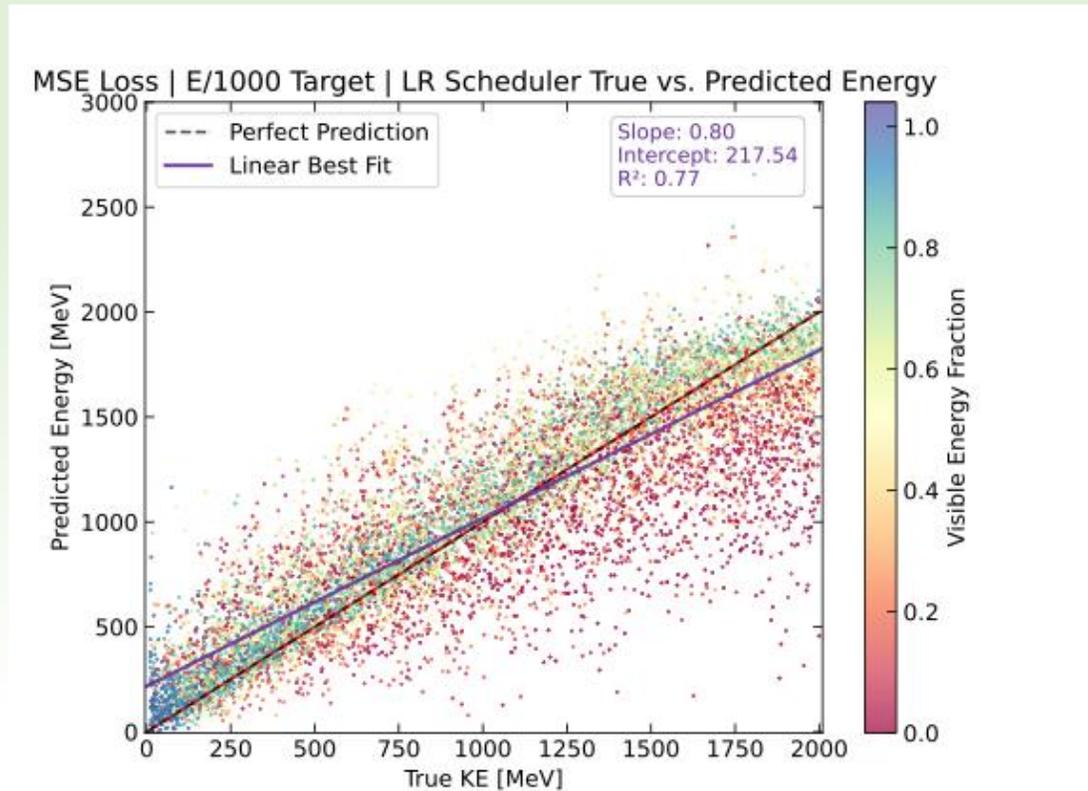
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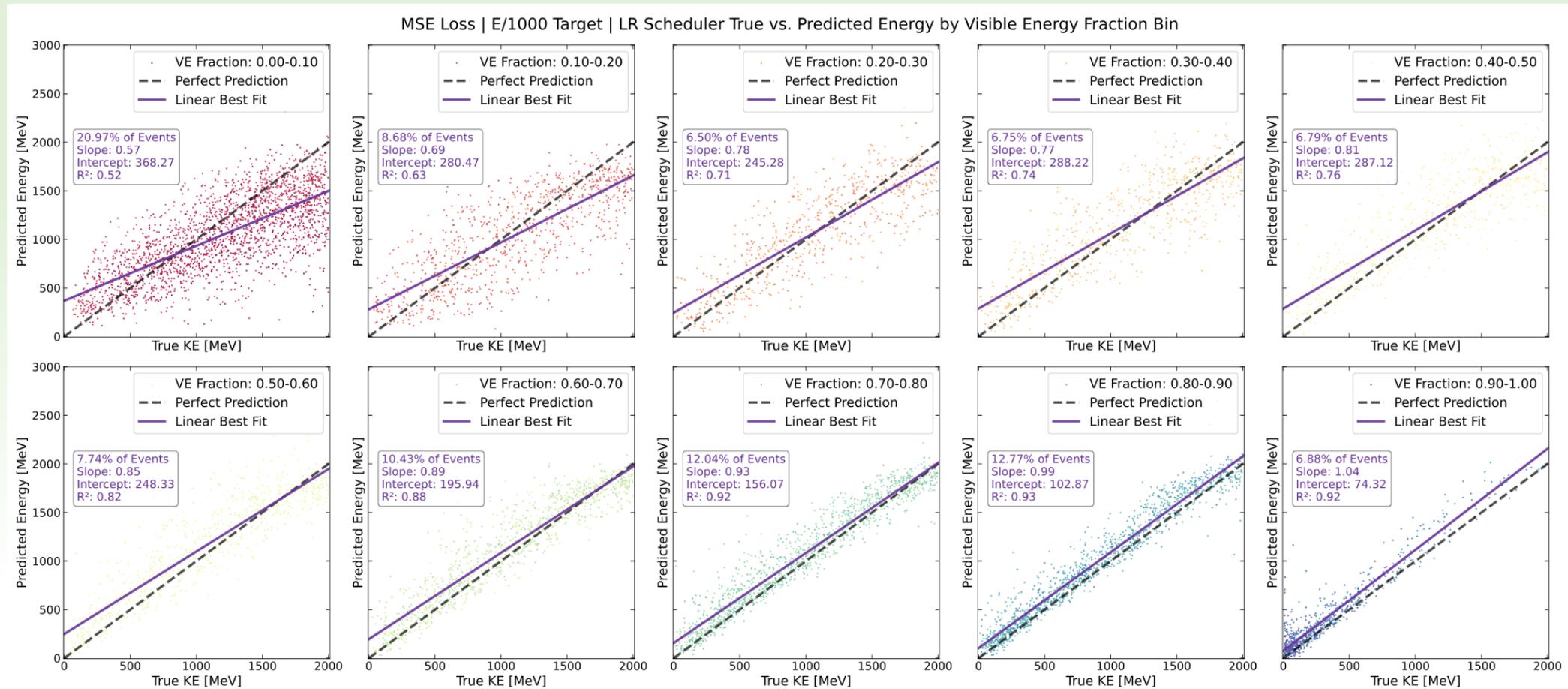
Huber Loss, $E/1000$ Target vs. $\log(E)$ Target



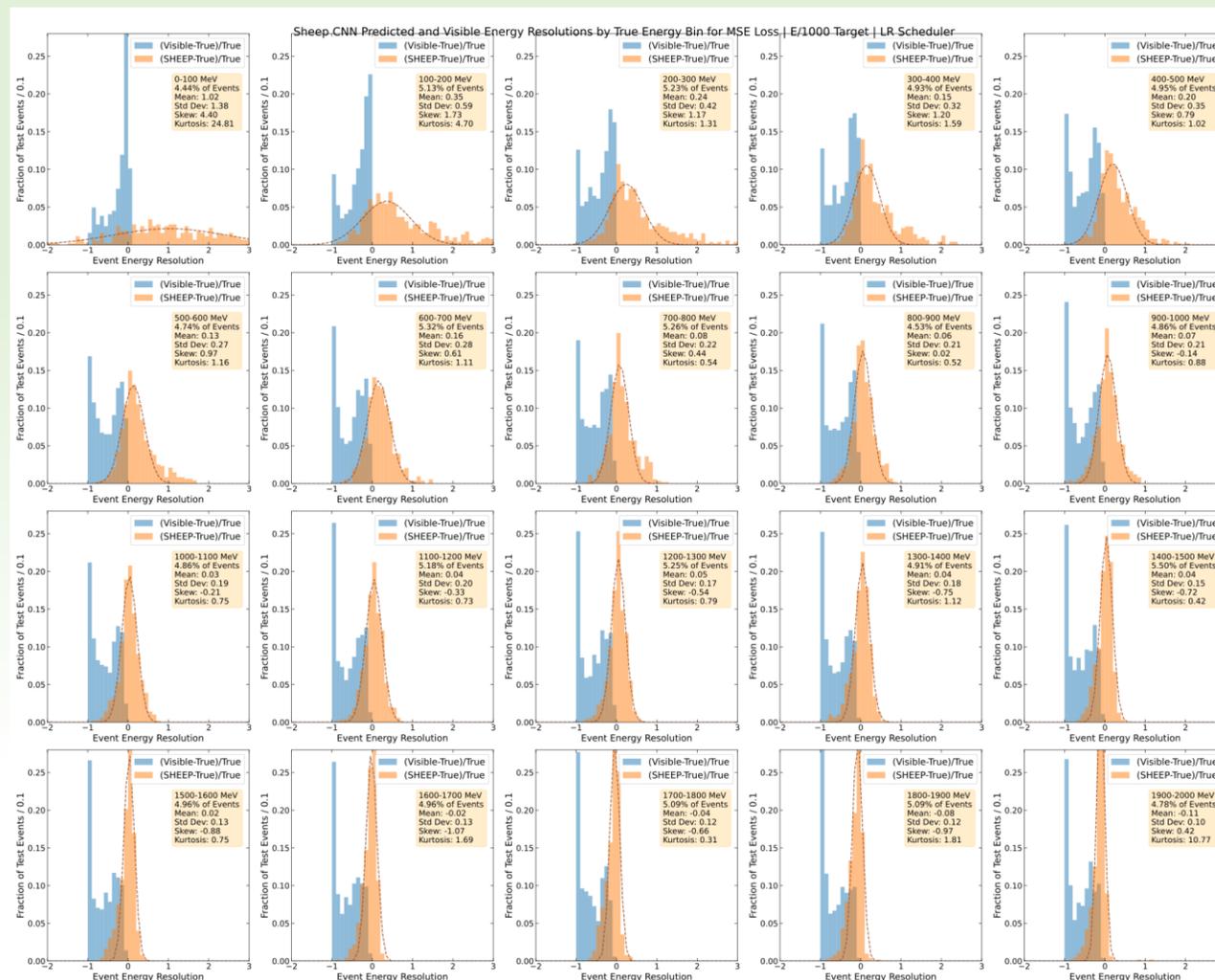
MSE Loss, E/1000 Target w/ LR Increase >20 ep.



MSE Loss, **E/1000 Target** w/ LR Increase >20 ep.



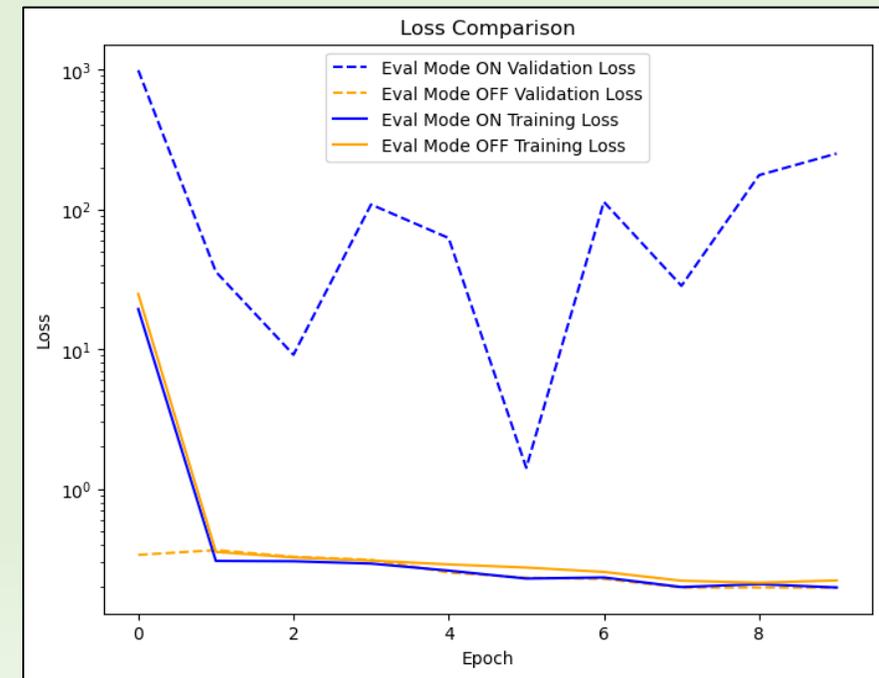
MSE Loss, E/1000 Target w/ LR Increase >20 ep.



Backup

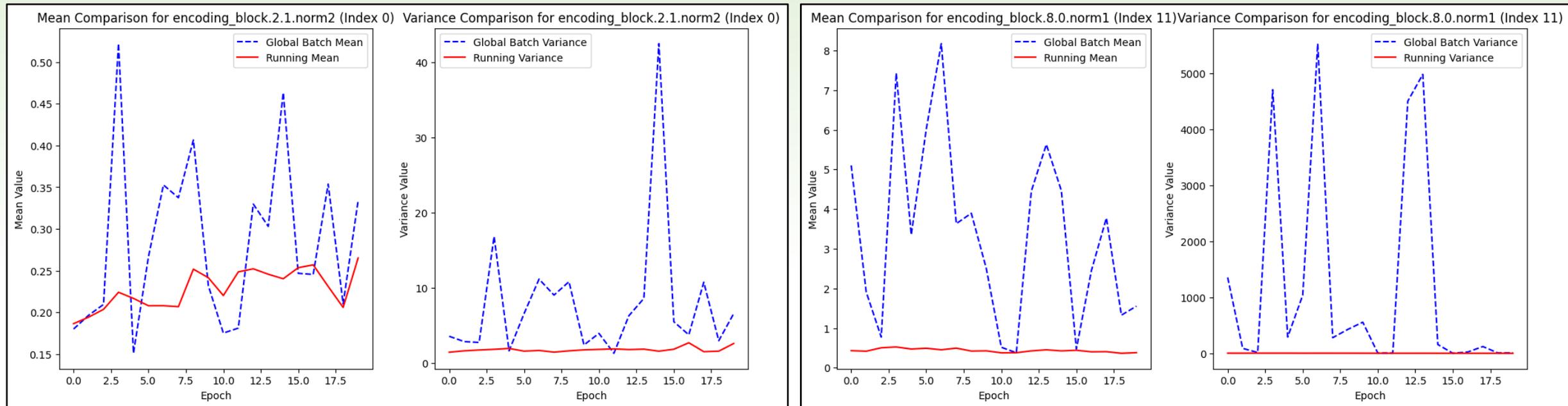
SHEEP MODEL

- Validation loss instability seems to be caused by difference in how **batch normalization layers** are treated in training vs. validation
 - Comes down to a normalization being done with running mean/variance vs. mean/variance calculated per batch (e.g. small sample vs. “full” sample)
- Fixed validation loss issue!



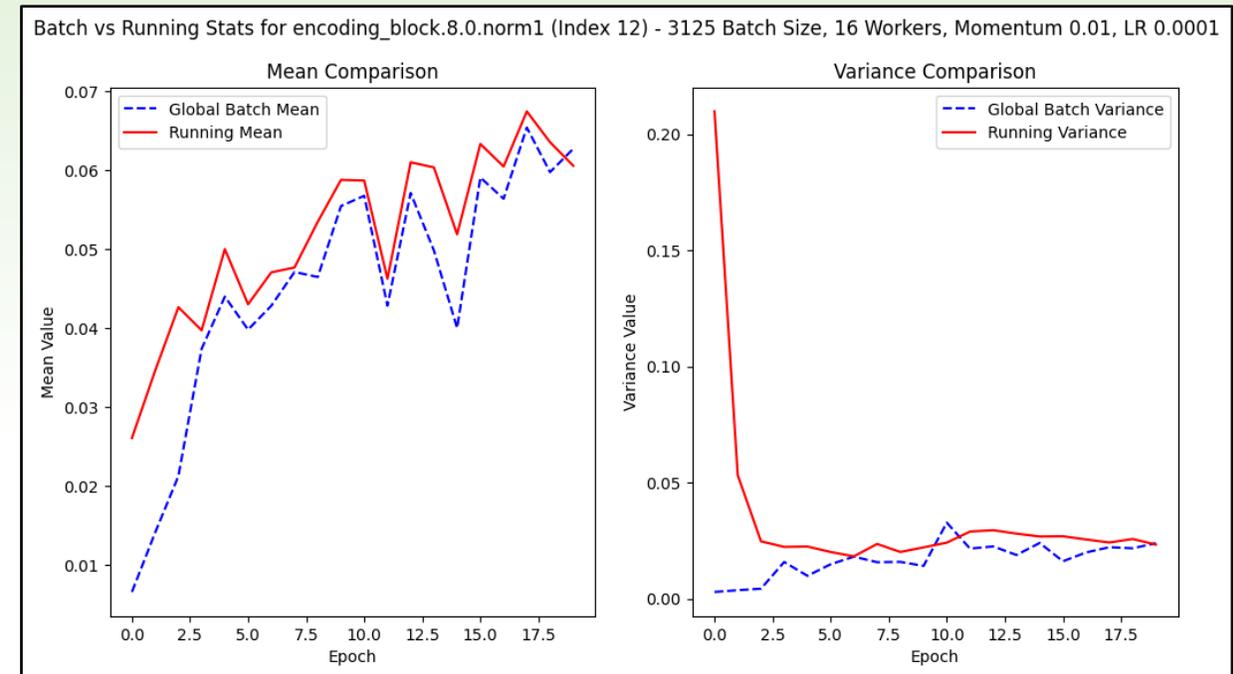
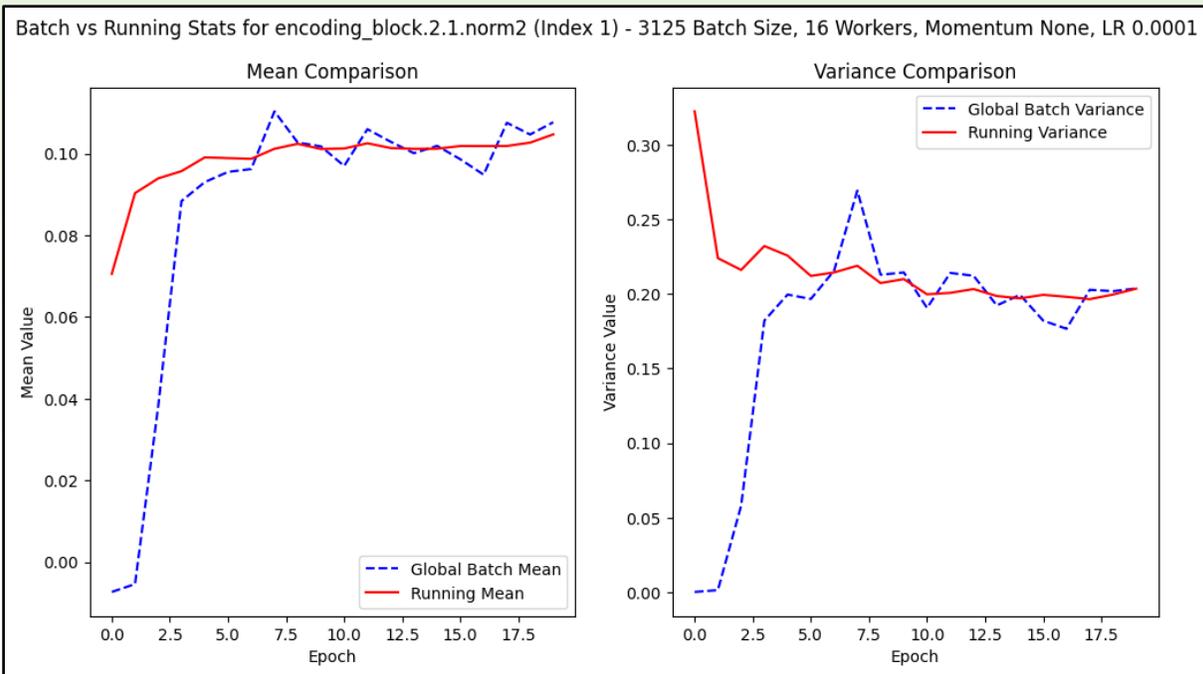
Pre-Fix Batch vs. Population Stats

- Batch stats were quite different from population statistics (tried different variations of exponential moving average and simple moving average for population statistics)



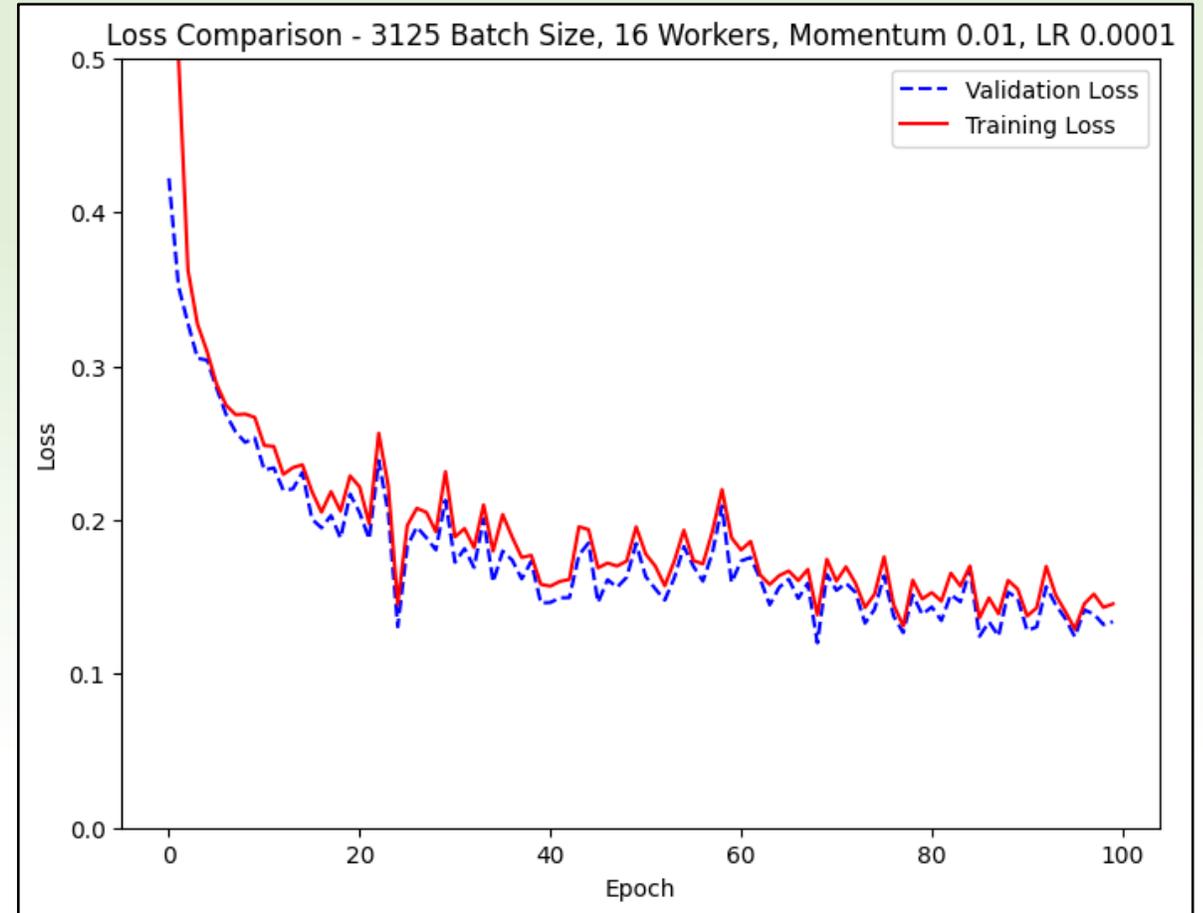
Post-Fix Batch vs. Population Stats

- In addition to exp. moving avg momentum = 0.01, fix involves:
 - Batch size 200 \rightarrow \sim 3000
 - Learning rate 0.001 \rightarrow 0.0001

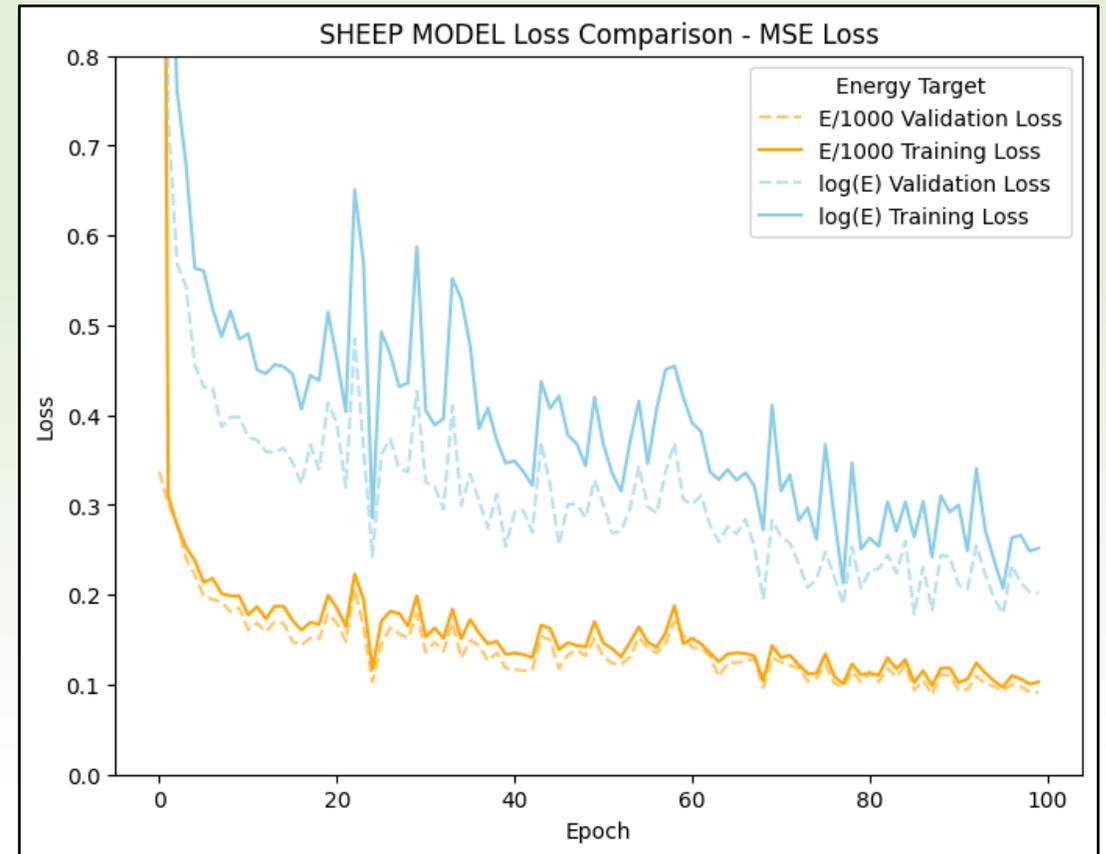
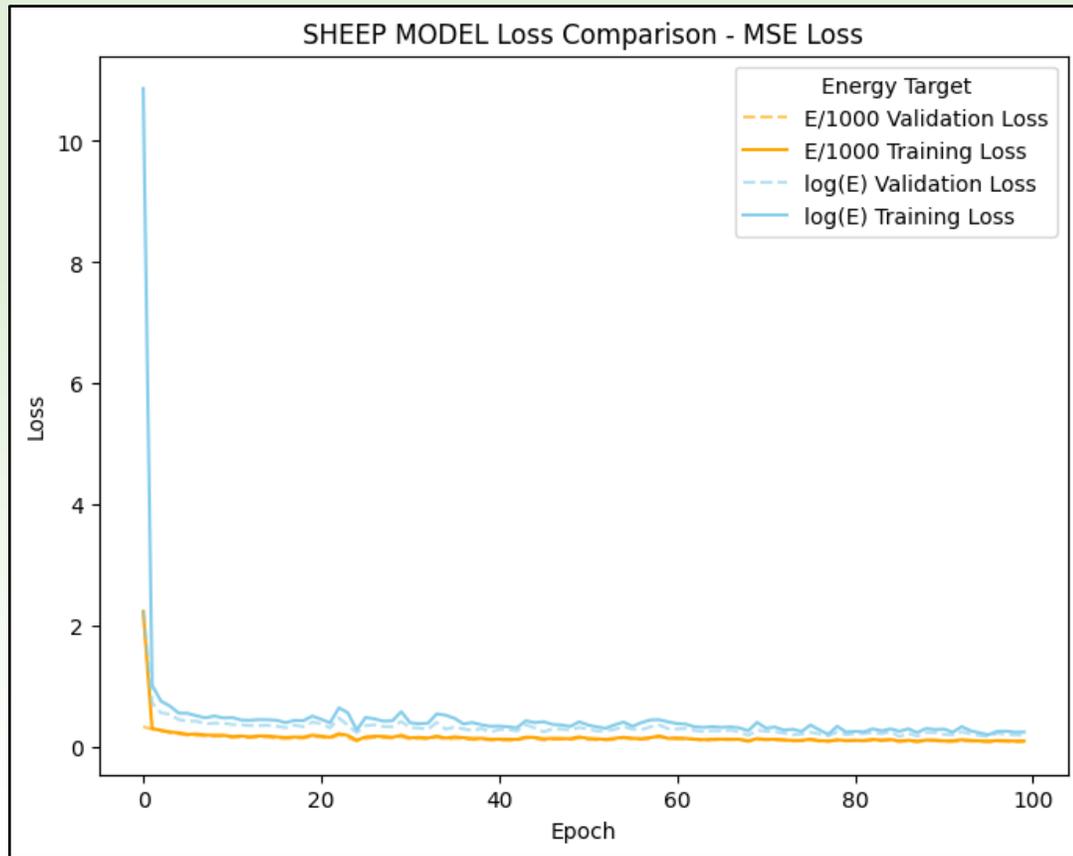


Post-Fix Loss Curves – Initial Test

- Testing on smaller dataset
 - 50k training events (6125 each for validation and testing)
- Loss function = Mean Squared Error (MSE)
- Target value = True Kinetic Energy / 1000 (i.e. convert to GeV)

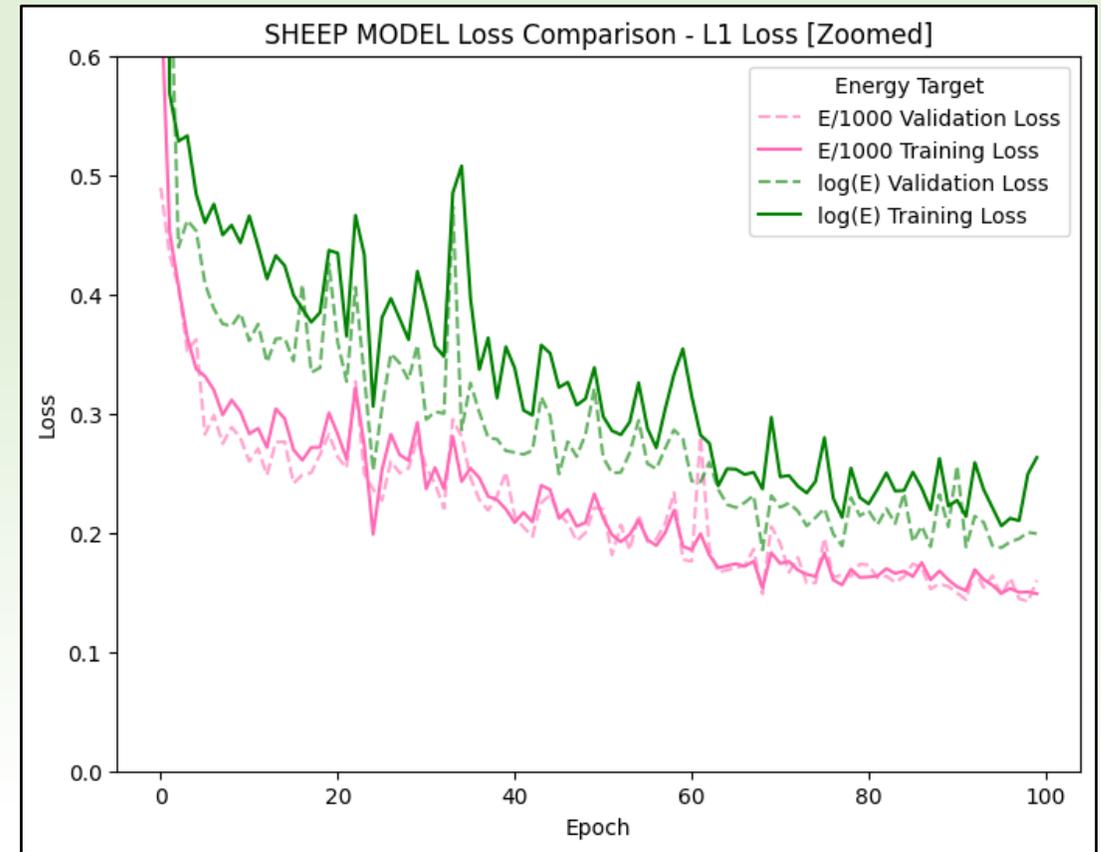
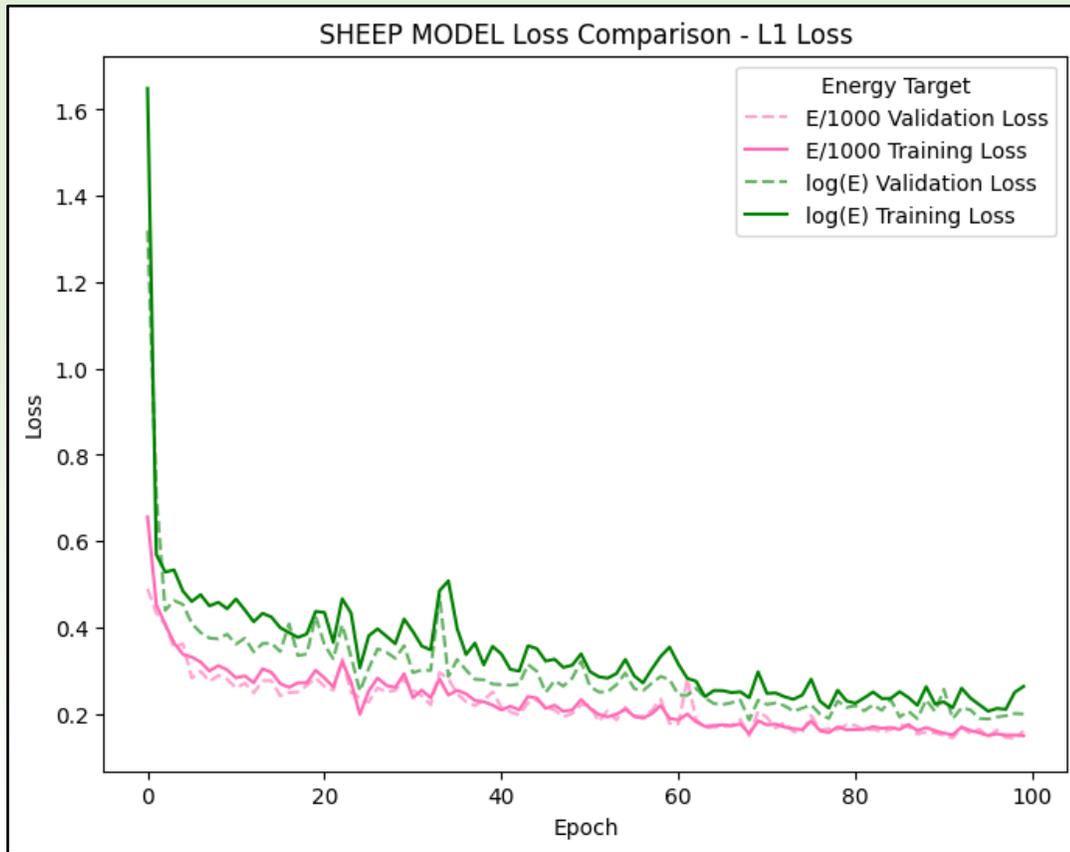


Post-Fix Loss Curves – MSE Loss



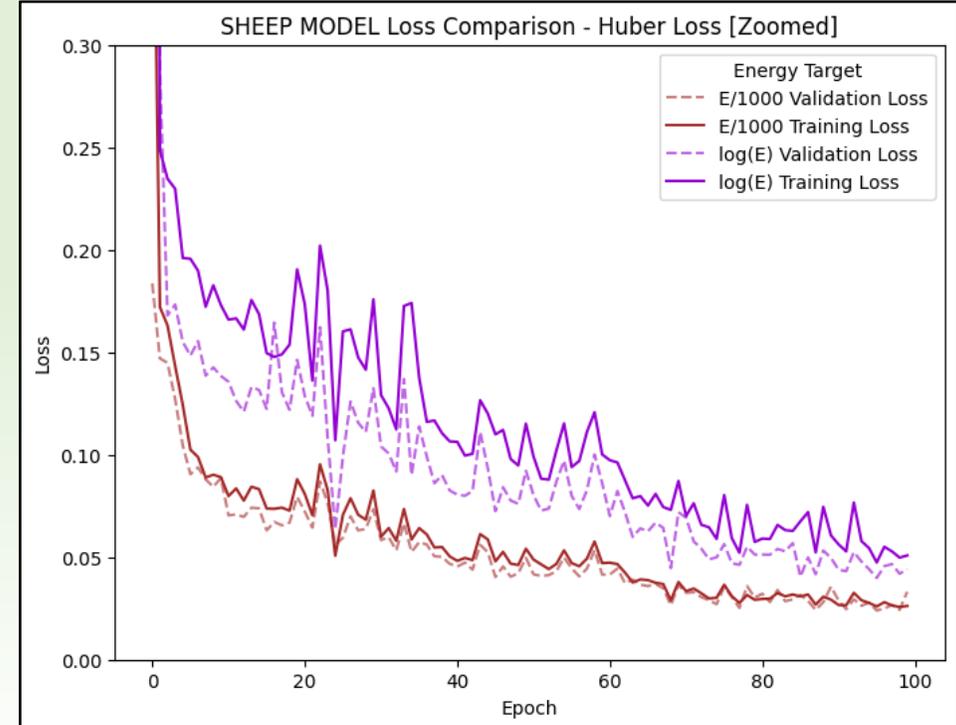
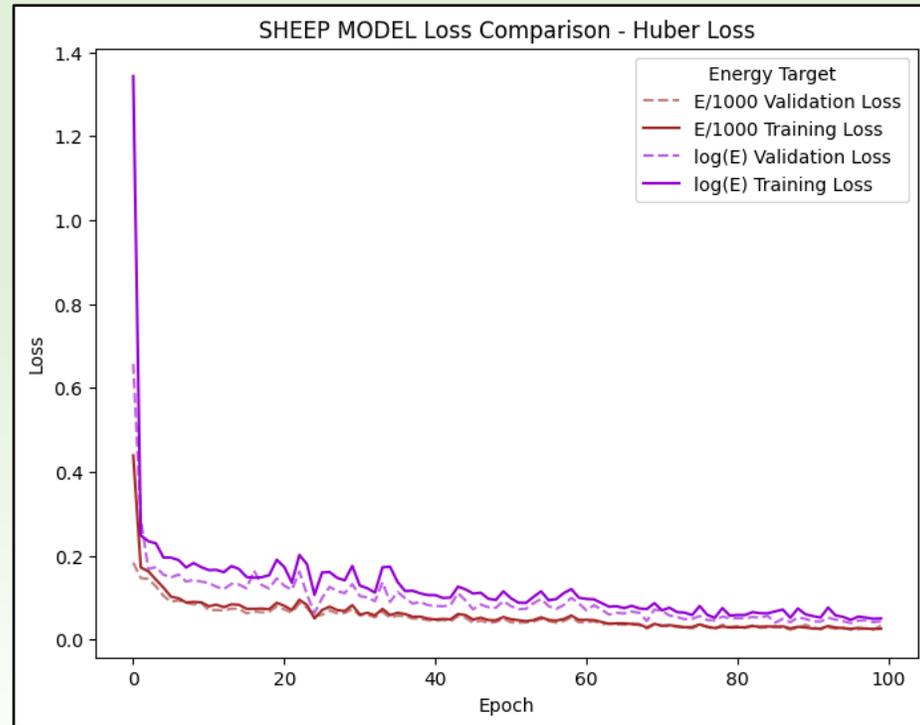
- **MSE Loss:** $\frac{1}{N} \sum_{i=1}^N (\hat{y}_i - y_i)^2$; y_i = true KE, \hat{y}_i = SHEEP prediction

Post-Fix Loss Curves – L1 Loss



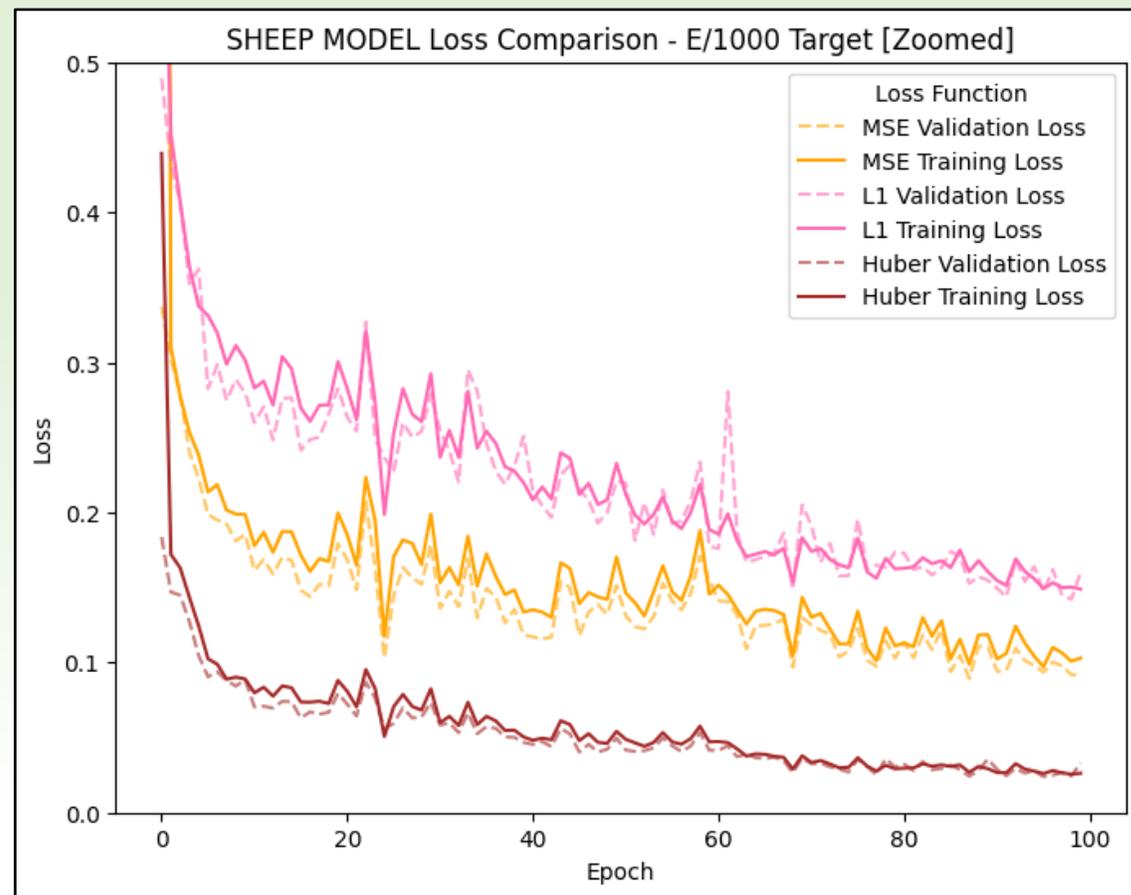
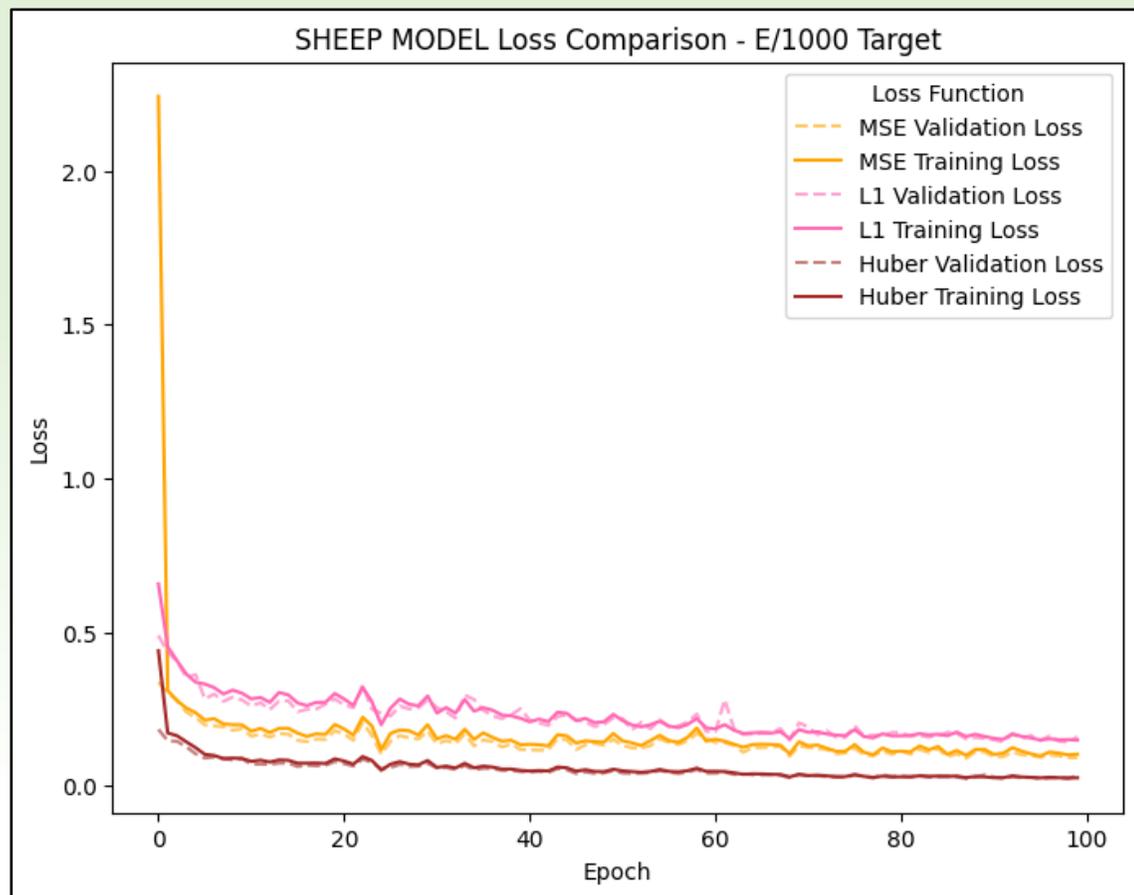
- **L1 Loss:** $\frac{1}{N} \sum_{i=1}^N |\hat{y}_i - y_i|$; y_i = true KE, \hat{y}_i = SHEEP prediction

Post-Fix Loss Curves – Huber Loss



- Huber Loss:** $\frac{1}{N} \sum_{i=1}^N \begin{cases} 0.5(\hat{y}_i - y_i)^2, & \text{if } |\hat{y}_i - y_i| < \delta \\ \delta \cdot (|\hat{y}_i - y_i| - 0.5 * \delta), & \text{otherwise} \end{cases}$
- y_i = true KE, \hat{y}_i = SHEEP prediction, $\delta = 1.0$ (default value)

Post-Fix Loss Curves – All E/1000 Target Variations



Post-Fix Loss Curves – All $\log(E)$ Target Variations

